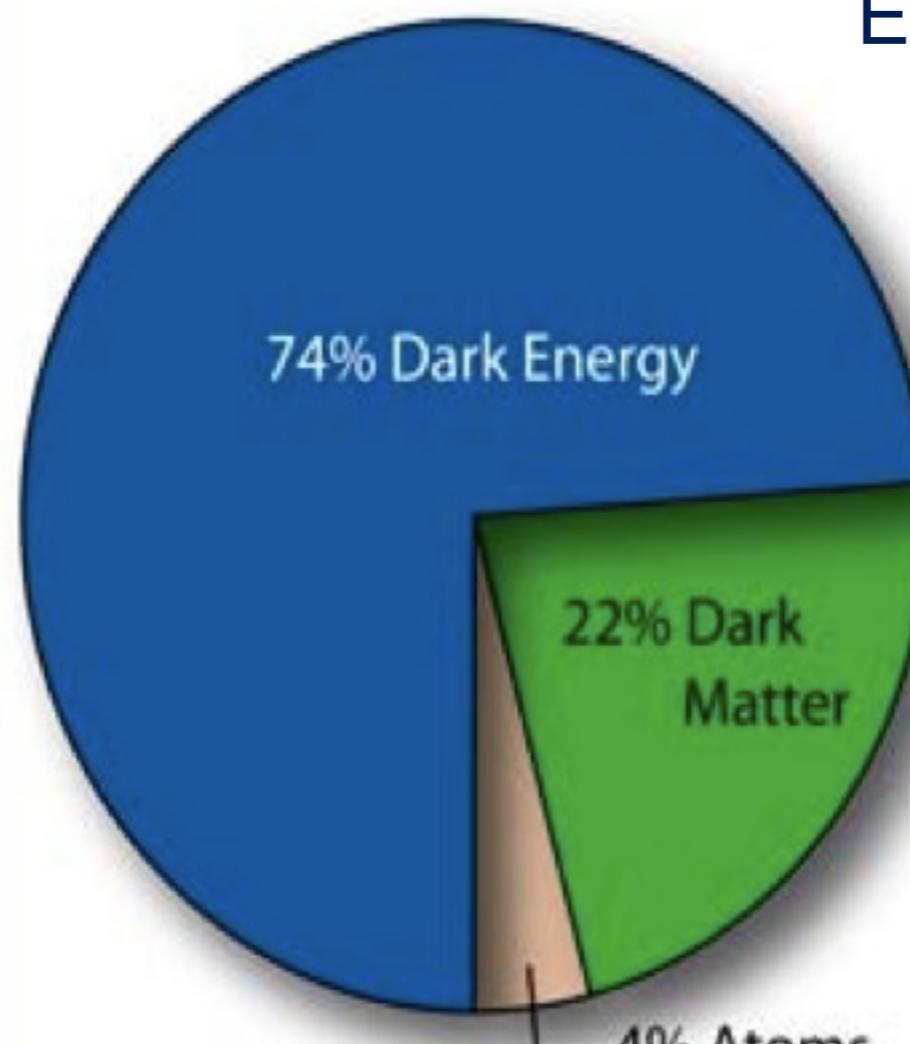


# Dark Energy with Galaxy Surveys

Enrique Gaztañaga



o o o o o bottom line

astro-ph:1109.4852

MORE EFFICIENT WAY OF USING GALAXY SURVEYS:

UNDERSTANDING GALAXY BIAS CAN BRING > X100 REWARD IN  
COSMOLOGICAL PARAMETER MEASUREMENTS

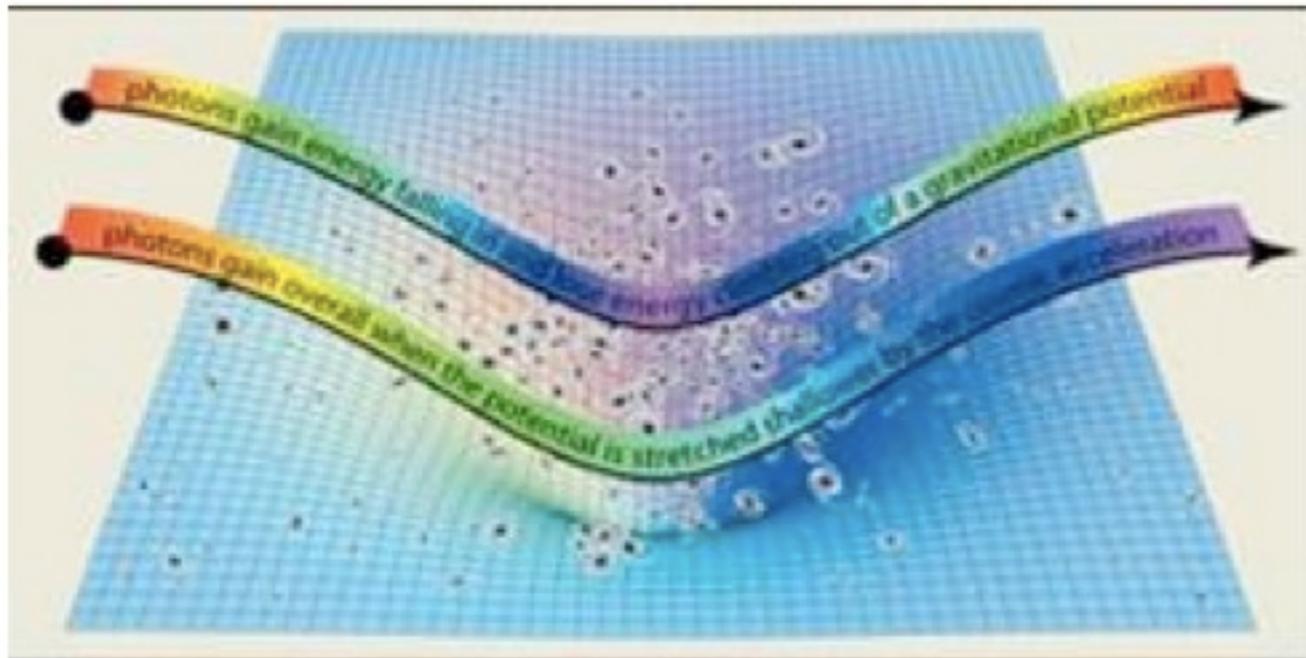
# *Dark Energy (DE) from Galaxy Surveys*

## Contents

- *What is DE? Evidence and goals*
- *Need for statistical approach*
- *Different DE probes*
- *Current and future DE surveys*
- *Some spanish contributions: SPADES network*
- *The Dark Energy Survey, an update*
- *DE and galaxy formation (biasing)*
- *Xtalks as a way to observe DE*

# What is Dark Energy (DE)?

Einstein's Field Eq. DO NOT seem to work



$$R_{\mu\nu} + \Lambda g_{\mu\nu} = -8\pi G \left( T_{\mu\nu} - \frac{1}{2} g_{\mu\nu} T \right)$$

- 1) Energy content of Universe has a missing ingredient: DE  
**so far all data is compatible with cosmological constant**
- 2) the Eq. is wrong (Modify Gravity => DM => Galaxy formation)
- 3) wrong assumptions (homogeneity, perfect fluid, model)

# Observing Dark Energy: H(z) & D(z)

- Expansion rate history:

$$R_{\mu\nu} + \Lambda g_{\mu\nu} = -8\pi G \left( T_{\mu\nu} - \frac{1}{2} g_{\mu\nu} T \right)$$

$$H^2(z) = H_0^2 [ \Omega_M (1+z)^3 + \Omega_R (1+z)^4 + \Omega_K (1+z)^2 + \Omega_{DE} (1+z)^{3(1+w)} ]$$

matter

radiation

curvature

dark energy  $w=p/\rho$

- Measurements are usually integrals over  $H(z)$   $r(z) = \int dz/H(z)$

Standard Candles (supernova)

$$d_L(z) = (1+z) r(z)$$

Standard Rulers (BAO)

$$d_a(z) = (1+z)^{-1} r(z) \quad \text{or} \quad H(z) = cdz/r \quad \text{directly}$$

Volume Markers (clusters)

$$dV/dzd\Omega = r^2(z)/H(z)$$

- Growth rate history:

$$\delta T_{;\nu}^{\mu\nu} = 0$$

$$\frac{d^2 \delta_k}{d\tau^2} + \mathcal{H} \frac{d\delta_k}{d\tau} - \left( \frac{3}{2} \mathcal{H}^2 \Omega_m - k^2 v_s^2 \right) \delta_k = 0$$

$$\delta = D(z) \delta_0$$

# DARK ENERGY (DE)

## *Challenge for Observational Cosmology:*

Can we use data to confirm or falsify the cosmological constant model?

-> show that  $w$  (**DE equation of state**) is different from unity

If deviations are found, can we distinguish between DE and modified gravity (why is  $G$  so weak)?

-> show relation between  
 **$H(z)$  expansion history & growth history  $D(z)$**

$$\ddot{\delta}(a, k) + 2H(a)\dot{\delta}(a, k) - \frac{g(k)}{\eta(k)}4\pi G\bar{\rho}\delta(a, k) = 0,$$

Modified:  
Poisson Eq. & Metric potentials

# Evidence for DE:

Flat universe:  $\Omega_{\text{DE}} = 1 - \Omega_{\text{M}}$  (WMAP+ H<sub>0</sub>)

w=-1 cosmological constant  $\Omega_{\Lambda} = \Omega_{\text{DE}}$

Acceleration:  $w < -1/(3 \Omega_{\text{DE}})$  (Supernovae)

$$H^2(z) = H_0^2 [ \Omega_{\text{M}} (1+z)^3 + \Omega_{\text{R}} (1+z)^4 + \Omega_{\text{K}} (1+z)^2 + \Omega_{\text{DE}} (1+z)^{3(1+w)} ]$$

## Concordance with:

BAO (volume)

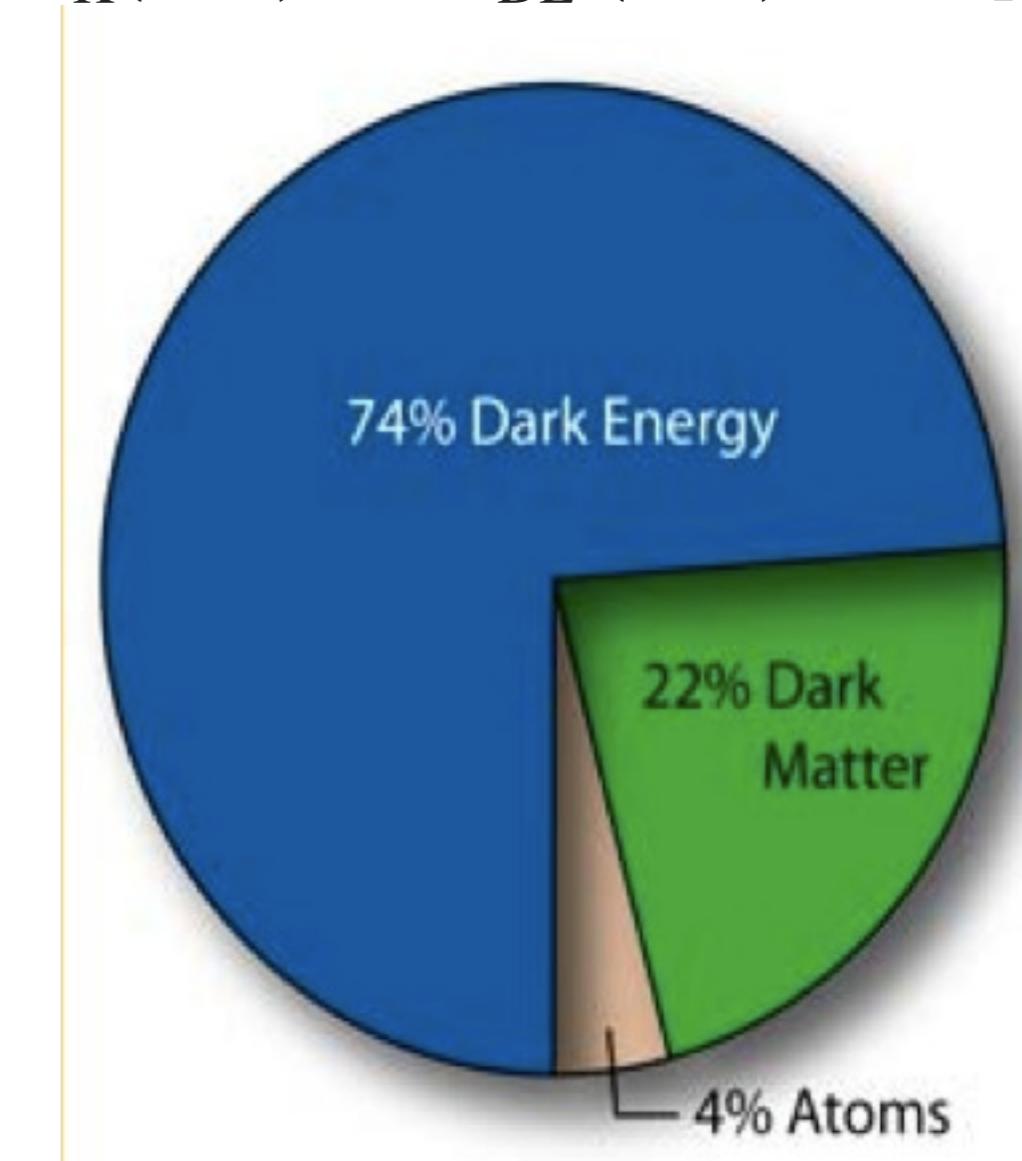
Cluster Abundance (mass)

WL (2D)

P(k) in Galaxy Surveys (3D but bias)

RSD (ratios)

ISW (2D)



# Need for Statistical Approach

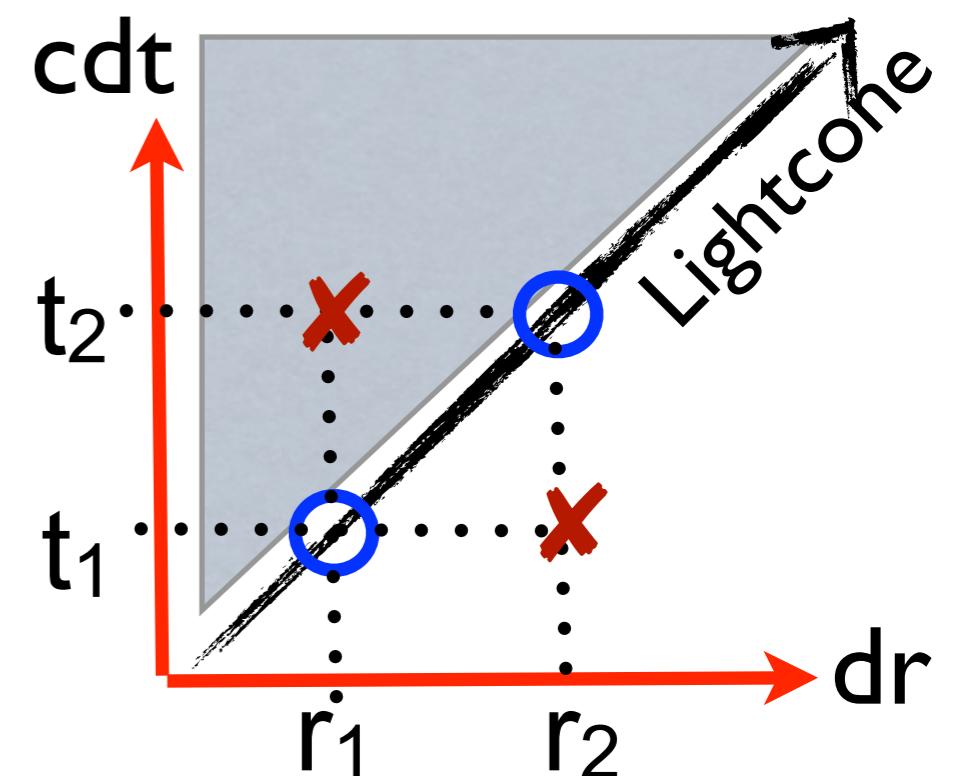
$$\frac{d^2\delta_k}{d\tau^2} + \mathcal{H} \frac{d\delta_k}{d\tau} - \left( \frac{3}{2} \mathcal{H}^2 \Omega_m - k^2 v_s^2 \right) \delta_k = 0$$

This is a initial condition problem, we need:

$$\delta(r_2, t_2) = D(t_1, t_2) \delta(r_2, t_1)$$

$$\delta(r_1, t_2) = D(t_1, t_2) \delta(r_1, t_1)$$

but we can only measure:  $\delta(r_1, t_1)$  &  $\delta(r_2, t_2)$



# Need for Statistical Approach

$$\frac{d^2\delta_k}{d\tau^2} + \mathcal{H} \frac{d\delta_k}{d\tau} - \left( \frac{3}{2} \mathcal{H}^2 \Omega_m - k^2 v_s^2 \right) \delta_k = 0$$

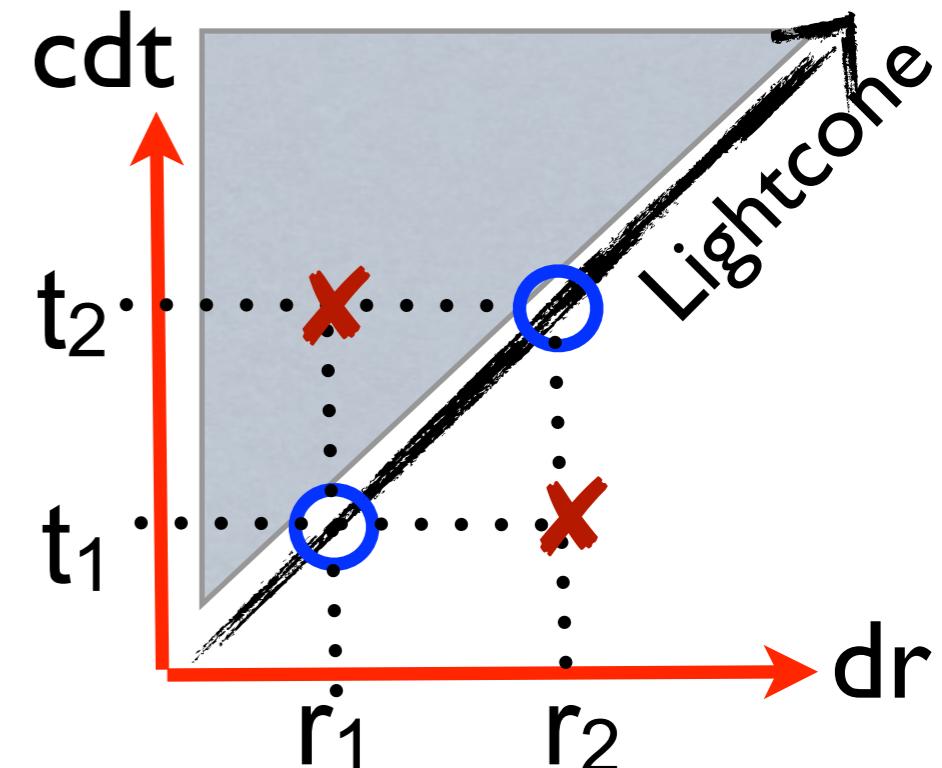
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but we can only measure:  $\delta(r_1, t_1)$  &  $\delta(r_2, t_2)$

Statistically this is possible (in homogeneous universe):



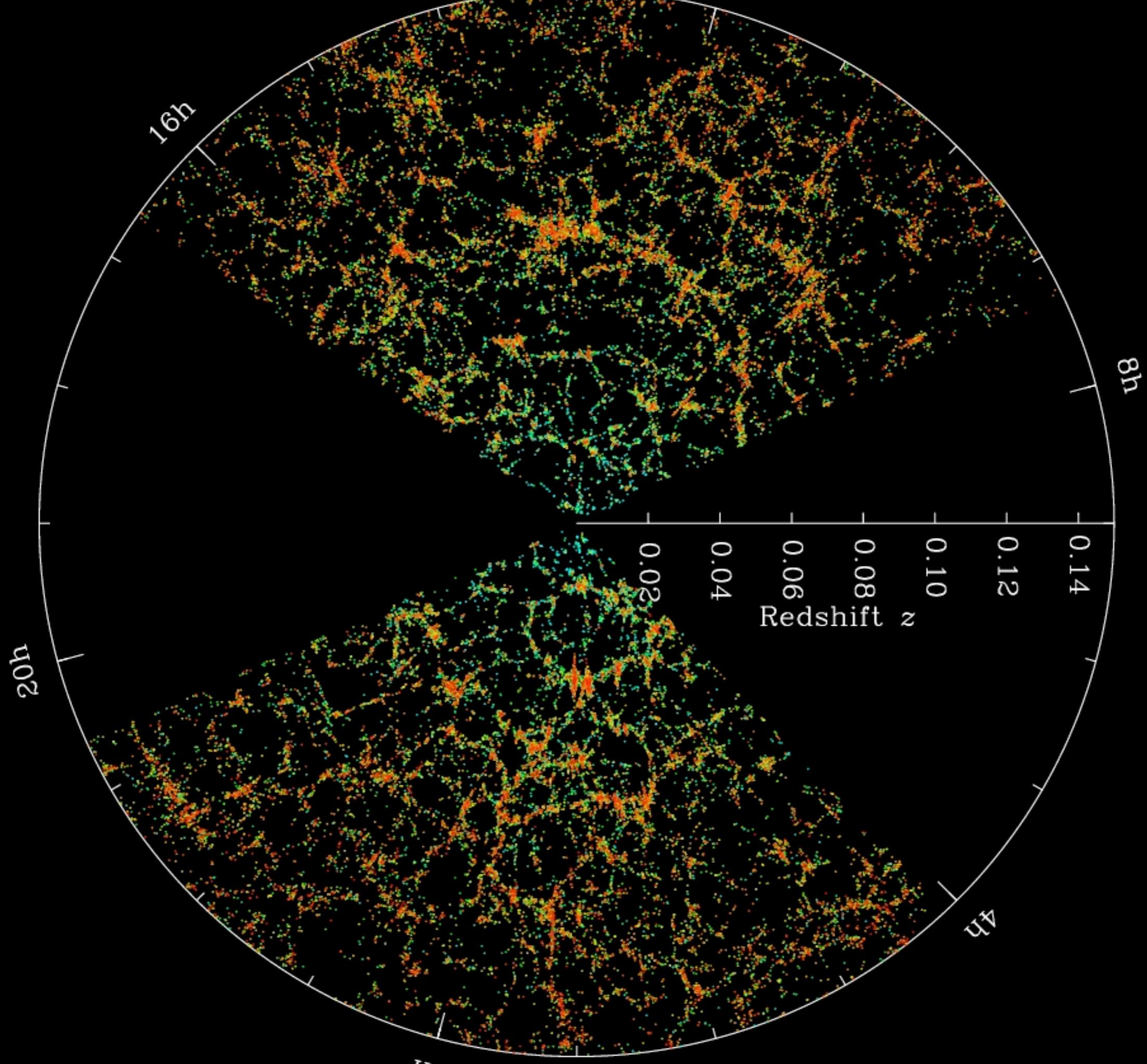
$$\xi_2(r, t_2) \equiv \langle \delta(x, t_2) \delta(y, t_2) \rangle_{xy} = D^2(t_1, t_2) \langle \delta(x, t_1) \delta(y, t_1) \rangle_{xy} = D^2(t_1, t_2) \xi_2(r, t_1)$$

$$r = |x-y|$$

$$P(k, z) = D^2(z) P(k, 0)$$

This is limited by sampling variance: need large Volume (3D)

Can produce biases in statistical measures

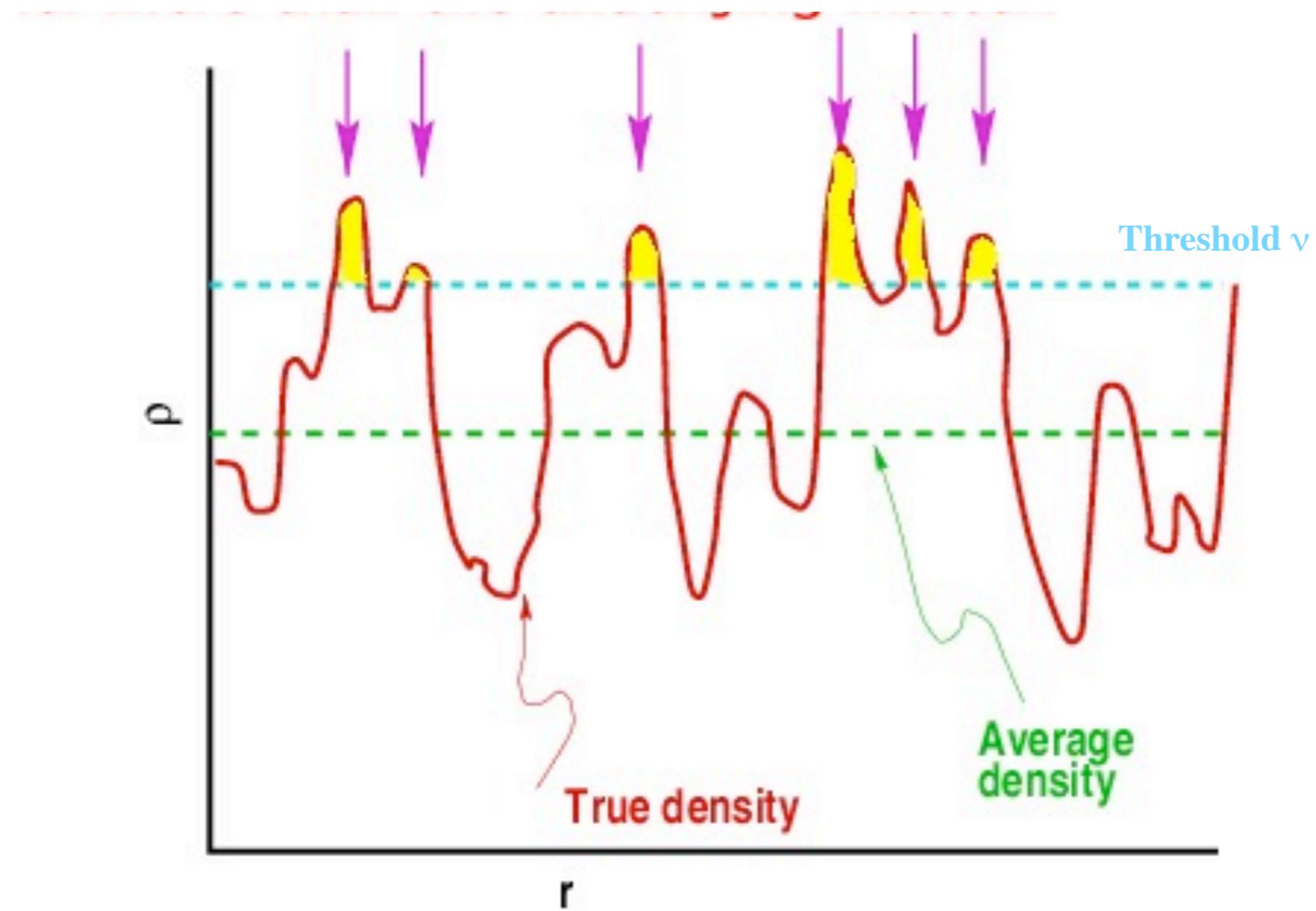


**Bias:** lets take a very simple model.

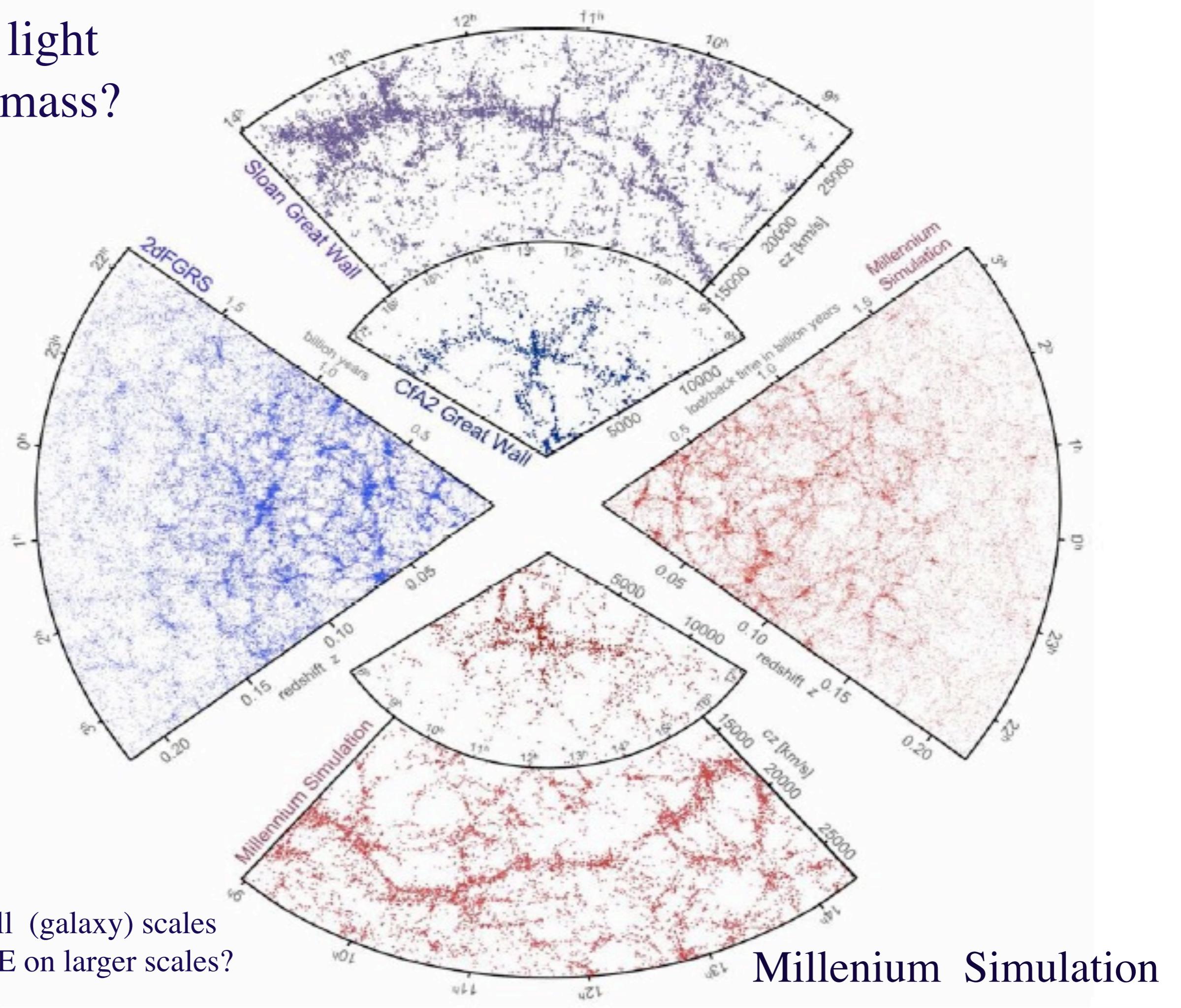
rare peaks in a Gaussian field (Kaiser 1984, BBKS)

Linear bias “ $b$ ”:  $\delta(\text{peak}) = b \delta(\text{mass})$  with  $b = v/\sigma$  (SC:  $v = \delta_c/\sigma$ )

$$\rightarrow \xi_2(\text{peak}) = b^2 \xi_2(m)$$



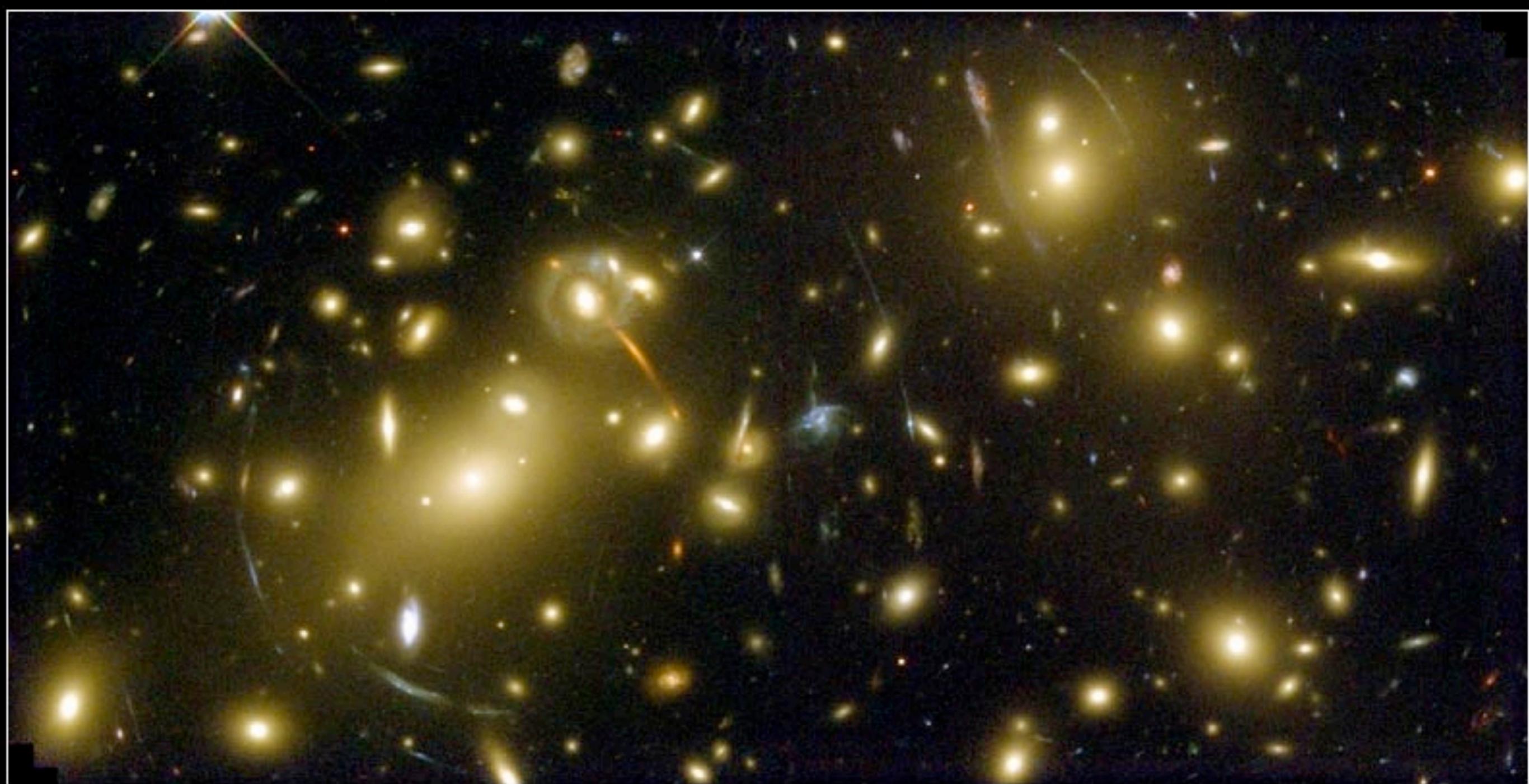
# Does light traces mass?



Not on small (galaxy) scales  
but MAY BE on larger scales?

Millenium Simulation

# Strong and Weak Gravitational Lenses



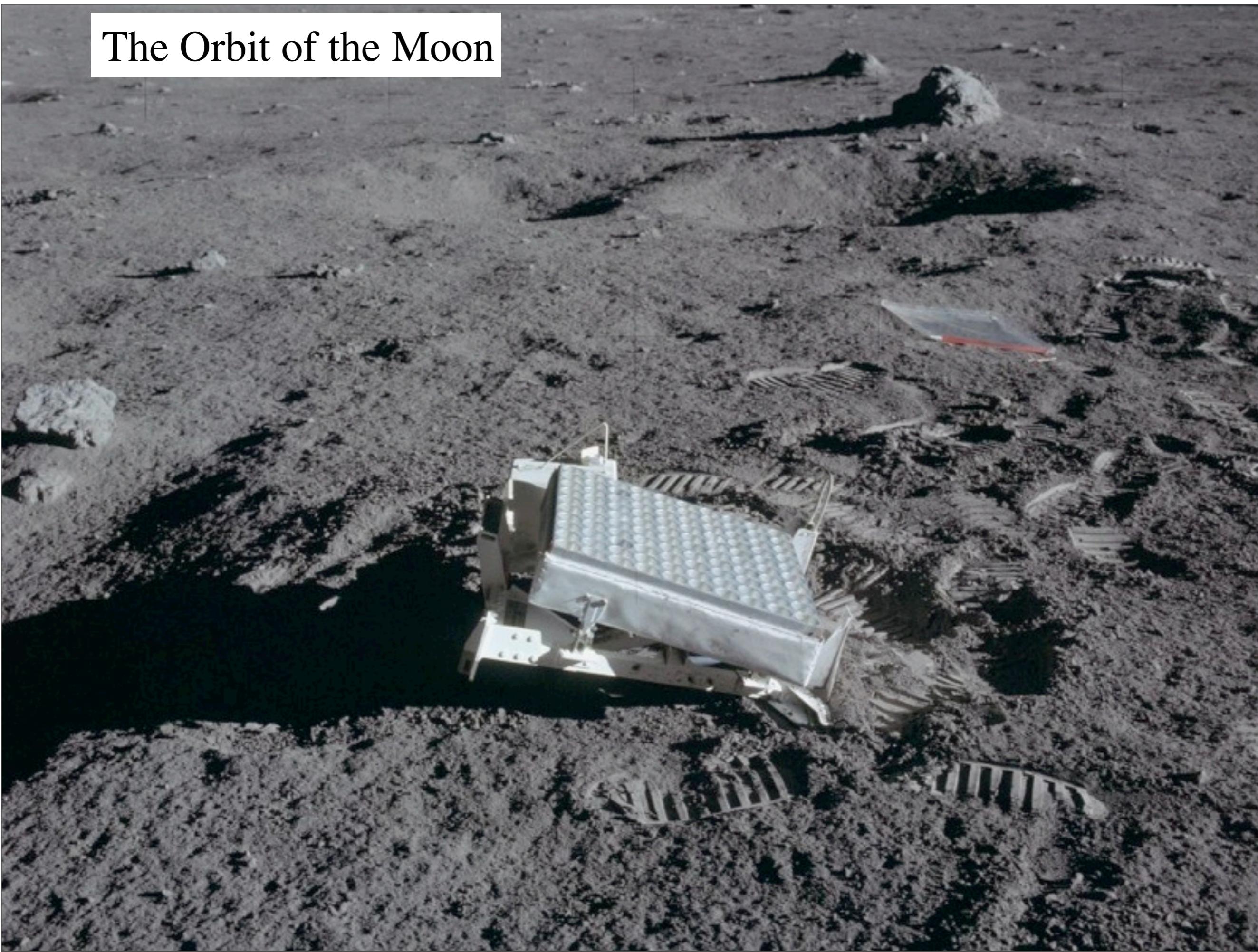
**Galaxy Cluster Abell 2218**

NASA, A. Fruchter and the ERO Team (STScI) • STScI-PRC00-08

HST • WFPC2

Can be used to measure distances and growth history in the universe

# The Orbit of the Moon



# PRIMARY CMB ANISOTROPIES

Sachs-Wolfe (ApJ, 1967)

$$\Delta T/T(n) = [\Phi(n)]_i^f$$

Temp. F. = diff in N.Potential (SW)



$$\Delta T/T = (SW) = \Delta \Phi / c^2$$

$$\Delta \Phi = GM (\delta / R) / c^2$$

$$\left. \right\} \Delta T/T = G \rho_m 4/3 \pi (R/c)^2 \delta$$

$$\boxed{\Delta T/T = \Omega_m / 2 (H_0 R/c)^2 \delta \sim \Omega_m / 2 (R/3000 \text{Mpc})^2 \delta}$$

$$\langle \Delta T/T \rangle_{\text{rms}} \sim 10^{-5} \sigma_8 \quad \text{for} \quad (R \sim 8 \text{ Mpc}, \langle \delta \rangle \sim 1)$$

# PRIMARY & SECONDARY ANISOTROPIES

Sachs-Wolfe (ApJ, 1967)

& Rees-Sciama (Nature, 1968) non-linear

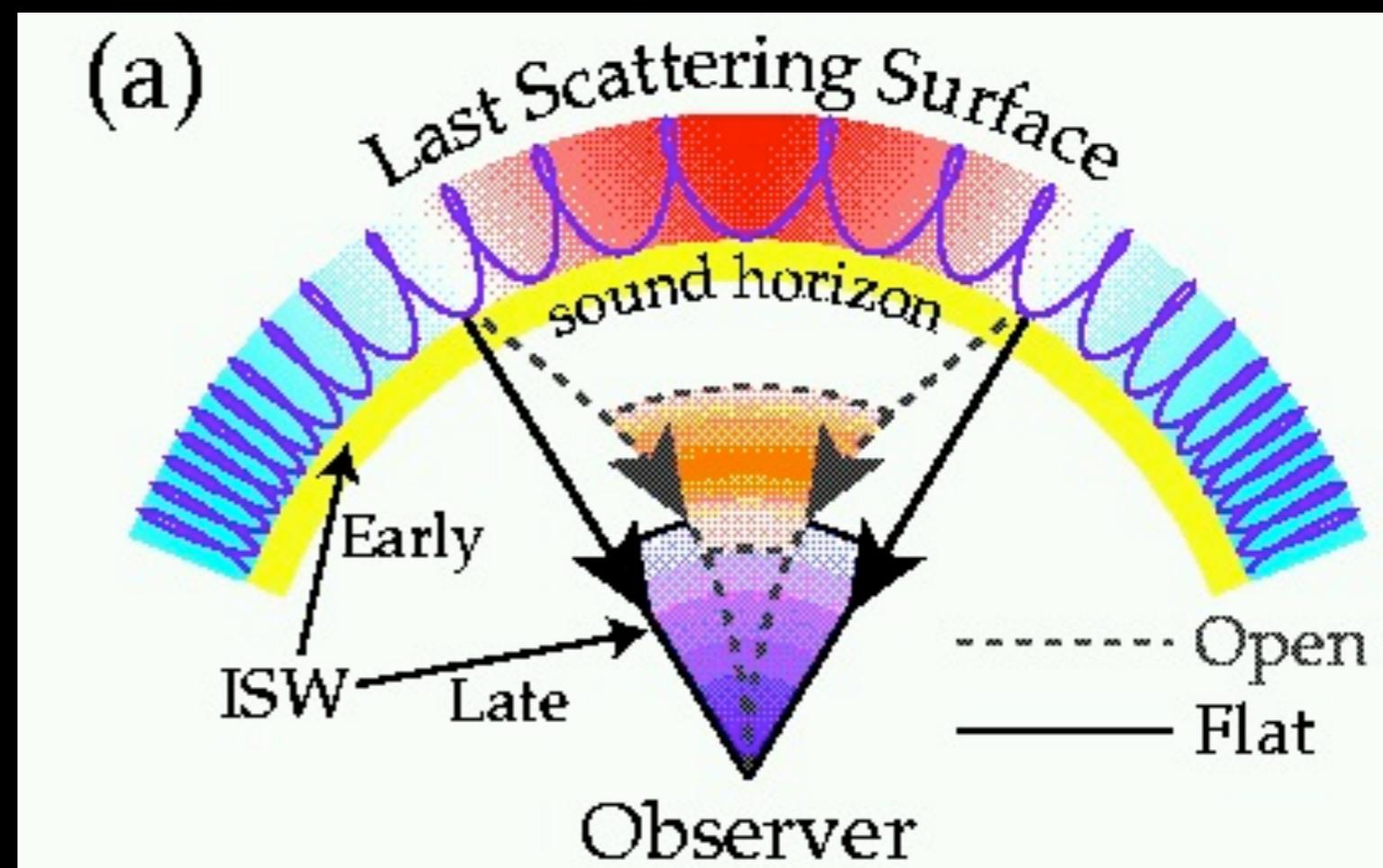
$$\Delta T/T(n) = \left[ \frac{1}{4} \delta\gamma(n) + v \cdot n + \Phi(n) \right]_i^f + 2 \int_i^f d\tau \, d\Phi/d\tau(n)$$

Temp. F. = Rad-baryon fluid + Doppler + N.Potential (SW) + Integrated Sachs-Wolfe (ISW)



A geometrical test for space:

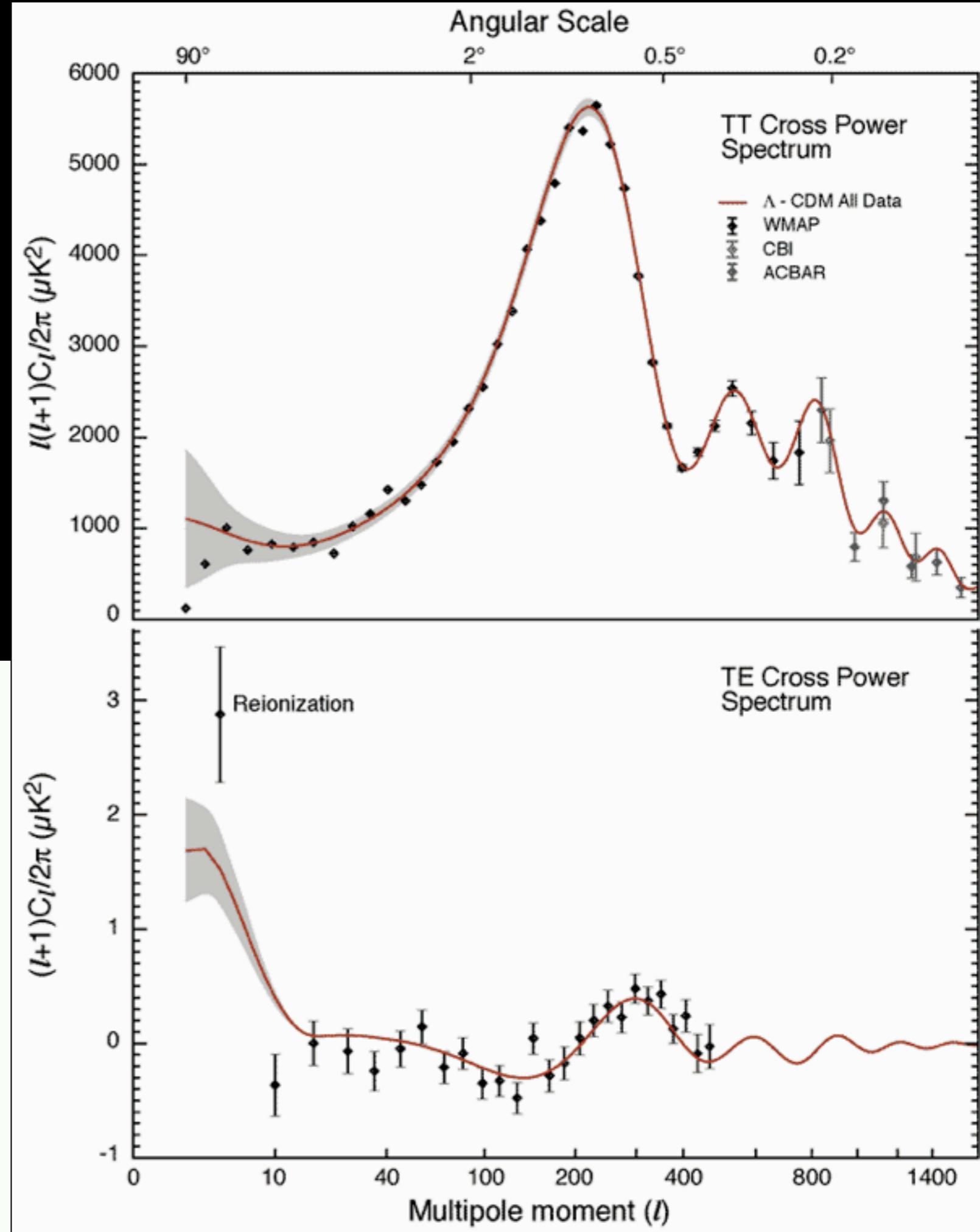
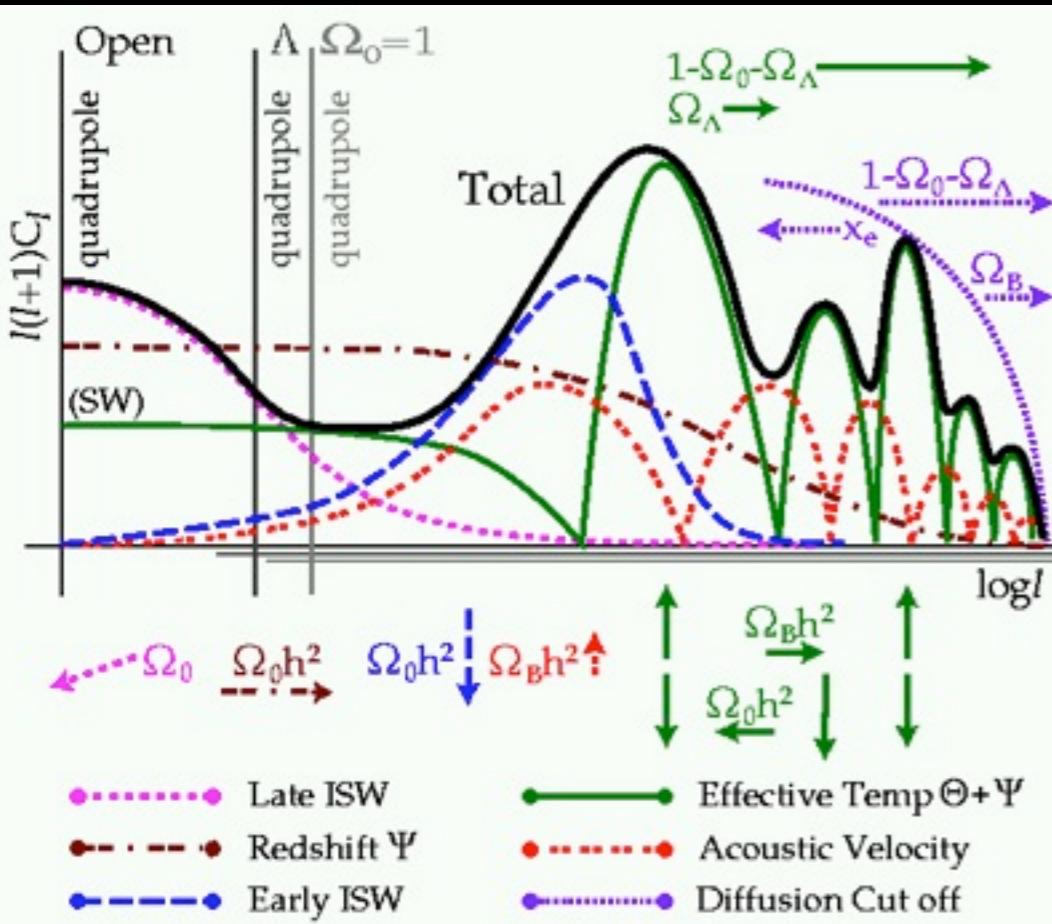
Measure the angular scale that  
Corresponds to the sound horizon



# WMAP1

+

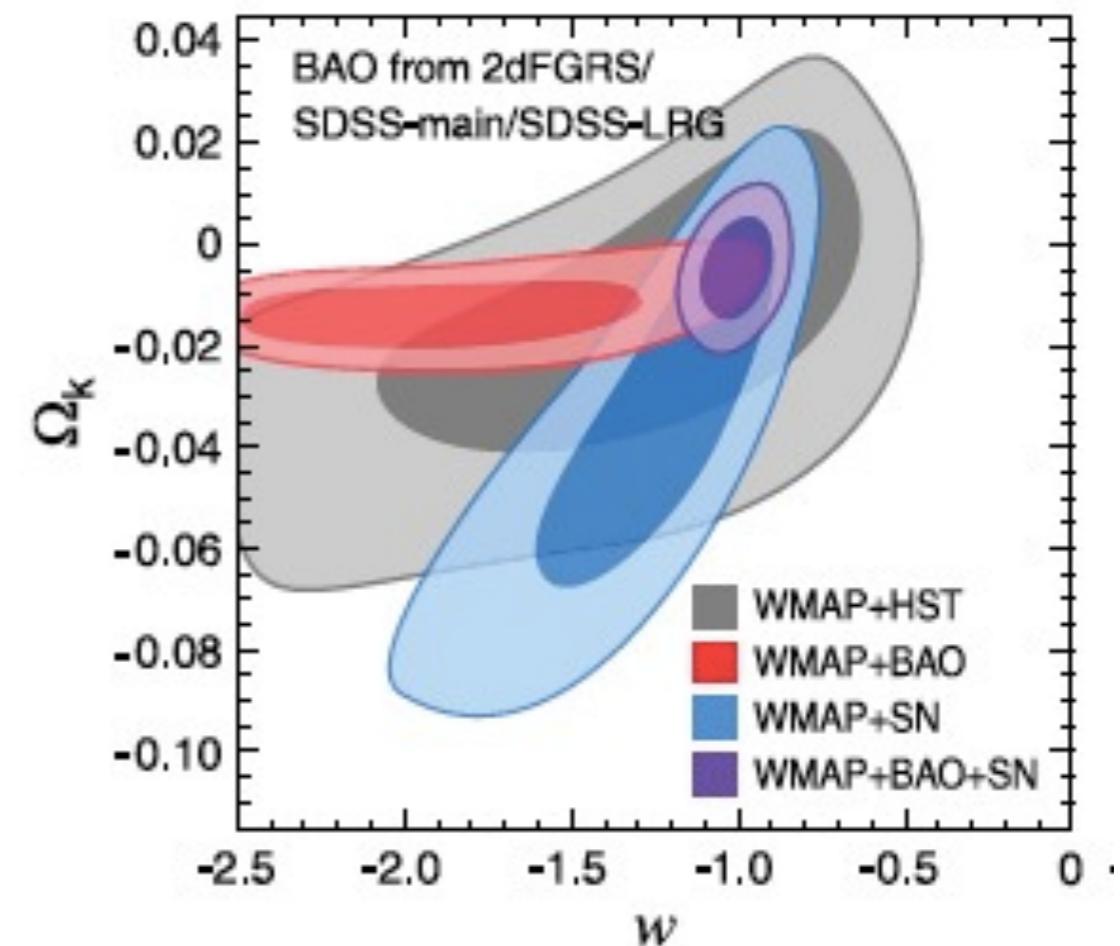
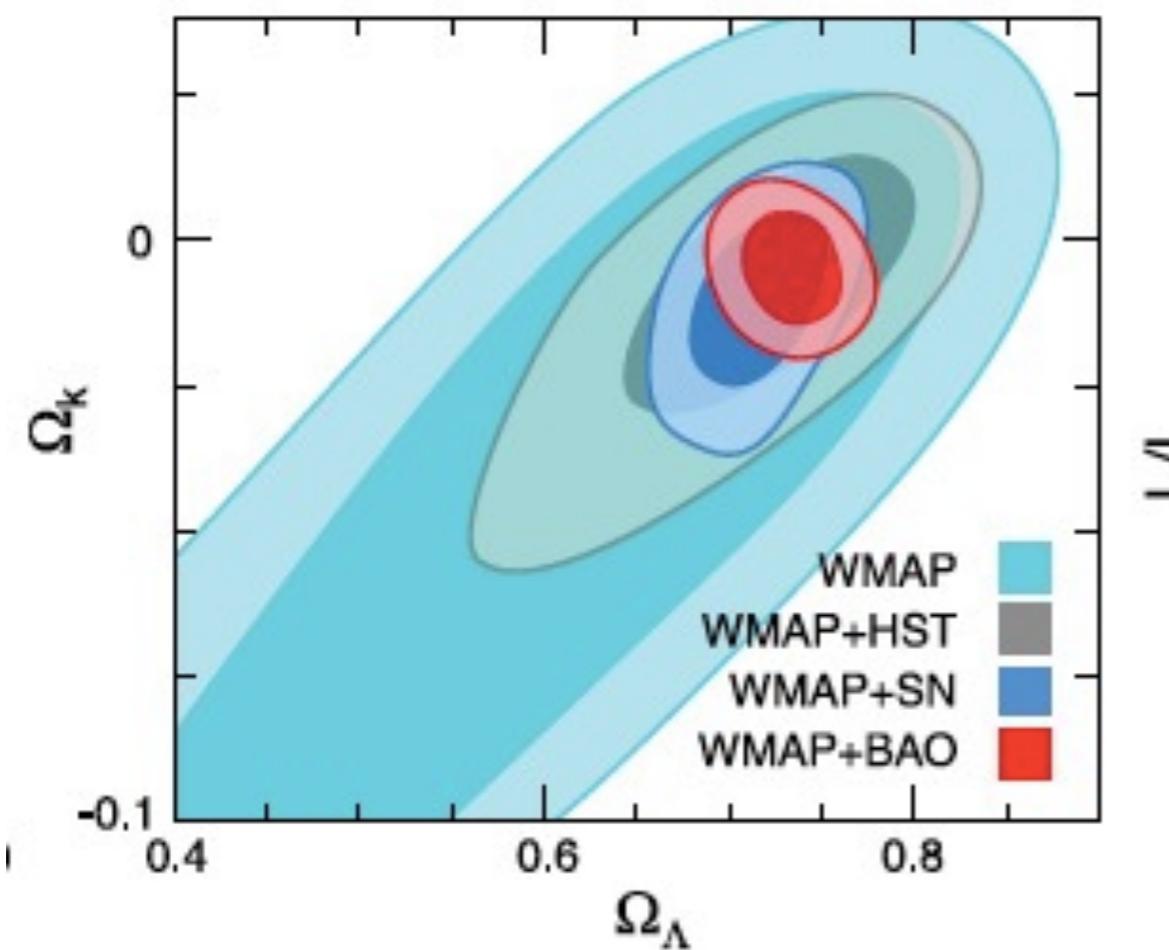
# Planck is comming



# Constraints from CMB

Komatsu et al 0803.0547

	5-year ML <sup>a</sup>	5-year Mean <sup>b</sup>	Error, $\sigma$
$l_A(z_*)$	302.10	302.45	0.86
$R(z_*)$	1.710	1.721	0.019
$z_*^e$	1090.04	1091.13	0.93



Acoustic scale  $\theta_A \equiv \pi / l_A = r_s / d_A$

$Z_* = 1090$  is  $z$  at decoupling

Shift parameter  $R = d_A H(z_*) / c$

# DARK ENERGY (DE)

## *Challenge for Observational Cosmology:*

Can we use data to confirm or falsify the cosmological constant model?

-> show that  $w$  (**DE equation of state**) is different from unity

If deviations are found, can we distinguish between DE and modified gravity (why is  $G$  so weak)?

-> show relation between  
 **$H(z)$  expansion history & growth history  $D(z)$**

$$\ddot{\delta}(a, k) + 2H(a)\dot{\delta}(a, k) - \frac{g(k)}{\eta(k)}4\pi G\bar{\rho}\delta(a, k) = 0,$$

Modified:  
Poisson Eq. & Metric potentials

# Figure of Merit

$$\text{FoM}_{w\gamma} \times 10^3$$

• Expansion x Growth

$$H = H(w)$$

$w(z) \rightarrow$  Expansion History (background metric)  
we will use  $w_0$  and  $w_a$

$$f \equiv \frac{d \ln D}{d \ln a} = \frac{\dot{\delta}}{\delta} \equiv \Omega_m^\gamma(a)$$

$\gamma \rightarrow$  Growth History (metric perturbations)  
probably need one more parameter here

$$\delta = D(a)\delta(0) \quad \text{Linear Theory: } P(k,z) \sim D^2(z) P(k,0)$$

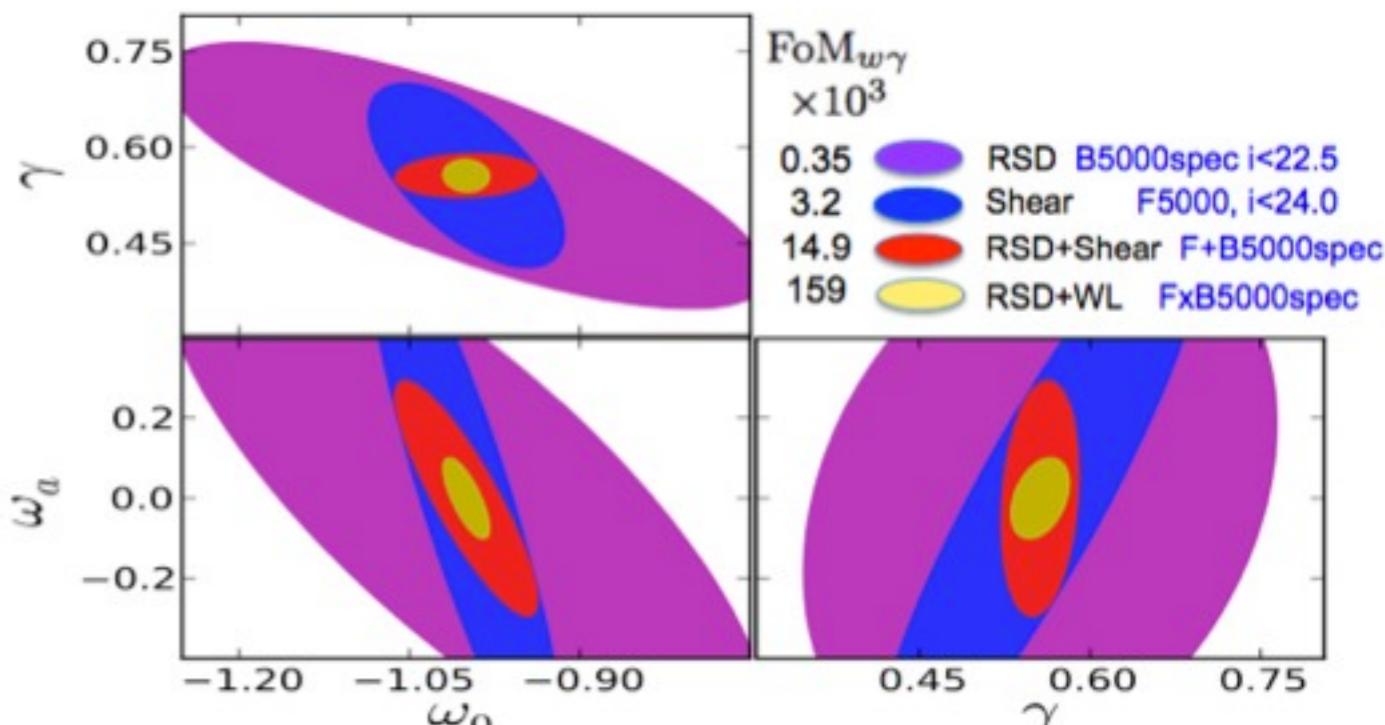
$$\dot{\delta} = -H\theta \quad + \quad \text{mass conservation}$$

$$\downarrow$$

$$\theta = -f(\Omega) \delta$$

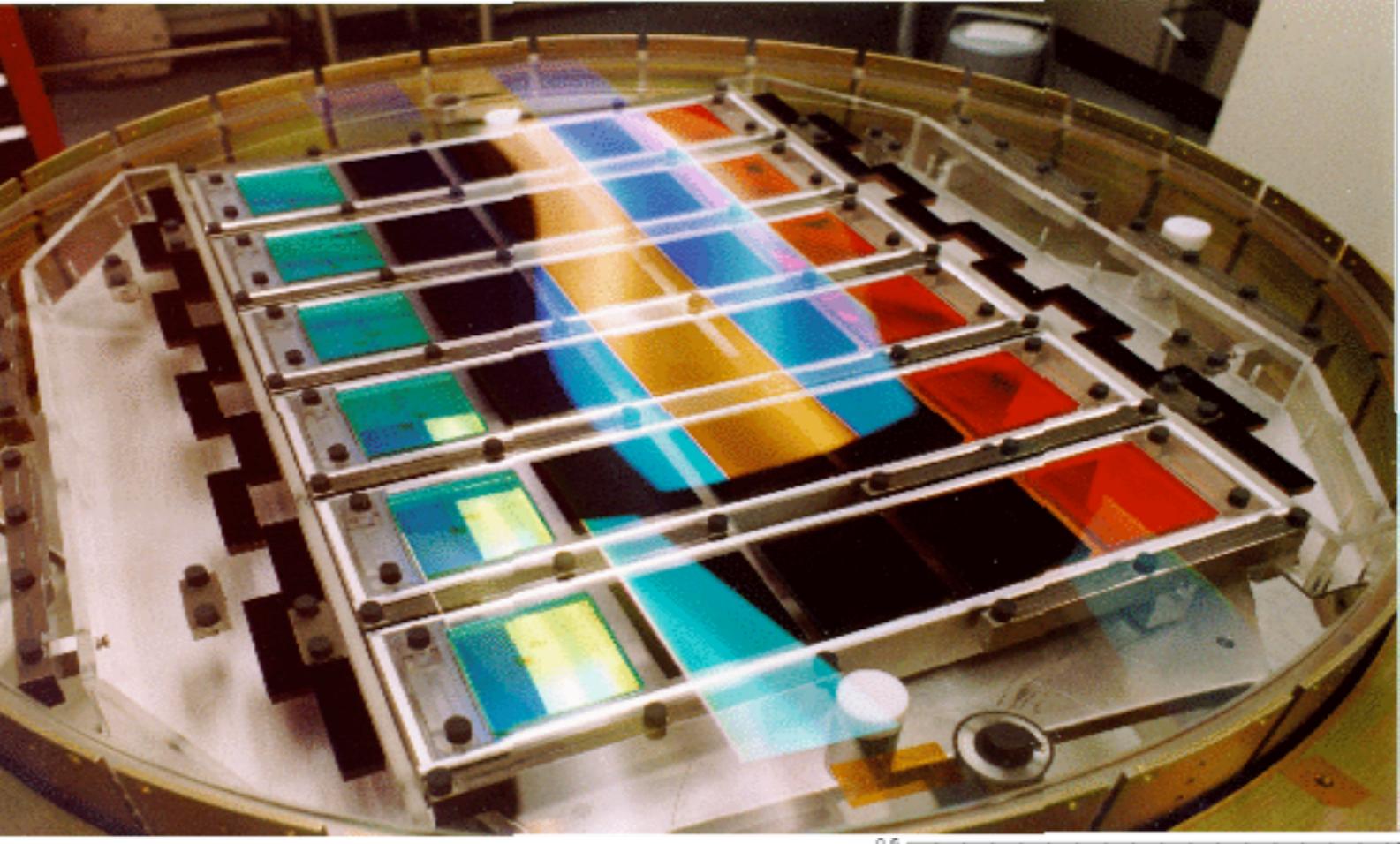
$f$  = Velocity growth factor: tell us if gravity is really responsible for structure formation!  
Could also tell us about cosmological parameters or Modify Gravity

$$FoM_S = \sqrt{\frac{1}{\det[F^{-1}]_S}} = \frac{1}{\sigma(w_0) \sigma(w_a) \sigma(\gamma)}$$

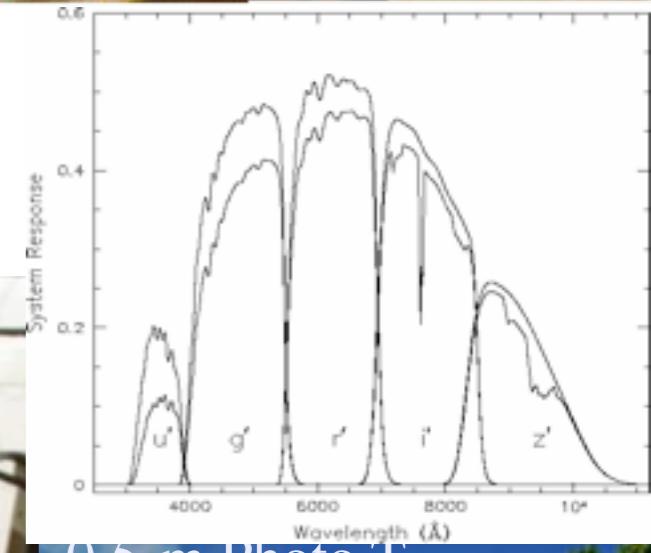


Om - ODE - h - sig8 - Ob - w0 - wa - γ - ns - bias(z)

# Sloan Digital Sky Survey



$5 \times 6 \times 2048 \times 2048 = 5 \text{ color}$   
 $24 \times 400 \times 2048 \text{ astrometry /focus}$



0.5-m Photo T

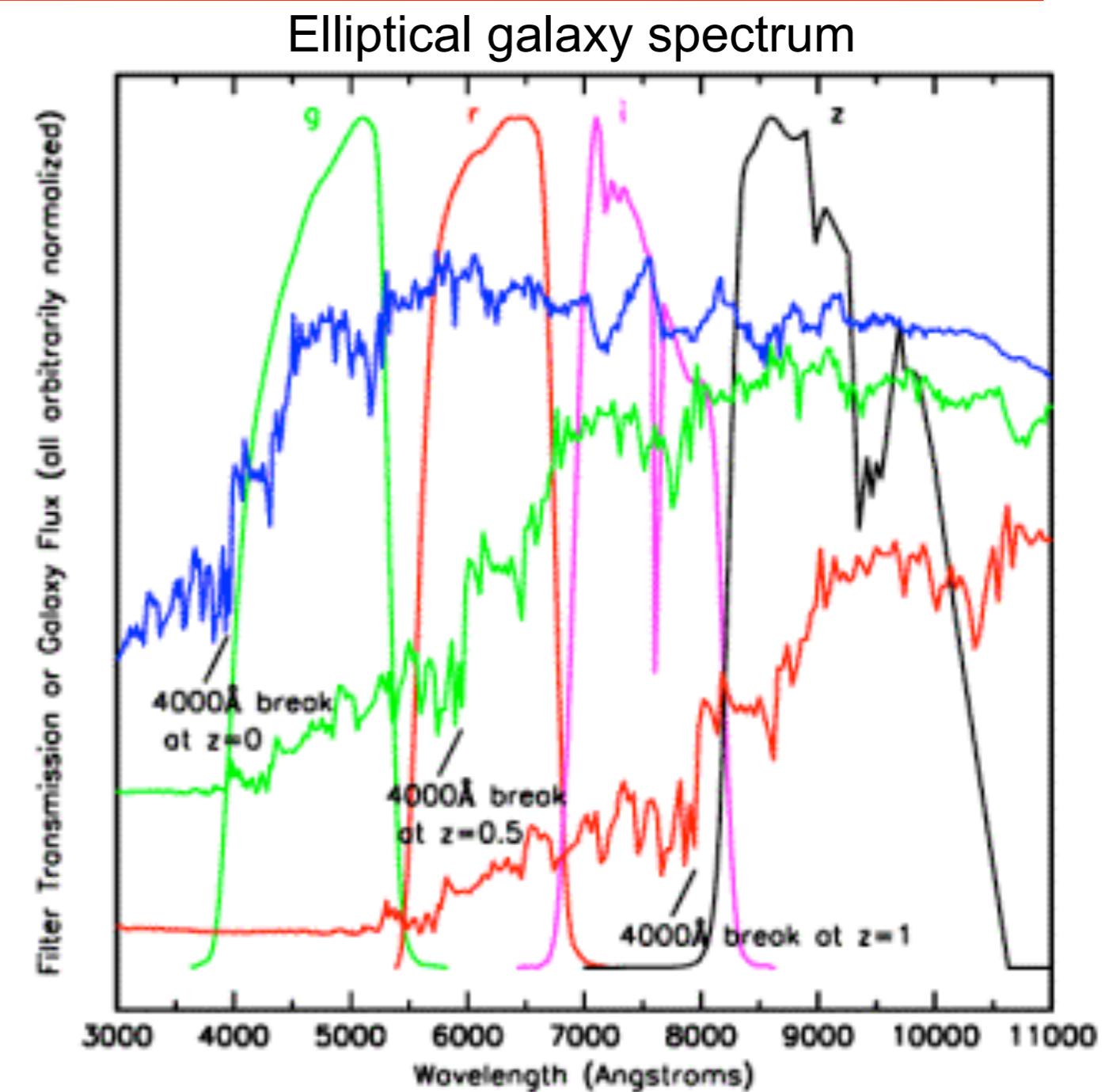




# Photometric Redshifts

DARK ENERGY  
SURVEY

- Measure relative flux in multiple filters: track the 4000 Å break
- Estimate individual galaxy redshifts with accuracy  $\sigma(z) < 0.1$  ( $\sim 0.02$  for clusters)
- Precision is sufficient for Dark Energy probes, provided error distributions well measured.
- Good detector response in z band filter needed to reach  $z>1$



# DARK ENERGY PROBES

PROBE	Photometric Survey	Spectroscopic Survey ( $z < 1$ )	Spectroscopic Follow-up	CMB
SNe-Ia	X		X	
BAO	Y	Y		X
WL	X		Y	
z-distortions		X		
clusters	X	Y	X	Y
ISW	X		Y	X

Y = OPTIONAL

X = REQUIRED

BAO Surveys Padmanabhan

Spectroscopic

Photo-z 40-filter

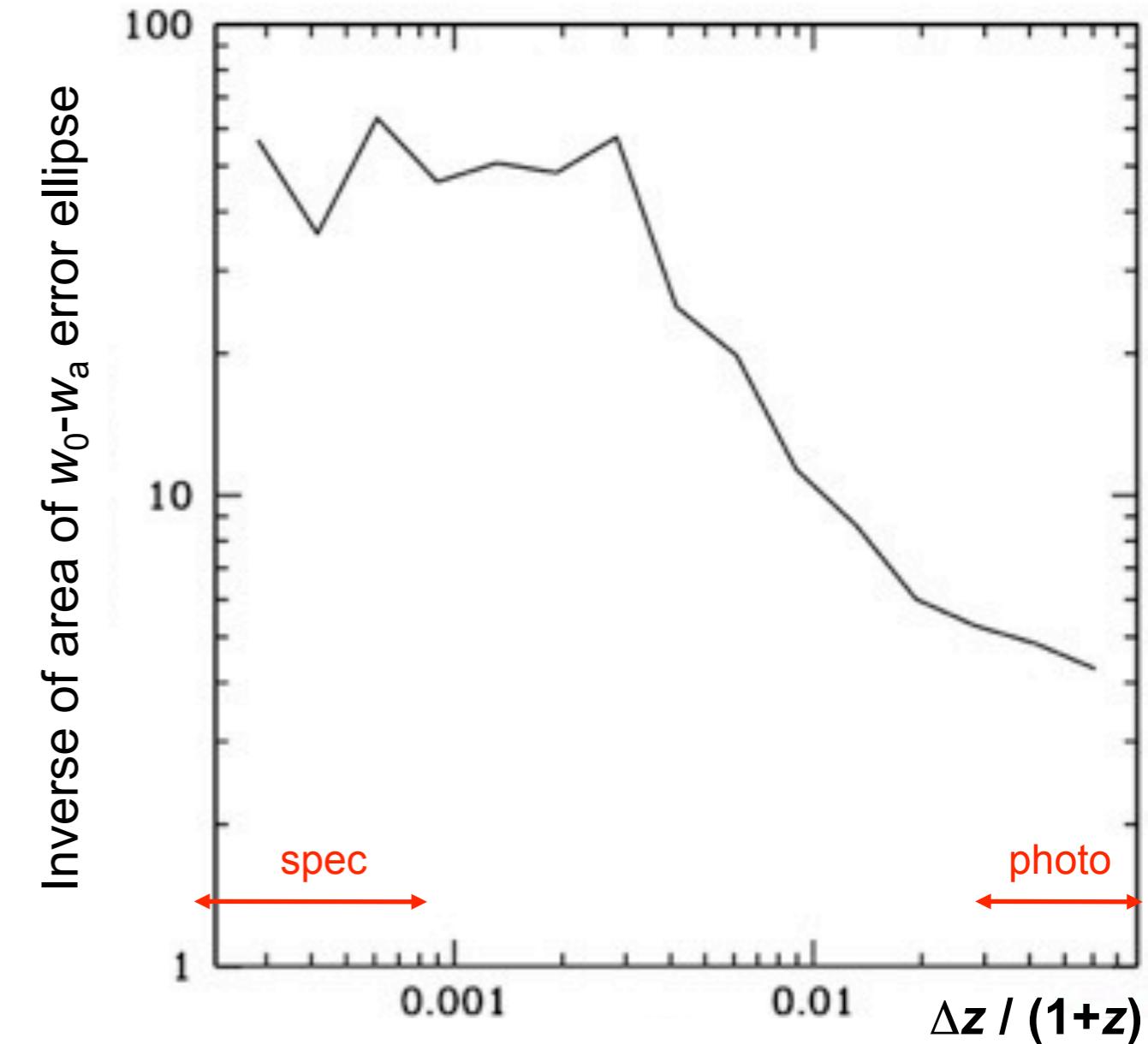
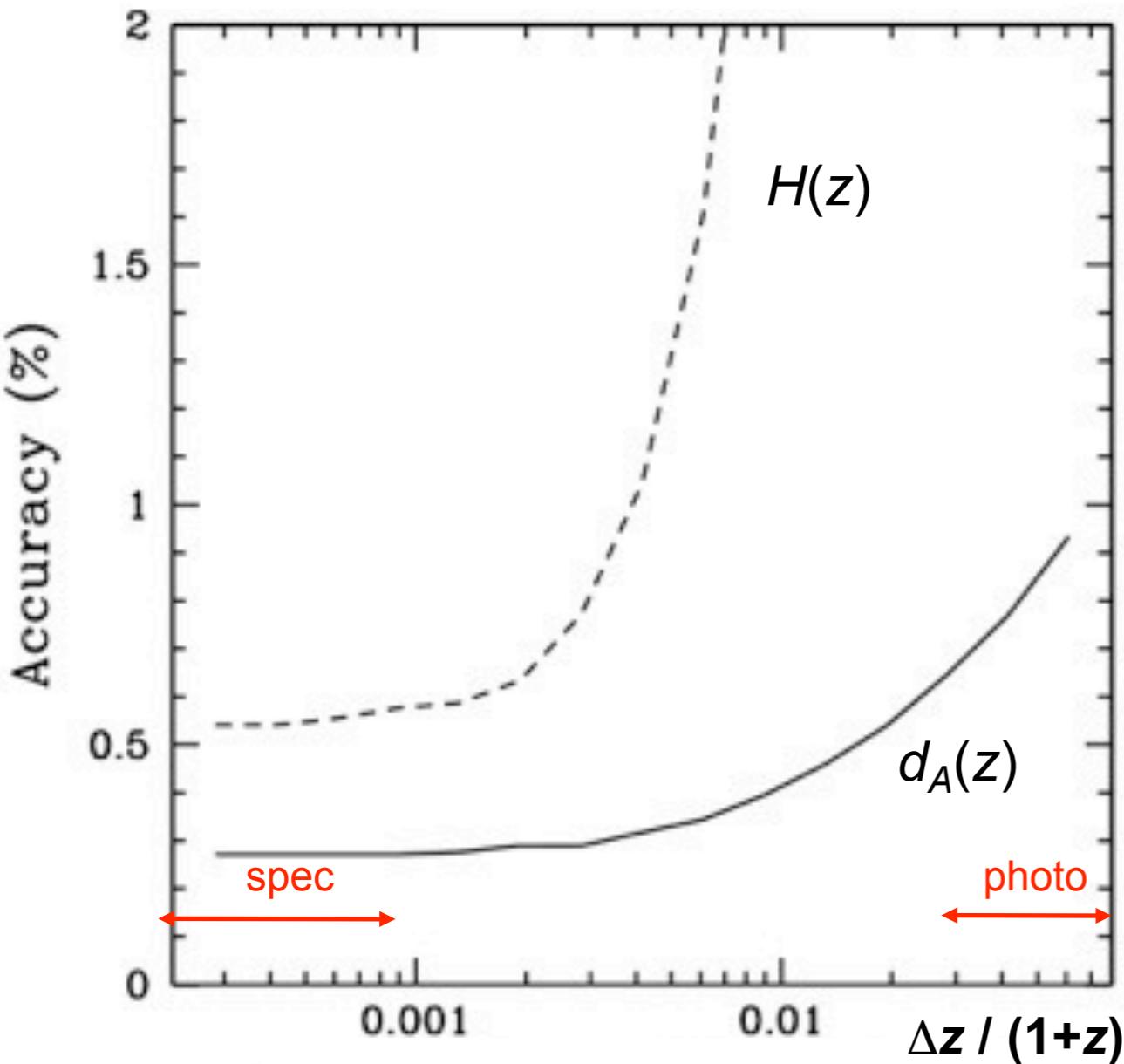
Photo-z 5-filter

Project	Redshift	Area (deg <sup>2</sup> )
WiggleZ	0.4-1.0	1000
HETDEX	2.0-4.0	350
WFMOS	0.5-1.3 2.3-3.3	2000 300
BOSS LRG + QSO	0.1-0.8 2.0-3.0	10000 8000
PAU-BAO	0-1	10000
Pan-STARRS*	0-1?	20000
DES*	0-1.5?	4000
LSST*	0-1.5?	20000

# Requirements on Redshift Precision

$$\frac{\sigma}{P} = \sqrt{\frac{2}{n_{\text{modes}}}} \left( 1 + \frac{1}{P\bar{n}} \right)$$

$$n_{\text{modes}} = V 4\pi k^2 \delta k / (2\pi)^3$$



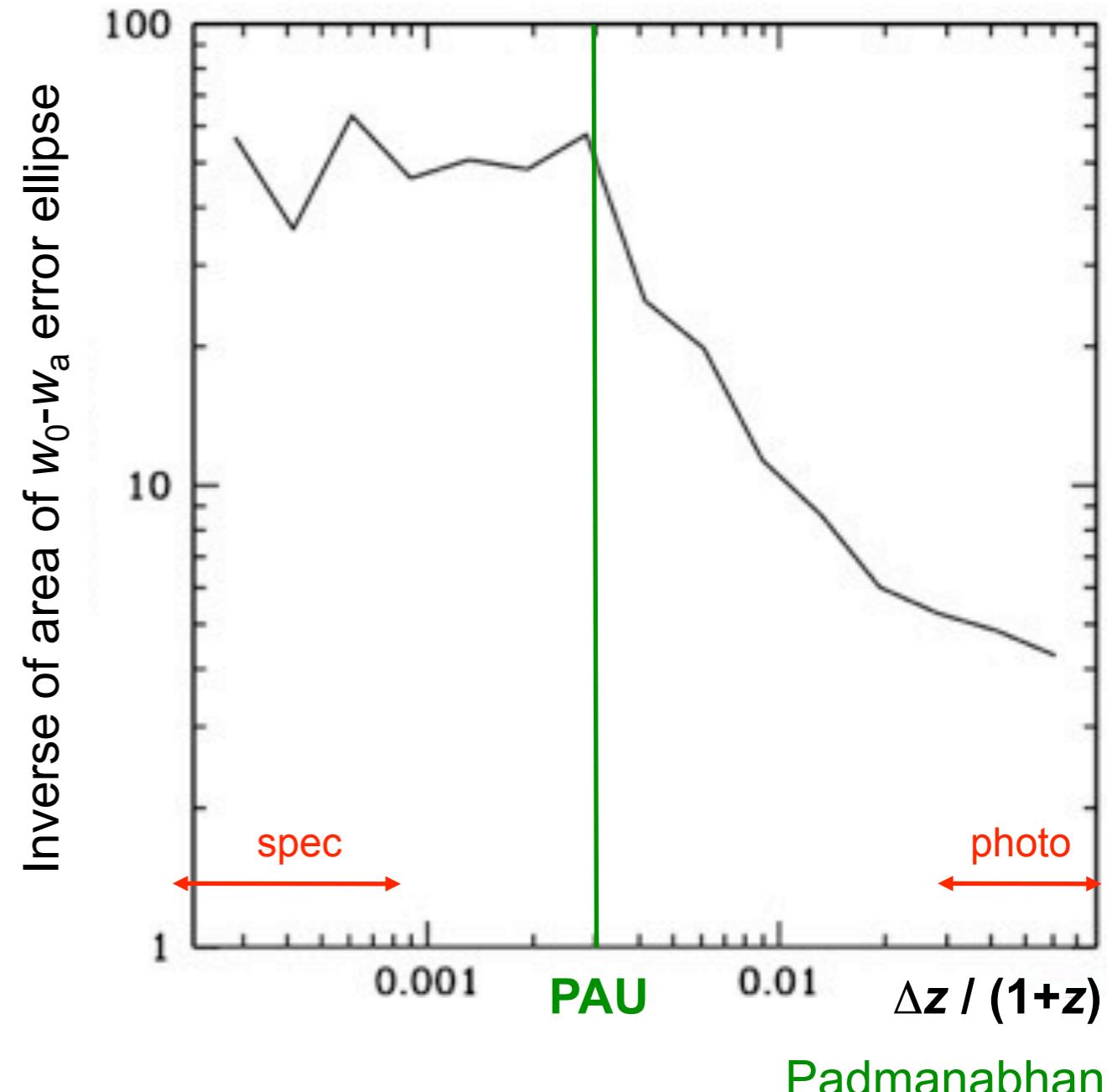
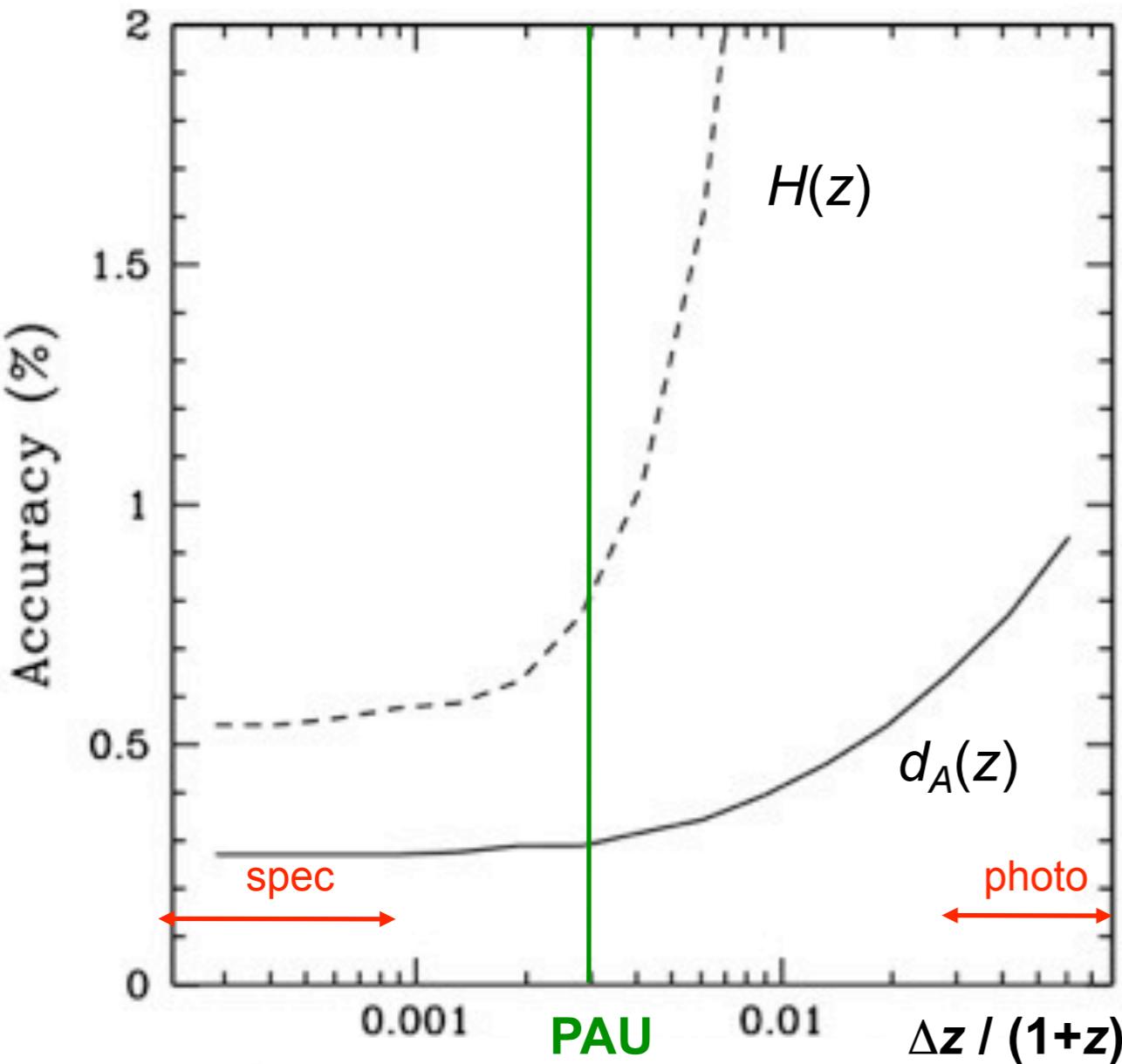
Spectroscopic accuracy is not needed:  
trade-off with number density

Padmanabhan

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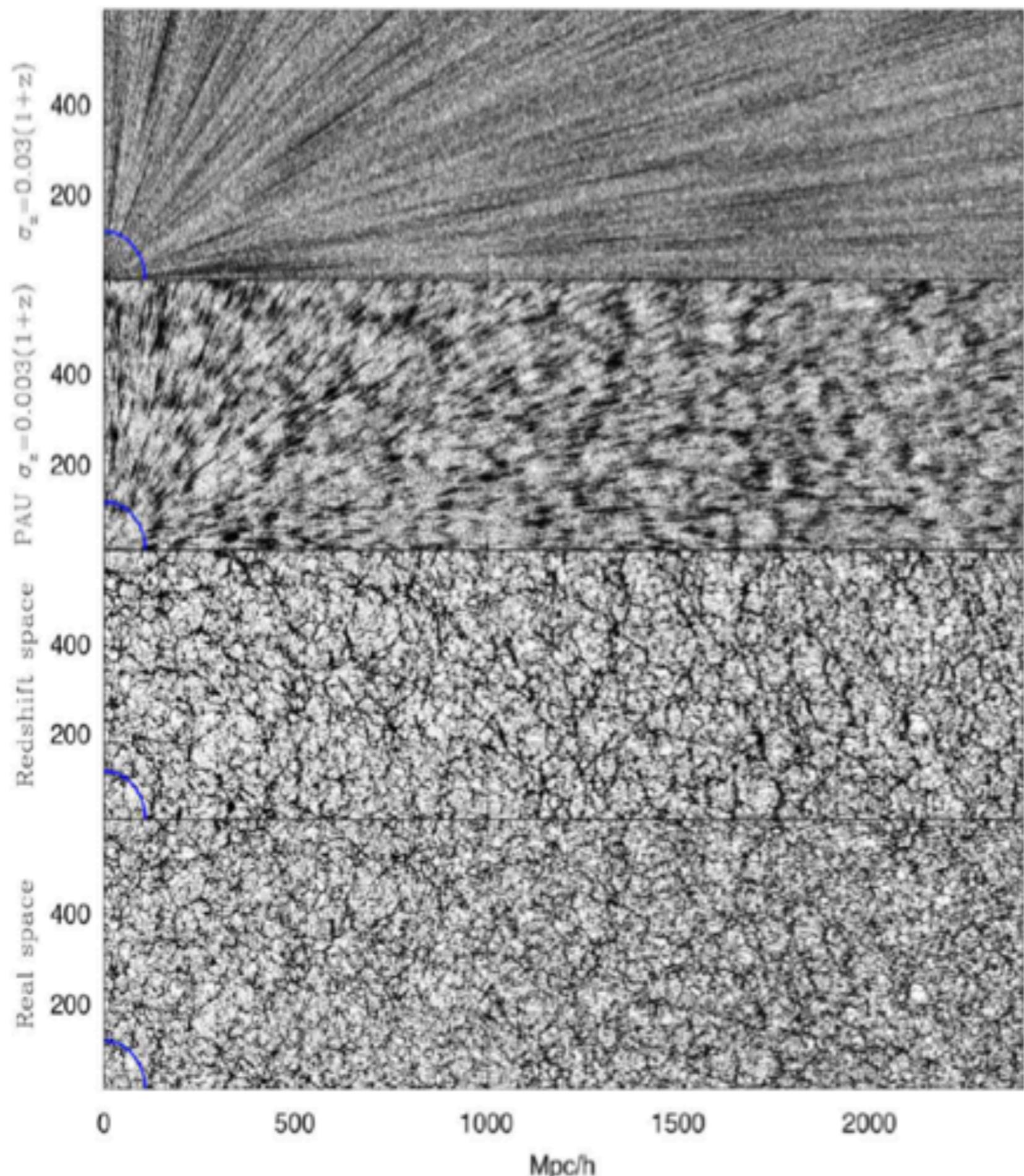
# Visual illustration of the importance of z resolution

z-space,  $\Delta z = 0.03(1+z)$   
+ peculiar velocities

z-space,  $\Delta z =$   
 $0.003(1+z)$  + peculiar  
velocities

z-space, perfect z-  
resolution + peculiar  
velocities

Real space, perfect  
resolution



# Galaxy Surveys

## **Photometric:**

poor radial (redshift) resolution ( $\sim 300$  Mpc/h) but more Volume

DES, VISTA, Pan-STARRS, Subaru/HSC, Skymapper, LSST

PAU

## **Spectroscopic:**

good or very good radial resolution (1-20Mpc/h), smaller Volume

WiggleZ, BOSS, e-BOSS, Subaru/Sumire, BiggBOSS, DESpec,  
HETDEX, SKA, VISTA/Spec

# SPADES network

Surveys for Physics of Acceleration and Dark Energy Science

## to participate in DES, PAU & Euclid (MICE/Planck, DESpec, e-BOSS)

### CIEMAT

E. Sánchez, F. J. Rodríguez, I. Sevilla

J. Castilla, J. de Vicente R. Ponce, F. J. Sánchez

### ICE/IEEC

F. J. Castander, E. Gaztañaga, P. Fosalba, A. Bauer, C. Bonnett, M. Crocce, S. Farrens, S. Jouvel R. Casas, J. Jiménez, F. Madrid, S. Serrano

J. Asorey, M. Eriksen, A. Izard, K. Hoffman, C. López, A. Pujol

### IFAE

E. Fernández, R. Miquel, C. Padilla, A. Pacheco, (S. Heinis, starting in September)

O. Ballester, L. Cardiel, F. Grañena, C. Hernández, L. López, M. Maiorino, C. Pio P. Martí, C. Sánchez C. Arteche, J. Gaweda

### PIC

M. Delfino, V. Acín, J. Carretero, M. Caubet, J. Flix, C. Neissner, P. Tallada, N. Tonello, E. Planas

### UAM

J. García-Bellido, D. Sapone, S. Nesseris Alicia Bueno, David Alonso

Senior Scientists

Post-docs

Engineers

Doctoral Students

Technicians

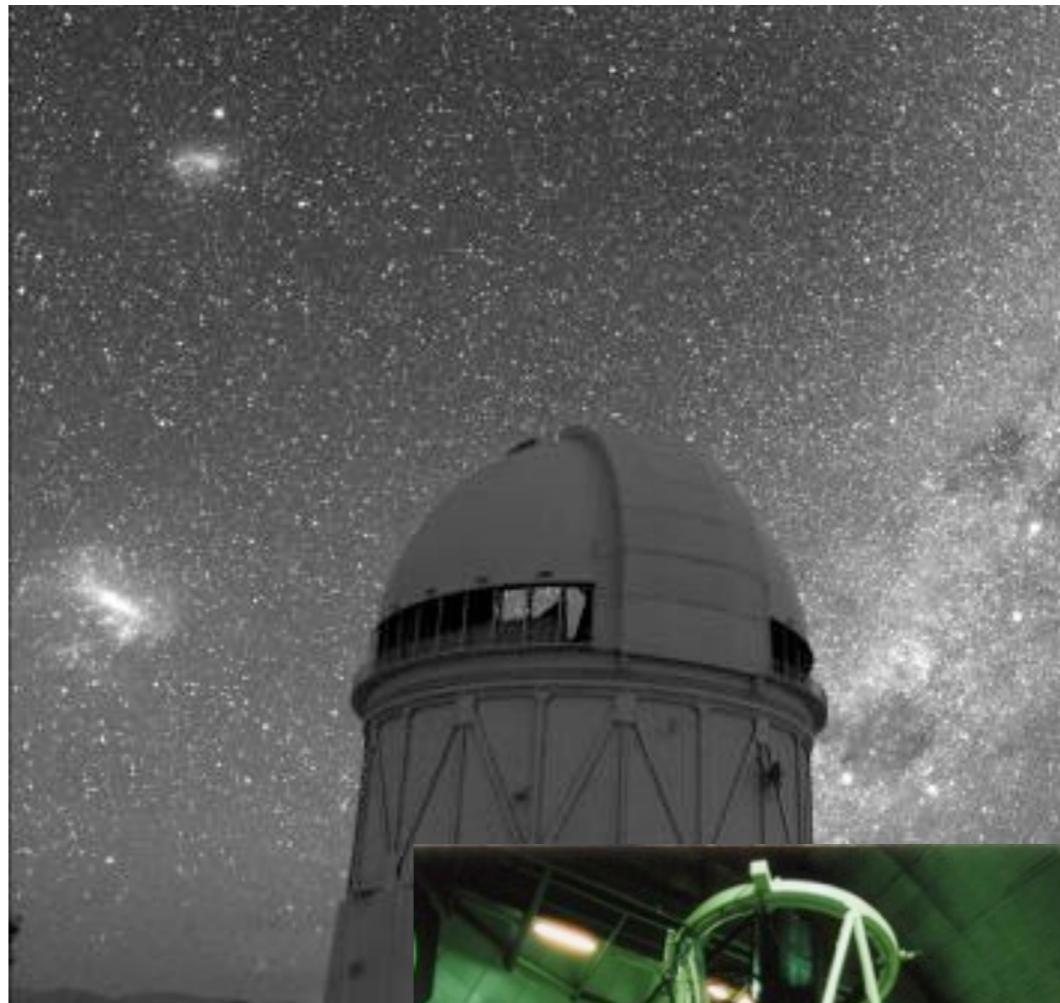


# DES= Dark Energy Survey

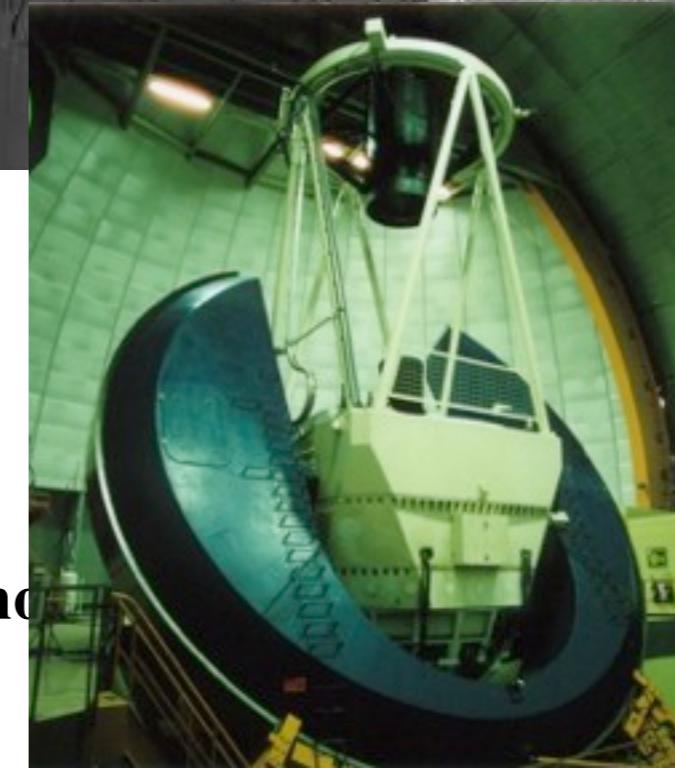
Spain: CIEMAT, ICE/IEEC, IFAE, UAM

DARK ENERGY  
SURVEY

- Study Dark Energy using 4 complementary\* techniques:
  - I. Cluster Counts
  - II. Weak Lensing
  - III. Baryon Acoustic Oscillations
  - IV. Supernovae
- Two multiband surveys:  
5000 deg<sup>2</sup>  $g, r, i, Z, Y$  to  $i \sim 24$   
9 deg<sup>2</sup> repeat (SNe)
- Build new 3 deg<sup>2</sup> camera and Data management system  
Survey 30% of 5 years  
Response to NOAO AO
- DES Forecast: FoM = 4.6x



**Blanco 4m  
Telescope  
Cerro-Tololo  
Observatorio  
Inter-American  
CTIO**



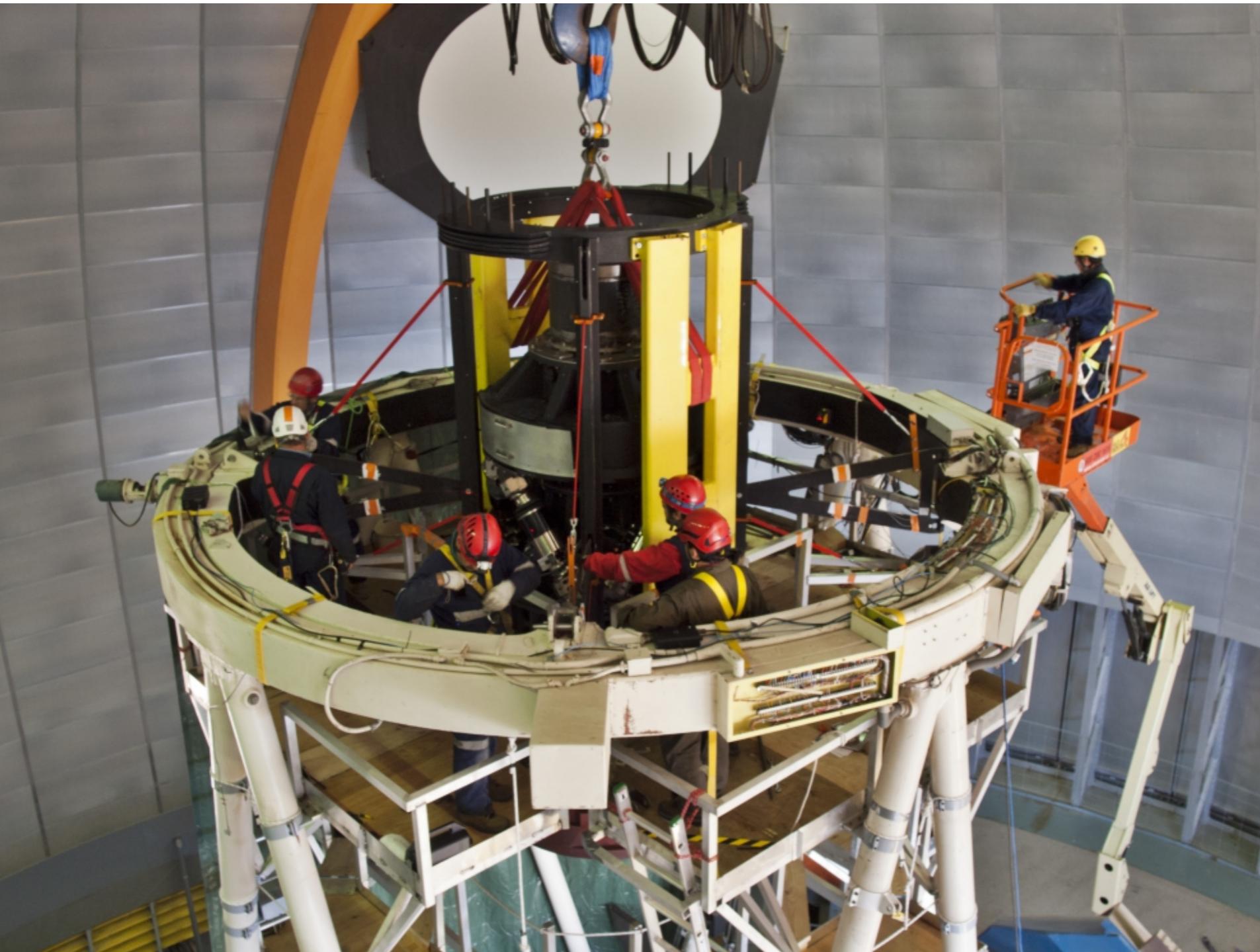


# Dark Energy Survey Status

DARK ENERGY  
SURVEY

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16<sup>th</sup> DES Collaboration Meeting, Munich, May 2012



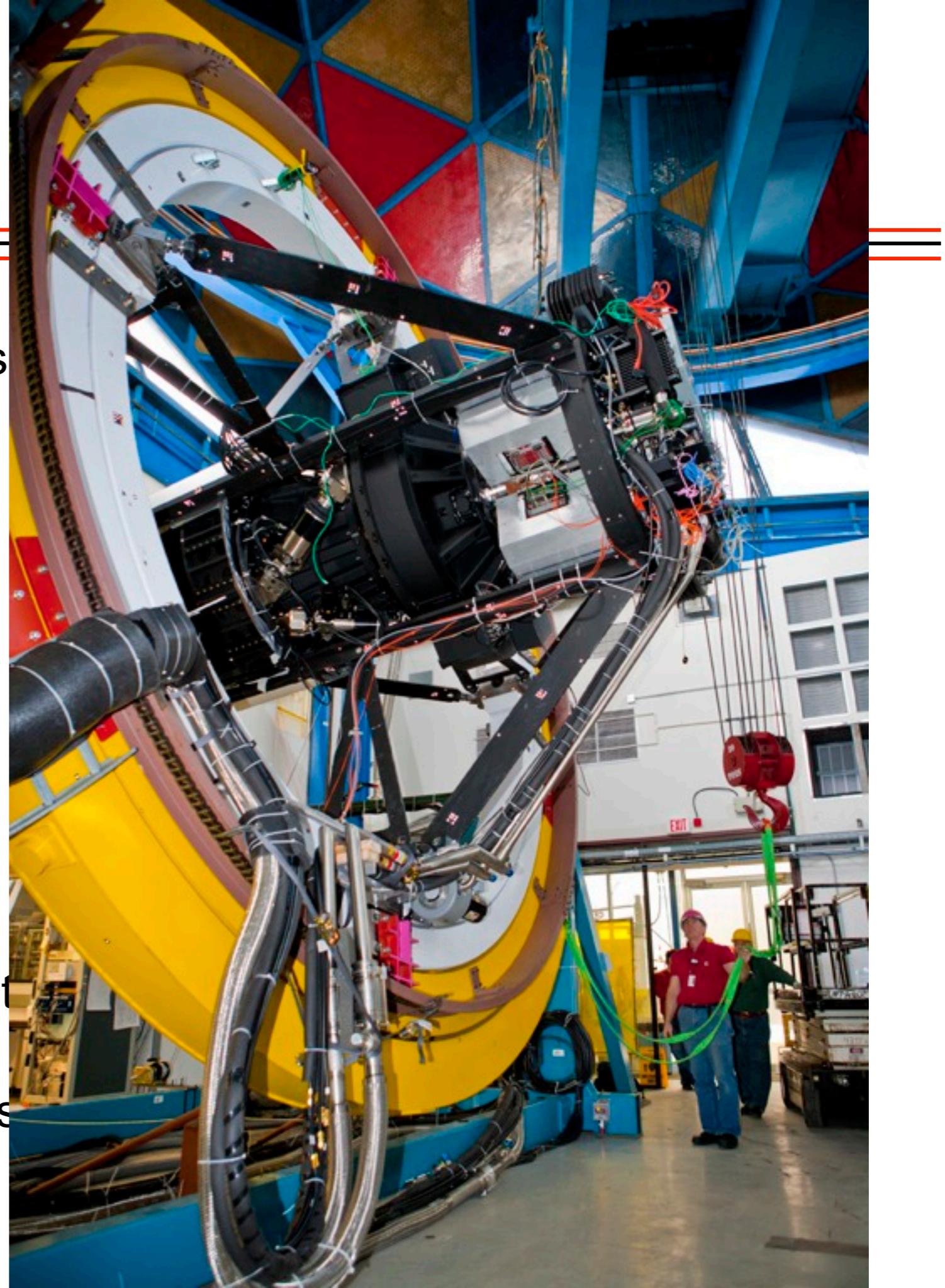
# Dec. 2010

DARK ENERGY  
SURVEY

- Most DECam systems complete and full system tests (except the optics) on telescope simulator

Imager with 28 CCDs installed, Filter changer, shutter, hexapod, LN2 cooling, CCD readout crate cooling, all exercised in multiple positions.

- Mock Observing Feb. 2011
- Rest of 2011:
  - Packing, shipping, checkout in Chile
  - Installation of science CCDs in imager





DARK ENERGY  
SURVEY

# I. Clusters and Dark Energy

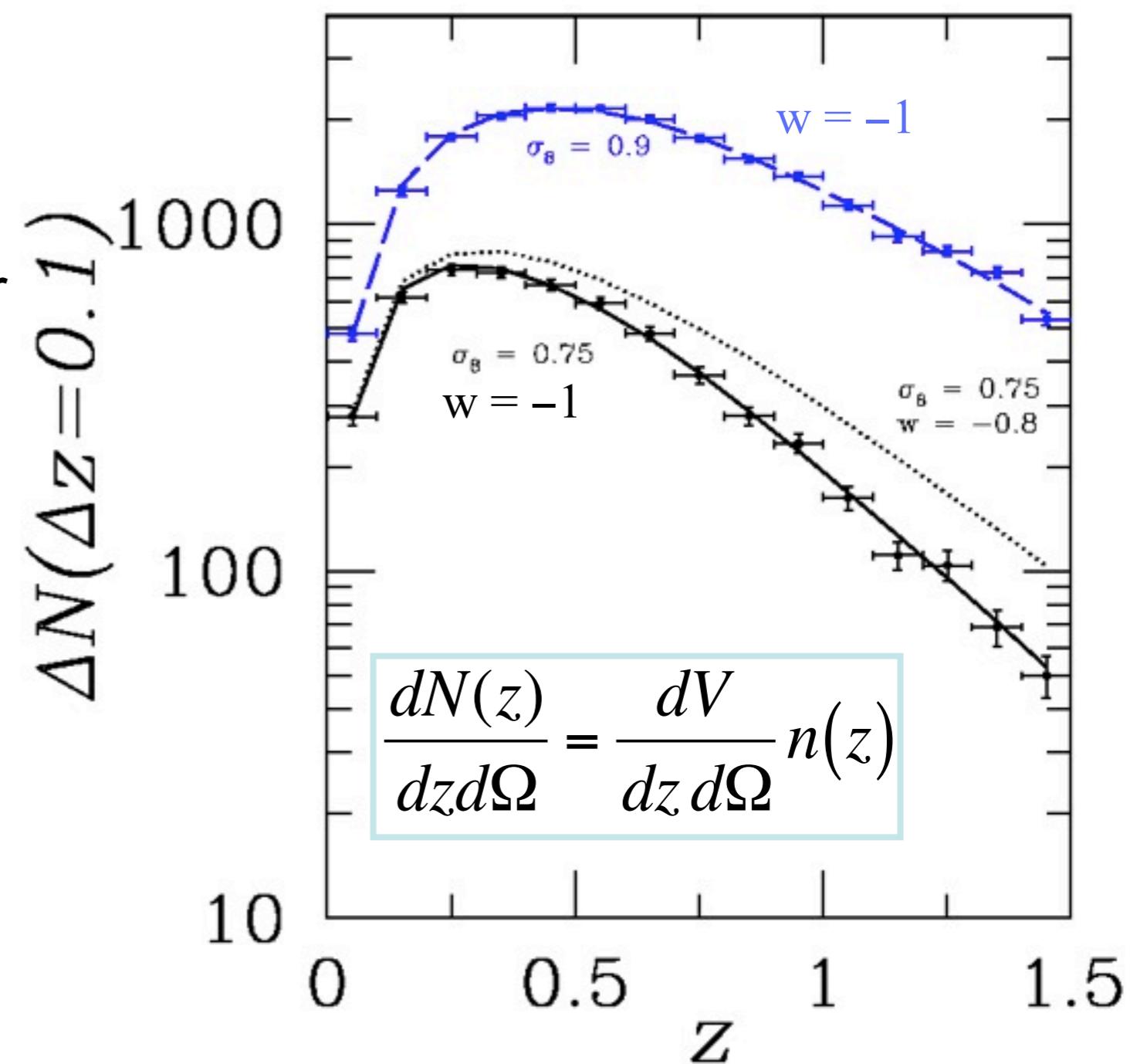
## • Requirements

- 1.Understand formation of dark matter halos
- 2.Cleanly select massive dark matter halos (galaxy clusters) over a range of redshifts
- 3.Redshift estimates for each cluster
- 4.Observable proxy that can be used as cluster mass estimate

$$g(O|M, z)$$

Primary systematics:  
Uncertainty in  $g$  (bias & scatter)  
Uncertainty in  $O$  selection fn.

Number of Clusters vs. Redshift

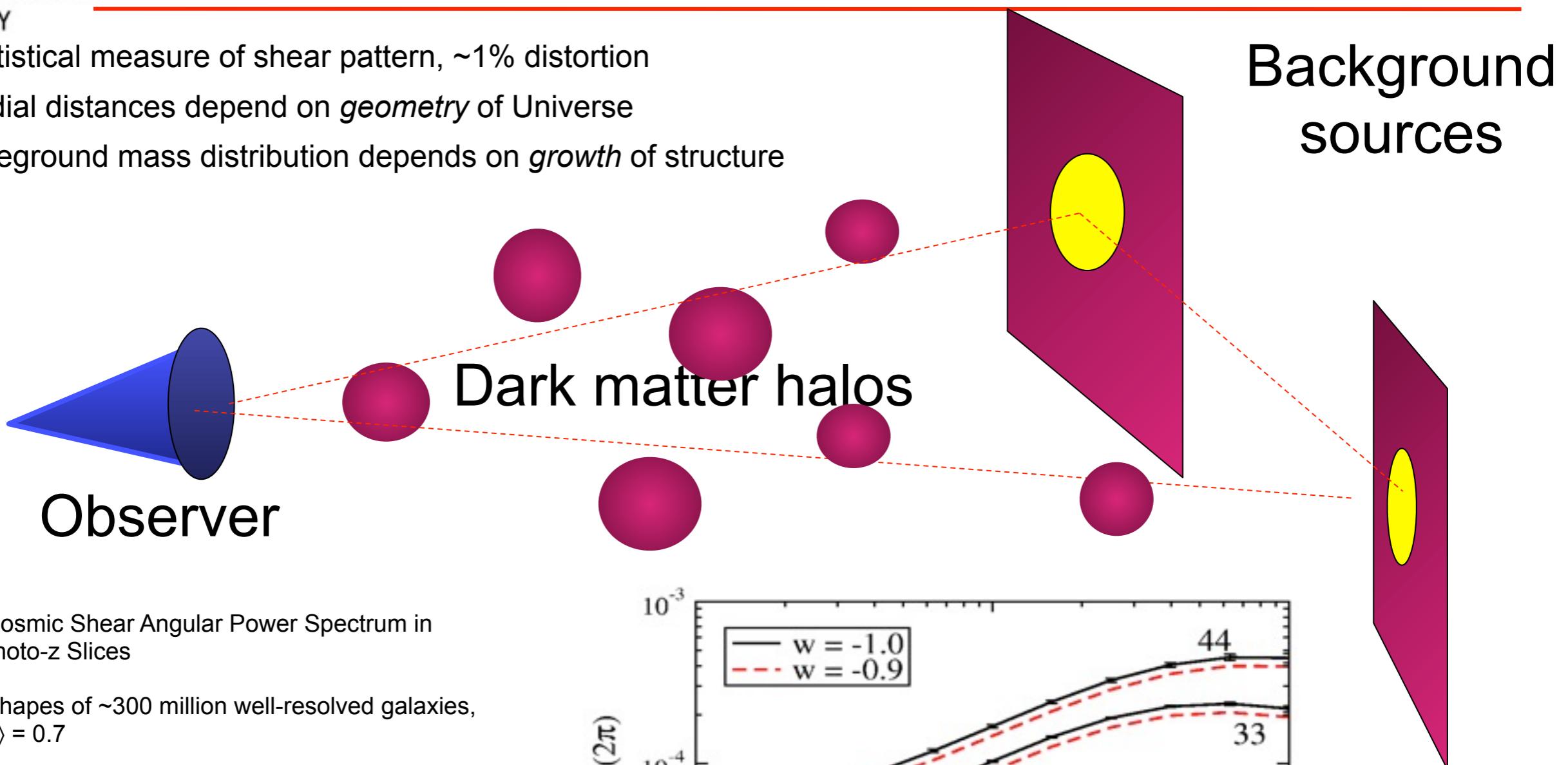




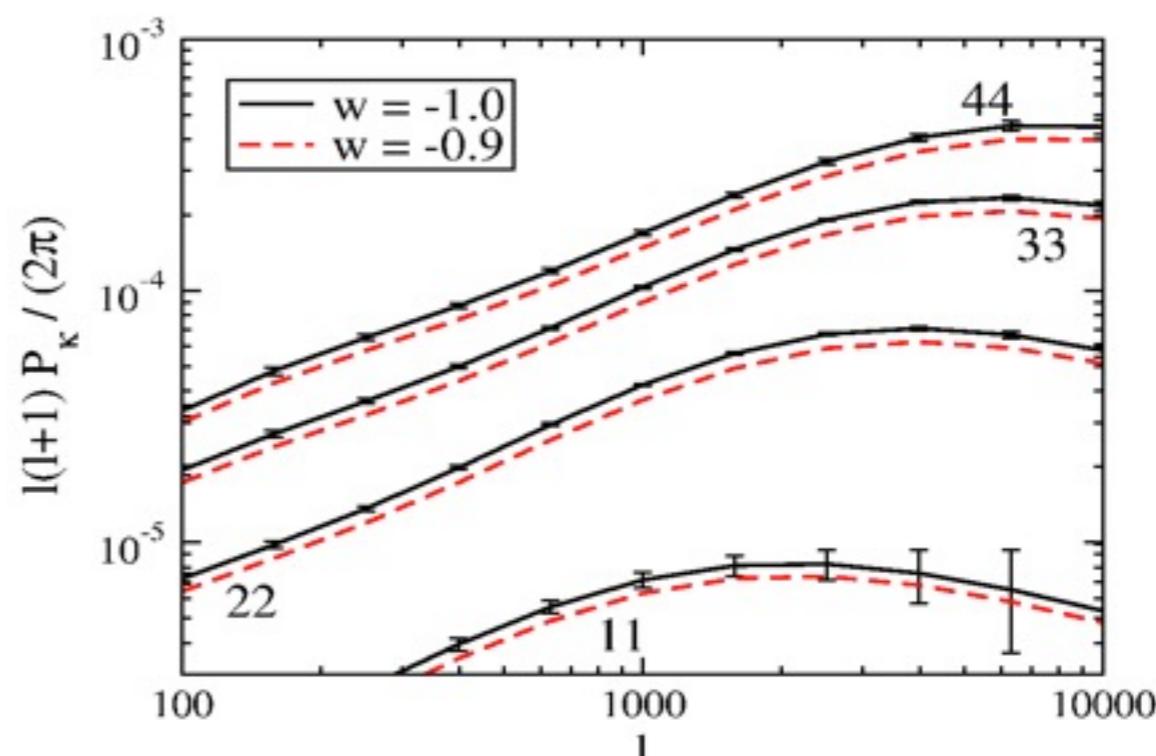
## II. Weak Lensing: Cosmic Shear

DARK ENERGY  
SURVEY

- Statistical measure of shear pattern, ~1% distortion
- Radial distances depend on *geometry* of Universe
- Foreground mass distribution depends on *growth* of structure



- Cosmic Shear Angular Power Spectrum in Photo-z Slices
- Shapes of ~300 million well-resolved galaxies,  $\langle z \rangle = 0.7$
- Primary Systematics:  
photo-z's,  
PSF anisotropy,  
shear calibration
- Extra info in bispectrum & galaxy-shear: robust

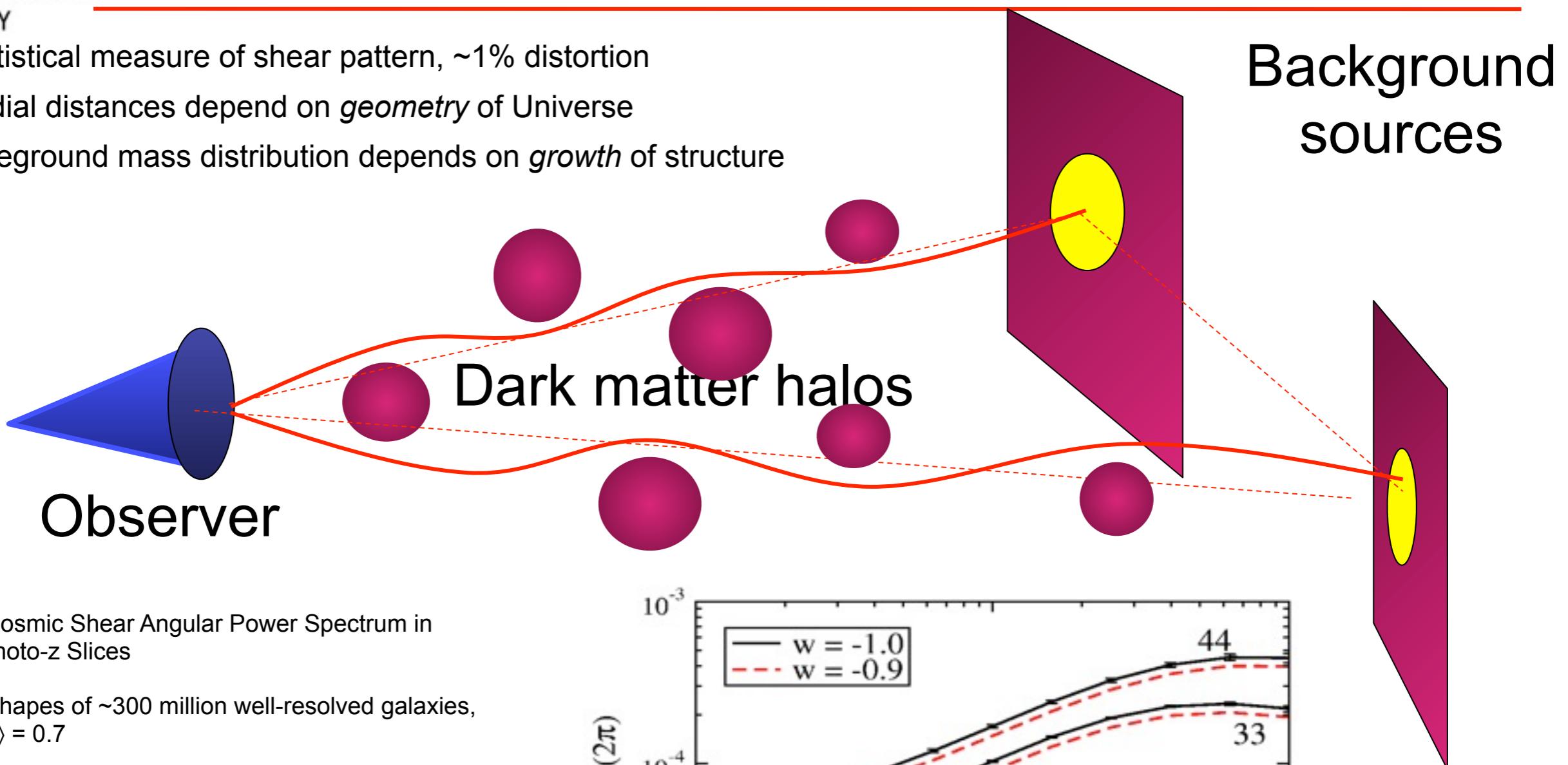




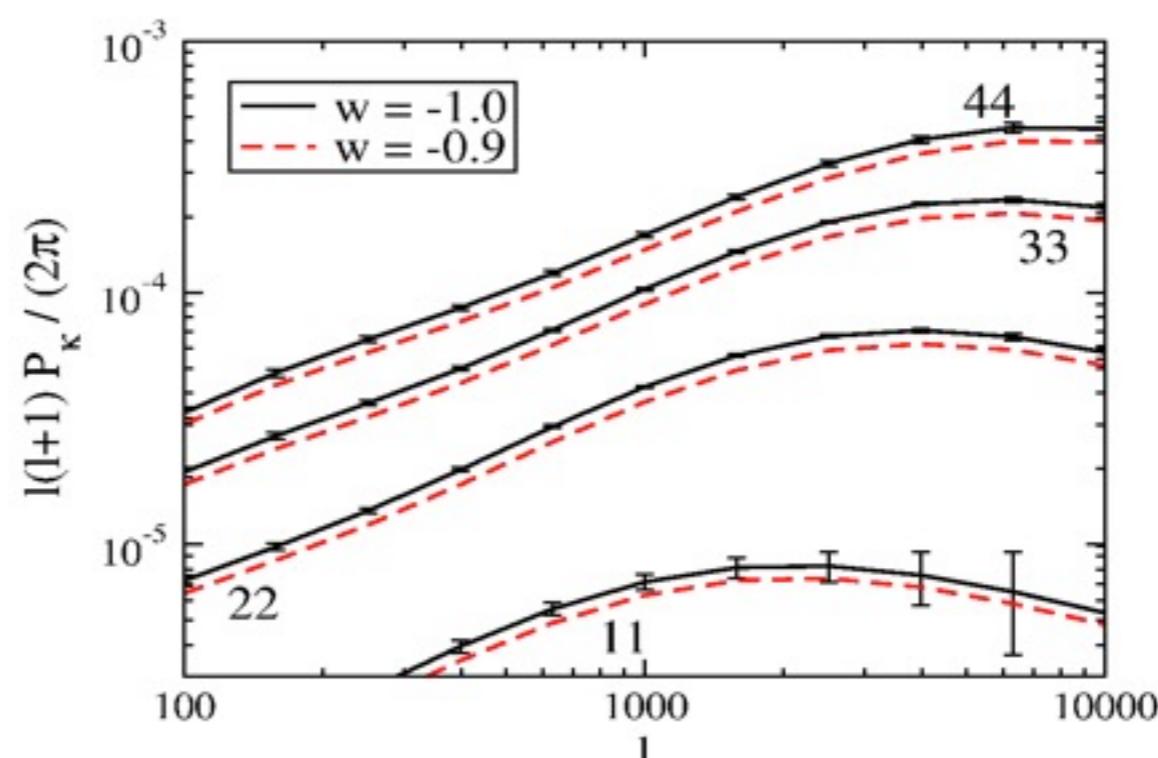
## II. Weak Lensing: Cosmic Shear

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SURVEY

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- Radial distances depend on *geometry* of Universe
- Foreground mass distribution depends on *growth* of structure



- Cosmic Shear Angular Power Spectrum in Photo-z Slices
- Shapes of ~300 million well-resolved galaxies,  $\langle z \rangle = 0.7$
- Primary Systematics:  
photo-z's,  
PSF anisotropy,  
shear calibration
- Extra info in bispectrum & galaxy-shear: robust



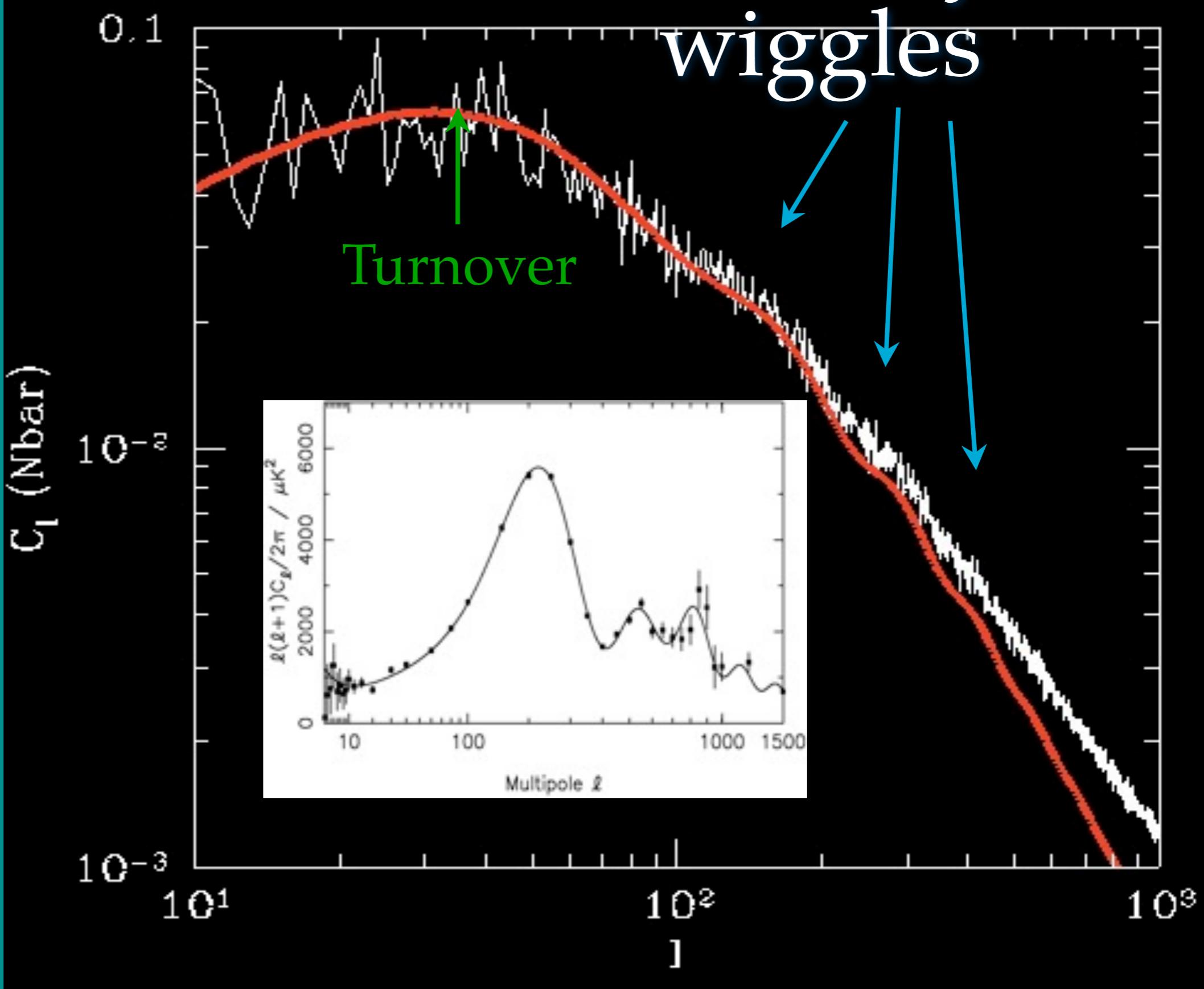
$$\frac{d^2\delta_k}{d\tau^2} + \mathcal{H} \frac{d\delta_k}{d\tau} - \left( \frac{3}{2} \mathcal{H}^2 \Omega_m - k^2 v_s^2 \right) \delta_k = 0$$

### III. Baryon wiggles



Angular  
Spectrum  
For single  
redshift  
slice:  
 $z = 0.9-1.0$   
  
Of MICE  
Simulation

[www.ice.cat/mice](http://www.ice.cat/mice)





DARK ENERGY  
SURVEY

## IV. Supernovae

- Geometric Probe of Dark Energy
- Baseline: repeat observations of  $9 \text{ deg}^2$  using 10% of survey time: 5 visits per lunation in *riz*
- ~1100-1400 well-measured SN Ia lightcurves to  $z \sim 1$
- Larger sample, improved z-band response (fully depleted CCDs) compared to ESSENCE, SNLS: reduce dependence on **rest-frame *u*-band** and **Malmquist bias**
- Spectroscopic follow-up of large SN subsample +host galaxies (LBT, Magellan, Gemini, Keck, VLT, ...) e.g., focus on ellipticals (low **dust extinction**)



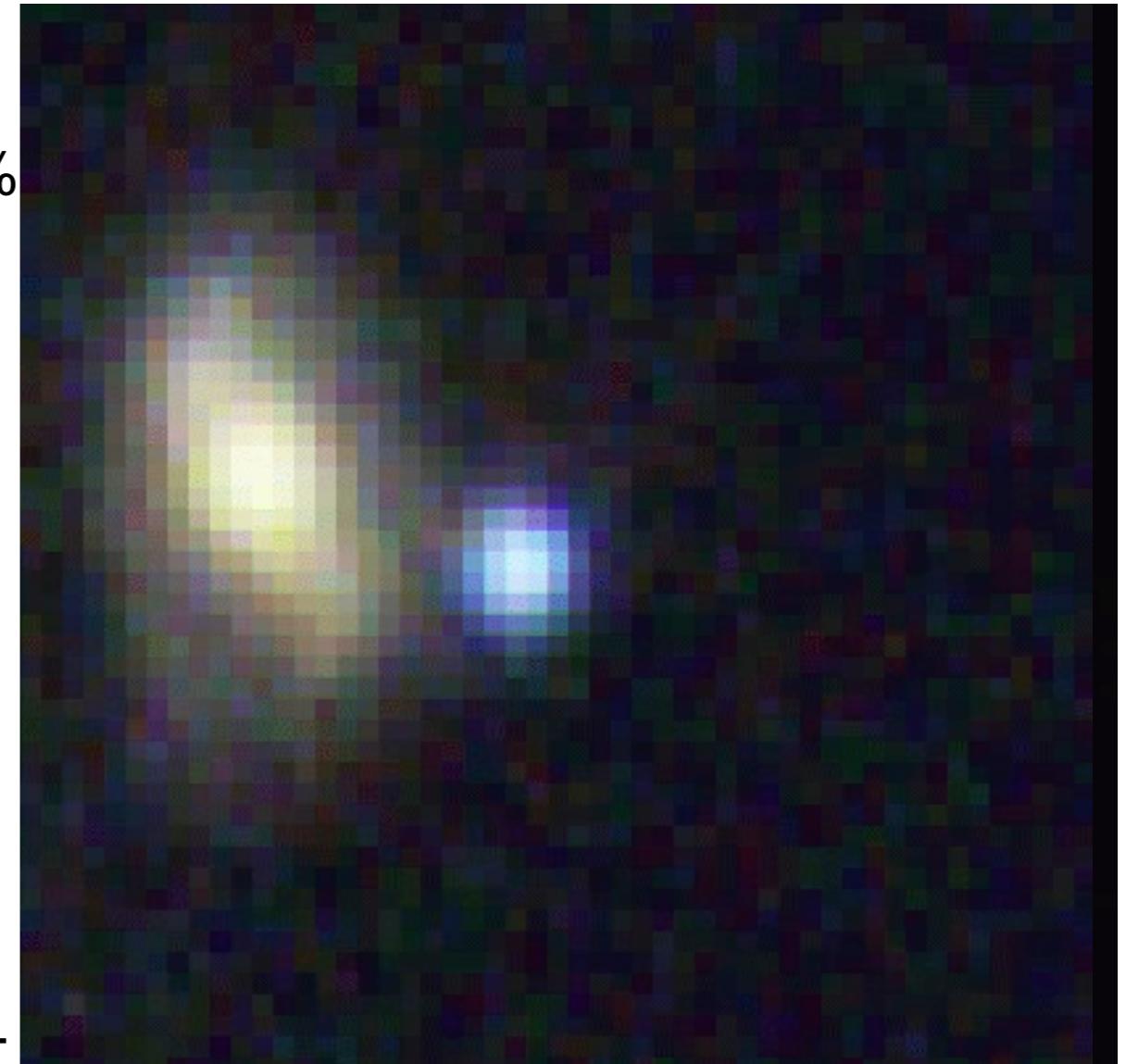
SDSS



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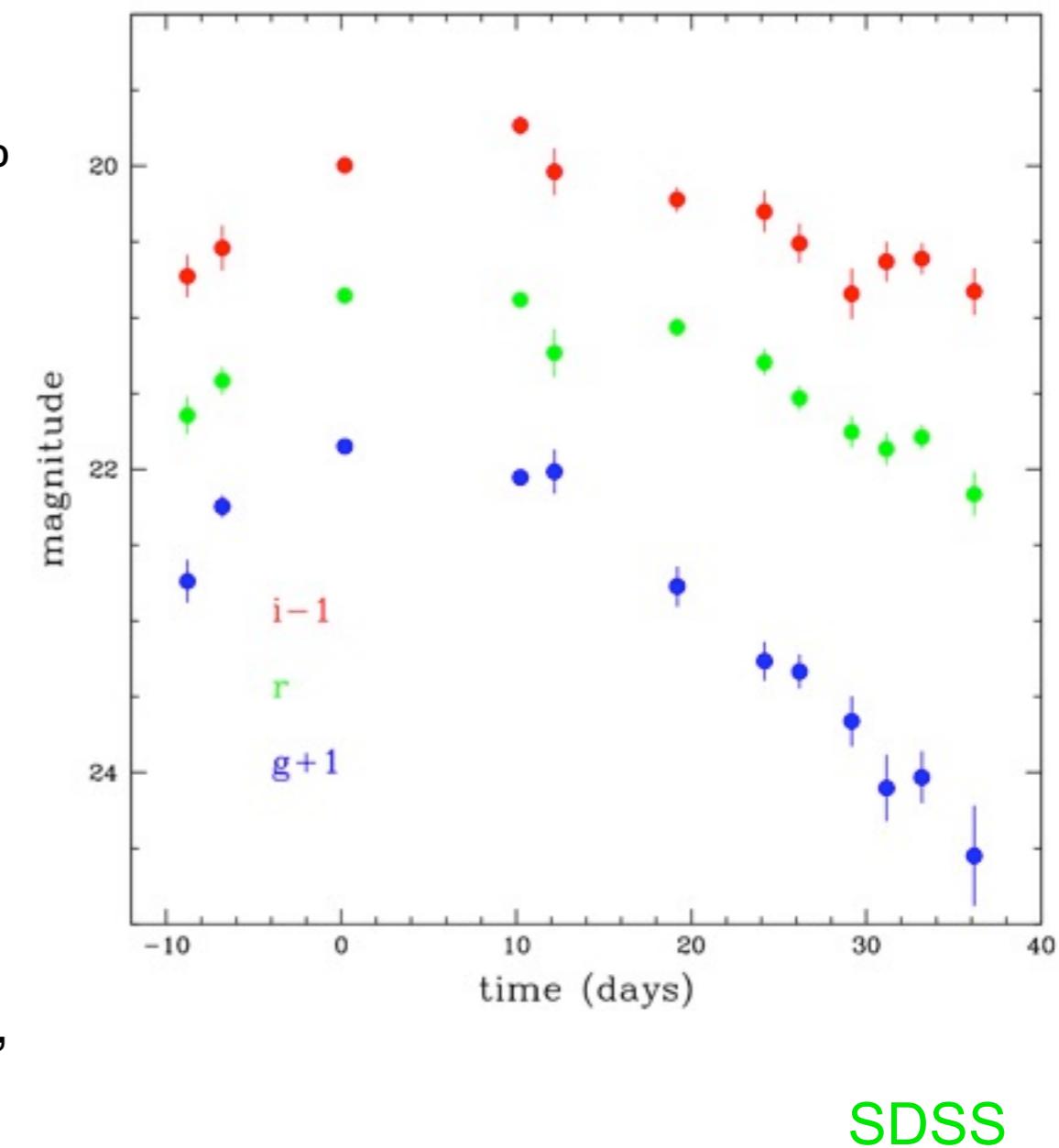
SDSS



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# DES Forecasts: Power of Multiple Techniques

DARK ENERGY  
SURVEY

Assumptions:

Clusters:

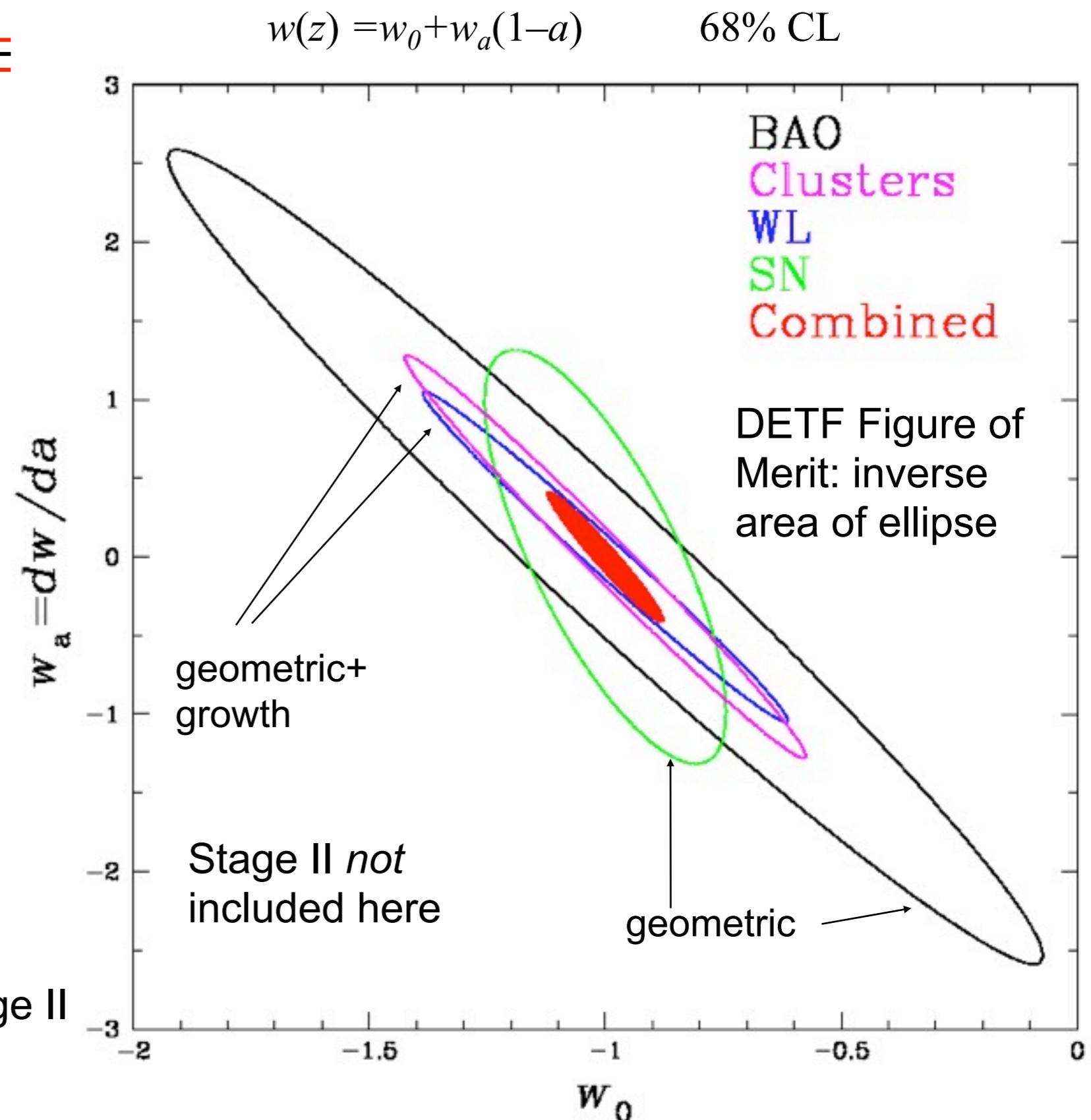
$\sigma_8=0.75$ ,  $z_{\text{max}}=1.5$ ,  
WL mass calibration  
(no clustering)

BAO:  $\ell_{\text{max}}=300$   
WL:  $\ell_{\text{max}}=1000$   
(no bispectrum)

Statistical+photo-z  
systematic errors only

Spatial curvature, galaxy bias  
marginalized,  
Planck CMB prior

Factor 4.6 improvement over Stage II





# Concluding Remarks

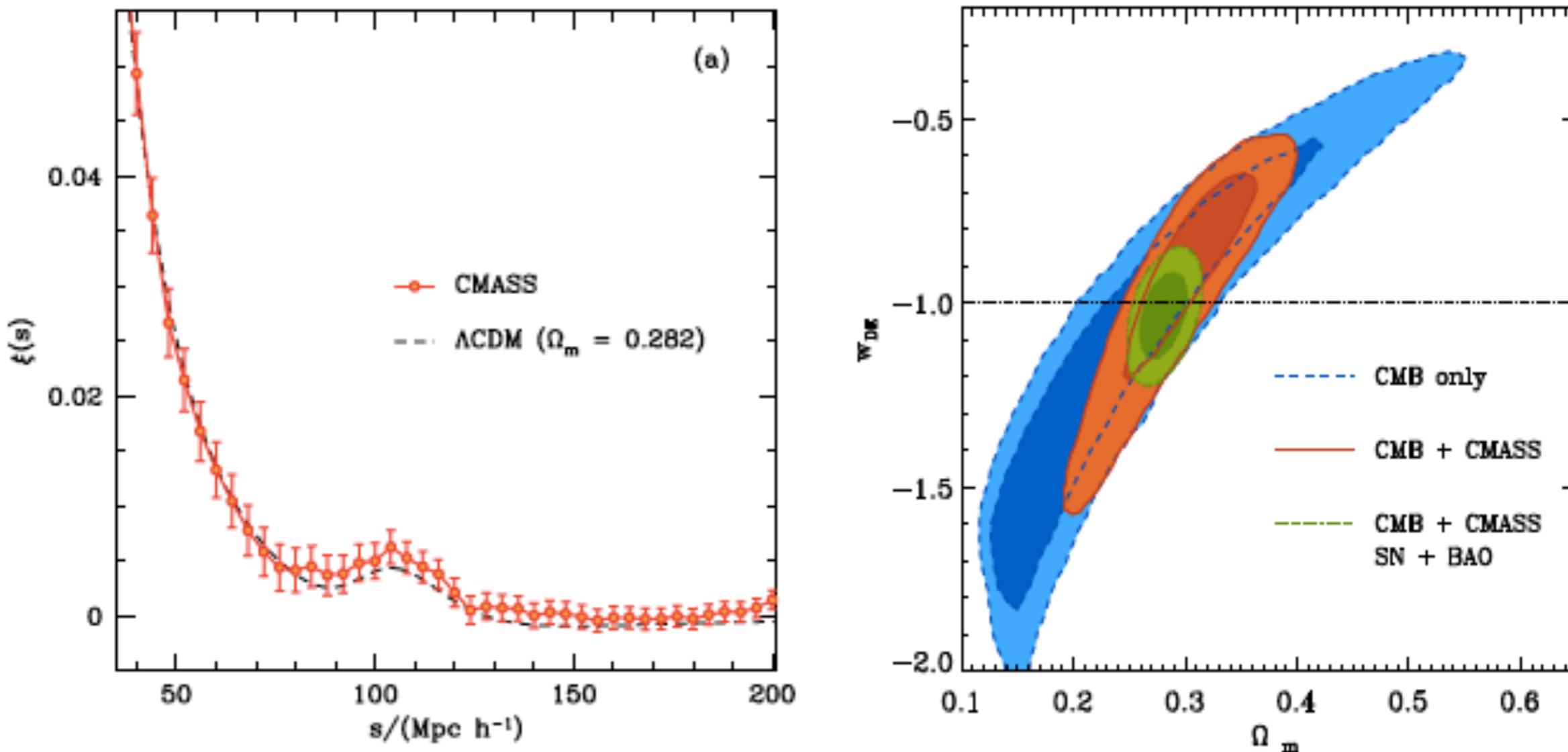
DARK ENERGY  
SURVEY

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- **DES project** has made great progress over the last year, though with some schedule slippage.
- **DECam** complete.
- **Installation** well underway.
- **Commissioning and transition to survey operations** this year: commissioning and operations plans exist, details being refined, Year-1 science program/strategy mature & flexible.
- **Data Management system** has made good recent progress, but needs support to deliver on science requirements and operational readiness; will need to phase in functionality.
- **SWG activity** continuing to ramp up and will be critical during commissioning, Science Verification, and early operations.
- We will soon have a fantastic instrument on a world-class telescope and embark on a great, discovery-filled survey.

# New Results - BOSS



basic parameters can be specified by  $\Omega_m = 0.285 \pm 0.009$ ,  $100\Omega_b = 4.59 \pm 0.09$ ,  $n_s = 0.961 \pm 0.009$ ,  $H_0 = 69.4 \pm 0.8 \text{ km s}^{-1} \text{ Mpc}^{-1}$  and  $\sigma_8 = 0.80 \pm 0.02$ . The

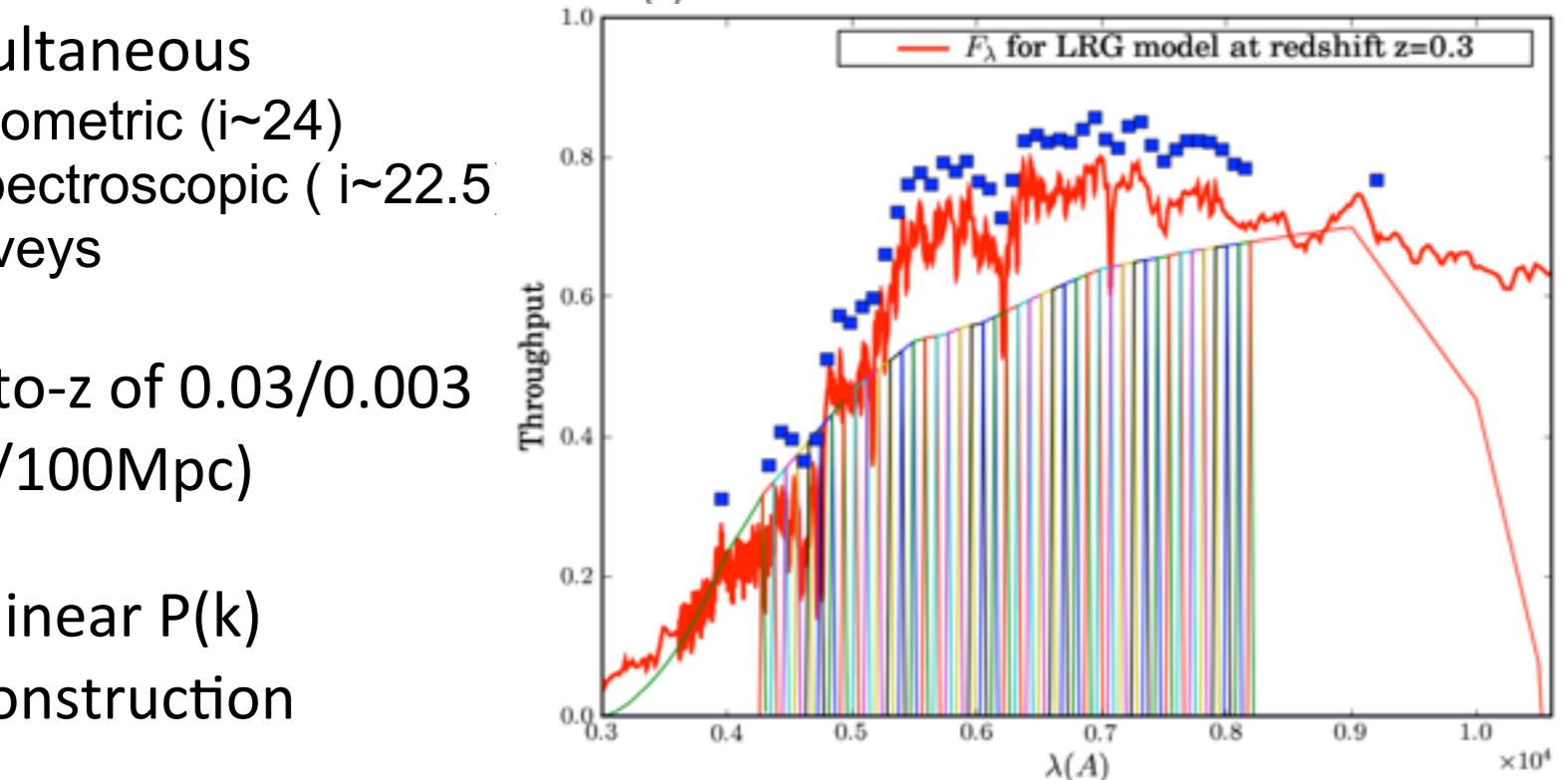
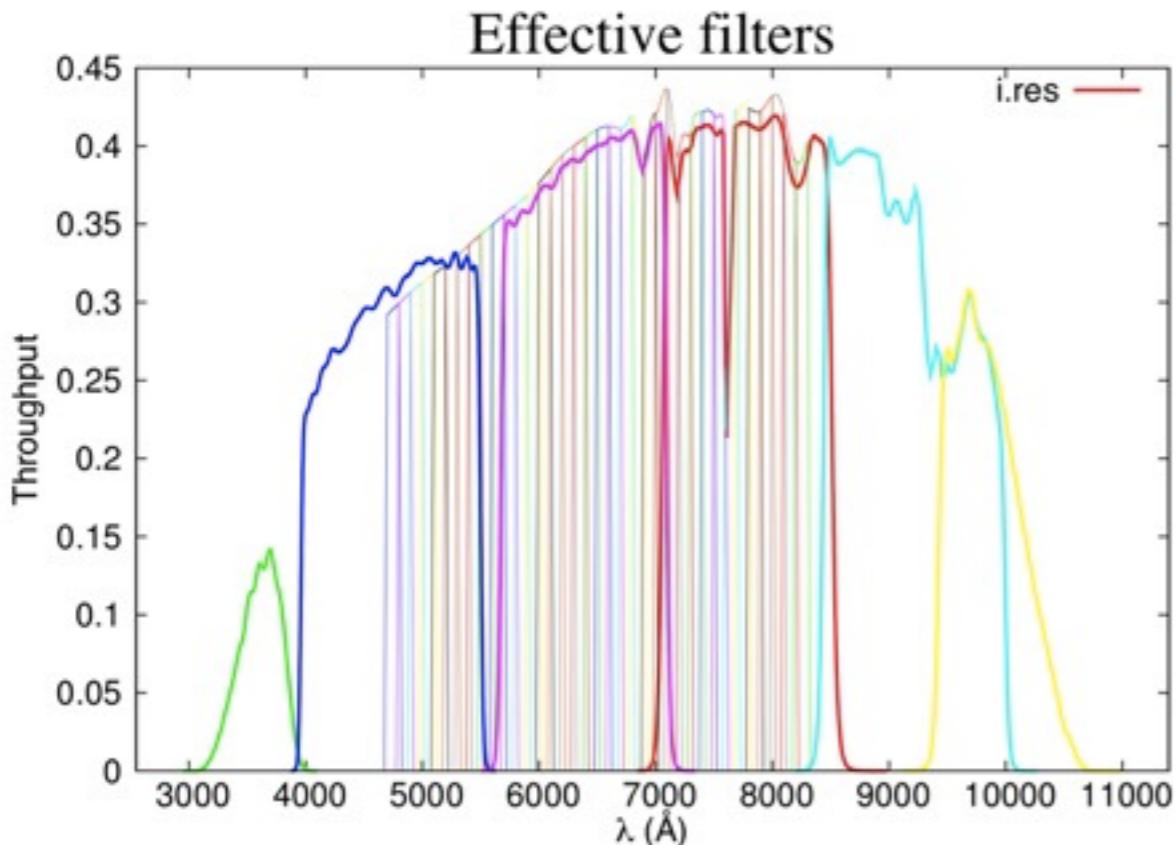
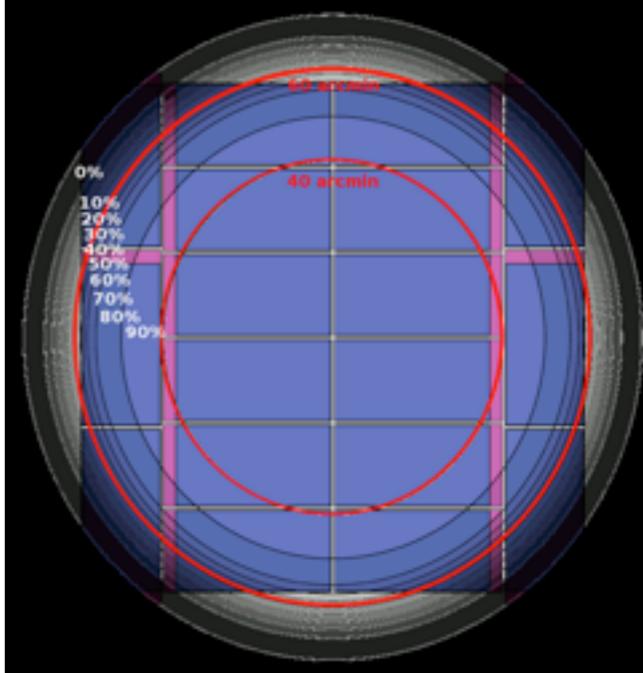
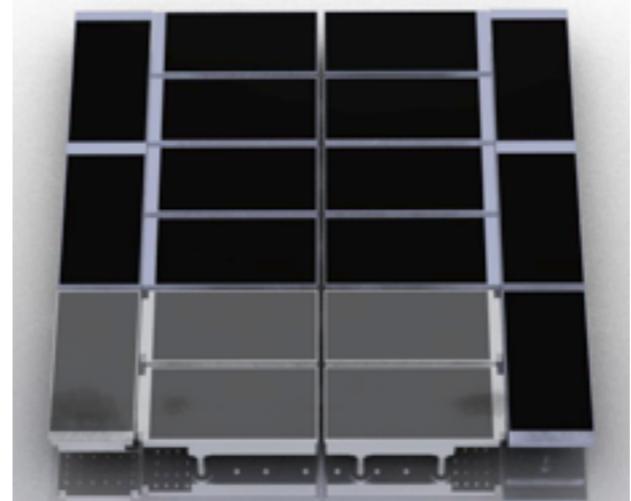
$$w = -1.03 \pm 0.07$$

Sanchez et al. 2012

# Spain lead (SPADES)

## PAU Survey @WHT

18+4 Hamamatsu CCD

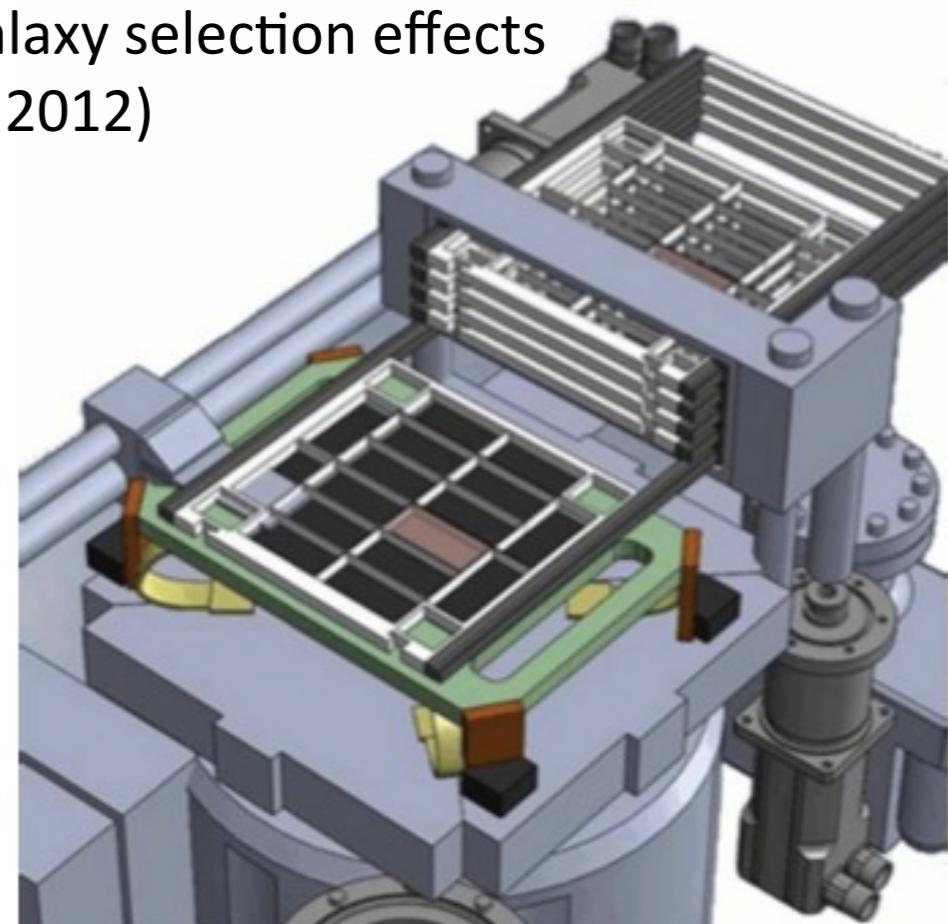


In 1 night can do 2(4) sqr.deg. to  $i \sim 22.5$   
in 36 narrow + 6x2 broad ( $i \sim 24$  survey)  
To get  $R=1/100$  spectra (900 Km/s)  
for 30,000 galaxies (15,000/sd)  
And  $R=1/10$  photo-z for 120,000 galaxies  
No galaxy selection effects  
(end 2012)

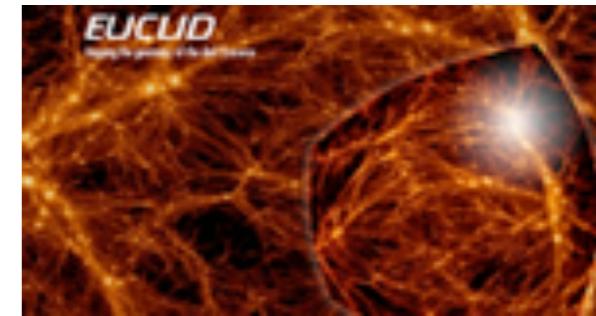
Simultaneous  
Photometric ( $i \sim 24$ )  
& Spectroscopic ( $i \sim 22.5$ )  
Surveys

Photo-z of 0.03/0.003  
(10/100Mpc)

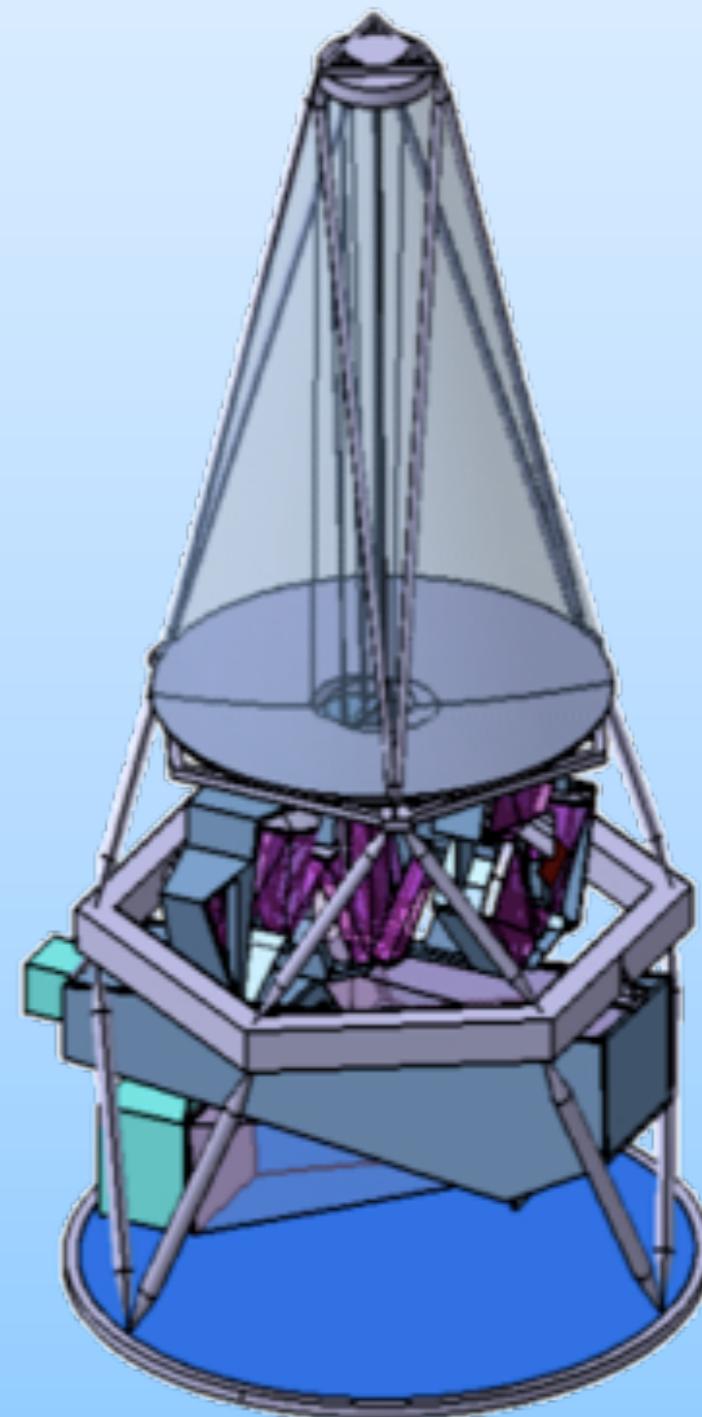
For linear  $P(k)$   
reconstruction



# Euclid



- ESA Cosmic Vision satellite proposal (600M€, M-class mission)
- 5 year mission, L2 orbit
- 1.2m primary mirror, 0.5 sq. deg FOV
- $\Omega = 20,000 \text{deg}^2$  imaging and spectroscopy
- slitless spectroscopy:
  - 100,000,000 galaxies (direct BAO)
  - ELGs (H-alpha emitters):  $z \sim 0.5-2.1$
- imaging:
  - deep broad-band optical + 3 NIR images
  - 2,900,000,000 galaxies (for WL analysis)
  - photometric redshifts
- Space-base gives robustness to systematics
- Final down-selection due mid 2011
- nominal 2017 launch date
- See also: LSST, WFIRST



## **Problem Using Galaxy Surveys:**

they are biased tracers of DM

## **Possible Solutions:**

### *Avoid bias:*

CMB, SNIa

Clusters, BAO

Use redshift space distortions <= only sensitive to ratios

Do weak lensing (to avoid bias) <= is 2D

### *Measure bias*

learn about galaxy formation => put priors on bias

higher order correlations

### *Combine the best of both:* Do cross-correlations

# Forecast: Planck+SNII priors

5000 sq.deg.

$\text{FoM}_{w\gamma} \times 10^3$	RSD	RSD +BAO	WL Shear-Shear	Galaxy-Galaxy (including magnification to measure bias)	Galaxy-Galaxy WHEN BIAS IS KNOWN
Photometric ( $i < 24$ )			3.2	0.3	8.4
Spectroscopic ( $i < 22.5$ )	0.5	2.7		0.1	17

Motivation to learn about bias

# Cosmology with Galaxy Clustering

Focus here only on large scales, where bias is only weakly non-linear (and  $r \sim l$ ) but evolves with redshift and luminosity  $b=b(z)$

1. Galaxy Clustering 2pt: 3D, all info but biased
2. Galaxy Clustering 3pt: 3D (bias can be roughly measured)
3. Weak Lensing: 2D (unbiased but degenerate)
4. Redshift Space Distortions: ratios, (unbiased but degenerate)
5. BAO: 1.5 D (unbiased)

Combine (cross-correlate) Photometric & Spectroscopic Surveys

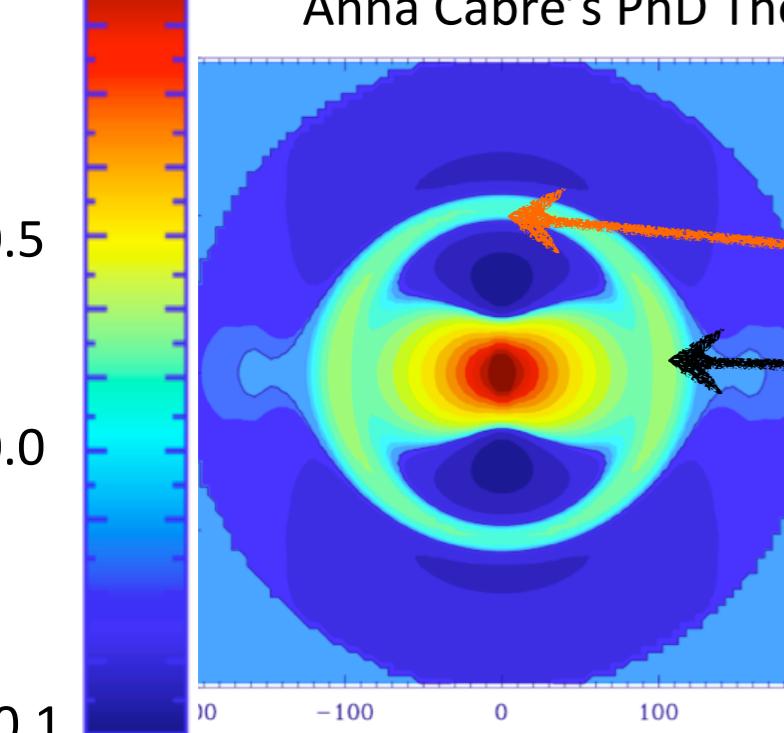
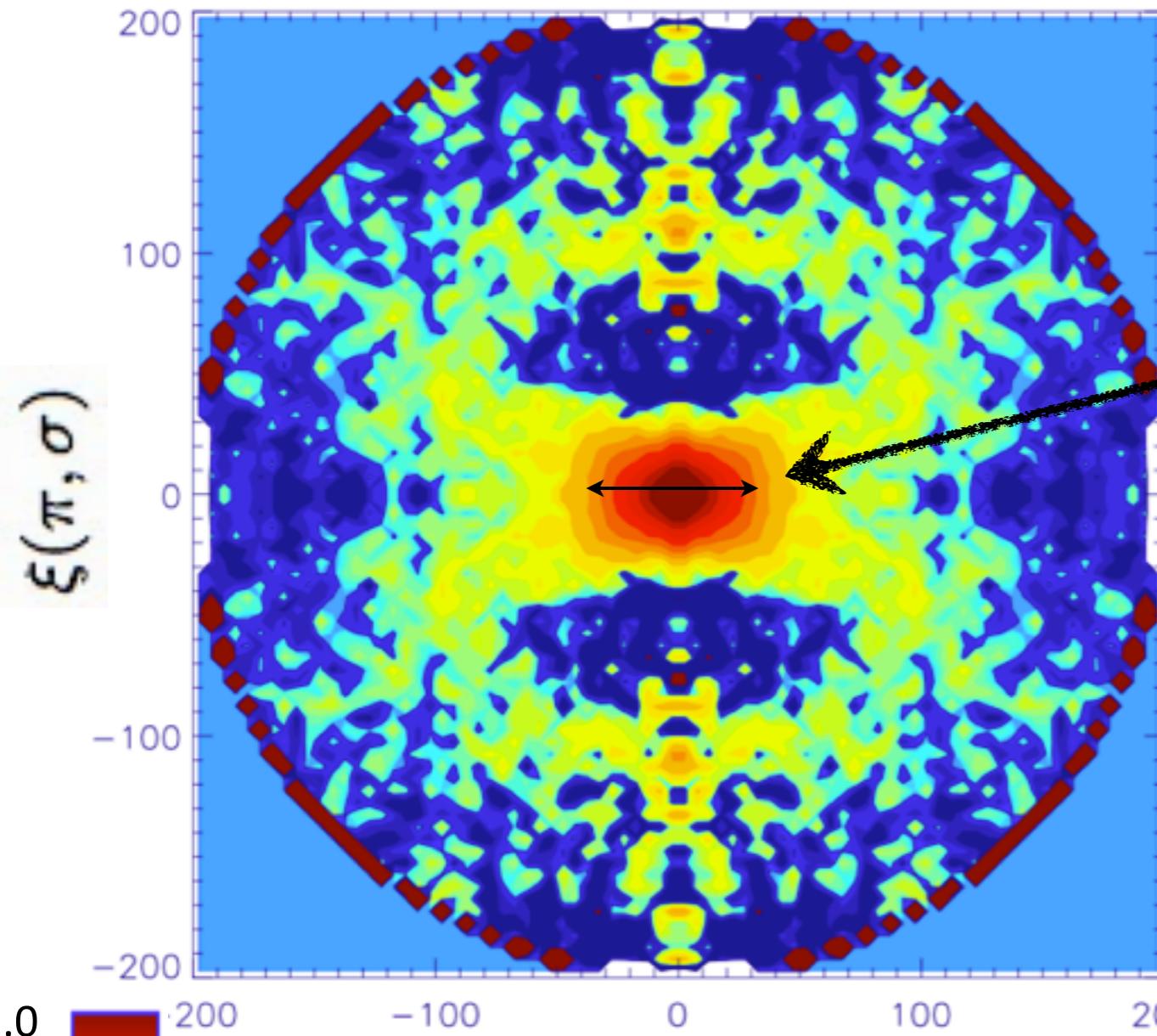
# 4. Redshift Space Distortions

- Depends on bias
- But also has a term that only depends on velocity divergence
- $f$  can be separated by comparison of transverse to radial modes

# 5. BAO (Baryon Acoustic Oscillations)

- Independent on bias
- 1-2 D

# Redshift Space Distortions (RSD)



**BAO:**  $\xi(\pi, \sigma)$

radial  $H(z)$

$$H(z=0.34) = 83.8 \pm 3.0 \pm 1.6$$

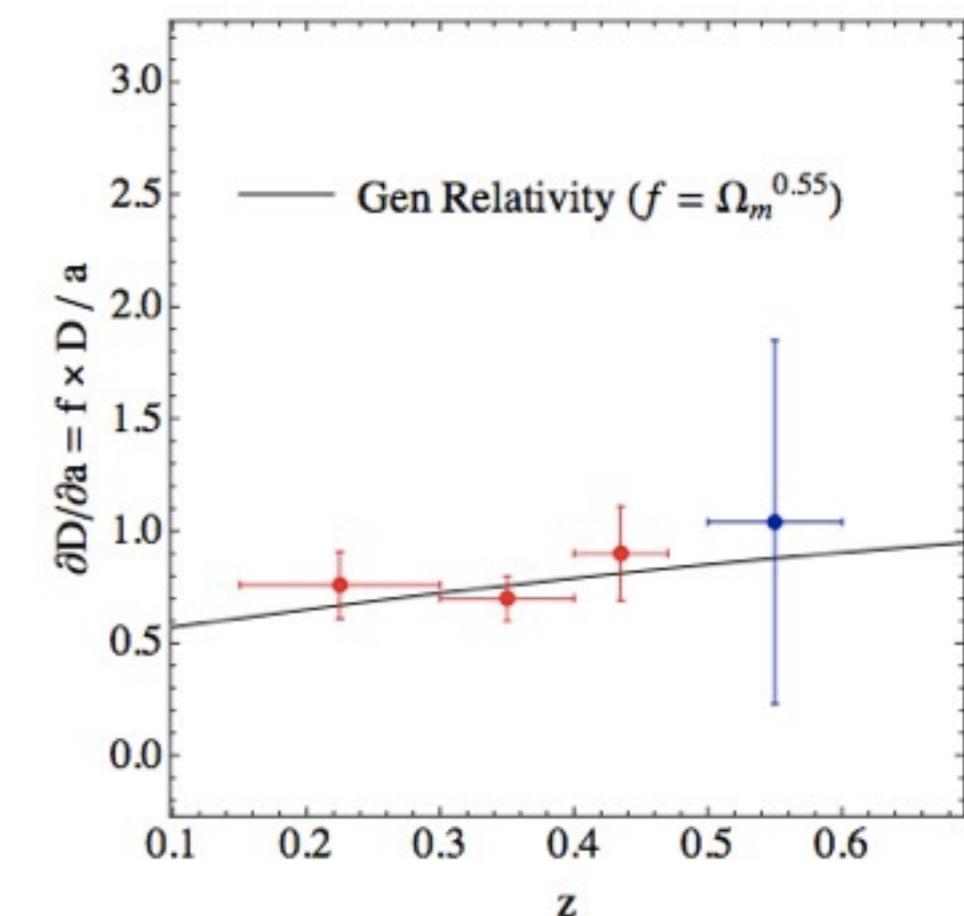
EG, Cabré & Hui (2009)

Transverse  $\int c dz / H(z)$

$$\theta(z=0.34) = 3.90 \pm 0.38$$

Carnero et al 2011

$$\delta_g(k, \mu) = (b + f\mu^2)\delta(k)$$



$$\gamma = 0.54 \pm 0.17.$$

FoM $\gamma = 6$  Crocce et al 2011  
(Forecast for DES: Ross et al 2011)

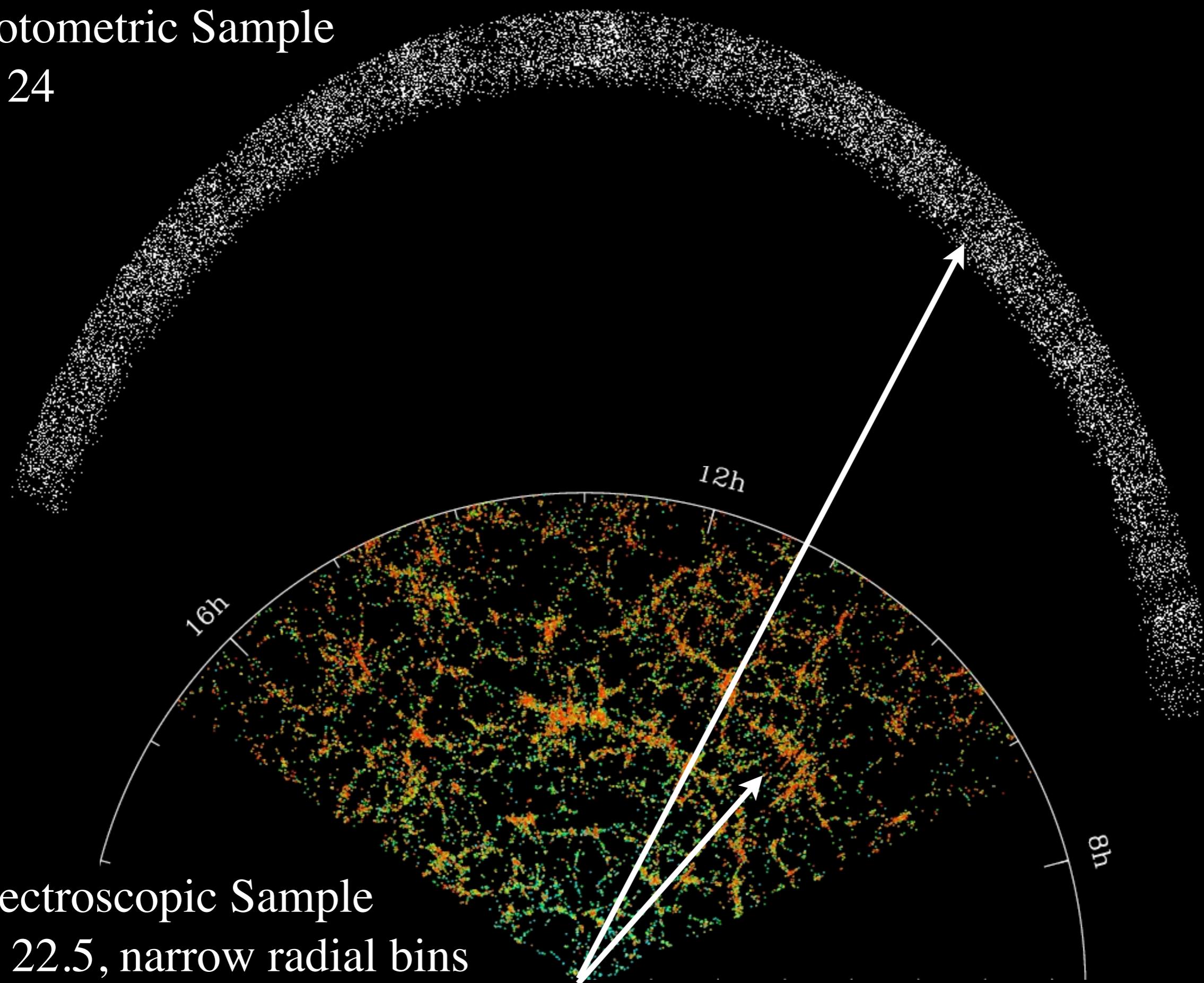
# **XTalks in Galaxy Clustering**

1. Galaxy Clustering 2pt: 3D, all info but biased
2. Galaxy Clustering 3pt: 3D (bias can be roughly measured)
3. Weak Lensing: 2D (unbiased but degenerate)
4. Redshift Space Distortions: ratios, (unbiased but degenerate)
5. BAO: 1.5 D (unbiased)

Combine (cross-correlate) Photometric &  
Spectroscopic Surveys  
and all different probes: **XTalks**

Photometric Sample

$i \sim 24$



Spectroscopic Sample

$i \sim 22.5$ , narrow radial bins

# Forecast Cross-correlations: narrow bins

$$\delta_{A_i}(\vec{\theta}) = \int dz p_{A_i}(z) \delta_m(r\vec{\theta}, z)$$

$$C_{A_i B_j}(\ell) = \int_0^\infty dz p_{A_i}(z) p_{B_j}(z) \mathcal{P}(k, z)$$

Galaxy-galaxy  
Magnification  
or  
Galaxy-shear  
are 3D with  $z$

$$\left. \begin{aligned} C_{GiKj} &\simeq b_{n_i} p_{ij} \mathcal{P}_i \\ C_{GiGj} &\simeq b_{n_i}^2 \frac{\delta_{ij}}{\Delta_i} \mathcal{P}_i \end{aligned} \right\}$$

**Cross-correlation Ratios:**  
Measure bias, ie from  $C_{ii}/C_{ij}$   
Measure  $p_{ij}$ , ie from  $C_{ij}/C_{ik}$   
Measure  $\mathcal{P}(k)$  ie from  $C_{ij}^2/C_{ii}$

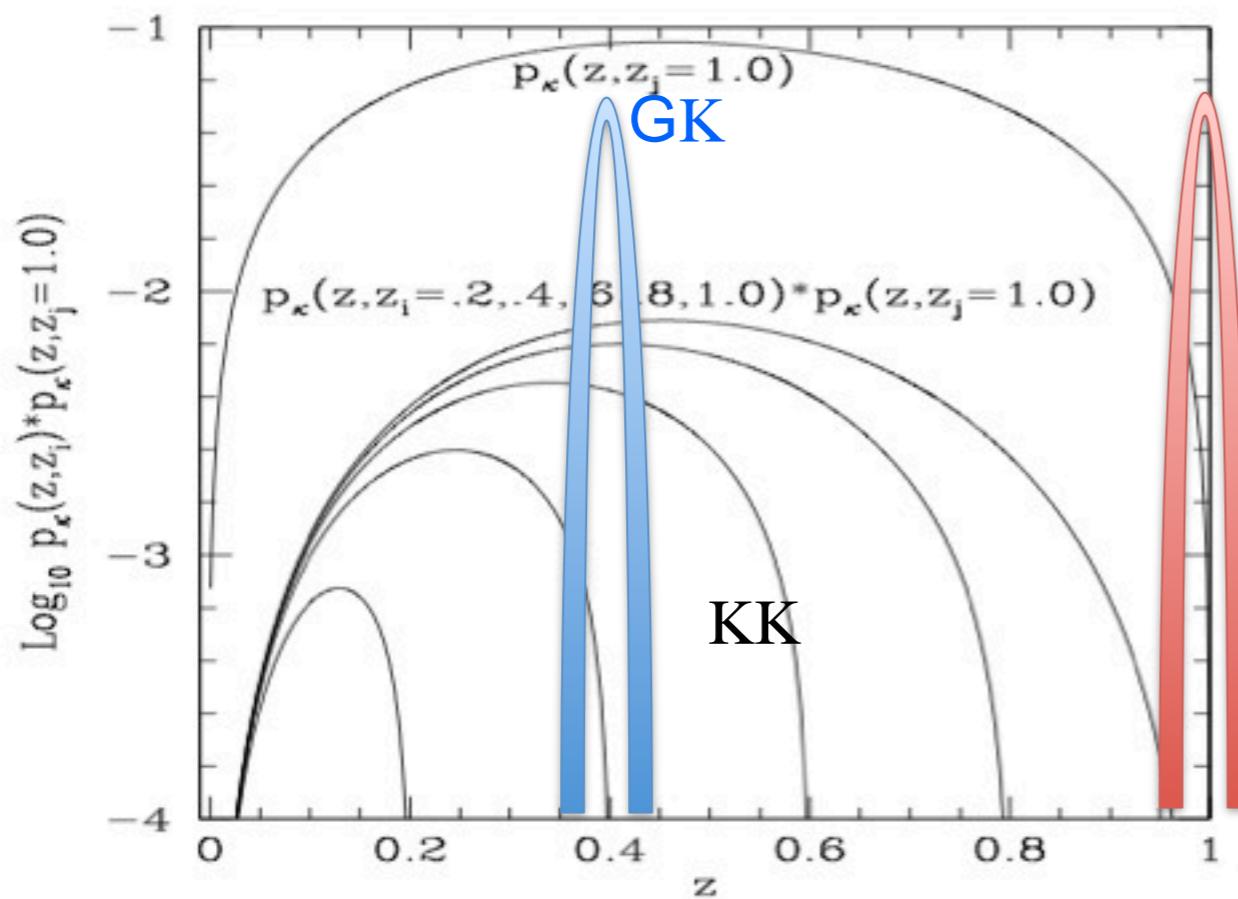


FIG. 2.— Weak lensing efficiency for shear-shear power  $p_\kappa(z, \bar{z}_i)p_\kappa(z, \bar{z}_j)$  for  $\bar{z}_j = 1.0$  and  $\bar{z}_i = 0.2, 0.4, 0.6, 0.8$  and  $1.0$ . Top line corresponds to  $p_\kappa(z, \bar{z}_j = 1.0)$ , for galaxy-shear lensing.

$$\mathcal{P}_i \equiv \frac{P(k_i, \bar{z}_i)}{\chi_i^2 \chi_{H_i}} \quad k_i = l / \chi_i$$

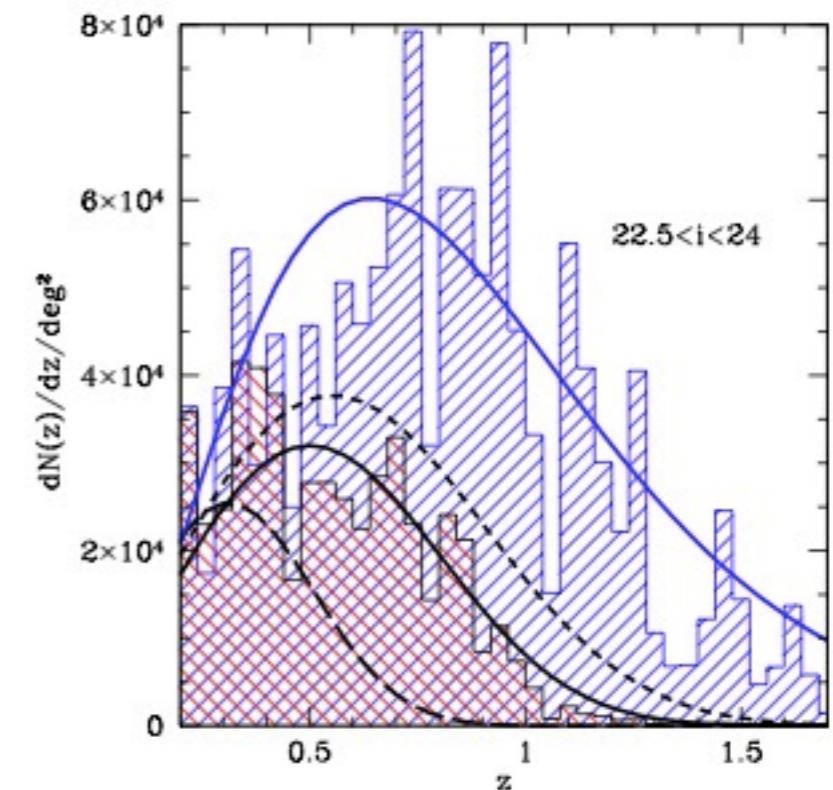
$$p_{ij} \equiv p_{\kappa_j}(z_i) \simeq \begin{cases} \frac{3\Omega_m H_0}{2H(z_i)a_i} \frac{\chi_i(\chi_j - \chi_i)}{\chi_{H0}\chi_j} & \text{for } i < j \\ 0 & \text{for } i \geq j \end{cases}$$

$$\chi_H(z) \equiv c/H(z)$$

**WE IGNORE RSD HERE**

$$F_{\mu\nu} = \sum_{\ell \text{ or } k_i} \sum_{ij,mn} \frac{\partial C_{ij}}{p_\mu} \Theta_{ij;mn}^{-1} \frac{\partial C_{mn}}{p_\nu}$$

Forecast	RSD(BAO)	WLxG
Spectroscopic (B=Bright)	✓	✗
Photometric (F=Faint)	✗	✓
Combined as independent: B+F	B	F
Cross-correlate same Area: BxF	B (+F)	BxF



## Observables:

**WLxG:** Angular clustering of Shear-Shear; Galaxy-Shear; Galaxy-Galaxy

**RSD:**  $f(z)D(z)$ ;  $b(z)D(z)$  from  $P(k,z)$  in 3D with

Fisher Matrix of RSD and WLxG are added: transverse modes+radial ratios

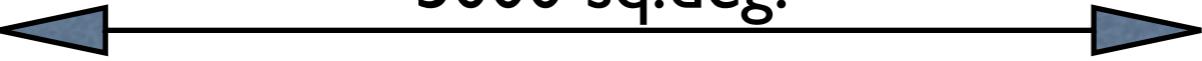
**Nuisance parameters:** bias (4 for each B & F), photo-z transitions ( $r_{ij}$ ), noise ( $\sigma/n$ )

**Cosmological:**  $\Omega_m$  - ODE -  $h$  -  $\sigma_8$  -  $Ob$  - **w0 - wa - Y - ns - bias(z)**

$$FoM_{w\gamma} \simeq 2700 \bar{A}^{0.89} \eta^{0.22} 1.4^{m_l - 22.5} e^{-\bar{\sigma}_z^2 - \bar{\Delta}_r \bar{A}^{0.05}}$$

# Forecast: Planck+SNII priors 5000 sq.deg.

$\text{FoM}_{w\gamma} \times 10^3$	RSD	RSD + BAO	WL Shear-Shear	WLxG + RSD + BAO	RSD + WLxG or just MAG (den/mag)	RSD + WLxG or just MAG (den/mag)	RSD+WLxG + BIAS IS KNOWN (eg 3pt)
Photometric DES ( $i < 24$ )				3.2			
Spectroscopic eBOSS+ ( $i < 22.5$ )	0.5	2.7					
Combine both as Independent				40			
<b>PAU:</b> Cross Correlated over same Area					251 30/72	5.2 1.8/2.5	26 7.7/10

5000 sq.deg.  200 sq.deg. 

WLxG: shear-shear, galaxy-shear, galaxy-galaxy (including MAG from counts)

astro-ph:1109.4852

# Conclusion

- Combining Spectroscopic and Photometric samples and different probes can bring a boost of  $\times 100$  in FoM (roughly 2-5 times smaller errors)
  - \* Req: Photo-z error transitions need to be known to 1% accuracy
  - \* Req: Bias evolves on timescales  $> 1 \text{ Gyr}$
  - \* Thanks to measurement of galaxy bias
- Spectroscopic follow-up: is better to measure spectra of lenses than doing BAO
- Magnification can be as useful as shear
- If more is known of bias another  $\times 5$