

Cosmology with Spectroscopic Surveys: Past, Present and Future

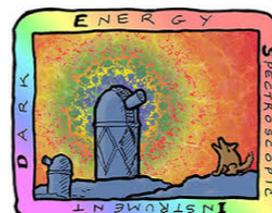
Héctor Gil-Marín

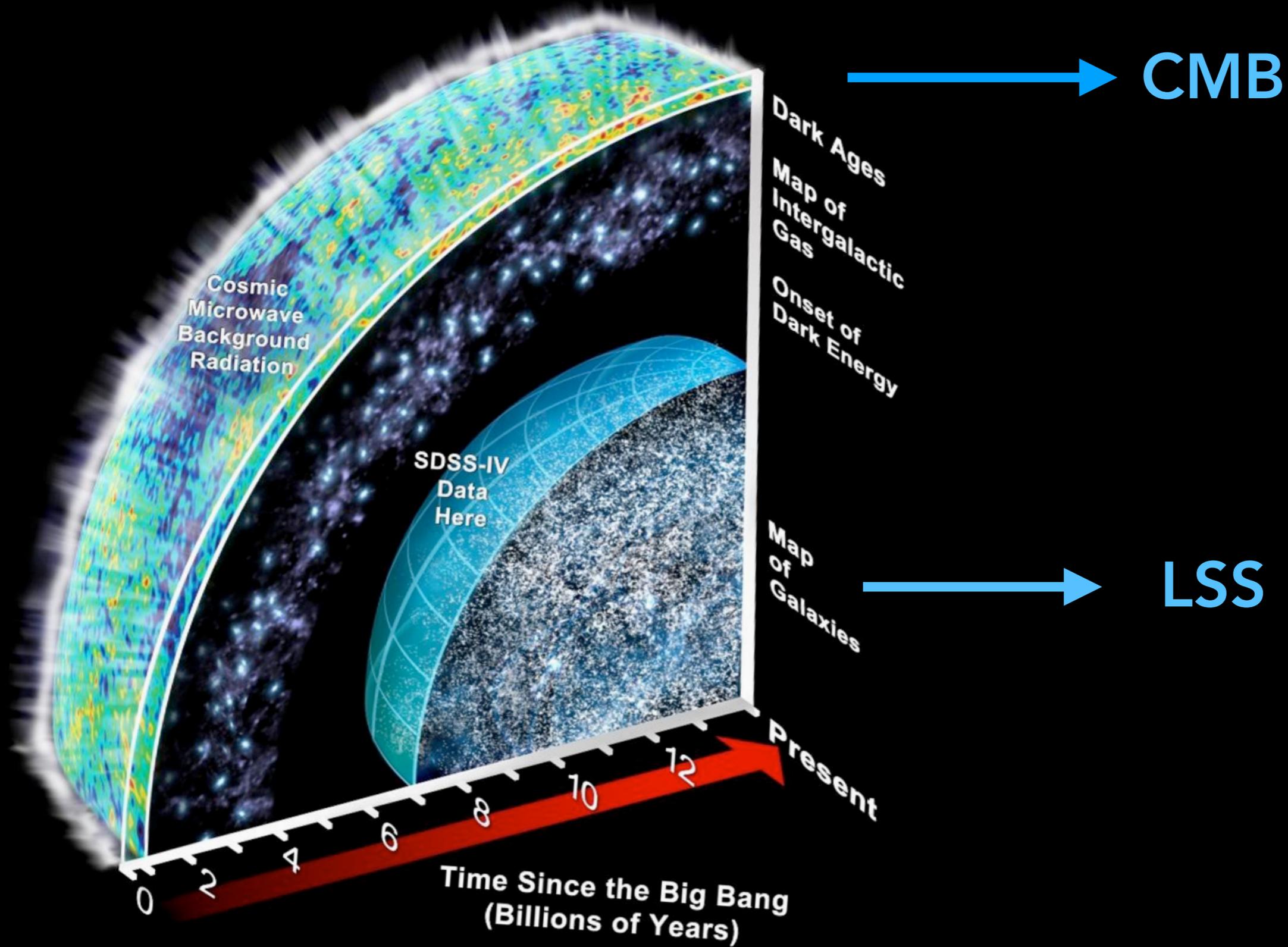
Junior leader 'la Caixa' Fellow

Institut de Ciències del Cosmos, Universitat de Barcelona



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UNIVERSITAT DE BARCELONA

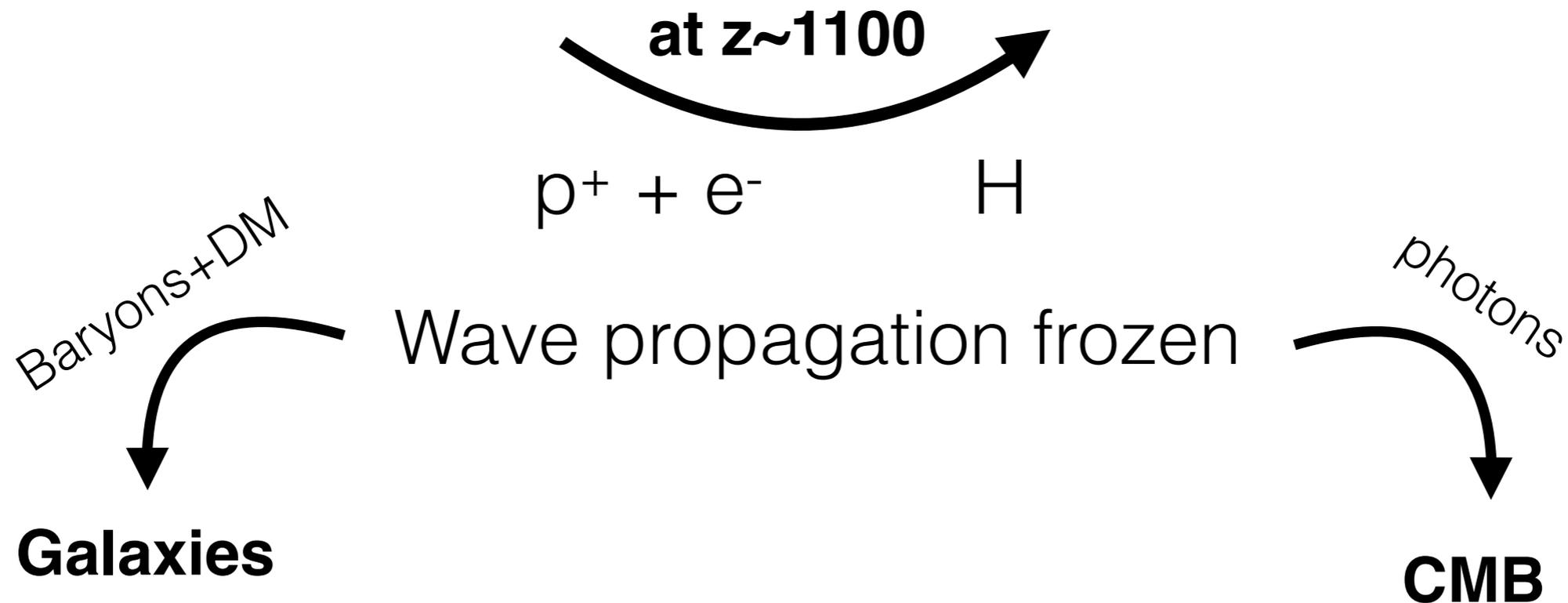




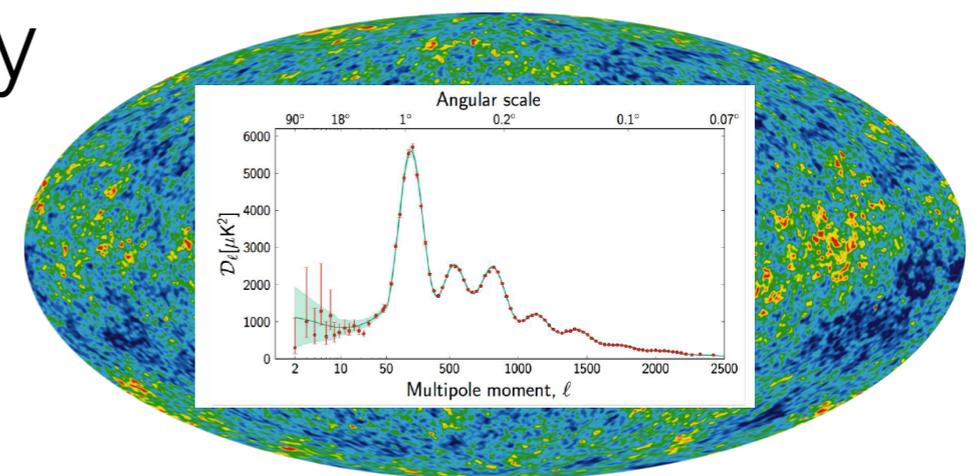
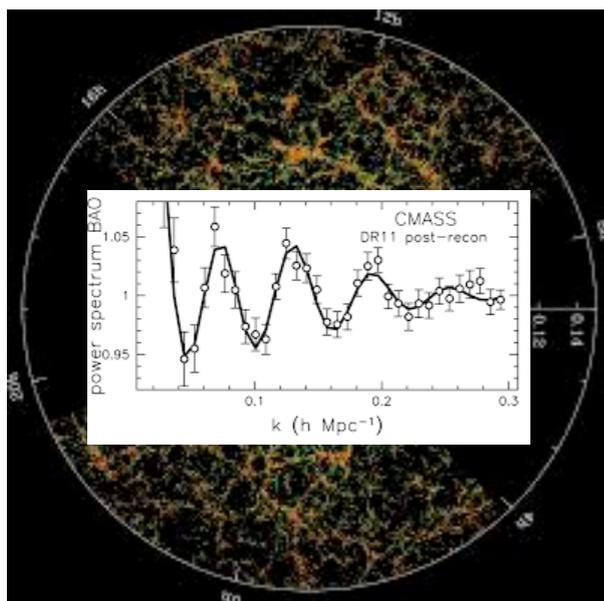
Baryon Acoustic Oscillations

Before recombination

After recombination



- Physics in early Universe
- Accelerated expansion at late times

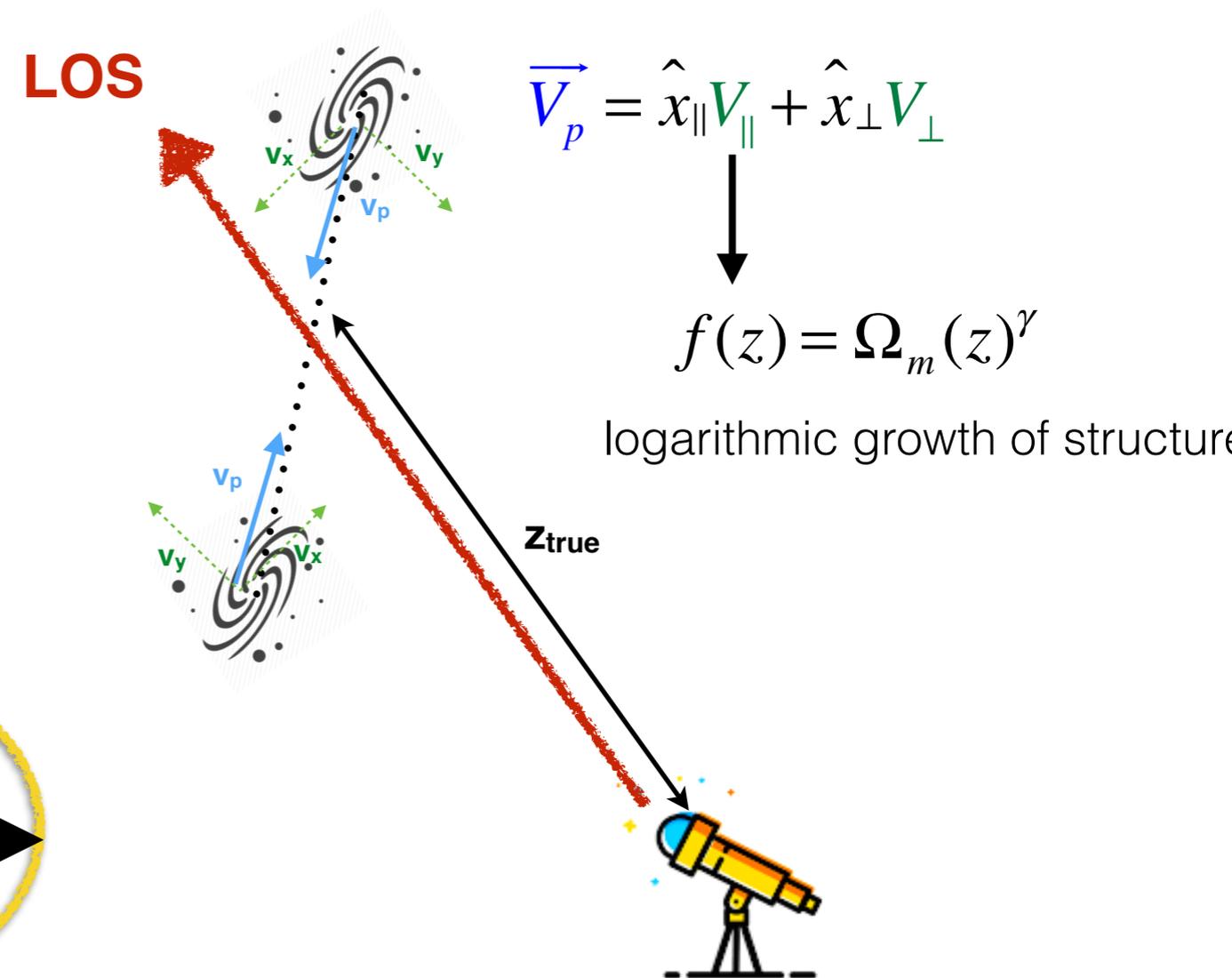
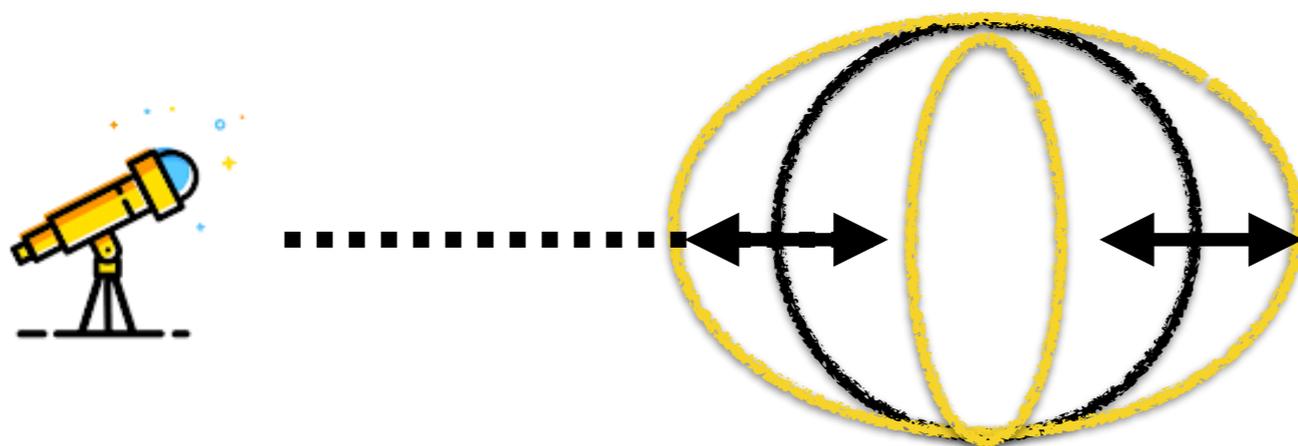


Redshift Space Distortions

- Universe assumed **isotropic** and **homogeneous**
- **RSD**: Enhancement / reduction of the clustering along the line-of-sight (LOS) direction due to peculiar velocities (Kaiser 1987)

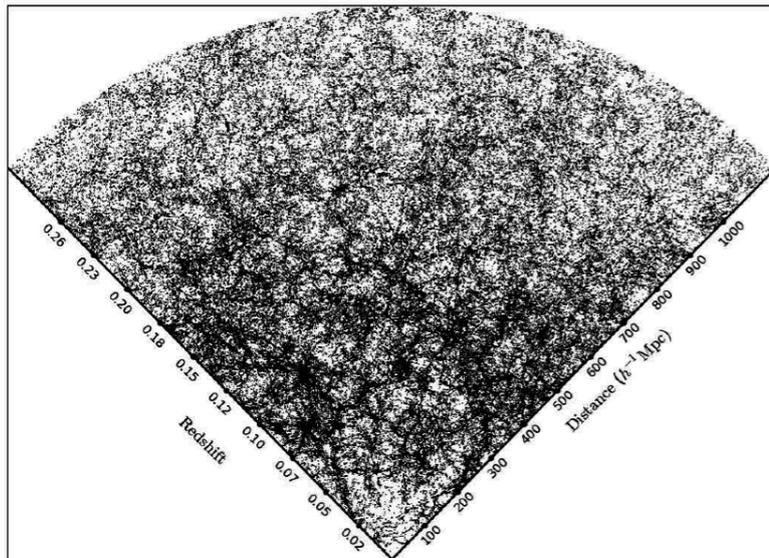
Induces anisotropy but does not shift the BAO

$$\sim f\sigma_8$$

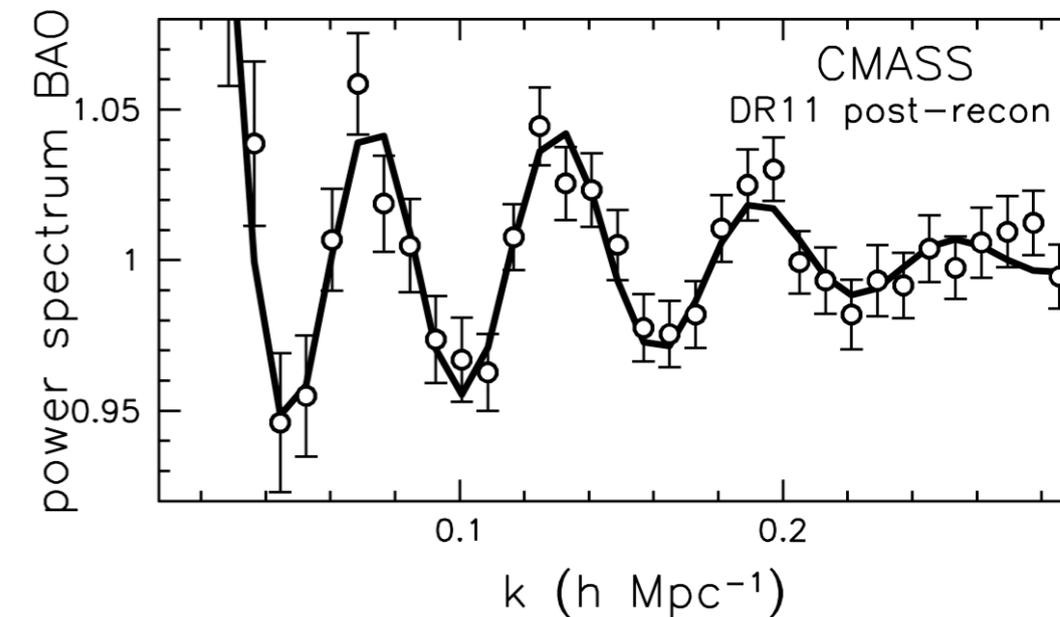
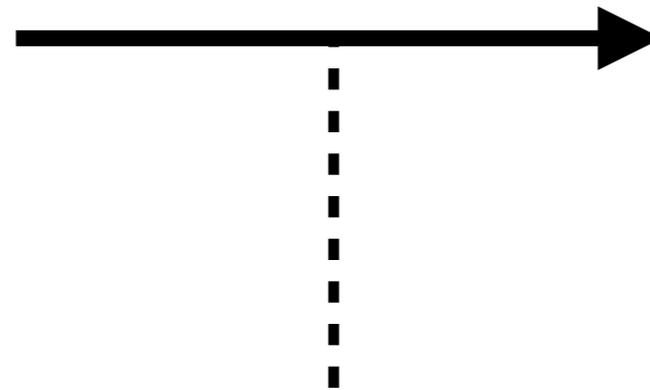


Clustering of Tracers: What do we measure?

Galaxy Catalogue



$$\Omega_{\text{fiducial}} \neq \Omega_{\text{true}}$$



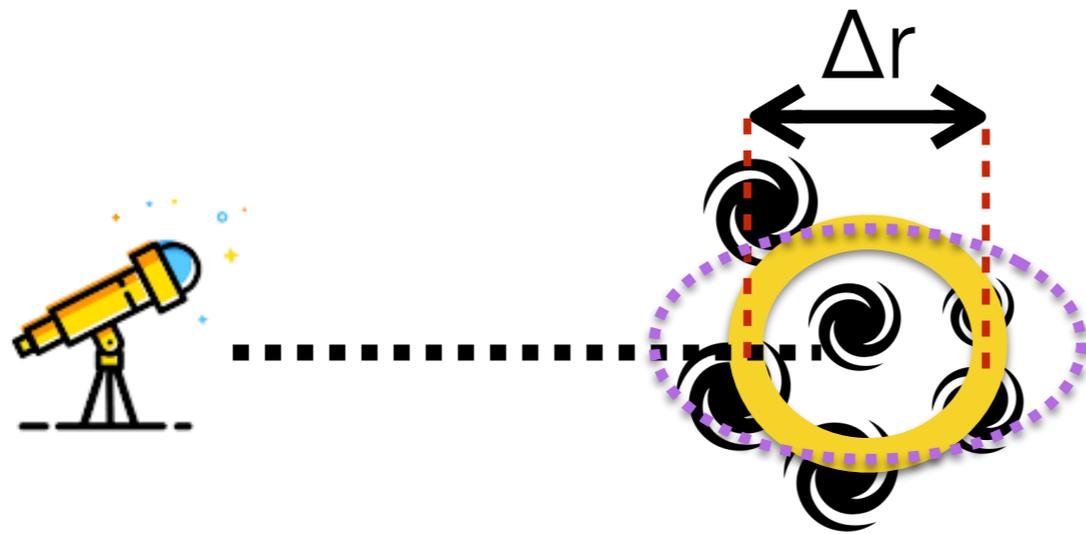
Distortions **along** and **across** the line of sight

Alcock-Paczynski effect

**This effect distorts the homogeneity and isotropy of BAO
as a function of Ω_{true} & Ω_{fiducial}**

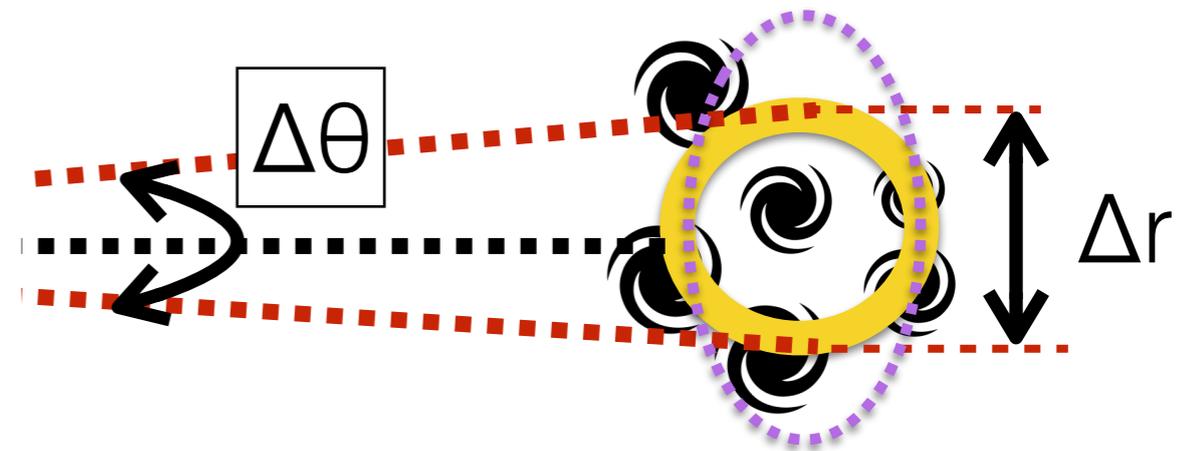
Alcock-Paczynski & Redshift Space Distortions

- **AP effect:** Anisotropy induced by transforming redshifts into comoving distances assuming a *wrong cosmology*



Radial distance

$$\Delta r_{\parallel}(z_1, z_2; \Omega_m) = \int_{z_1}^{z_2} \frac{cdz'}{H_0 \sqrt{\Omega_m (1+z')^3 + 1 - \Omega_m}} \approx \frac{c\Delta z}{H(\bar{z}, \Omega_m)}$$

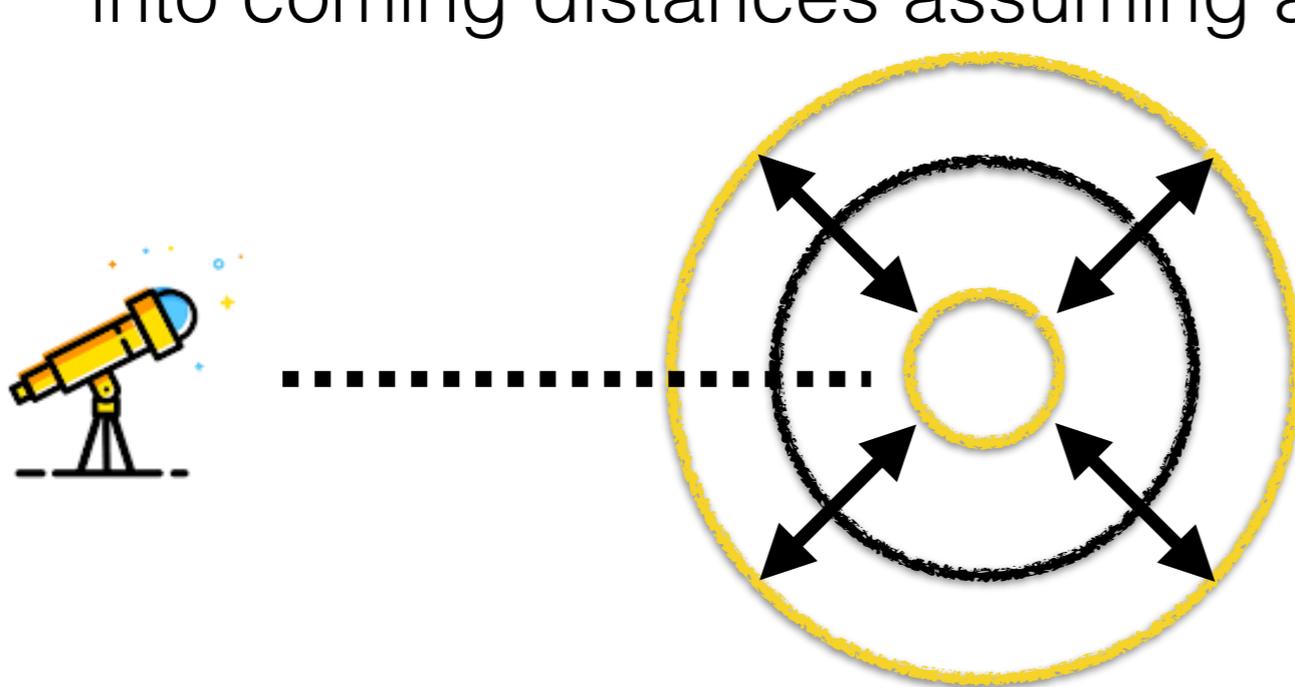


Angular diameter distance

$$\Delta r_{\perp}(\theta_1, \theta_2; z, \Omega_m) = \Delta\theta \int_0^z \frac{cdz'}{H(z', \Omega_m)}$$

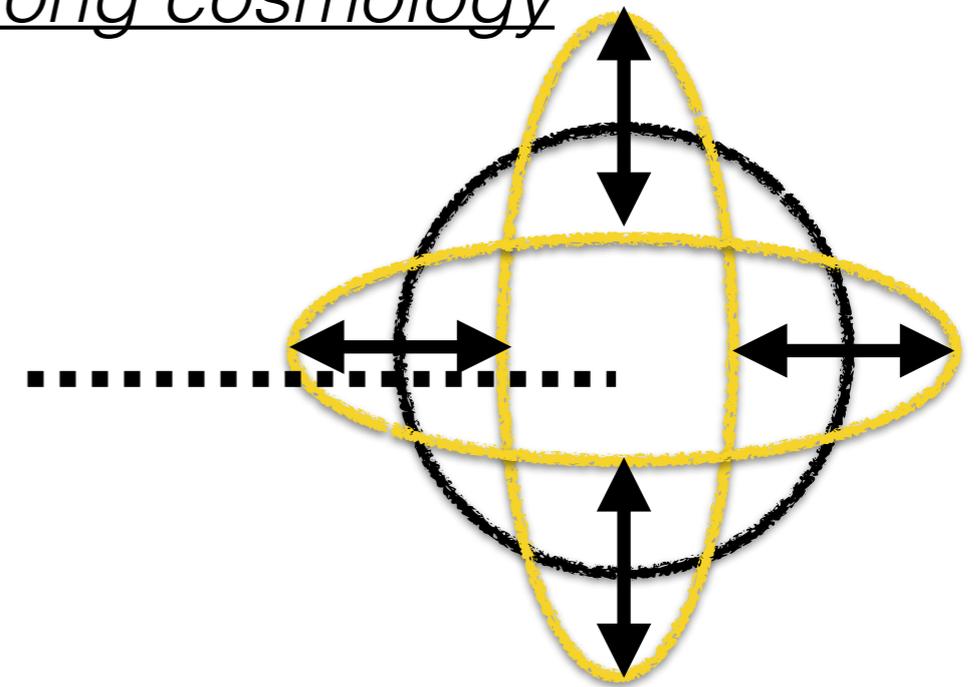
Alcock-Paczynski & Redshift Space Distortions

- **AP effect:** Anisotropy induced by transforming redshifts into coming distances assuming a *wrong cosmology*



BAO shift, but no extra anisotropy

$$\sim (D_A^2/H)^{1/3} / r_s$$

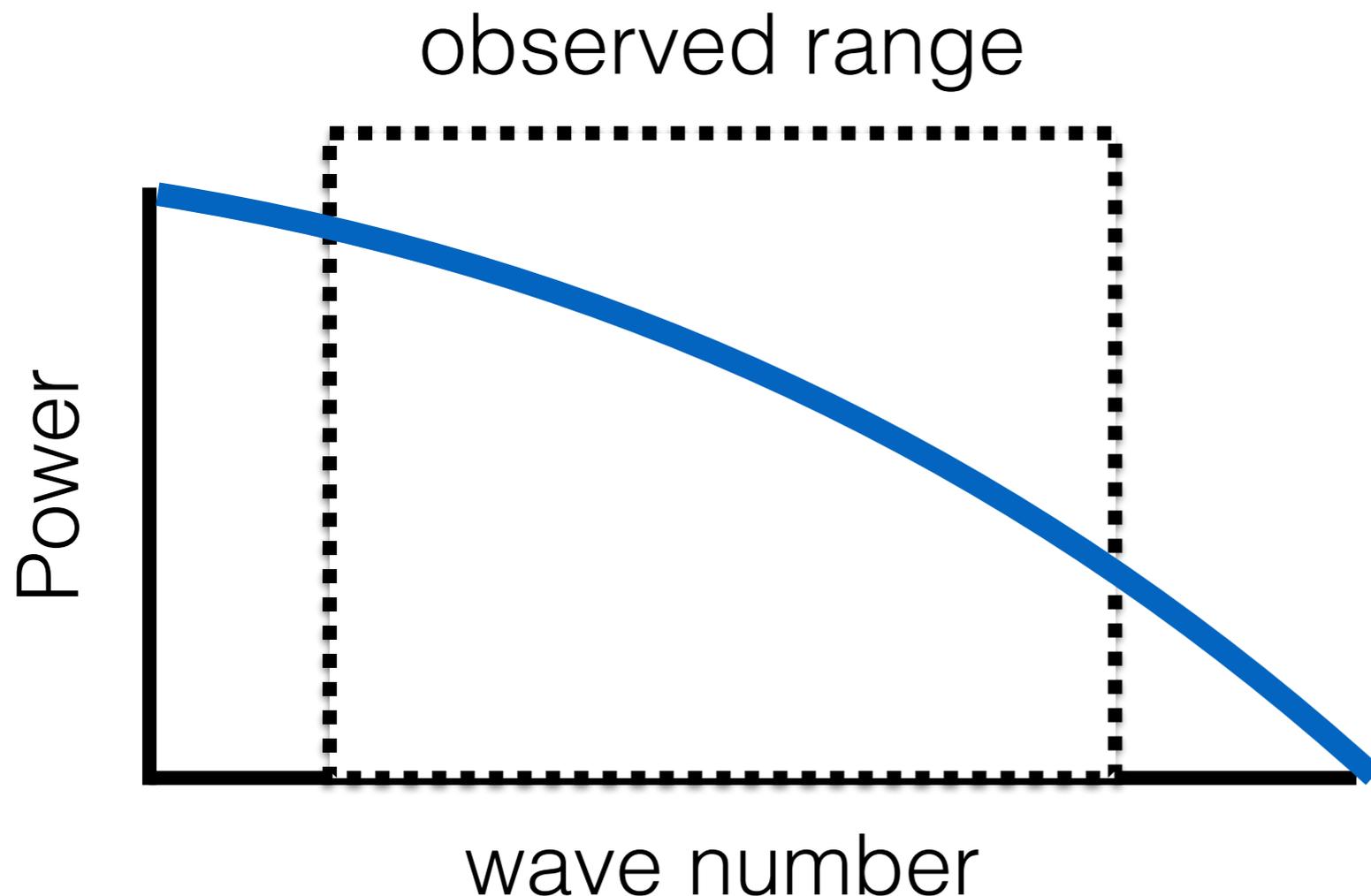


Relative BAO shift along and across the line-of-sight + induced anisotropy

$$\sim D_A H$$

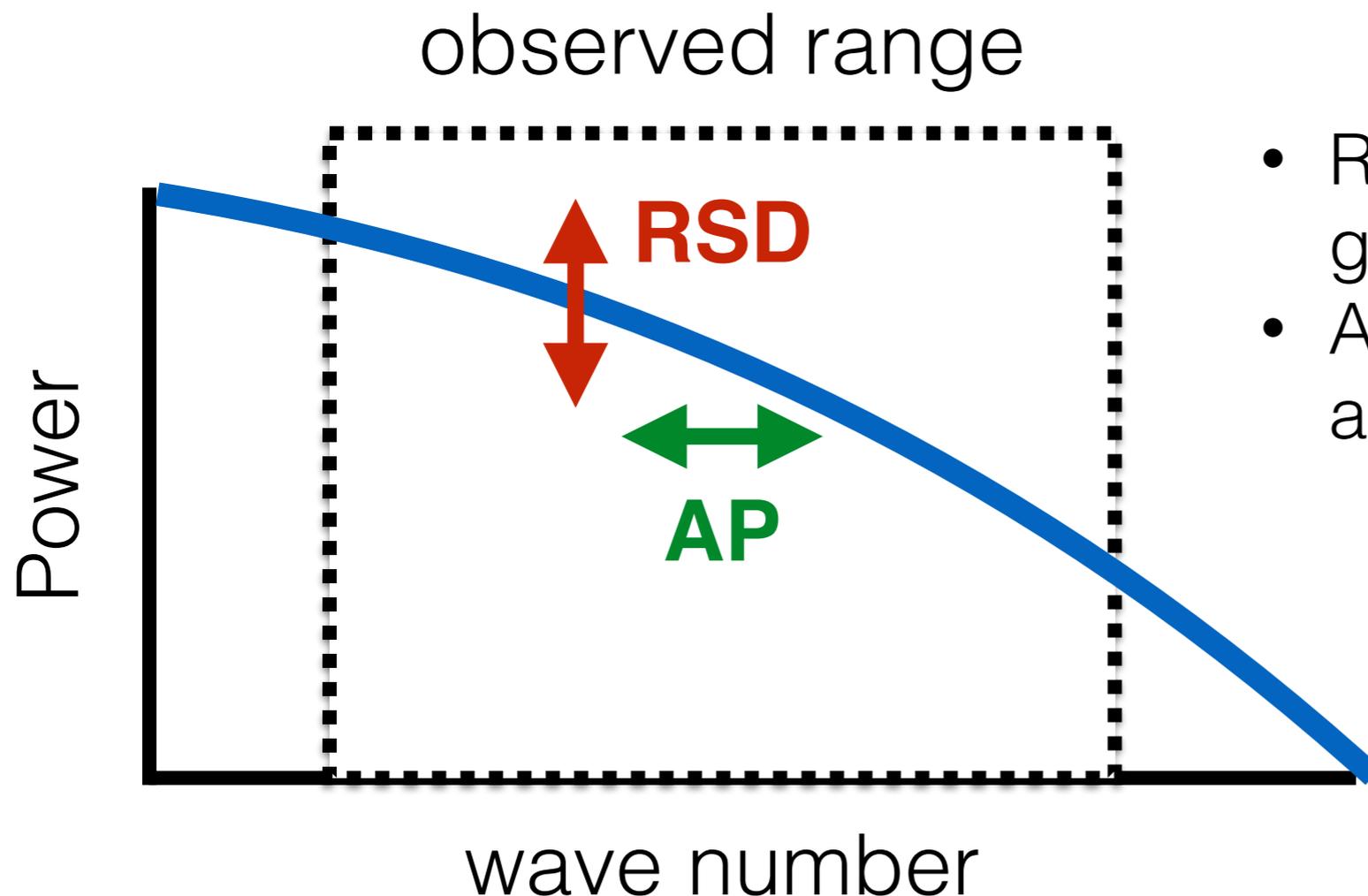
BAO as standard ruler

- The sound horizon scale is well determined by CMB measurements (helps to calibrate)
- We can separate the effect of cosmological distortions (AP) from other effects such as RSD



BAO as standard ruler

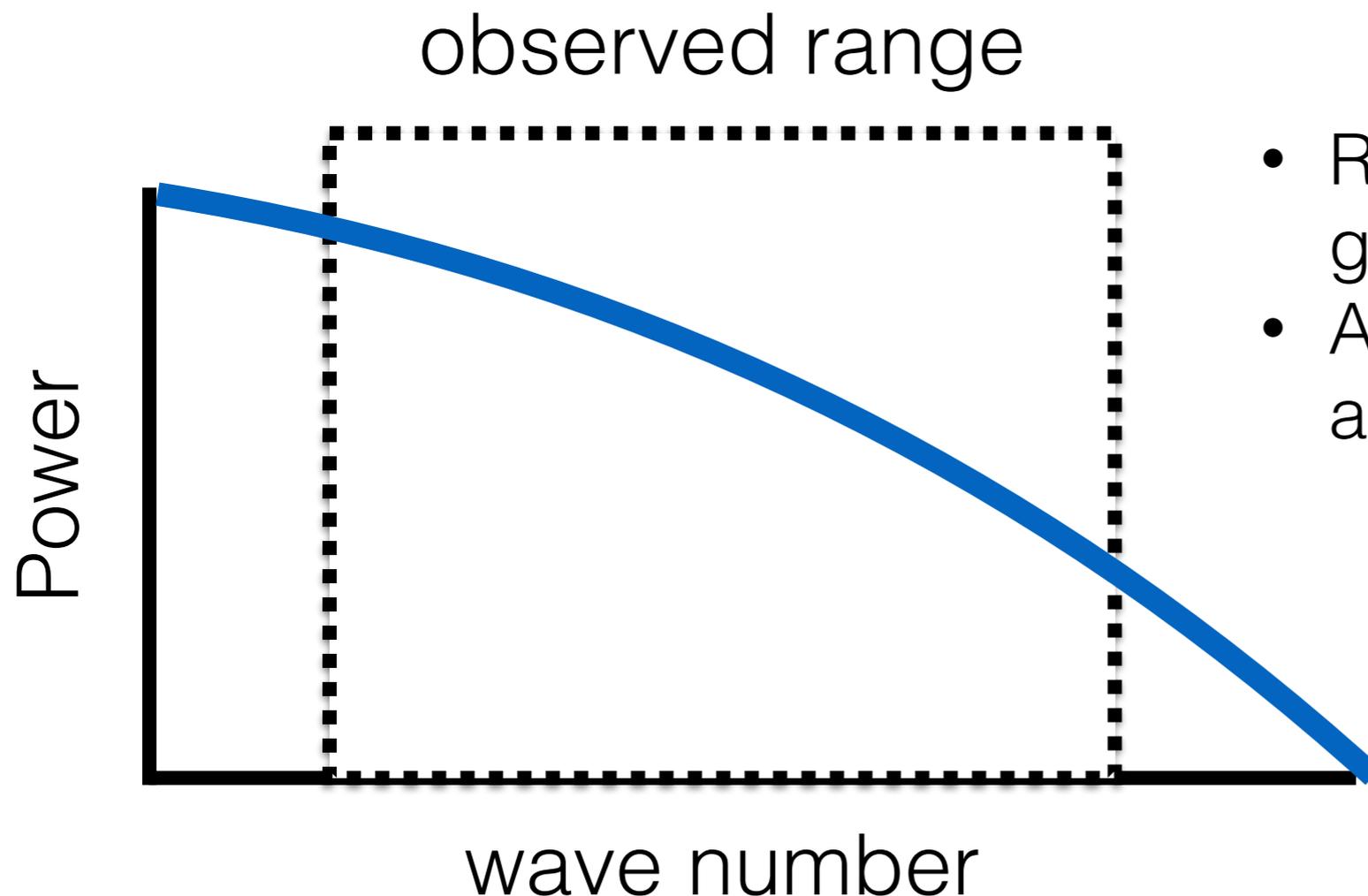
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- RSD enhance the Power at a given scale
- AP shift the power of a scale to another scale

BAO as standard ruler

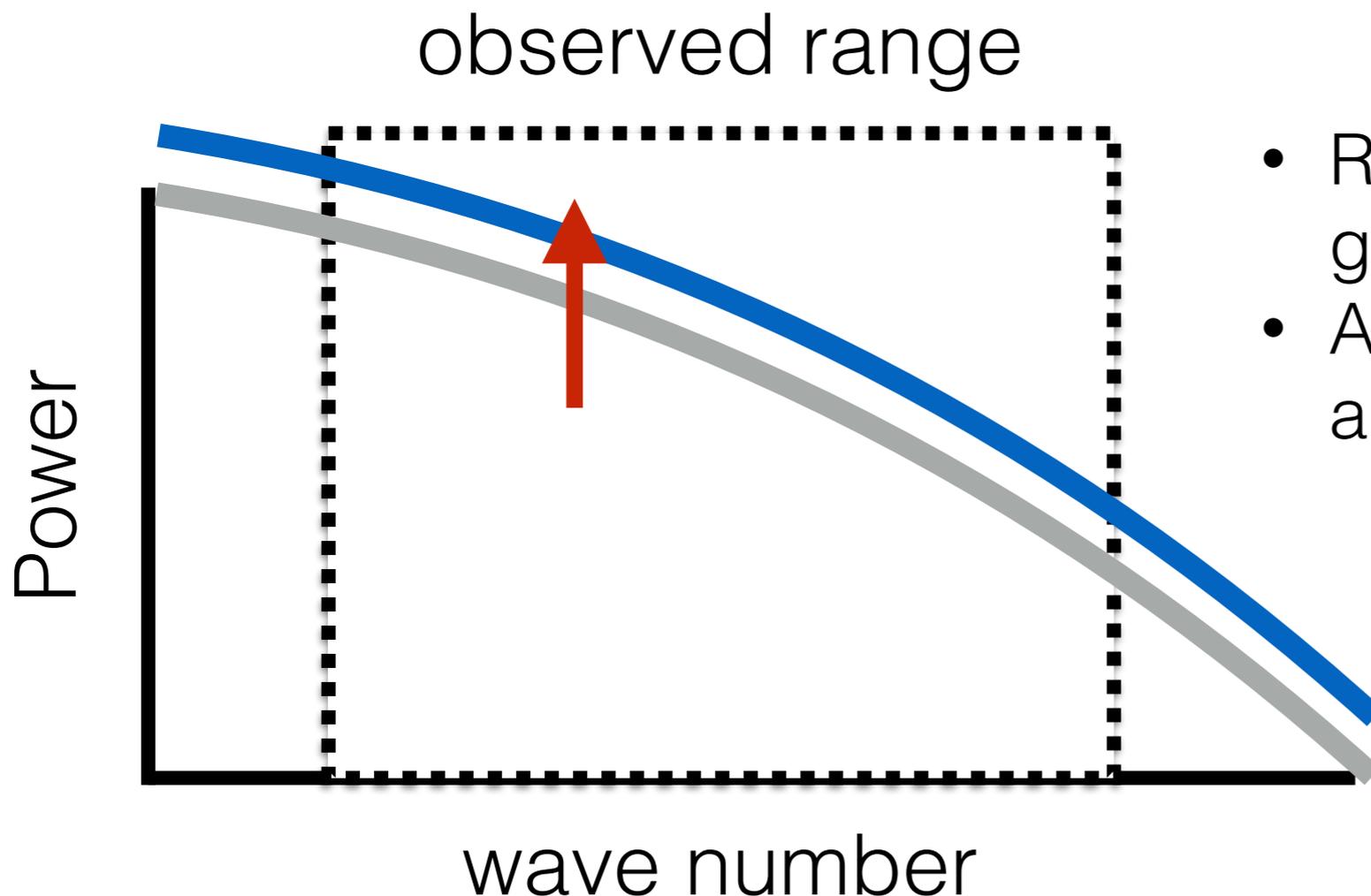
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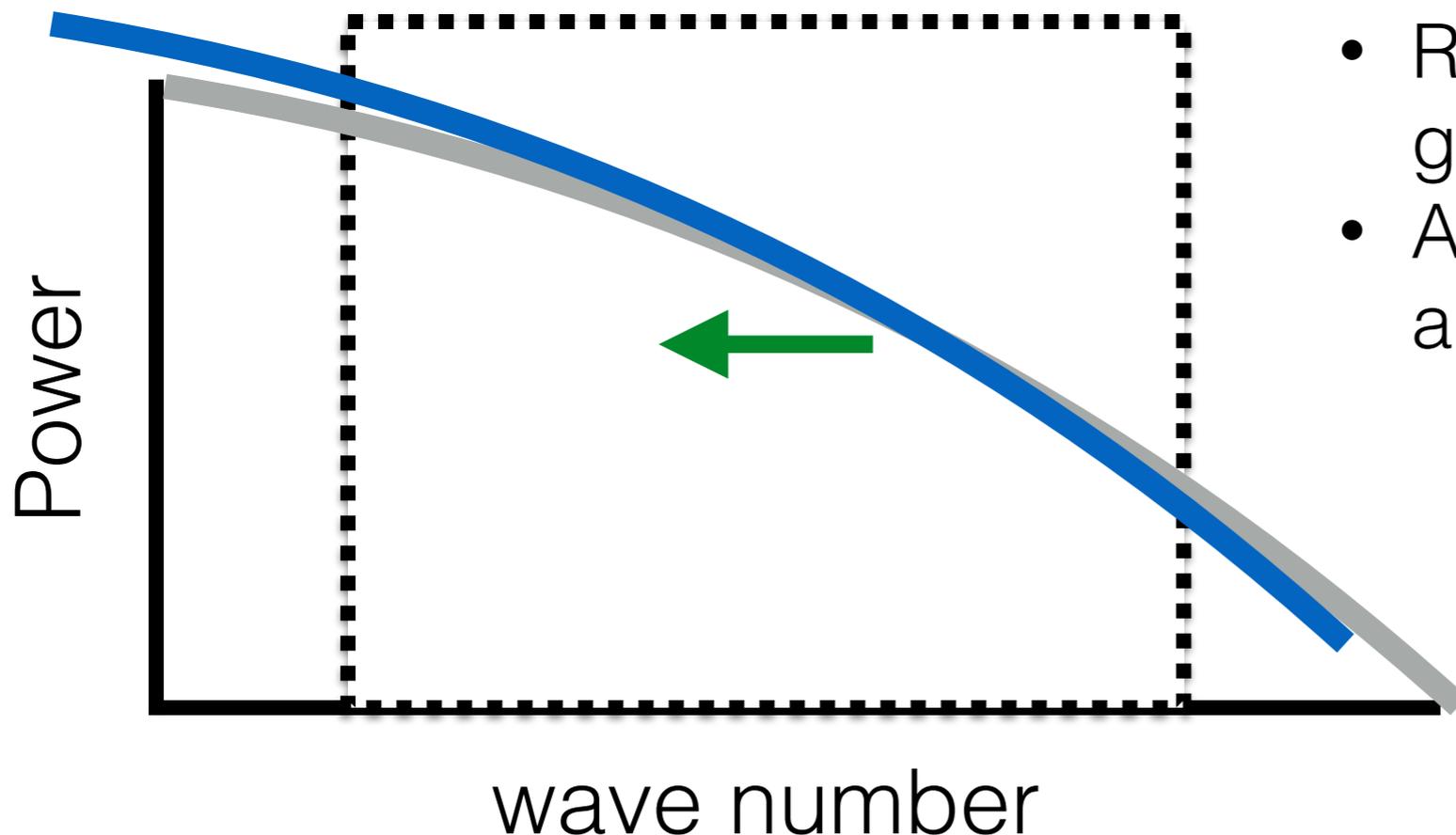


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observed range

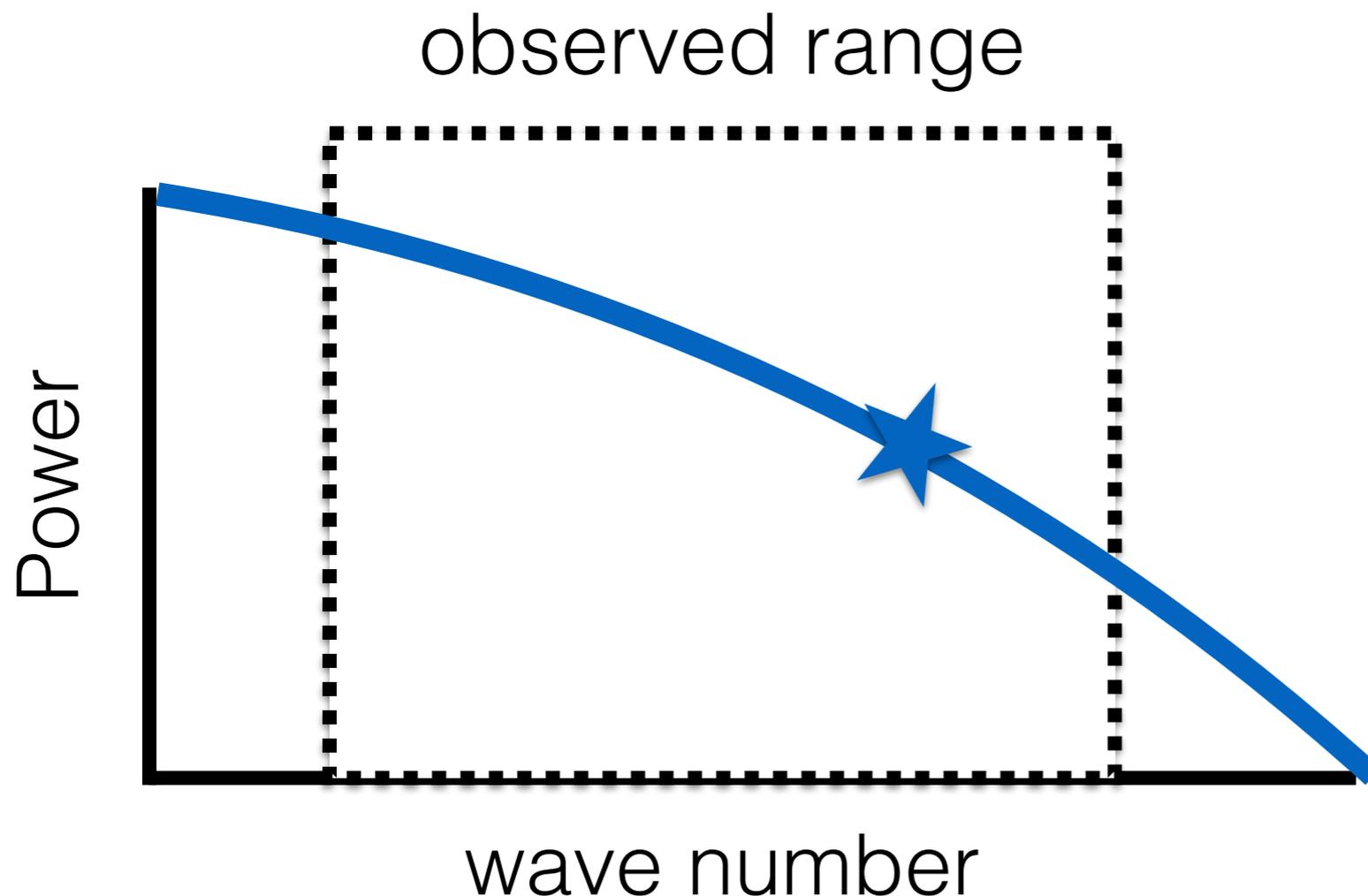


- RSD enhance the Power at a given scale
- AP shift the power of a scale to another scale

Difficult to disentangle:
RSD & AP

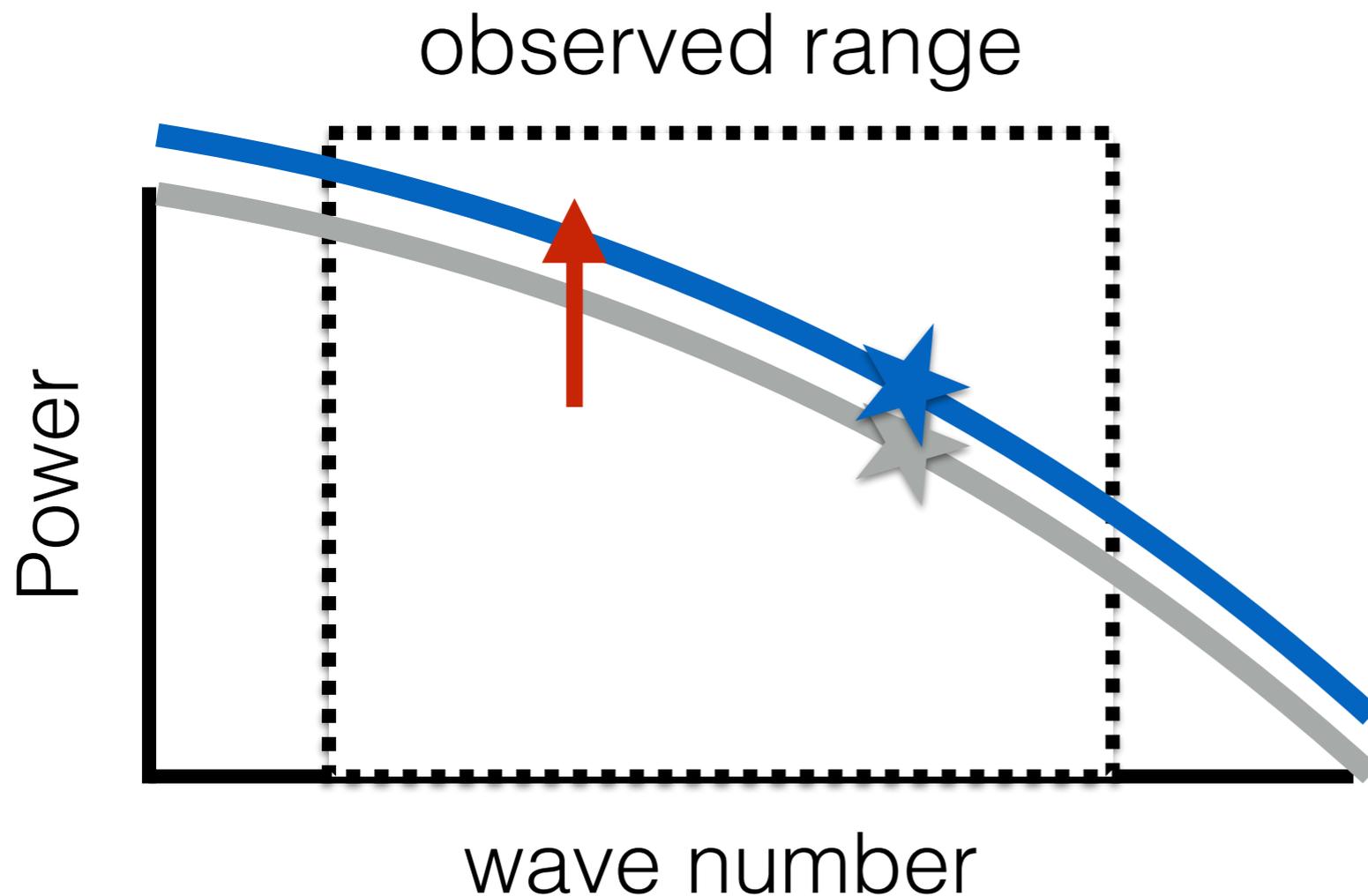
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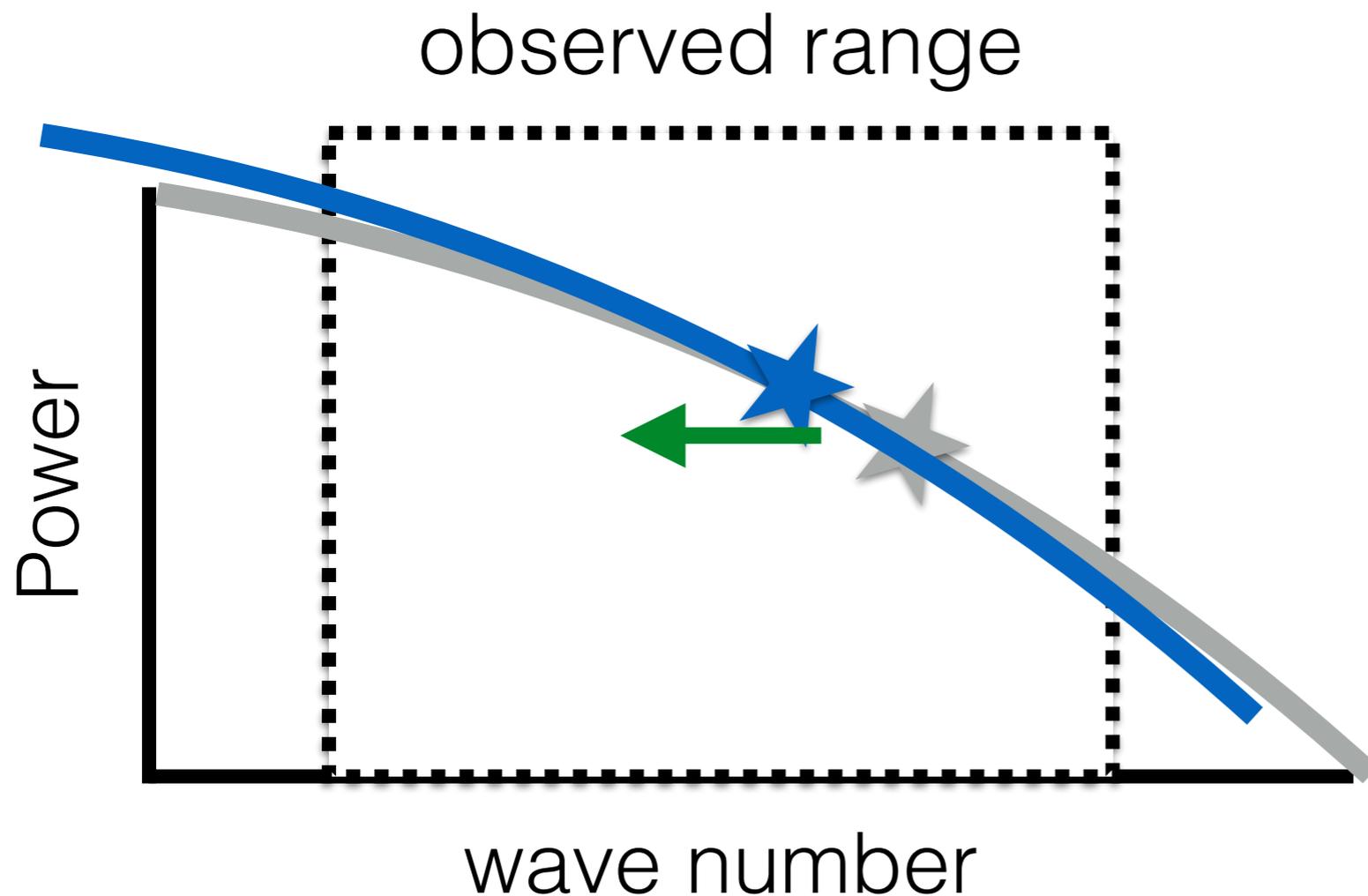
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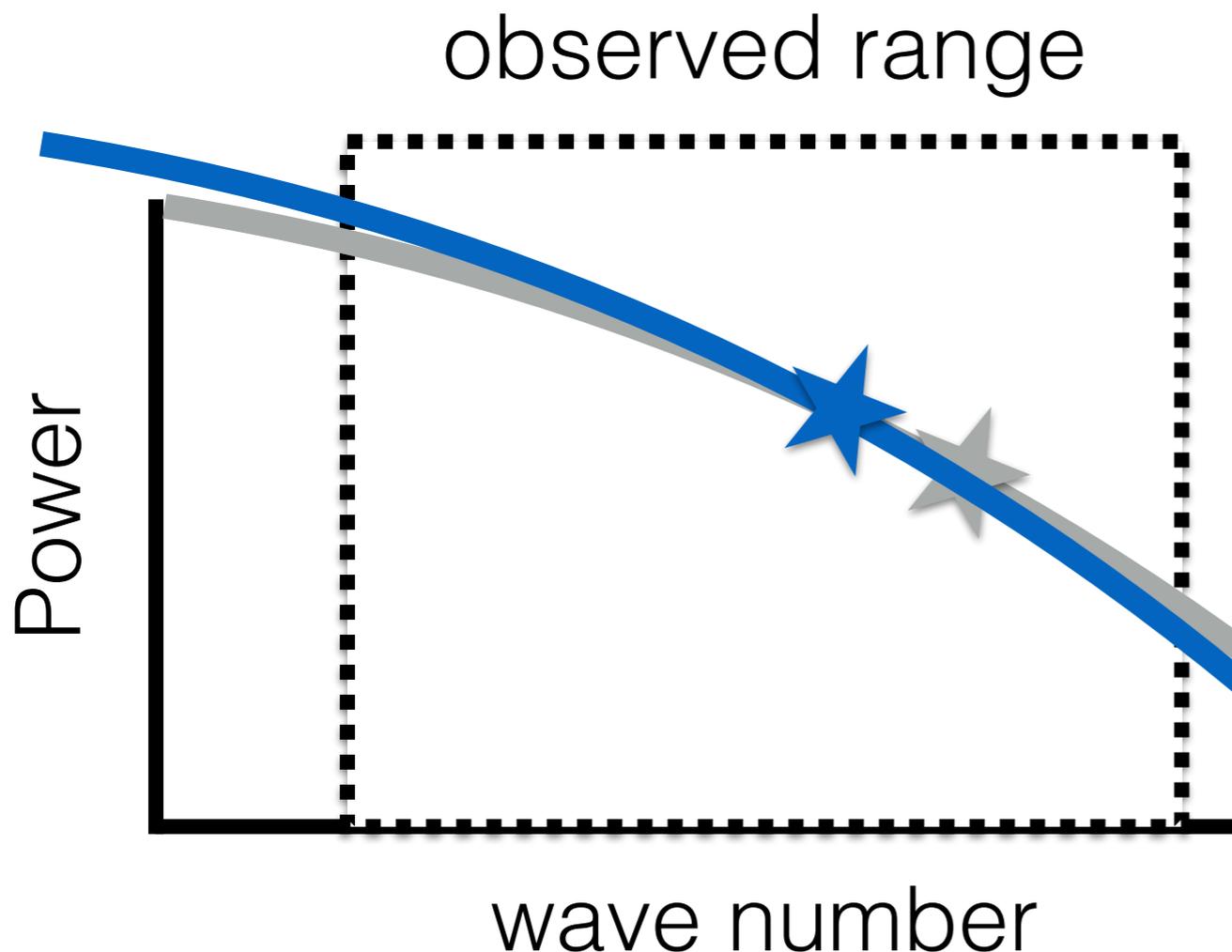
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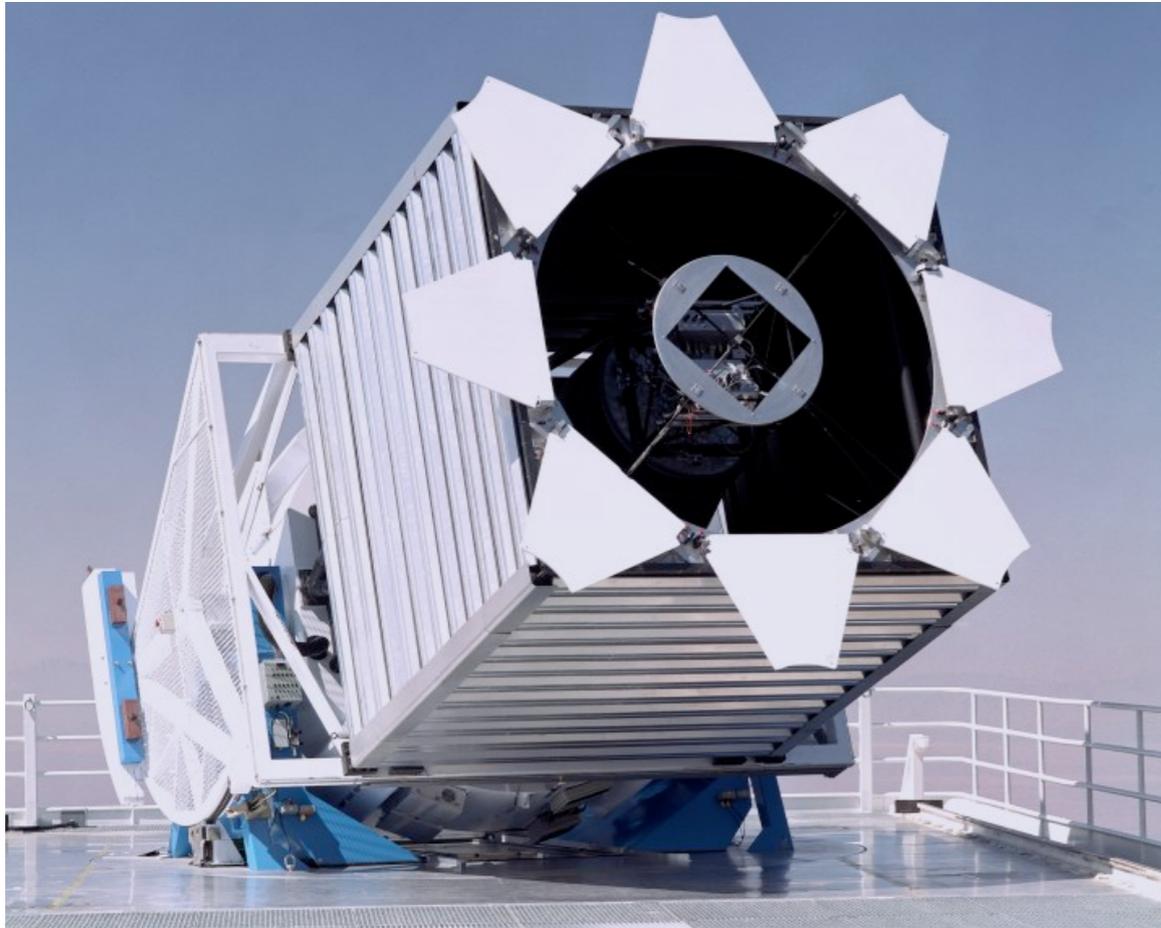
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- BAO is the most distinct feature in $\xi(s)$ and $P(k)$ to look at.
- Position is robust under potential systematics:
- Non-linear effects are $>1\%$
- BAO position not affected by bias or Kaiser boost
- However, the feature is damped by non-linear velocity bulks (can be solved using reconstruction)

Cosmology with BOSS & eBOSS

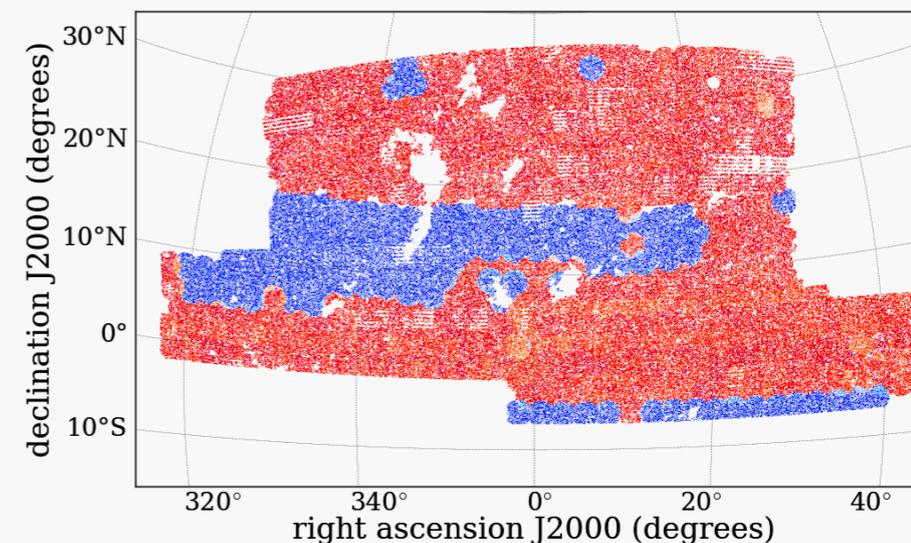
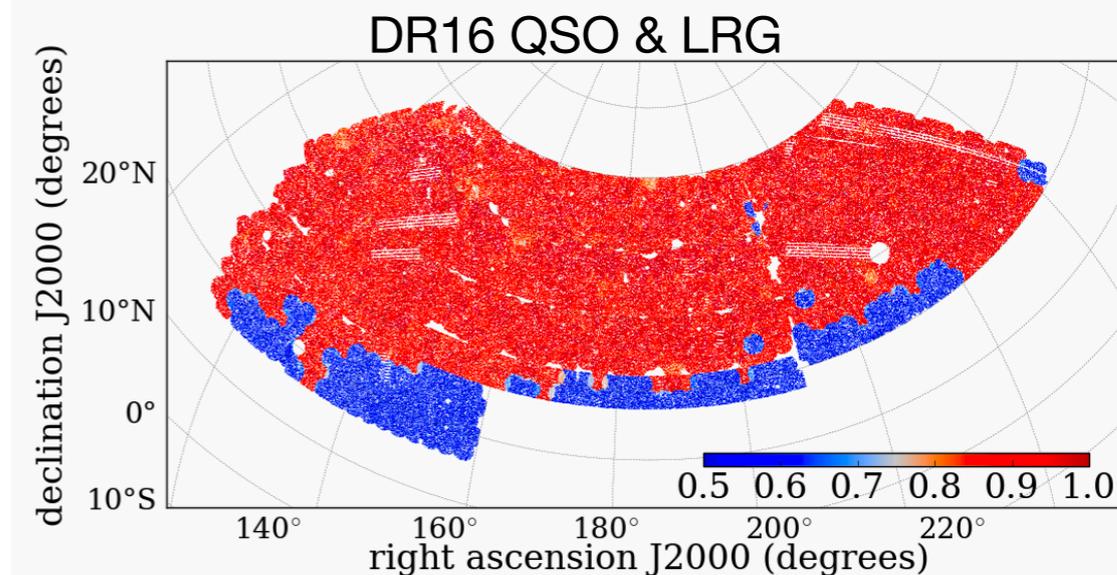
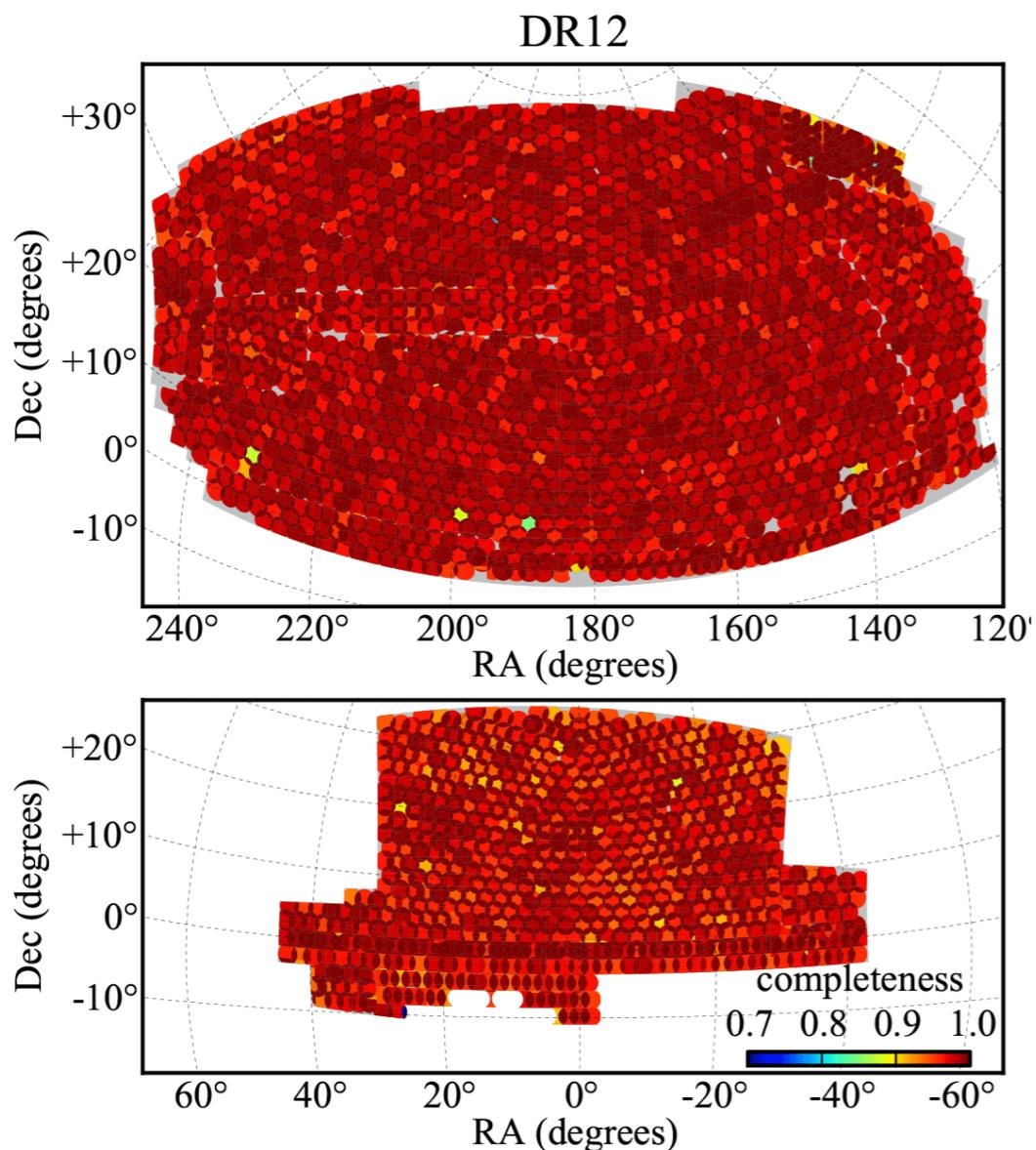


- Apache Point Observatory, 2.5-meter
- Spectroscopic Galaxy Survey
- 2009 - 2014 **BOSS**
- 2014-2019 **eBOSS**
- BOSS LRGs $0.15 < z < 0.75$ (cMASS, LOWZ)
- eBOSS LRGs $0.6 < z < 1.1$
- eBOSS ELGs $0.6 < z < 1.1$
- eBOSS quasars $0.8 < z < 2.2$
- + Ly- α spectra (Andreu's talk)

Main Goal: Measure BAO peak position with 1% accuracy

Other cosmology studies: growth of structure, mod-GR, neutrino mass, primordial non-Gaussianity, etc.

Cosmology with BOSS & eBOSS



$0.2 < z < 0.5$
 $0.4 < z < 0.6$
 $0.5 < z < 0.75$

Area = 9376 deg²
~10⁶ LRG targets

Area = ~4500 deg²
~3.3 · 10⁵ quasar targets
~2.2 · 10⁵ new LRG targets

$0.6 < z < 1.0$
 $0.8 < z < 2.2$

Modelling the power spectrum: full shape vs. BAO

There are two main kind of complementary analyses:

1. **BAO analysis**: Based on the position of the BAO-peak

2. **Full Shape analysis** (aka RSD): Based on the PS full shape and amplitude signal

BAO analysis

- Fit broadband with polynomial fit & BAO template on oscillations
- Constrain on $D_A(z)/r_s$ and $H(z)r_s$ through the BAO-feature only
- Damping terms for BAO due to bulk flows

$$\alpha_{\parallel} = \alpha_0^{-3/2} \alpha_2^{5/2}$$

$$\alpha_{\perp} = \alpha_0^{9/4} \alpha_2^{-5/4}$$

BAO template

$$P_{bao}(k, \alpha_{0,2}) = P_{sm}(k) \left\{ 1 + \left[O_{lin}(k / \alpha_{0,2}) - 1 \right] e^{-\frac{1}{2} k^2 \Sigma_{nl}^2} \right\}$$

Broadband

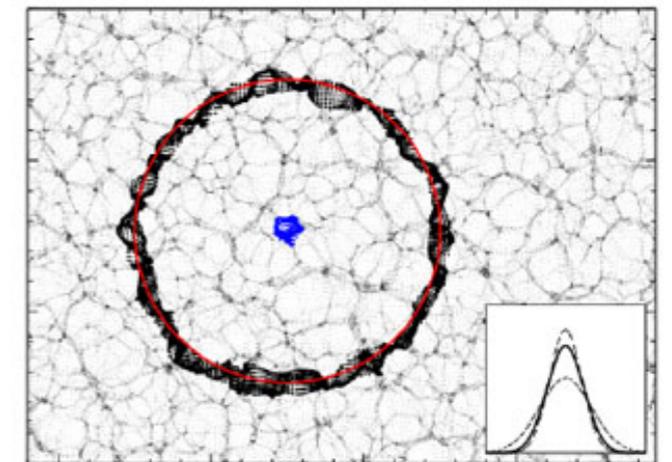
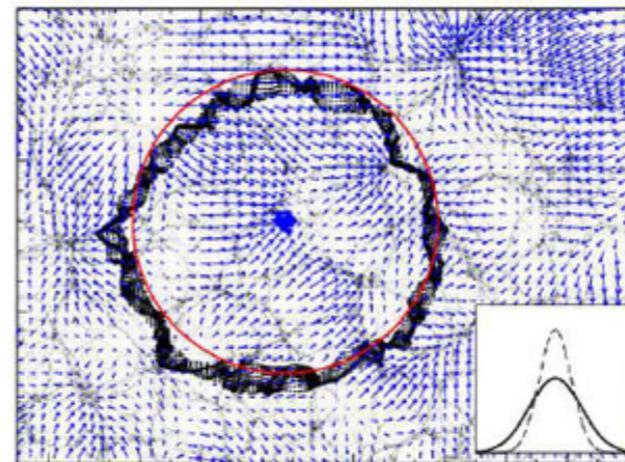
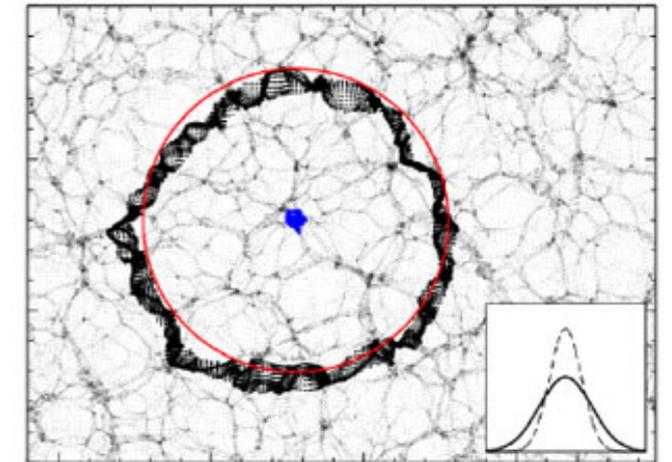
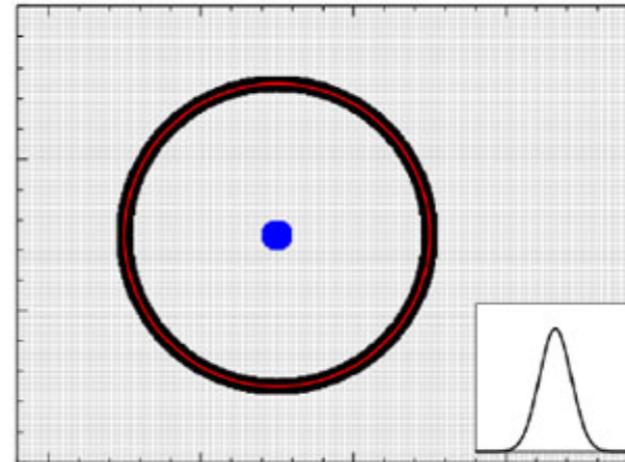
$$P_{sm}(k) = B^2 P_{lin,sm}(k) + A_1 k + A_2 + \frac{A_3}{k} + \dots$$

$$P^{(\mu^2)} \equiv P^{(0)} + \frac{2}{5} P^{(2)}$$

$$P^{(0)}, \quad P^{(2)} \rightarrow P^{(0)}, \quad P^{(\mu^2)}$$

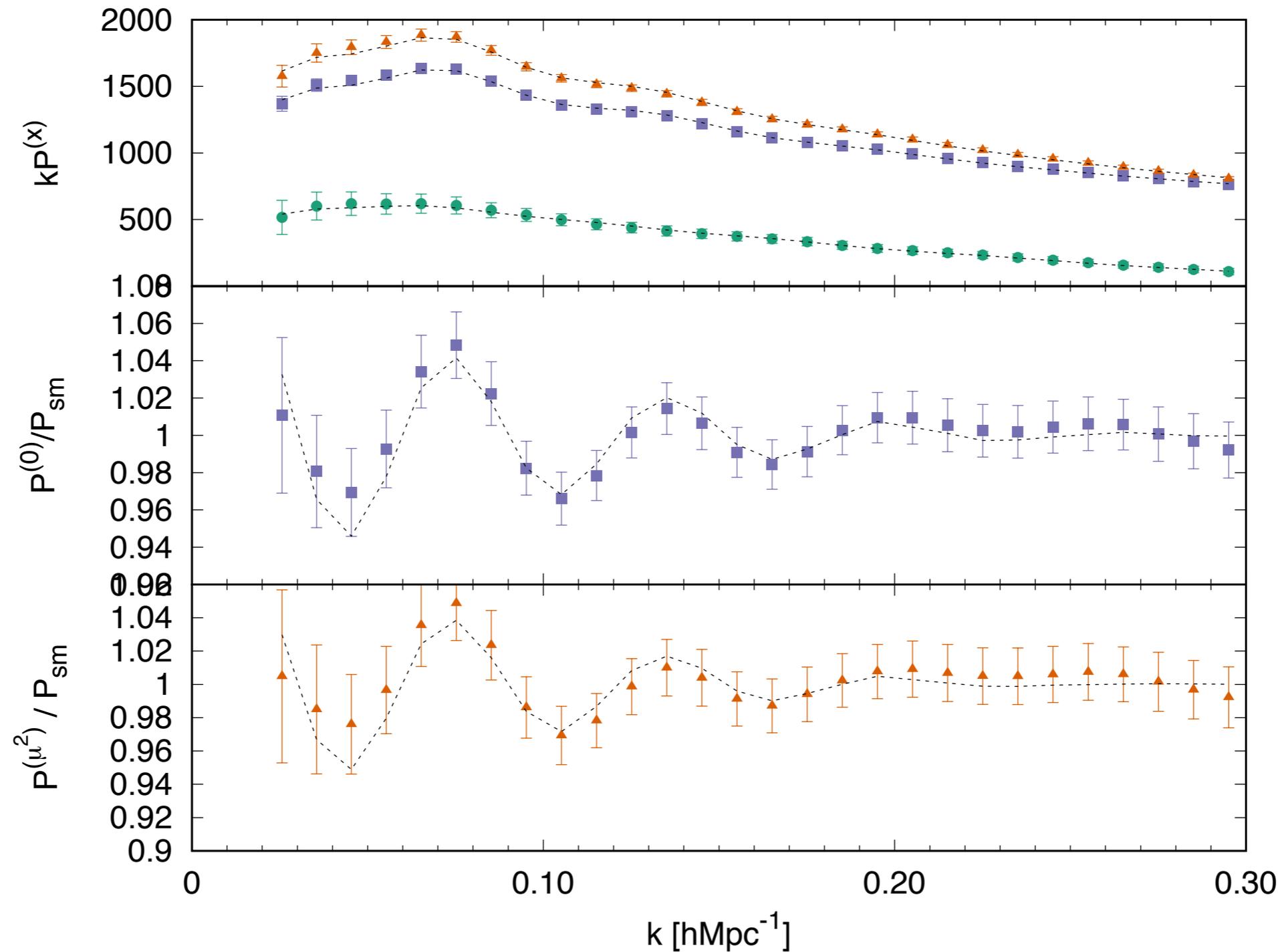
Reconstruction

- Enhance BAO peak by un-doing the non-linear bulk flows
- Assumptions on gravity Ω_m and bias of tracer
- ‘Gaussianization’ of the galaxy field

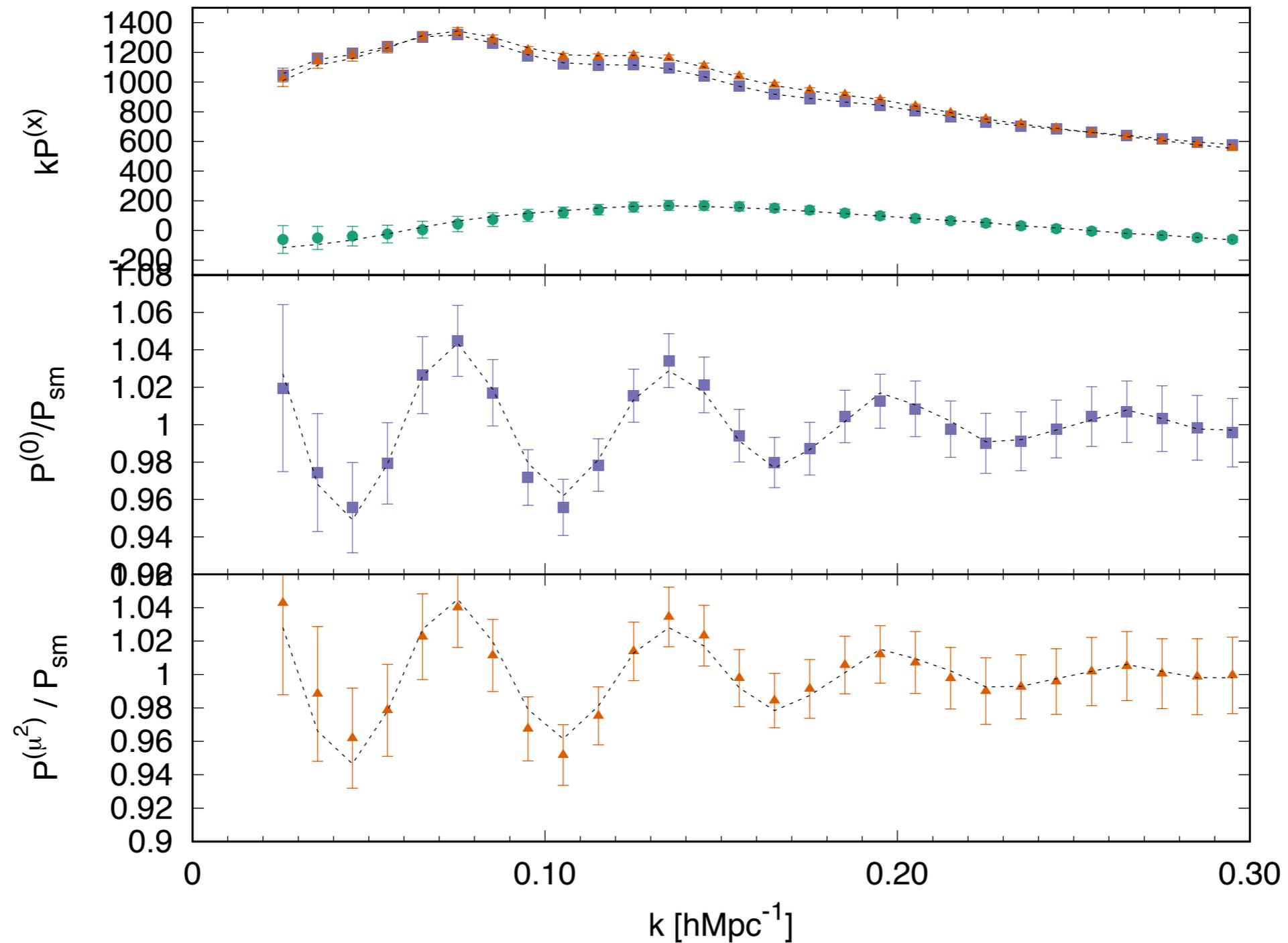


$$\nabla \cdot \Psi + \frac{f}{b} \nabla \cdot (\Psi \cdot \hat{\mathbf{r}}) \hat{\mathbf{r}} = -\frac{\delta_g}{b}$$

Reconstruction



Reconstruction



Full Shape (RSD)

- Constrain the growth of structure, $f\sigma_8(z)$, $D_A(z)/r_s$ and $H(z)r_s$ through the shape and amplitude of a range of scales.
- It requires a full modelling of the amplitude and shape of the power spectrum multipoles
 - Non-linear dark matter PS shape

Perturbation Theory 2-loop

- Galaxy bias,

Non-linear & non-local

- RSD

TNS-model

$$P_g^{(s)}(k, \mu) = D_{\text{FoG}}^P(k, \mu, \sigma_{\text{FoG}}^P[z]) [P_{g,\delta\delta}(k) + 2f\mu^2 P_{g,\delta\theta}(k) + f^2\mu^4 P_{\theta\theta}(k) + b_1^3 A(k, \mu, f/b_1) + b_1^4 B(k, \mu, f/b_1)]$$

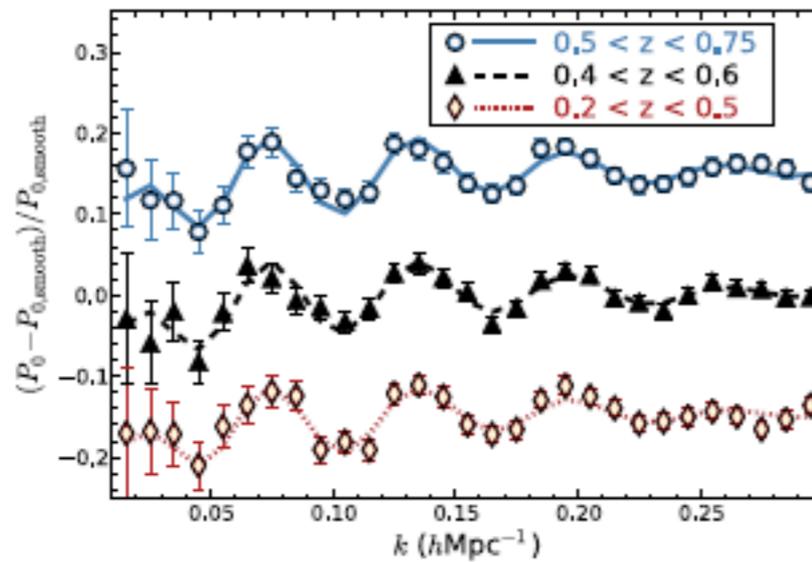
$P_{\delta\delta}$, $P_{\delta\theta}$, $P_{\theta\theta} \rightarrow$ Dark Matter non-linear models (2-loop RPT)

$D_{\text{FoG}}^P \rightarrow$ 1-parameter Lorentzian damping term

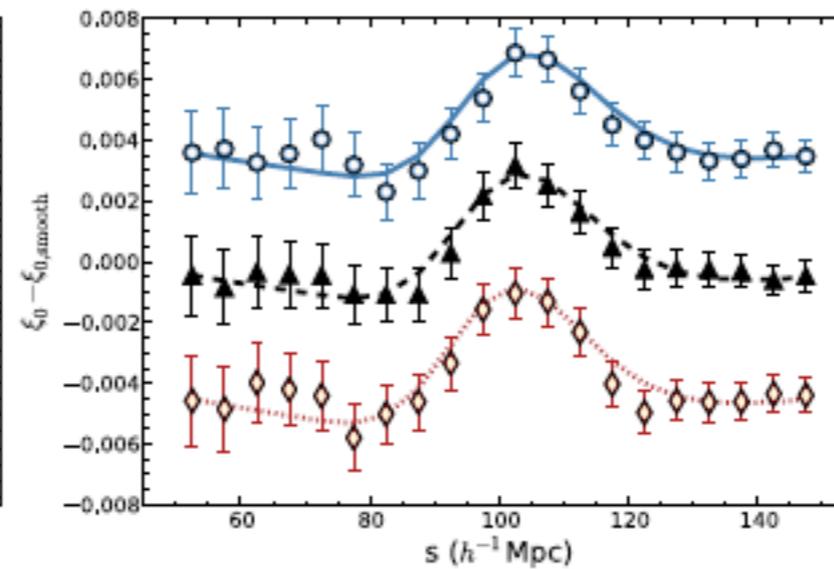
$A, B \rightarrow$ TNS functions

Main BOSS results

Power Spectrum

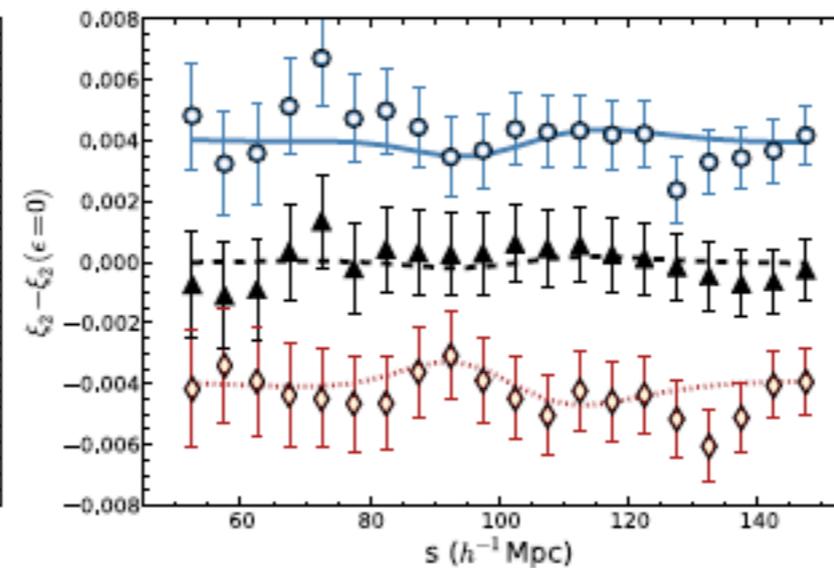
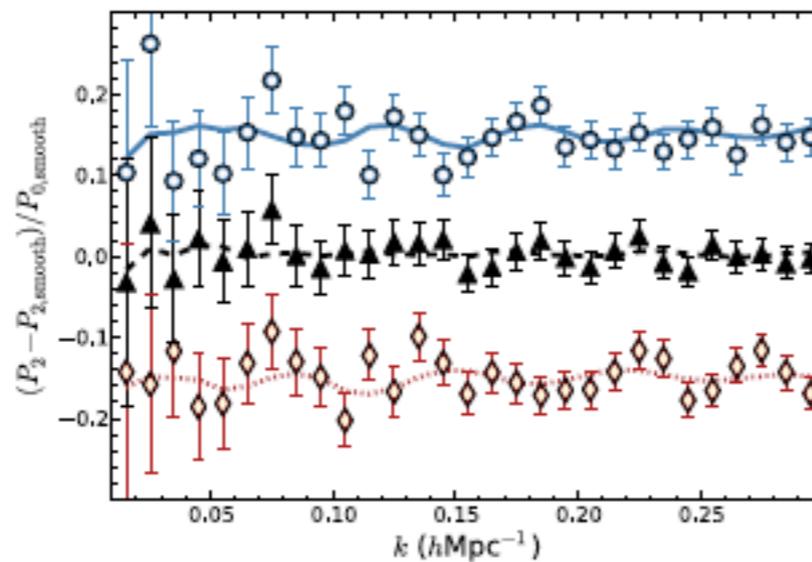


Correlation Function

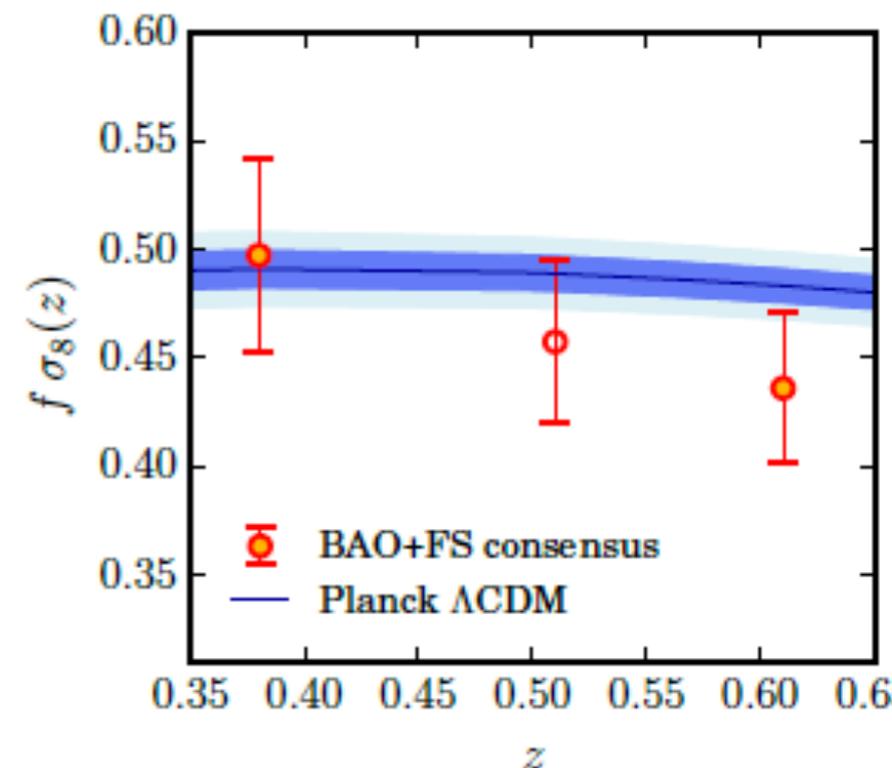
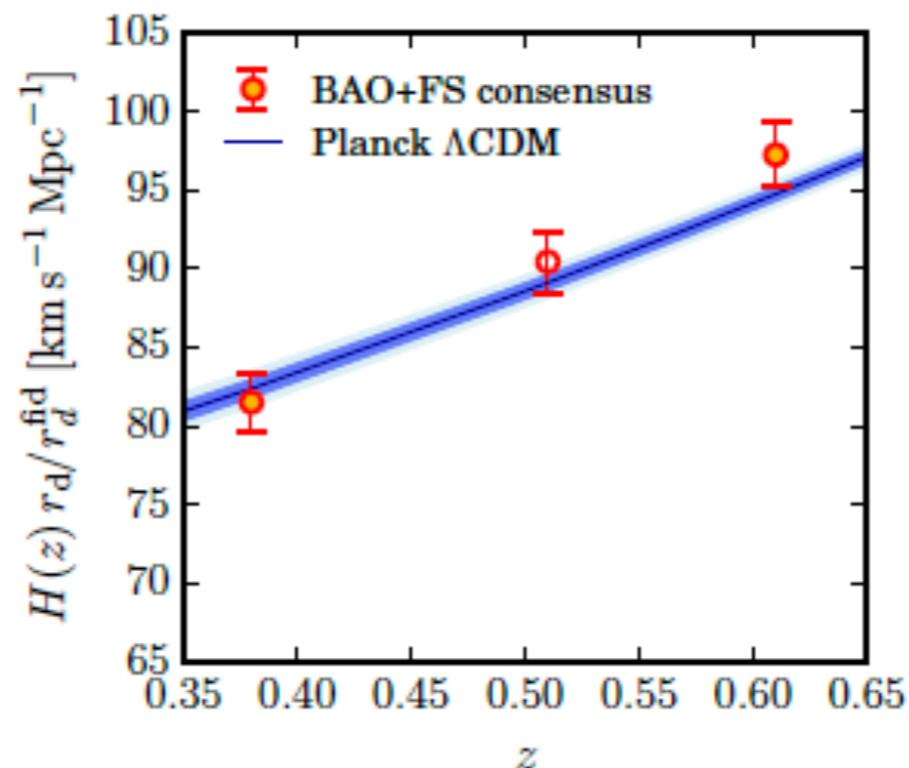
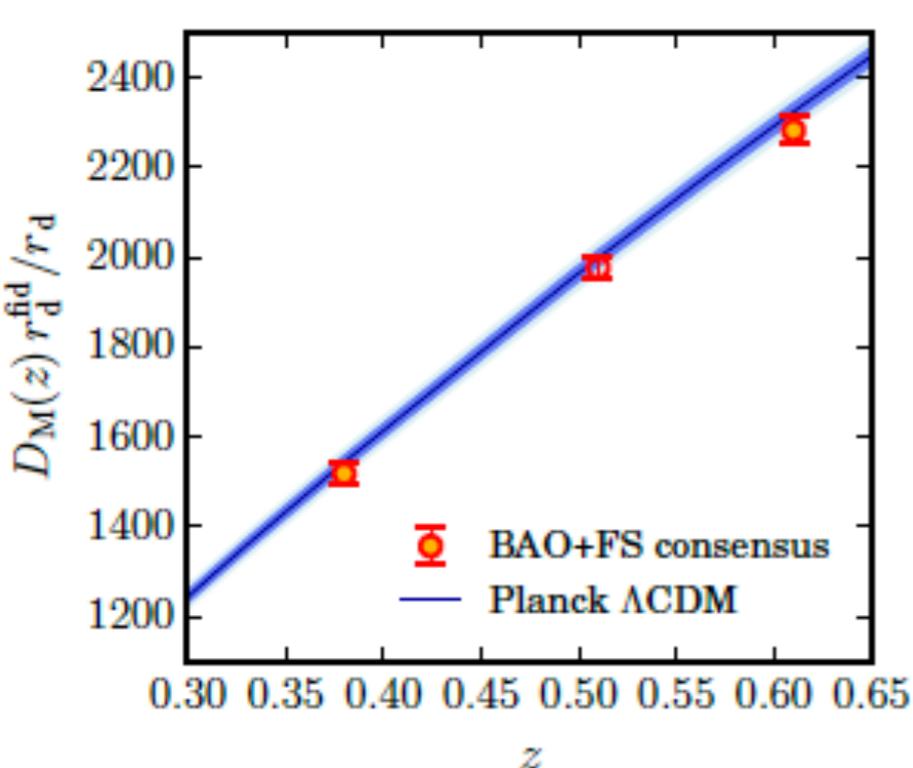


3 overlapping z-bins

0.2 < z < 0.5
0.4 < z < 0.6
0.5 < z < 0.75



Main BOSS results



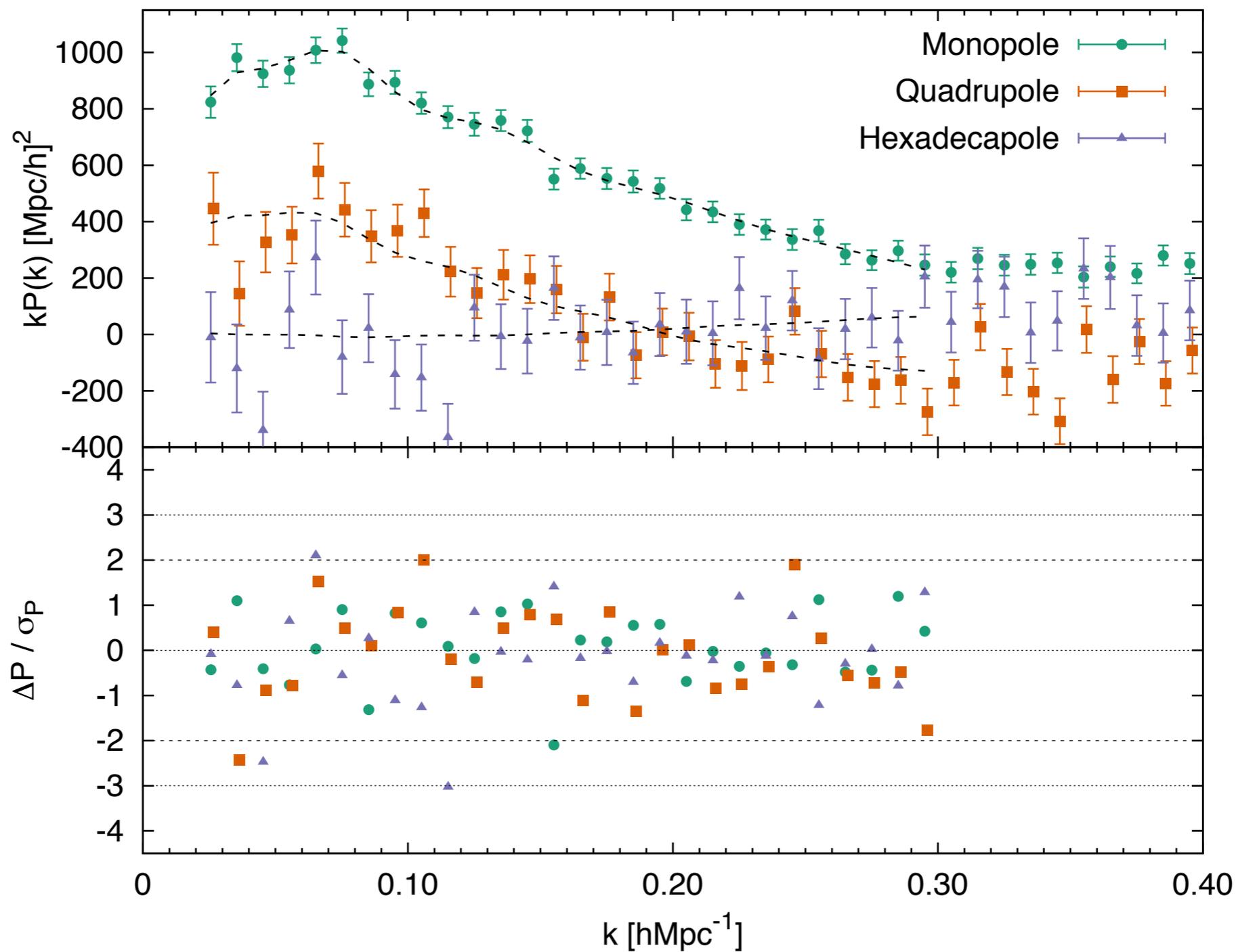
- Good Agreement with Planck+GR
- First time 1% precision BAO measurement

3 overlapping z-bins

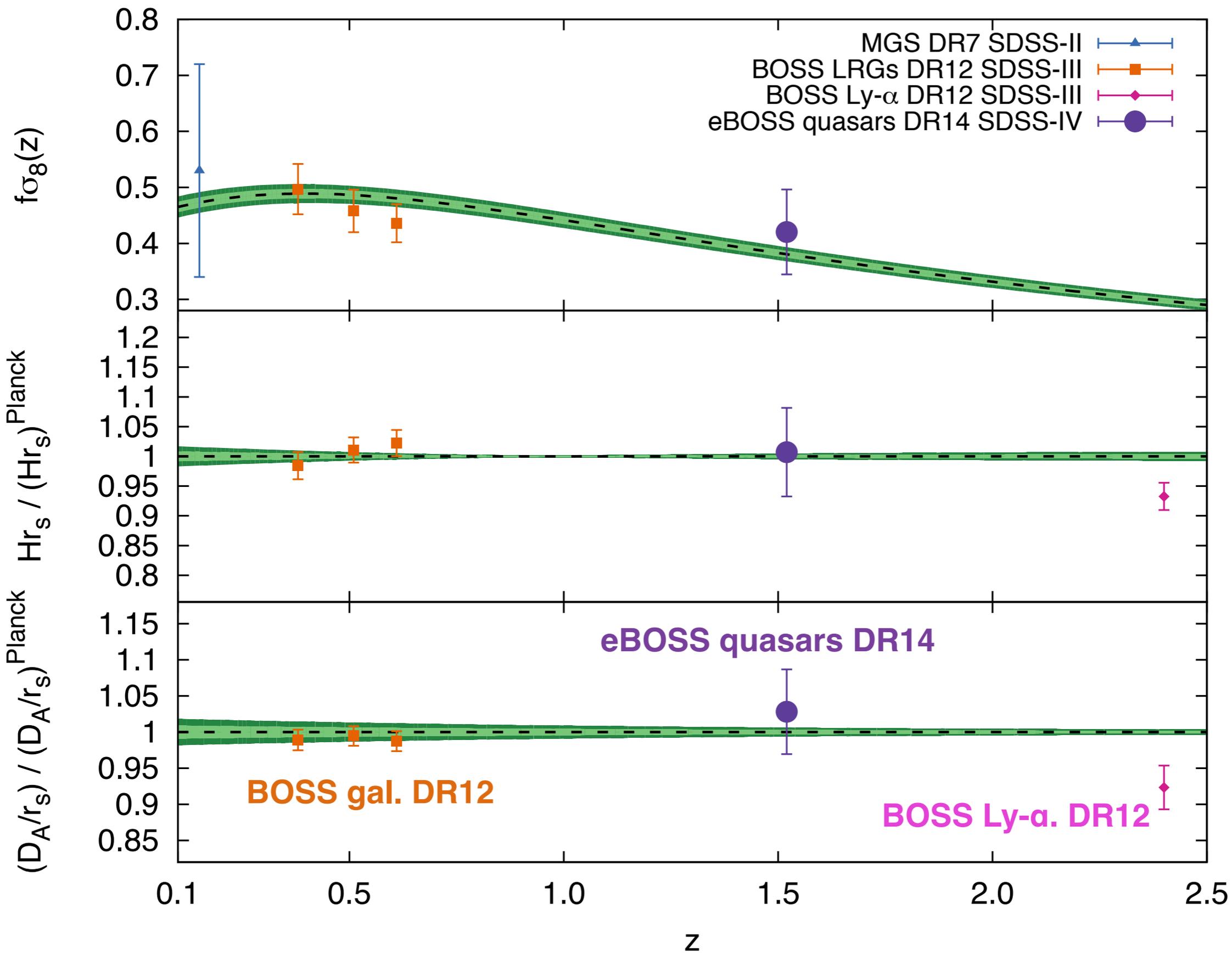
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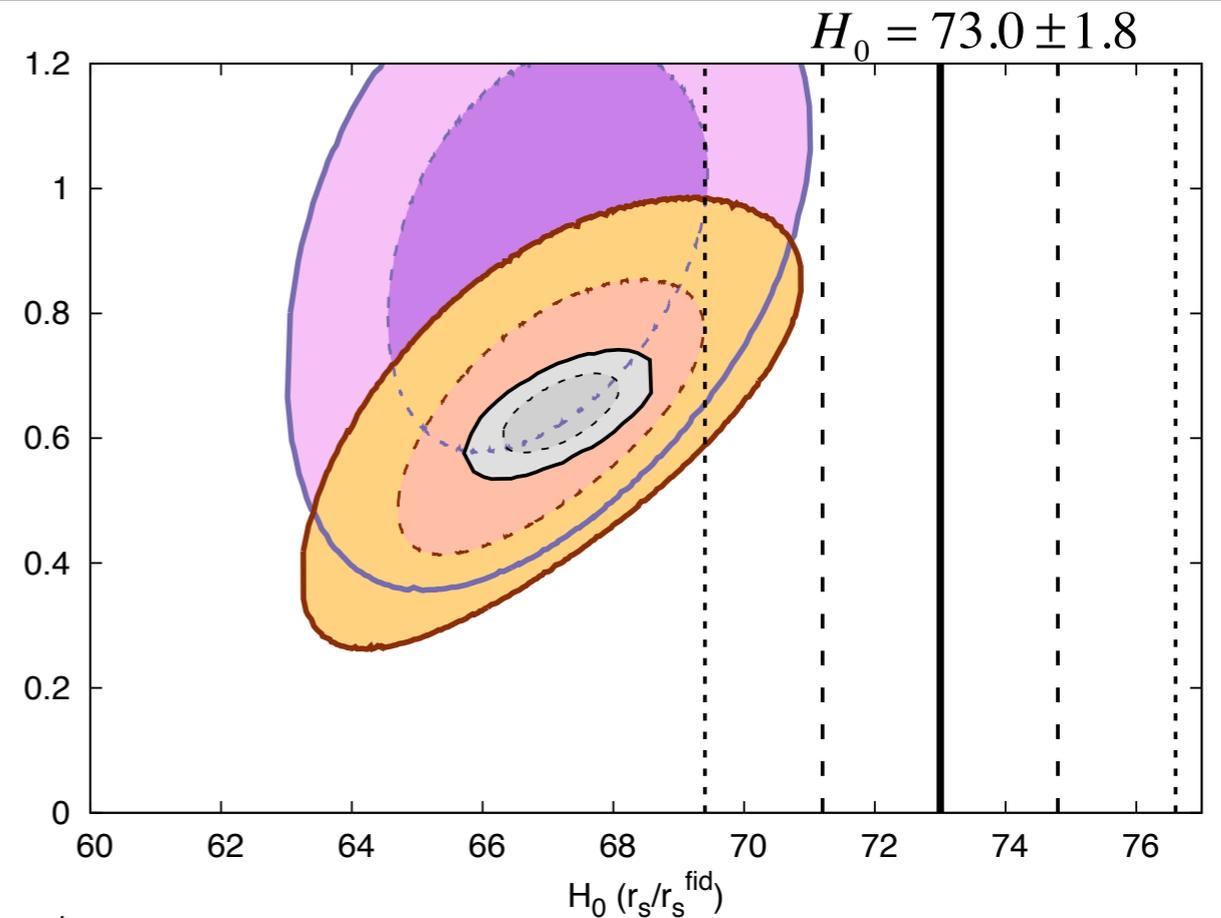
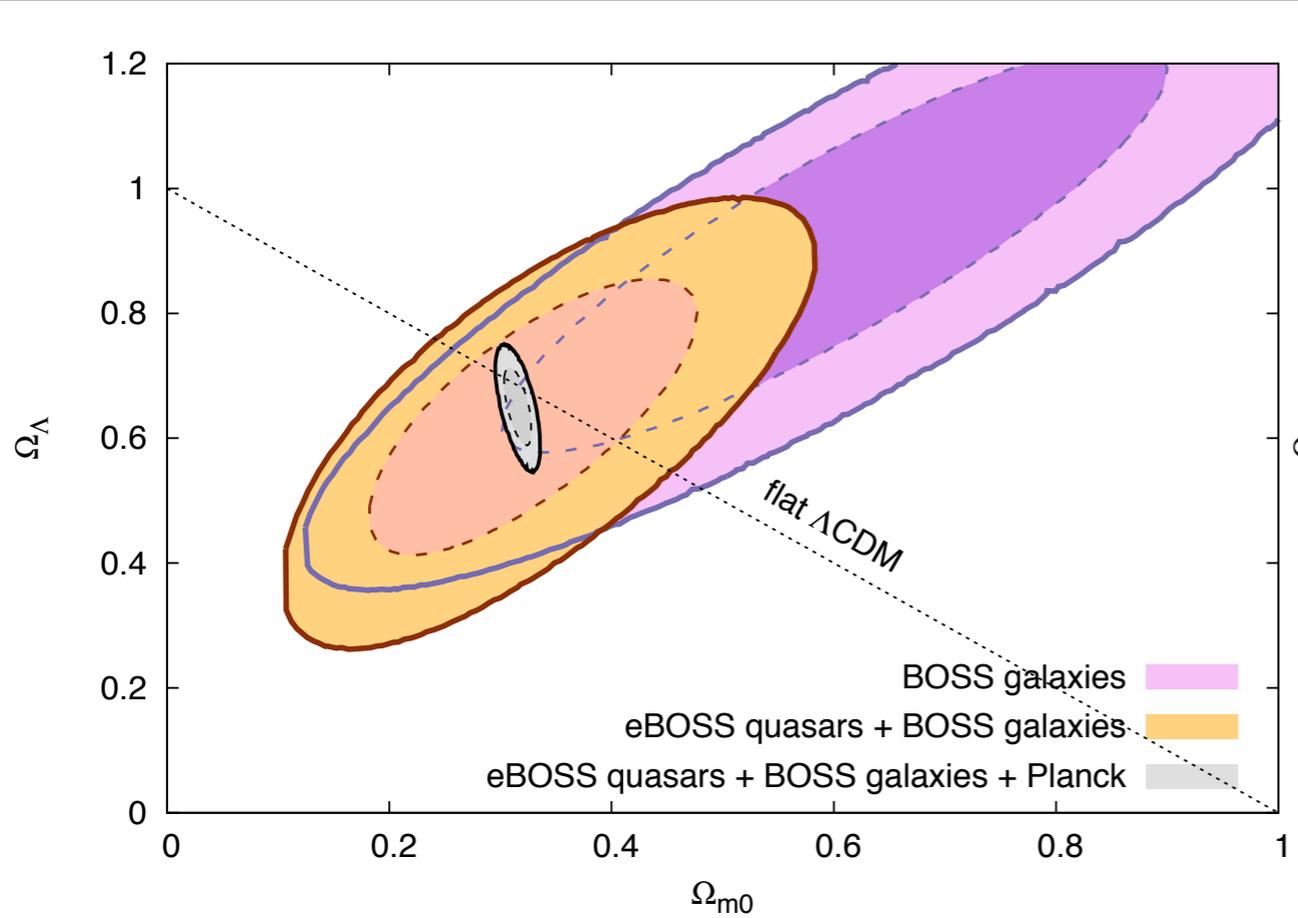
Main eBOSS results

DR14Q $0.8 < z < 2.2$



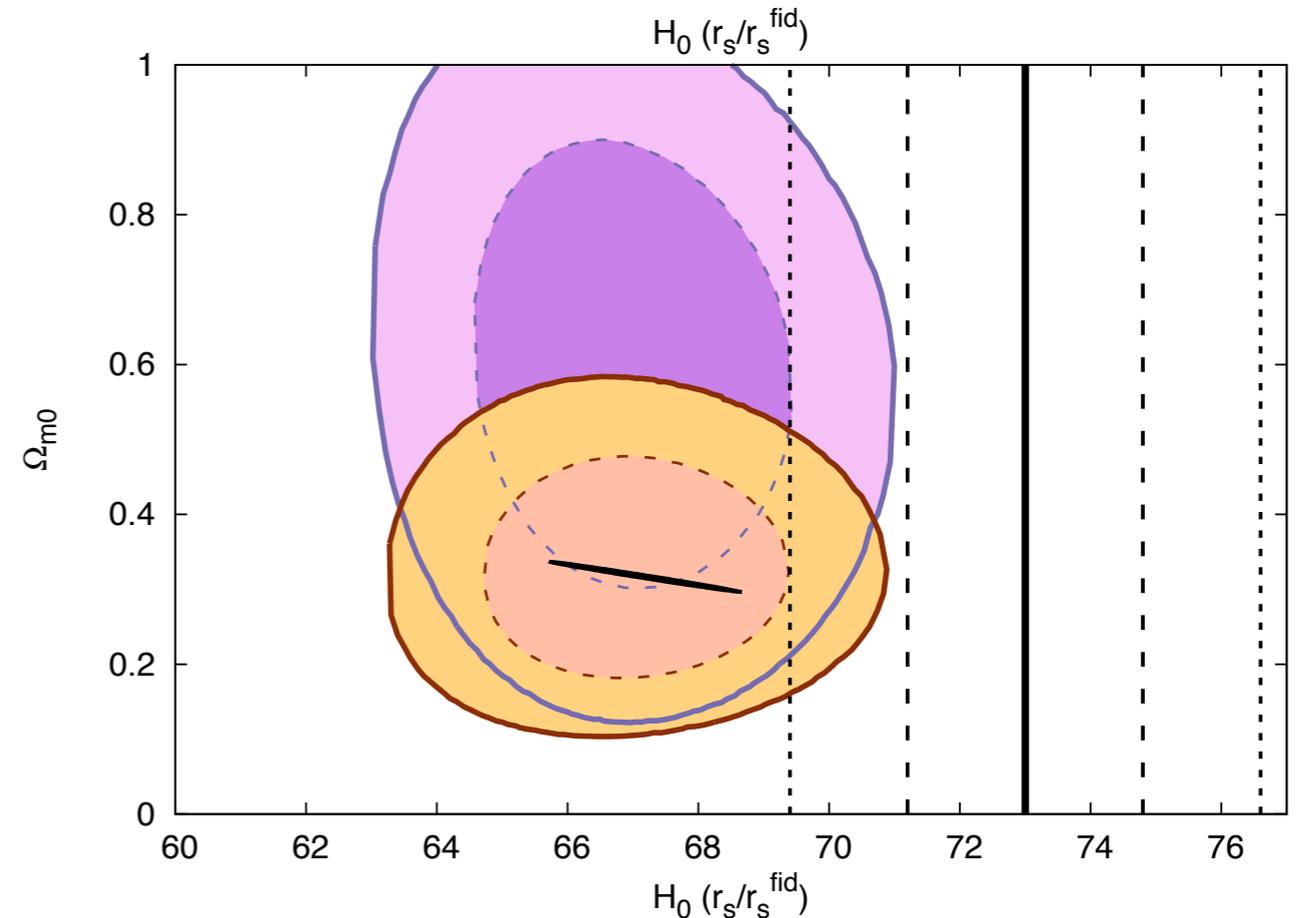
HGM et al. 2018



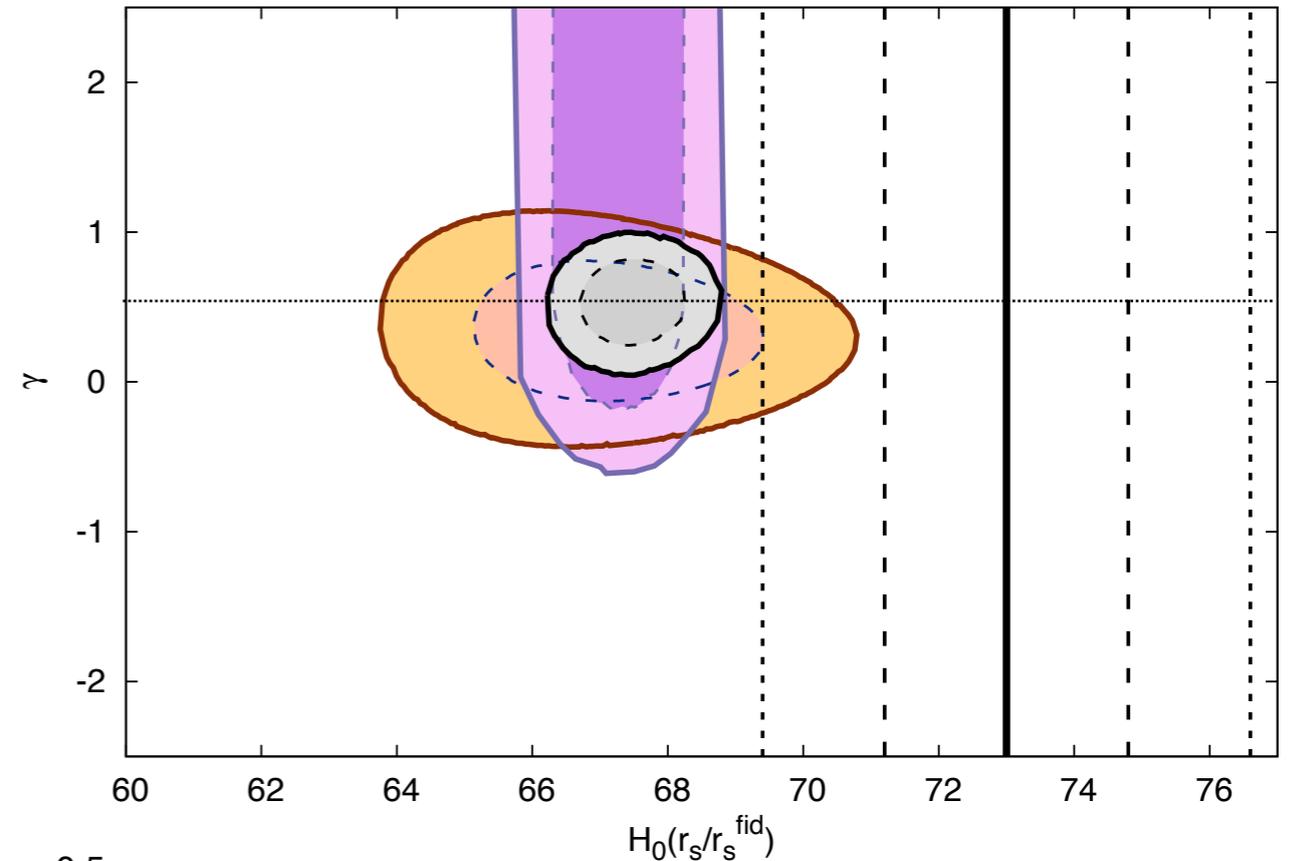
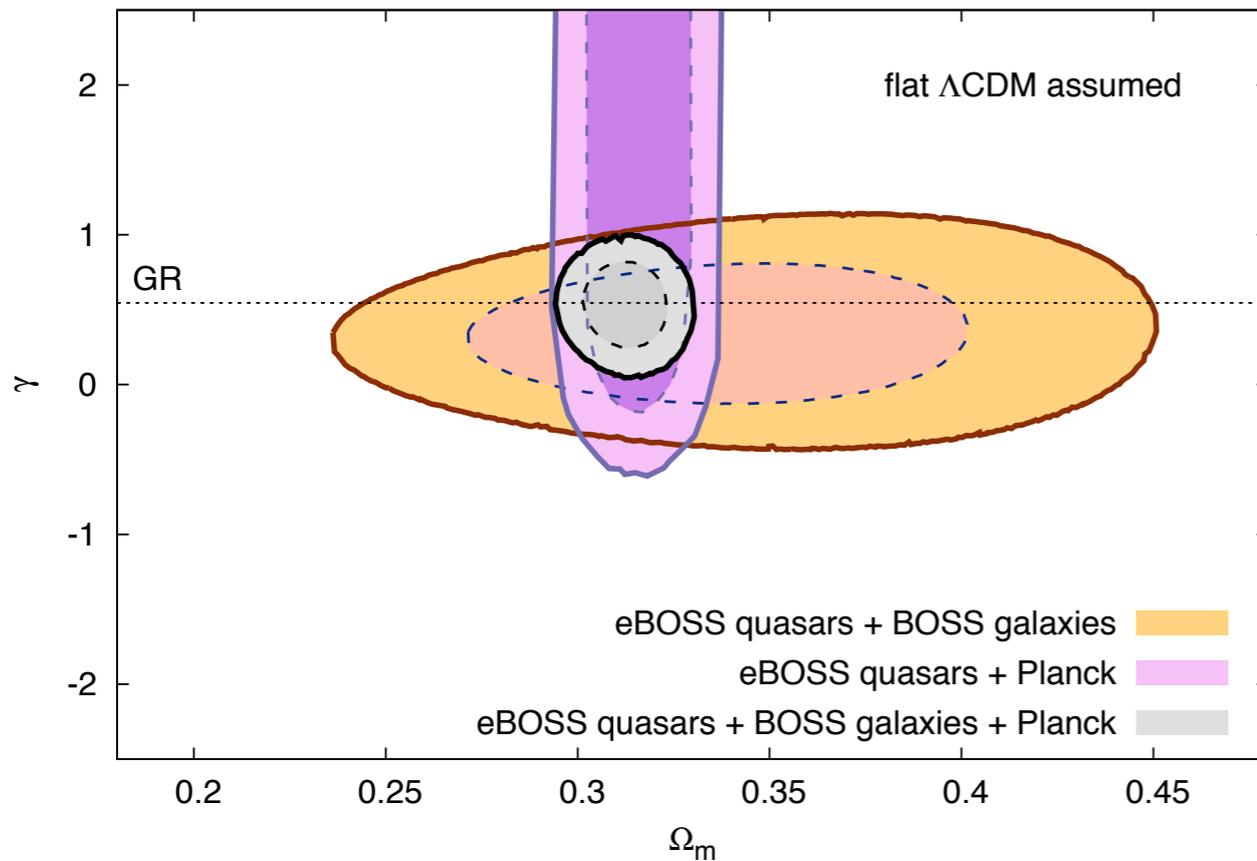


GR & Λ CDM assumed
relax flatness

$D_A(z)$, $H(z)$, $f\sigma_8(z)$ from BOSS galaxies / eBOSS quasars

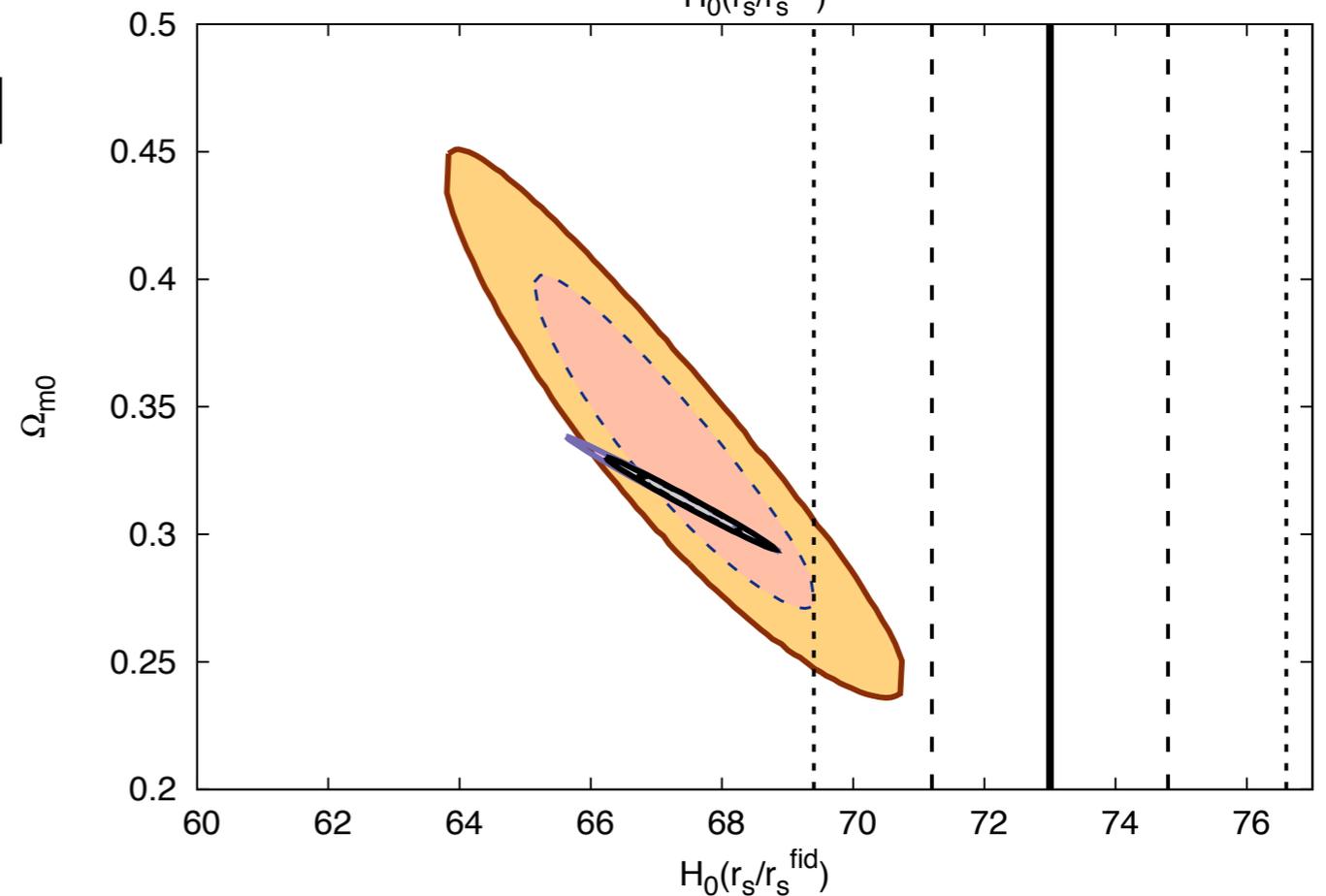


$$H_0 = 73.0 \pm 1.8$$



flatness & Λ CDM assumed
relax GR

$D_A(z)$, $H(z)$, $f\sigma_8(z)$ from BOSS galaxies / eBOSS quasars



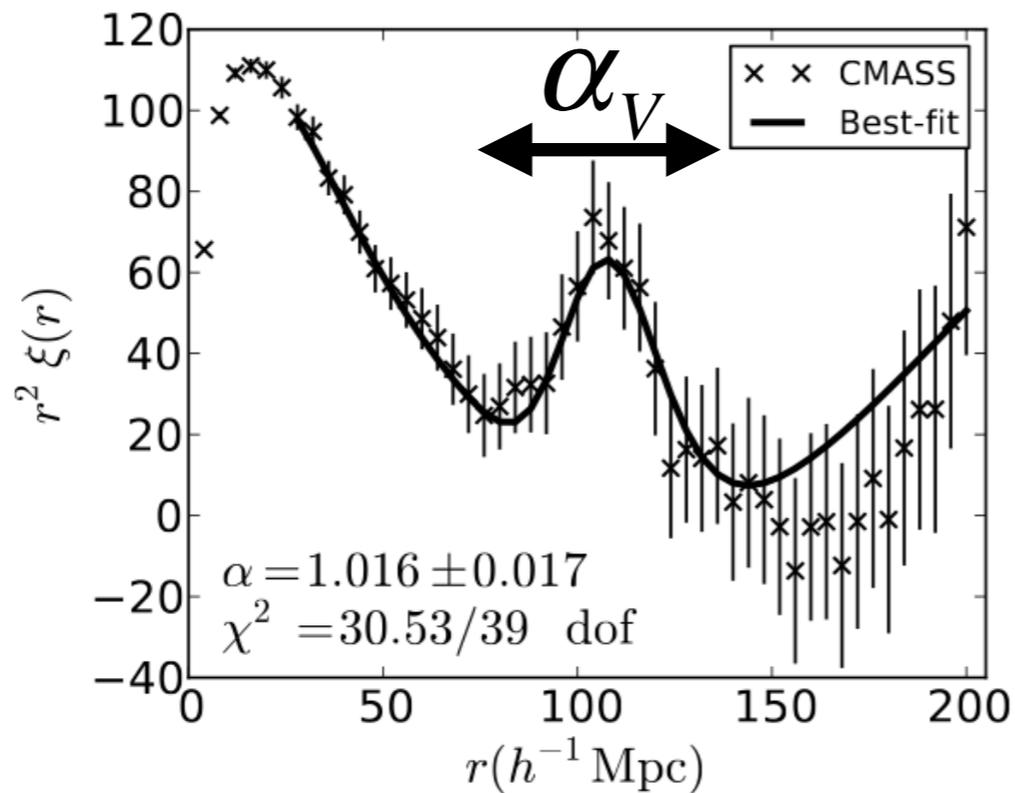
Conclusions

- LSS as a complementary source of information to CMB
- BOSS & eBOSS have demonstrated over the last 8yr that BAO and RSD are robust techniques for estimating cosmological parameters from LSS
- Final DR16 eBOSS results December 2019
- So far no tension with Λ CDM+Planck
- LSS + CMB/BBN favours a low H_0 value

$$\begin{aligned}
 k_{\parallel} &= \alpha_{\parallel} k'_{\parallel} \\
 k_{\perp} &= \alpha_{\perp} k'_{\perp}
 \end{aligned}
 \longrightarrow
 \begin{aligned}
 \alpha_{\parallel} &= \frac{r_s^{fid} H^{fid}}{r_s H} \\
 \alpha_{\perp} &= \frac{D_A / r_s}{D_A^{fid} / r_s^{fid}}
 \end{aligned}
 \xrightarrow{\text{new variables}}
 \begin{aligned}
 \alpha_V &= \sqrt[3]{\alpha_{\perp}^2 \alpha_{\parallel}} \\
 \alpha_{\varepsilon} &= \alpha_{\perp} / \alpha_{\parallel}
 \end{aligned}
 \begin{array}{l}
 \text{Isotropic dilation} \\
 \text{AP-effect}
 \end{array}$$

α_V modify the k vector in the monopole

α_{ε} generates an anisotropy (distort symmetric 3D-features along and across the LOS)

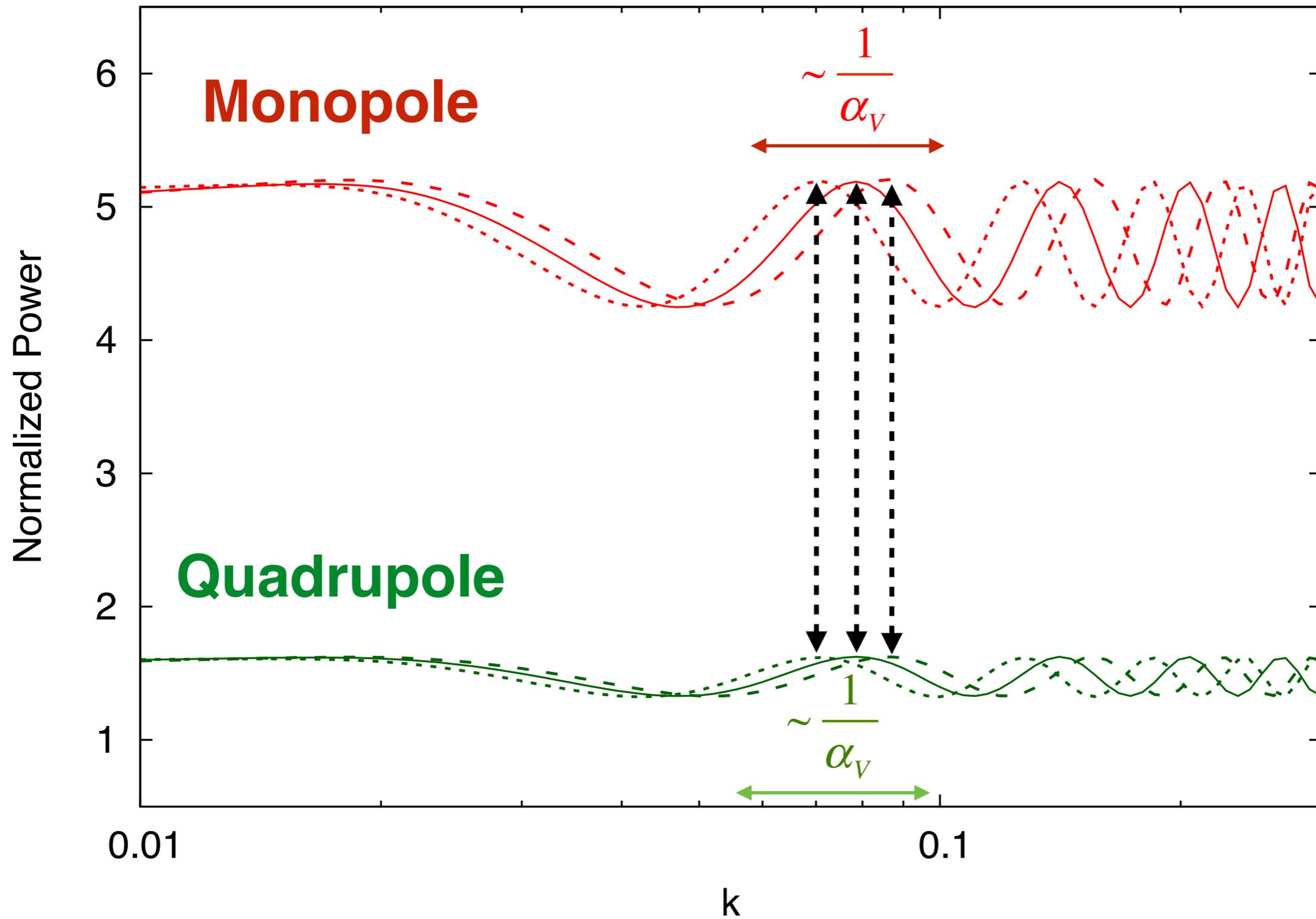


$$\alpha_V(z) = \frac{D_V(z)}{D_V(z)^{fid}} \times r_s^{fid} / r_s$$

$$D_V(z) = \left[(1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

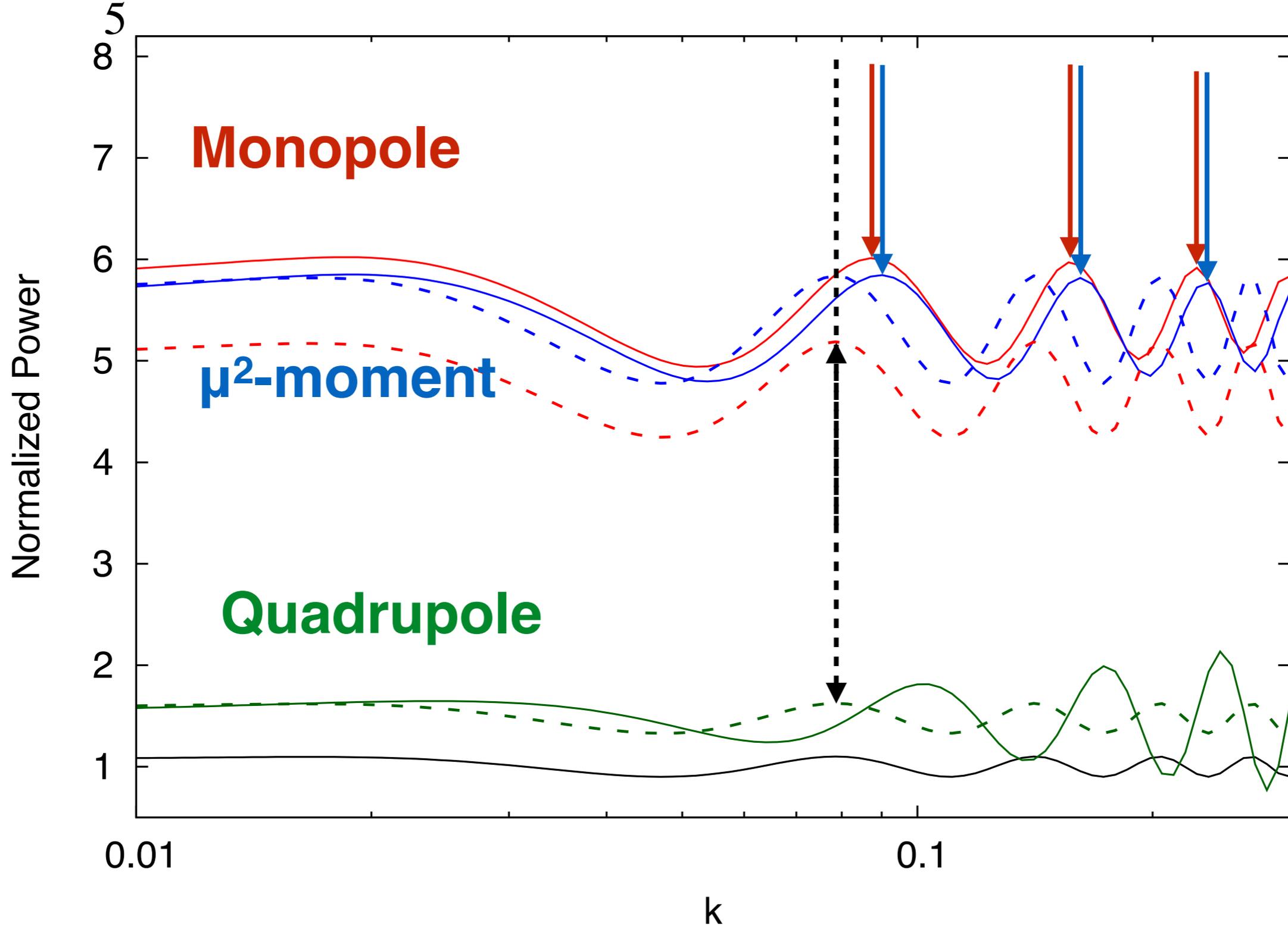
$$\alpha_{\varepsilon}(z) = \frac{D_A(z)H(z)}{[D_A(z)H(z)]^{fid}}$$

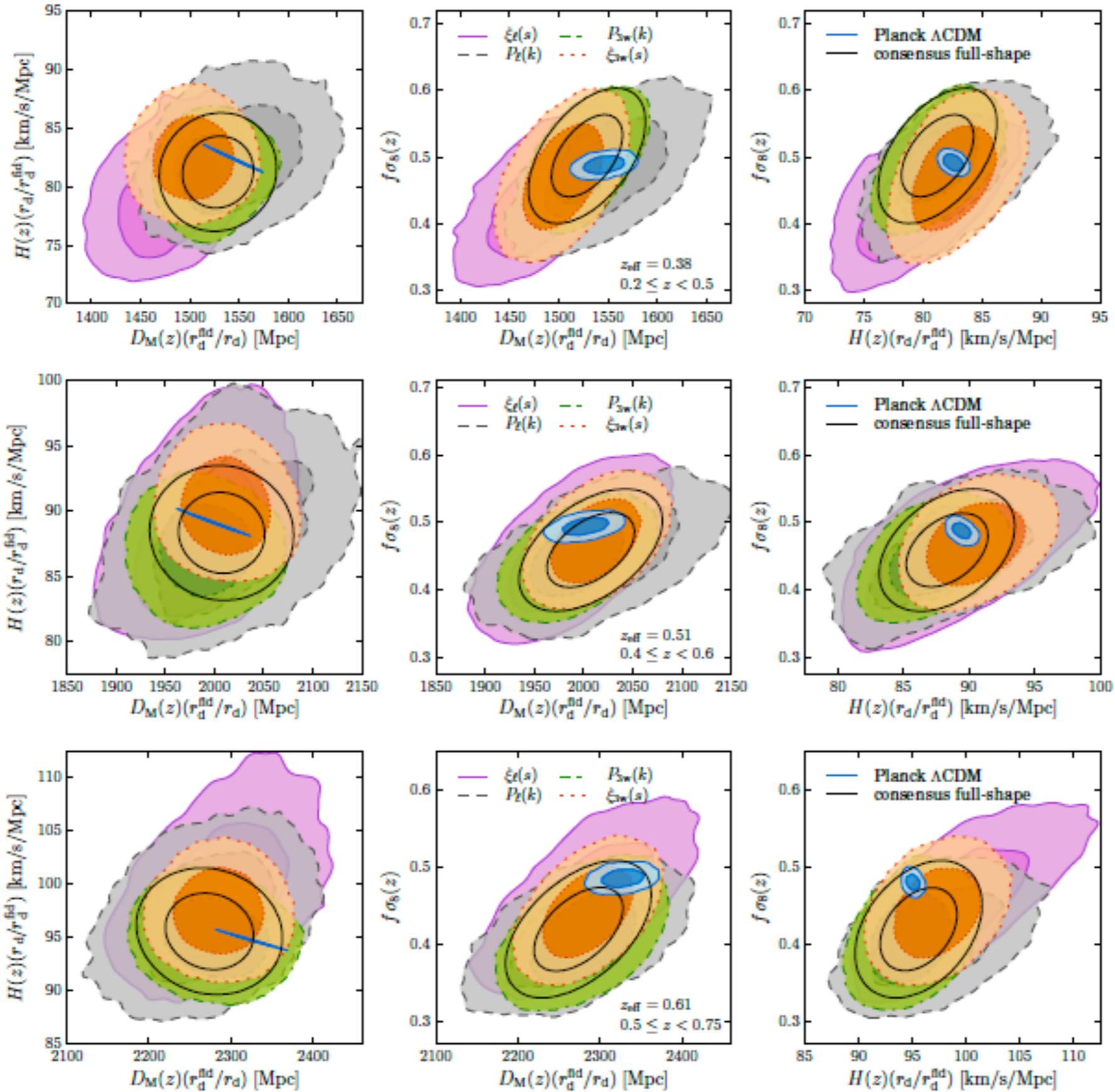
$$\alpha_V \sim (D_A^2/H)^{1/3} / r_s$$



$\alpha_\varepsilon \sim D_{AH}$

$$P^{(\mu^2)} \equiv P^{(0)} + \frac{2}{5} P^{(2)}$$





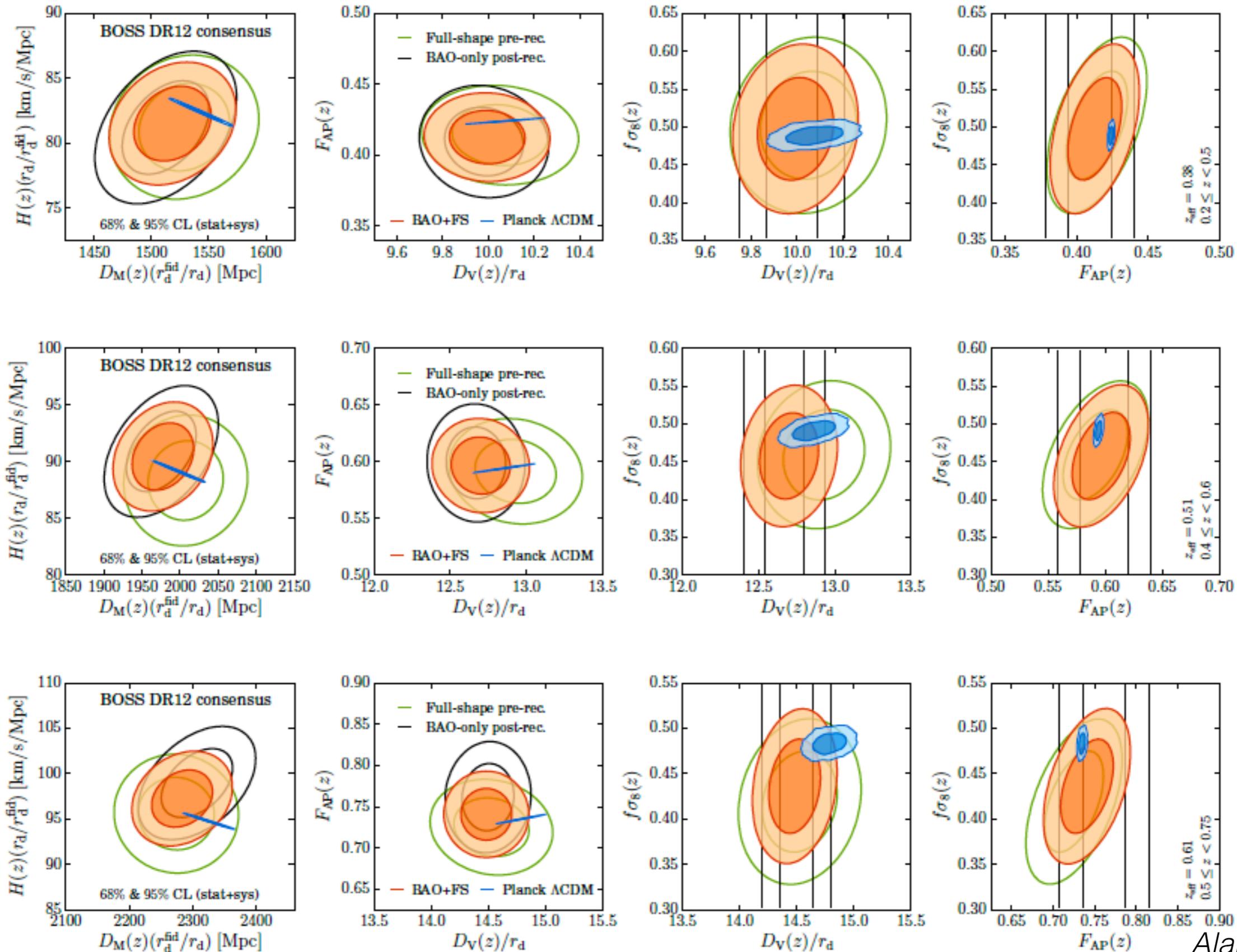
Alam et al. 2016

BAO post-recon

RSD Full Shape pre-recon

Consensus

Planck

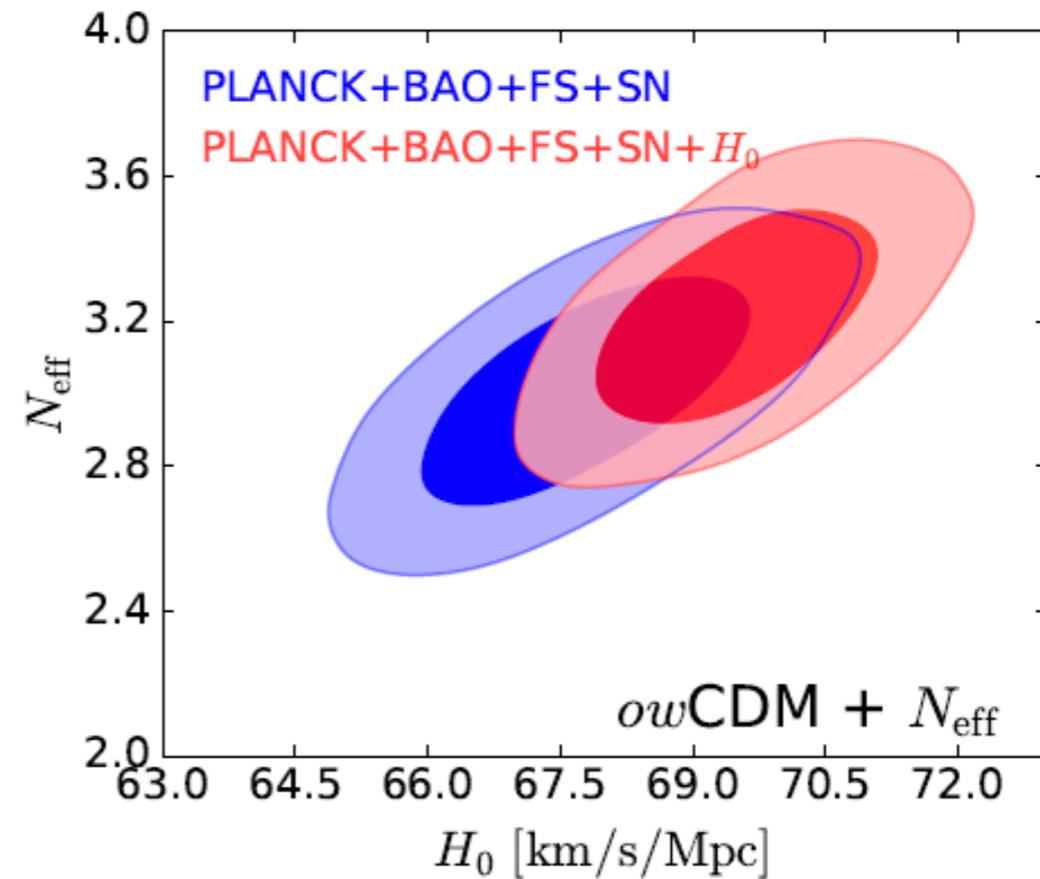
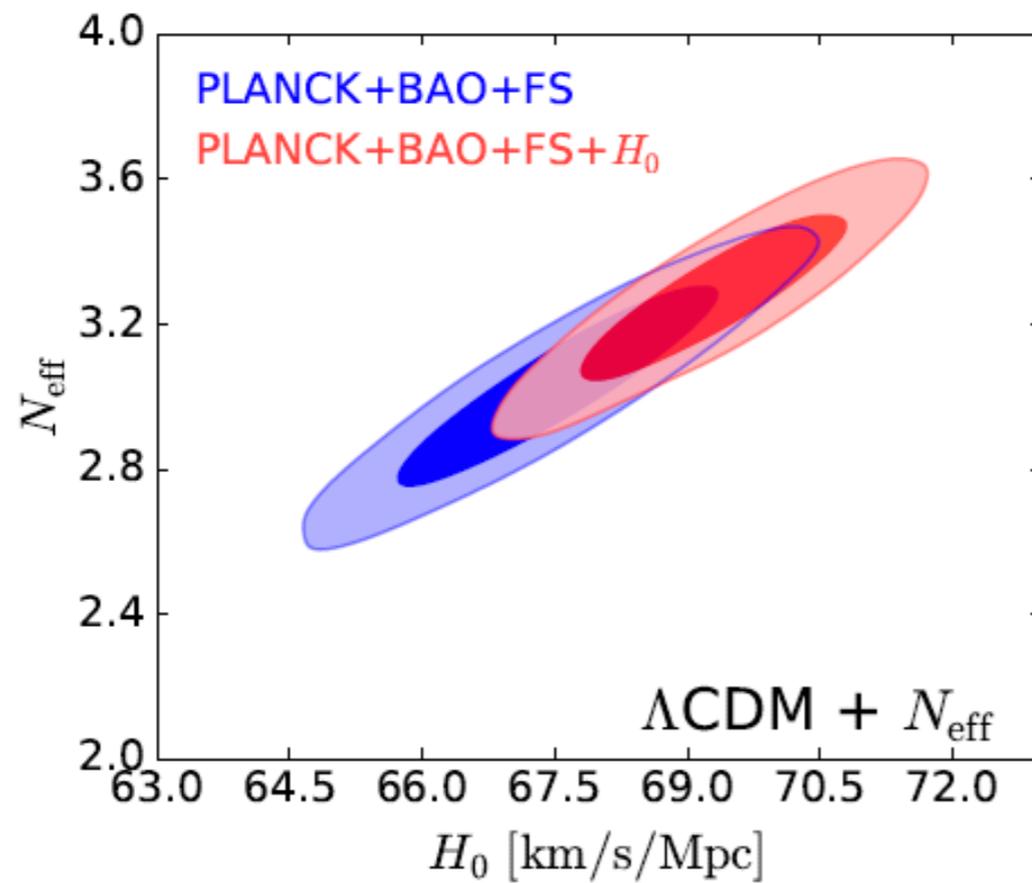


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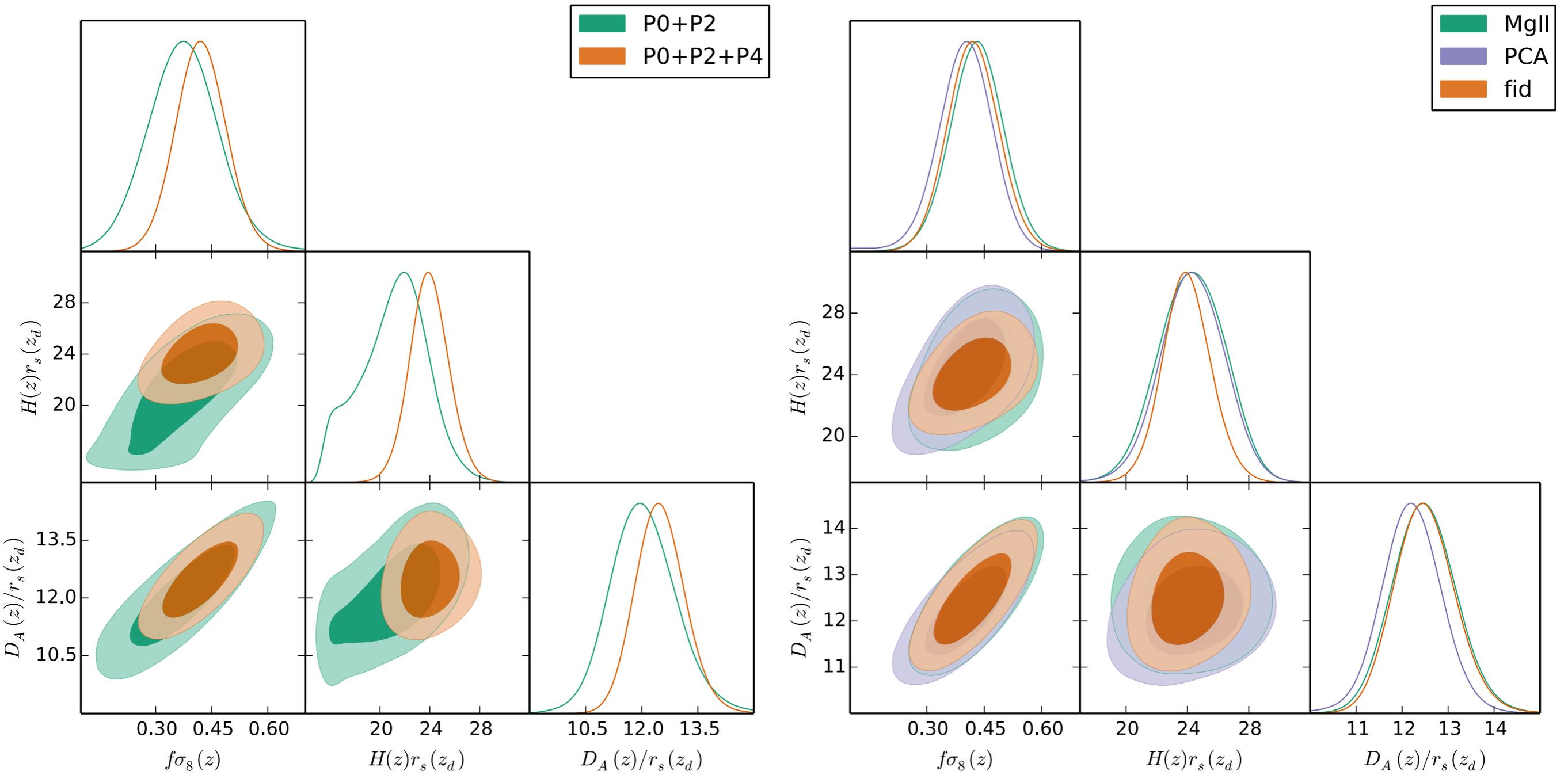
0.5 < z < 0.75

Alam et al. 2016

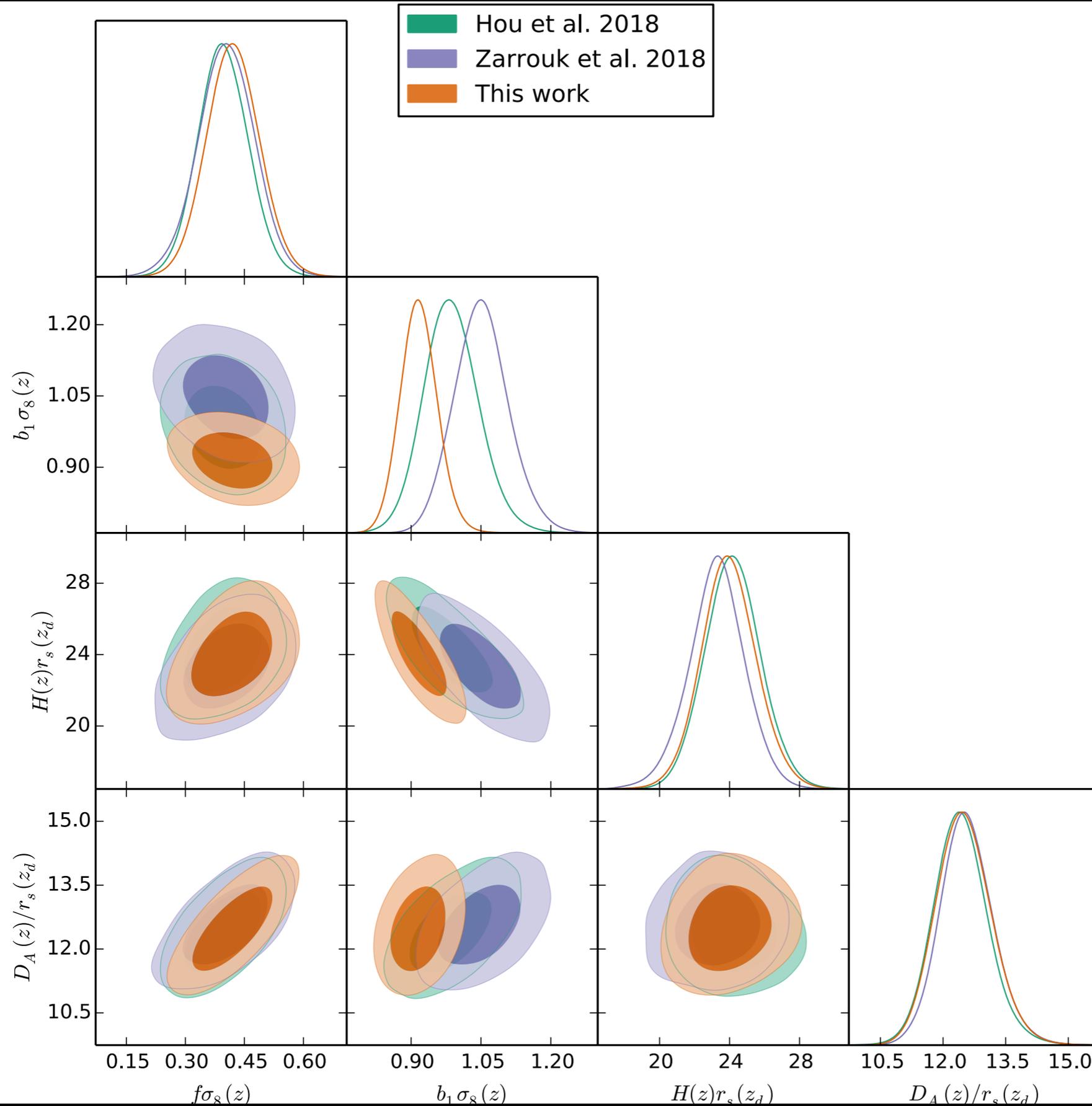


Alam et al. 2016

Tension with local H_0 measurement reduces with $N_{\text{eff}} > 3$



HGM et al. 2018



HGM et al. 2018