

Weak Gravitational Lensing: shapes or magnitudes?

With good photo-z

Benasque Aug 2010

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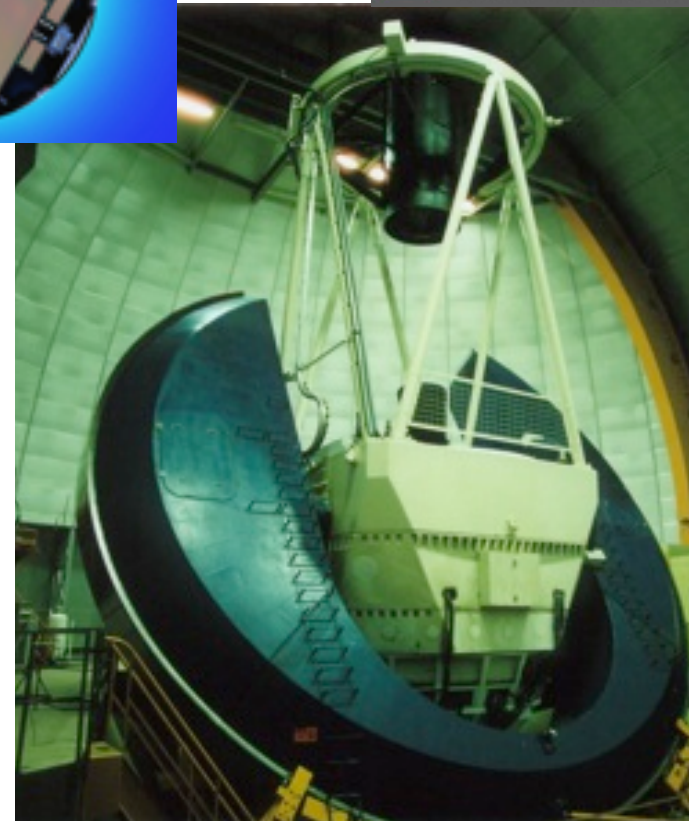
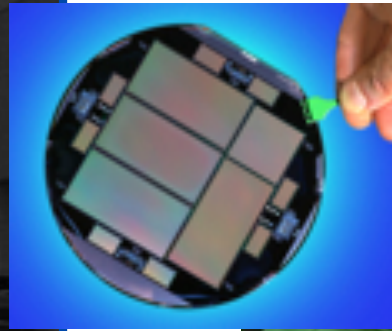
Cartografiado de la Energía Oscura

The Dark Energy Survey

Blanco 4m Telescope Cerro-Tololo
Observatorio Inter-Americano
CTIO



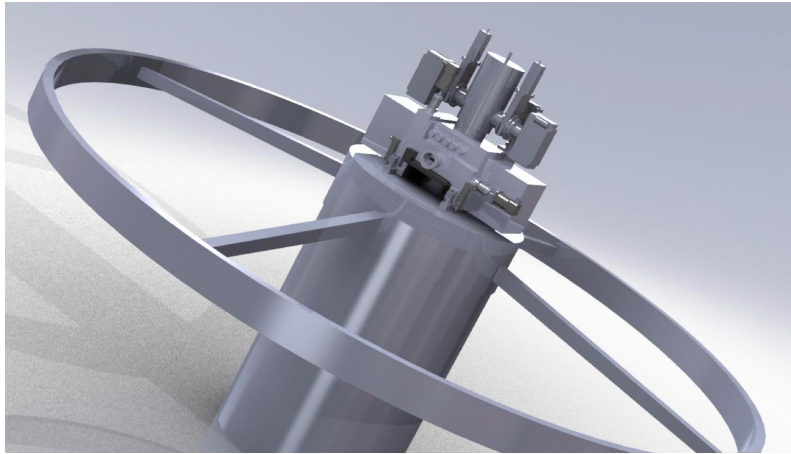
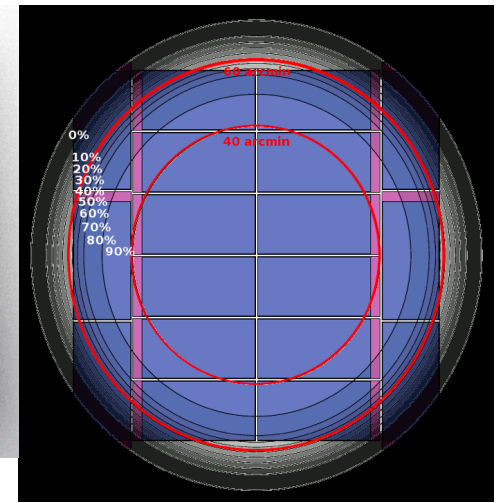
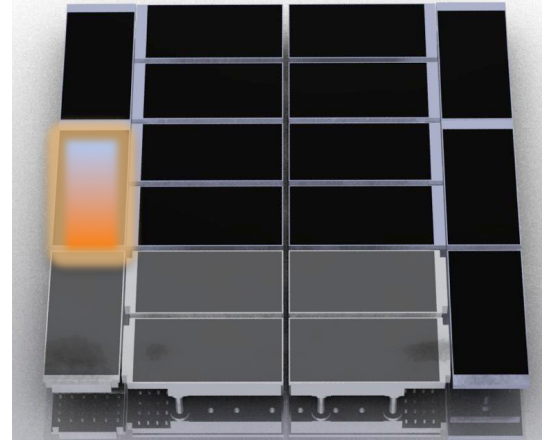
Image credit: Roger Smith/NOAO/AURA/NSF



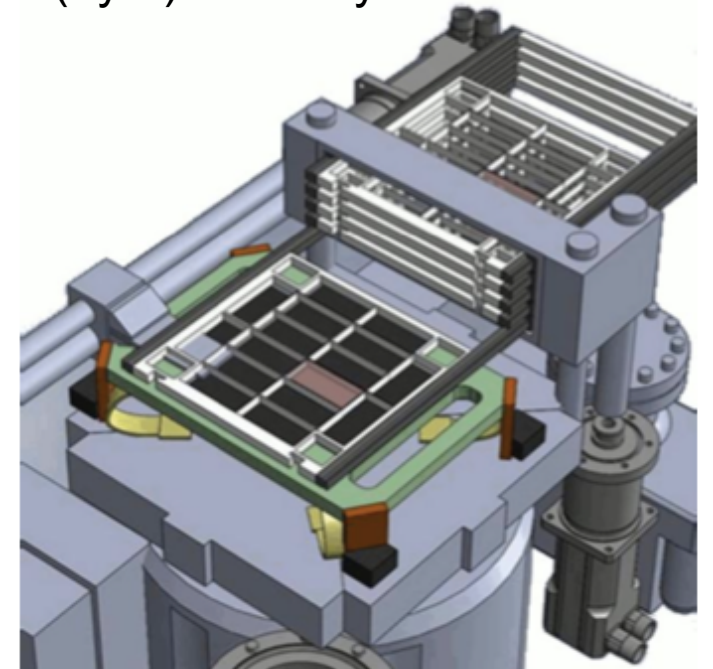
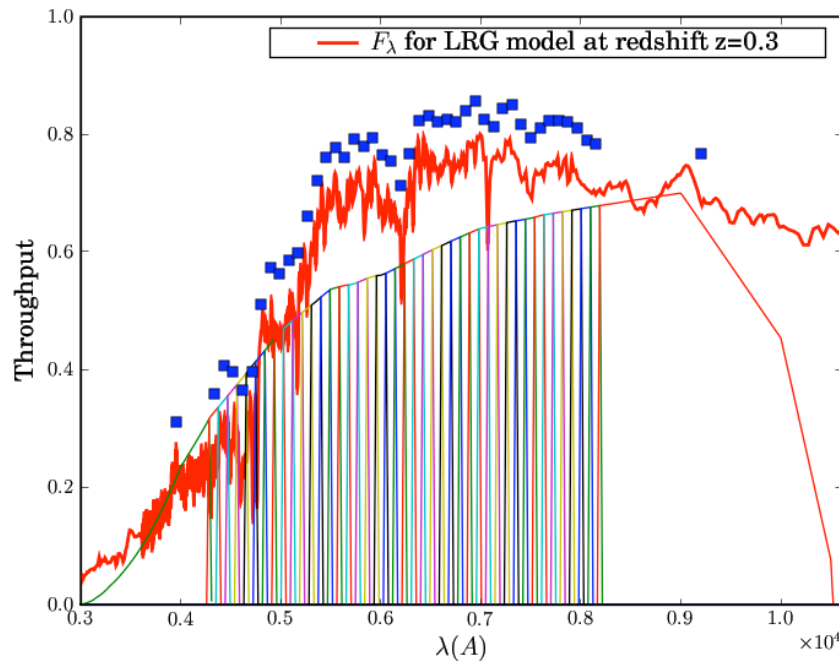
- Perform a 5000 deg² *griz* survey of the SGC
- Study dark energy using 4 complementary techniques: *galaxy clusters, weak lensing, galaxy angular power spectrum, and Type Ia supernovae*
- New Instrument:
 - Large 3 deg² mosaic CCD camera and optical corrector for the CTIO 4m Blanco telescope
 - Construction 2005-2011
- Survey:
 - 30% of the telescope time from 2011-2016
 - Data released to public within a year of observations



PAU Camera @ WHT



1 night = 2 sq. deg. To $i \sim 23$
in 40 narrow + 4 broad
Low R spectra for 30,000 galaxies
No selection effects
Being build (2yrs) and fully funded



Weak Lensing Magnification

$$\delta_g(\theta; \bar{z}) = b(\bar{z}) \int dz \delta_m(z, \theta) p_g(z; \bar{z})$$

$$C_{ij}(\ell) = \left[\frac{\Delta_i}{b_i} p_{wl}(ij) + \frac{\Delta_{ij}}{\Delta_j} \right] C_{ii}(\ell)$$

$$w_{ij}(\theta) = \left[\frac{\Delta_i}{b_i} p_{wl}(ij) + \frac{\Delta_{ij}}{\Delta_j} \right] w_{ii}(\theta)$$

$$\delta_n = \delta_g + \delta_{wl}$$

$$\delta_{wl}(\theta; \bar{z}) = \int dz_1 \delta_m(z_1, \theta) p_{wl}(z_1; \bar{z})$$

$$p_{wl}(ij) = p_{wl}(\bar{z}_i; \bar{z}_j) = K_j \frac{H_0}{H_i} \frac{\chi_i}{a_i \chi_{H0}} \eta_{ij}$$

$$\eta_{12} \equiv \frac{\chi_2 - \chi_1}{\chi_2} \equiv \frac{\chi(z_2) - \chi(z_1)}{\chi(z_2)}$$

$$K \equiv 3(2.5s - 1)\Omega_m$$

$$C_{gn_i gm_j} \simeq \left[b_{n_i} b_{m_j} \frac{\delta_{ij}}{\Delta_i} + \alpha_{m_j} b_{n_i} p_{ij} \right] \mathcal{P}_i$$

$$\mathcal{P}_i \equiv \frac{P(k_i, \bar{z}_i)}{\chi_i^2 \chi_{H_i}}$$

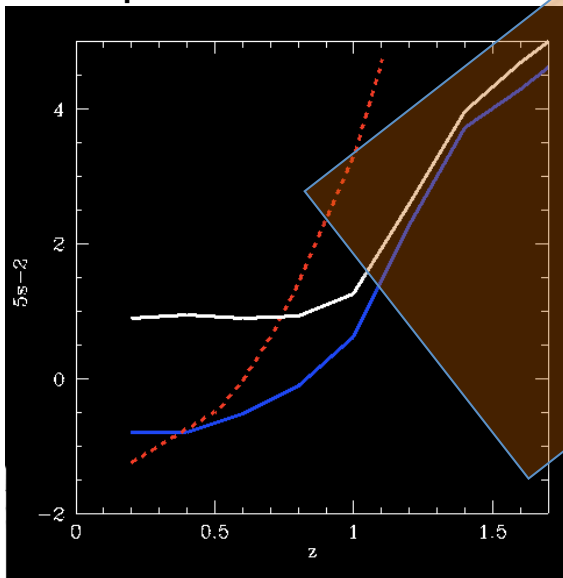
$$r_{ijk} \equiv \frac{C(\ell)(ij)}{C(\ell)(ik)} = \frac{w_{ij}(\theta)}{w_{ik}(\theta)} = \frac{\eta_{ij} (2.5s_j - 1)}{\eta_{ik} (2.5s_k - 1)}$$

$$\frac{C_{ii}(\ell)}{C_{ij}(\ell)} = \frac{w_{ii}(\theta)}{w_{ij}(\theta)} = \frac{b_i}{K_j \Delta_i} \frac{\chi_{H0}}{\chi_i} \frac{H_i}{H_0} \frac{a_i}{\eta_{ij}}$$

Measure radial distances
To redshift shells
Ratio is independent of bias
Or power spectrum!
(Hu & Jain 2004 for GK)

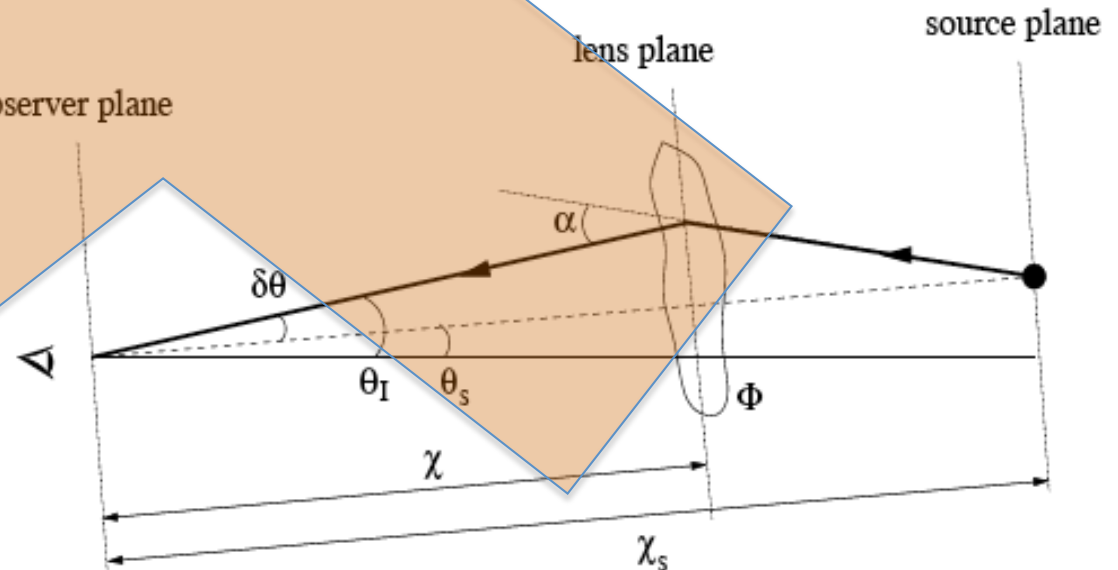
$$\langle \delta_g(i) \delta_{wl}(j) \rangle$$

slope $r < 23$



$22 < i < 23$

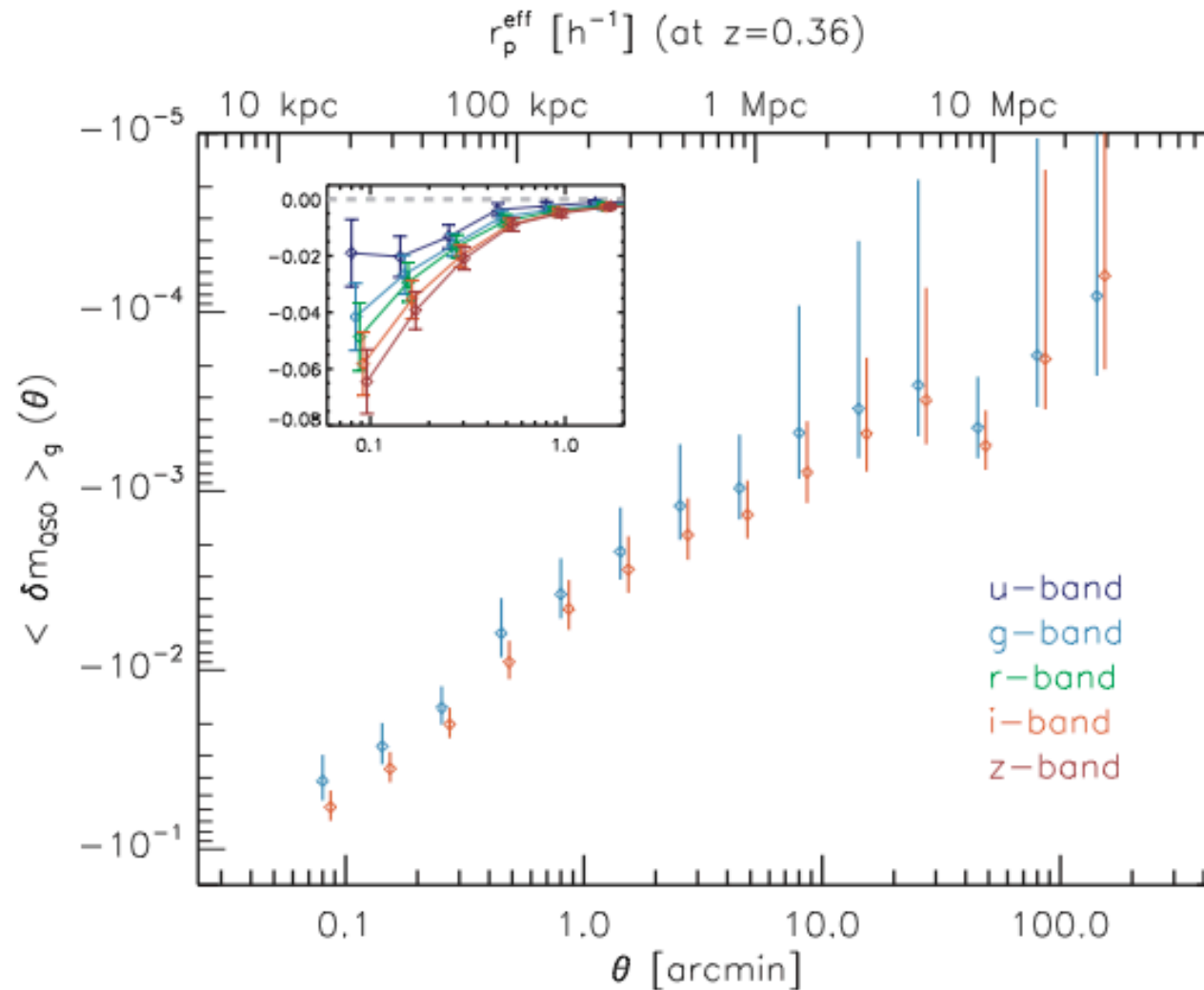
$i < 24$ observer plane



Current measurements

SDSS: galaxy position with QSO magnitude
Menard et al 2010

B. Ménard et al.



Current measurements

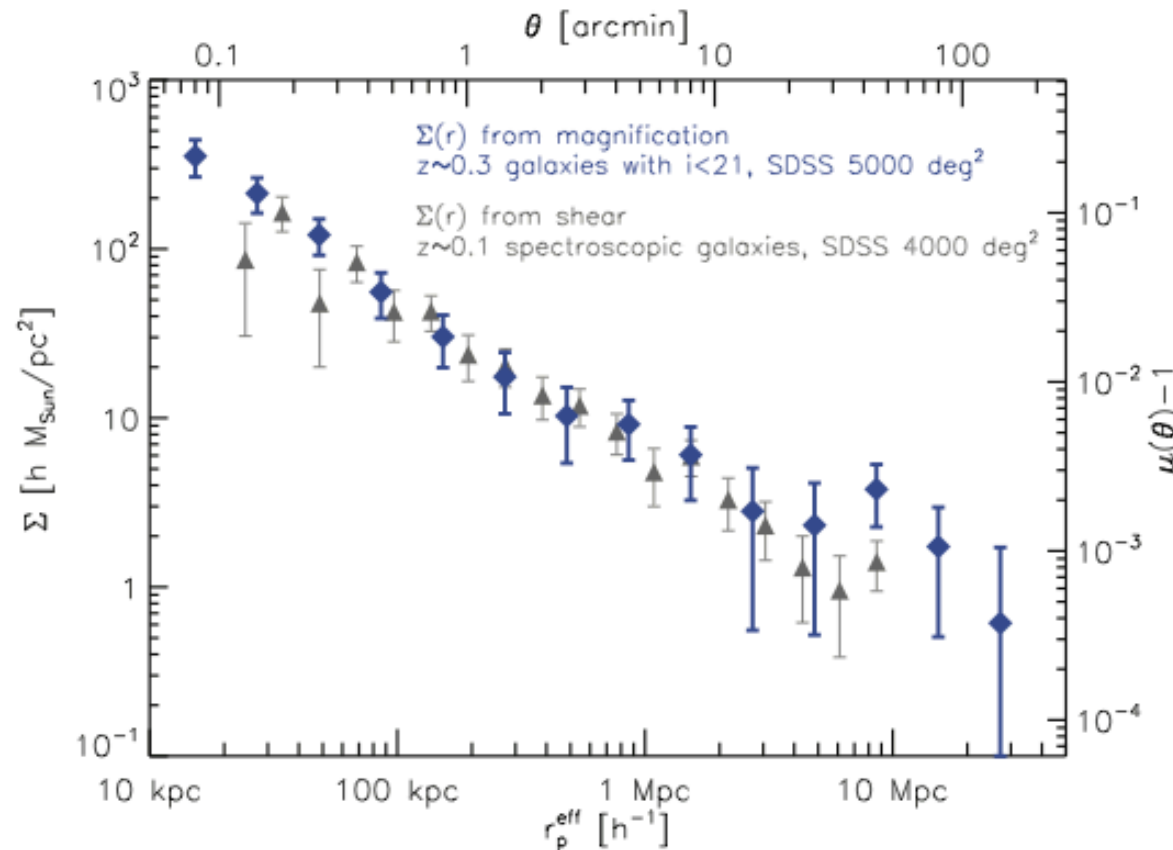


Figure 7. The mean surface density of galaxies (with $i < 21$) measured through the magnification of background quasars and corrected for dust extinction (blue points). In comparison, we show the mean surface density of a sample of $\sim L^*$ galaxies at $z \sim 0.1$ obtained from the gravitational shear of background galaxies from Sheldon et al. (2004). Non-linear magnification effects have not been included and result in an overestimation of the mass on the smallest scales.

Forecast for DES & PAU

(with M.Eriksen & Spain DES/PAU team)

DES :

$$F_{\mu\nu} = \sum_{ij, mn, \Delta\ell} \frac{\partial C_{ij}}{p_\mu} \Theta_{ij;mn}^{-1} \frac{\partial C_{mn}}{p_\nu}$$

$$f_{sky} = 0.125 \text{ (5000 sq deg)}$$

$$0.1 < z < 1.5$$

$$dn/dz = A(z/z_0)^\alpha \exp[-(z/z_0)^\beta] \text{ (all galaxies)}$$

$$m_{AB} \sim 24)$$

$$A = 5.63 \times 10^8, z_0 = 0.65, \alpha = 1.07, \beta = 1.77$$

$$z_m = 0.5$$

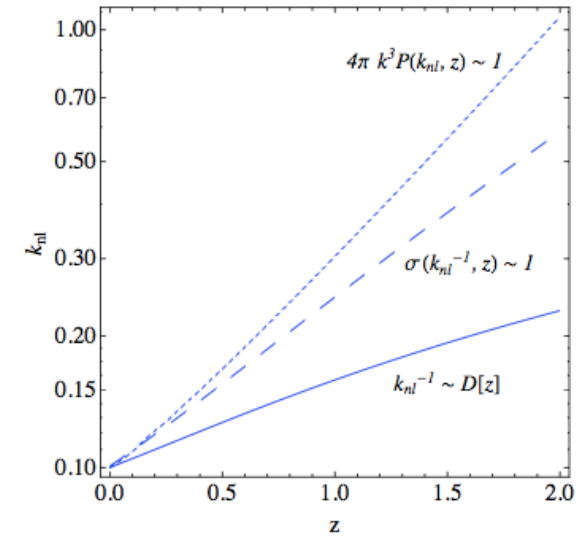
$$N_{gal} = 1.84 \times 10^8 \text{ (all)}$$

$$\text{photo} - z = 0.035(1+z) \text{ (LRGs)} - 0.07(1+z) \text{ (all)}$$

$$b_1 = 1.52, dbdz_1 = 0.6423, b(0) = 1.2$$

$$b_0 = 2.53, dbdz_0 = 1.07, b(0) = 2$$

$$b(z) = b(z_m) + \left. \frac{db}{dz} \right|_{z=z_m} (z - z_m).$$



$$L_{\text{max}} = k_{\text{max}} X(z)$$

$$Dz = 4 * \text{photo-z error}$$

Our fiducial cosmology is given by,

Baryon density today, $\Omega_b = 0.044$

Matter density today, $\Omega_m = 0.25$

Dark-energy density today, $\Omega_\Lambda = 0.75$

Scalar spectral index, $n_s = 0.95$

Rms matter fluctuation amplitude, $\sigma_8 = 0.8$

Hubble parameter (in units of 100 km/sec/Mpc), $h = 0.7$

Dark-energy eq. of state, $w = -1$

Planck Fisher Matrix (8)

Jochen Weller

$\Omega_m, \Omega_{DE}, h, \sigma_8, \Omega_b, w_0, w_a, n_s$

+ bias dbdz

Hu & Jain 2004

Survey Specifications

PAU : all-galaxies

$f_{sky} = 0.0048$ (200 sqr deg)
 $0.1 < z < 1.4$

- $N_{gal} = 4 \times 10^6$
- photo - $z = 0.005(1 + z)$
- $b = 1.2264, db/dz = 0.5266, z_m = 0$
- $b(0) = 1$

PAU : LRGs

$f_{sky} = 0.0048$ (200 sqr deg)
 $0.1 < z < 1.1$

- $N_{gal} = 3.66 \times 10^5$
- photo - $z = 0.0035(1 + z)$
- $b = 2.88, db/dz = 1.13, z_m = 0.78$
- $b(0) = 2$

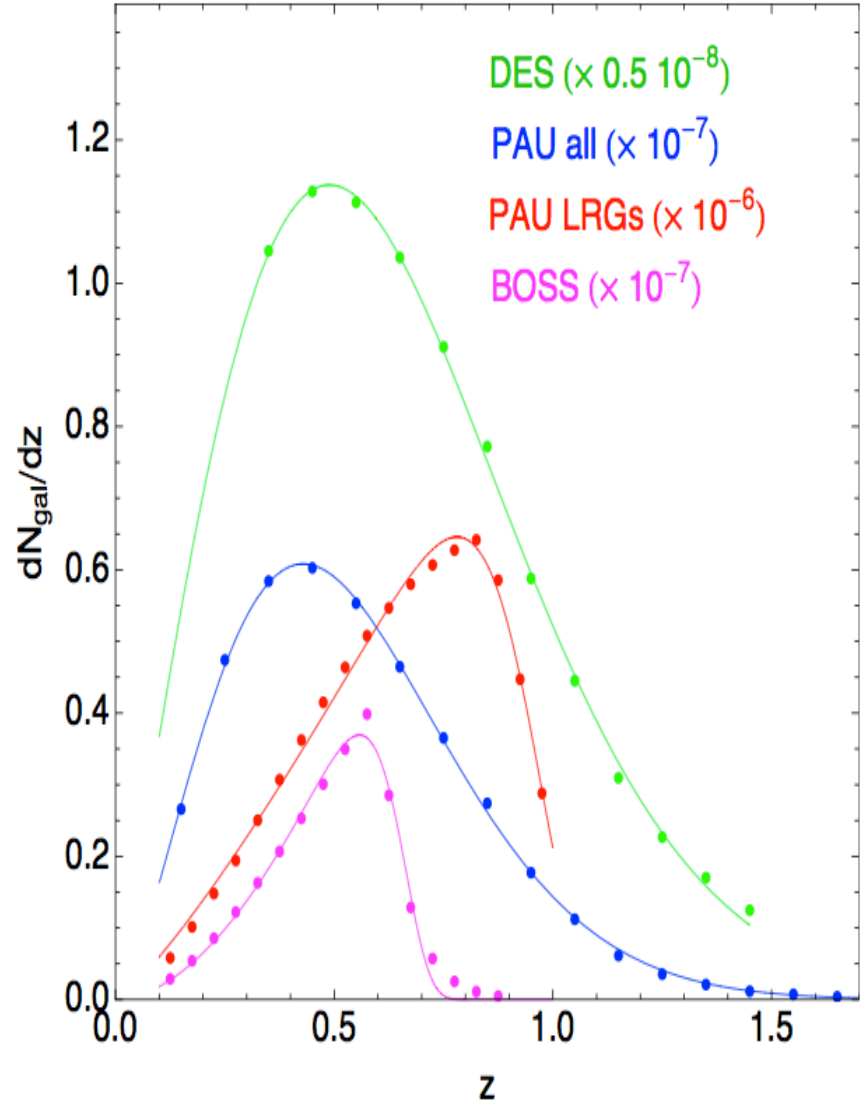
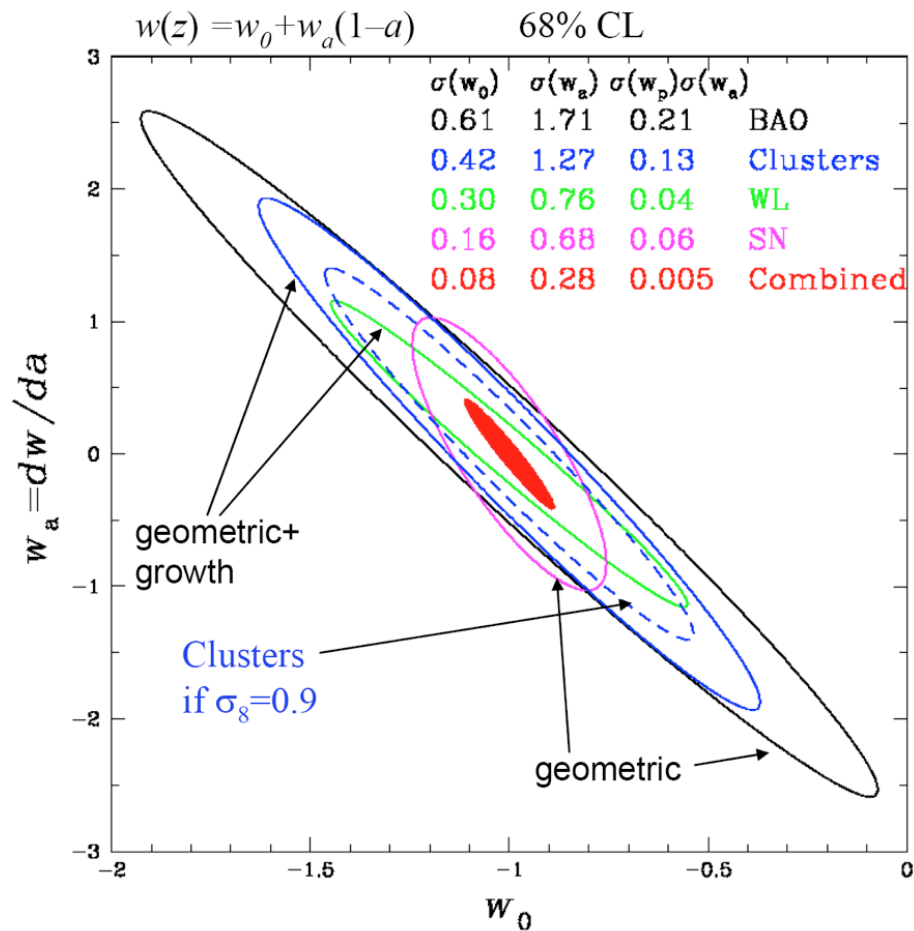


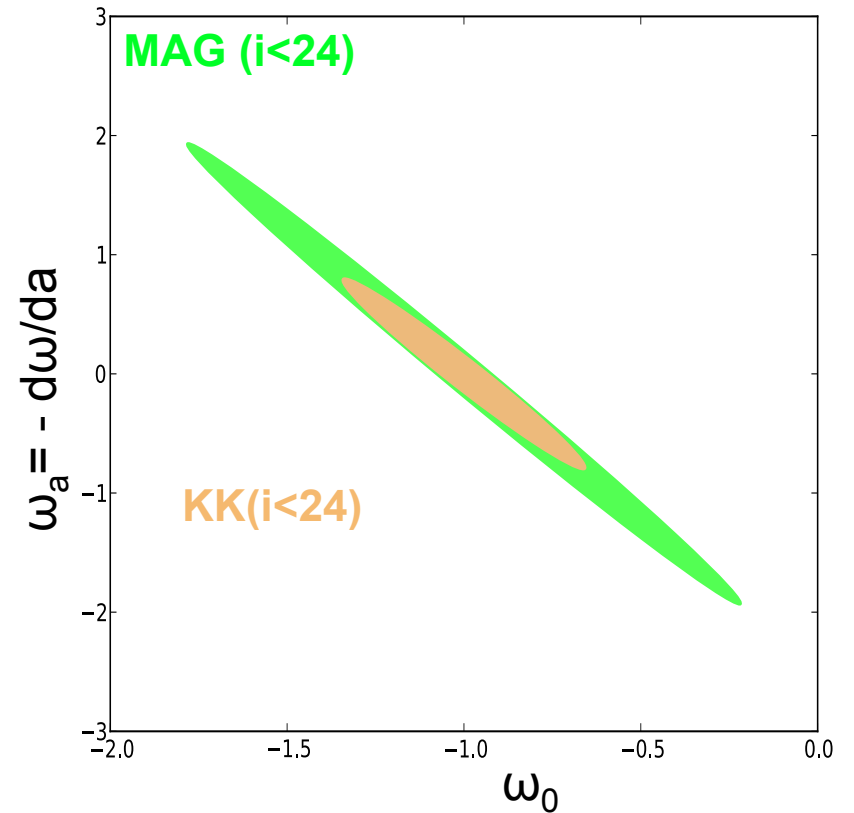
FIG. 4: Galaxy Redshift Distribution assumed for the surveys considered.

	KK	KK 20%	KK +GG	MAG (5s-2=1)	GK+GG
DES (+bias)	41	14	(79)	13 (74)	32 (155)
DES+z (+bias)	46		(390)	77 (379)	147 (680)
PAU200 (+bias)	5		(48)	9 (50)	19 (91)
PAU5000 (+bias)	24		(573)	117(587)	227(1045)

FoM= $1/(\sigma_{wp} * \sigma_{wa})$ (With Planck Priors)



FoM
5
8
25
17
200



Conclusion: shapes or magnitudes?

- Magnitudes are easier and can be measured to a **deeper** depth
- Shapes are unbiased tracers. Signal is very small-> small noise. Non-trivial reconstruction (shear -> kappa)
- (With good photo-z) magnitudes trace 3D, while shapes only 2D.
- Galaxy-galaxy (GG or magnification) has $\frac{1}{2}$ the FoM of Galaxy-Shear (GK), assuming same depth and shot-noise.
- Magnification (or GK) can be used to **simultaneously** measured bias and a FoM similar to KK for broad ($4\sigma_{z}=0.1$) z-bins.
- For more accurate photo-z (10 times better or spectroscopic z), magnification (or GK) can give **10 times** larger FoM than KK.
- When **bias is known**, above FoM can increase by another factor of 5. This is not the case for KK (because is 2D and unbiased).
- **Do both.**