

# Single molecule controlled emission in planar plasmonic cavity

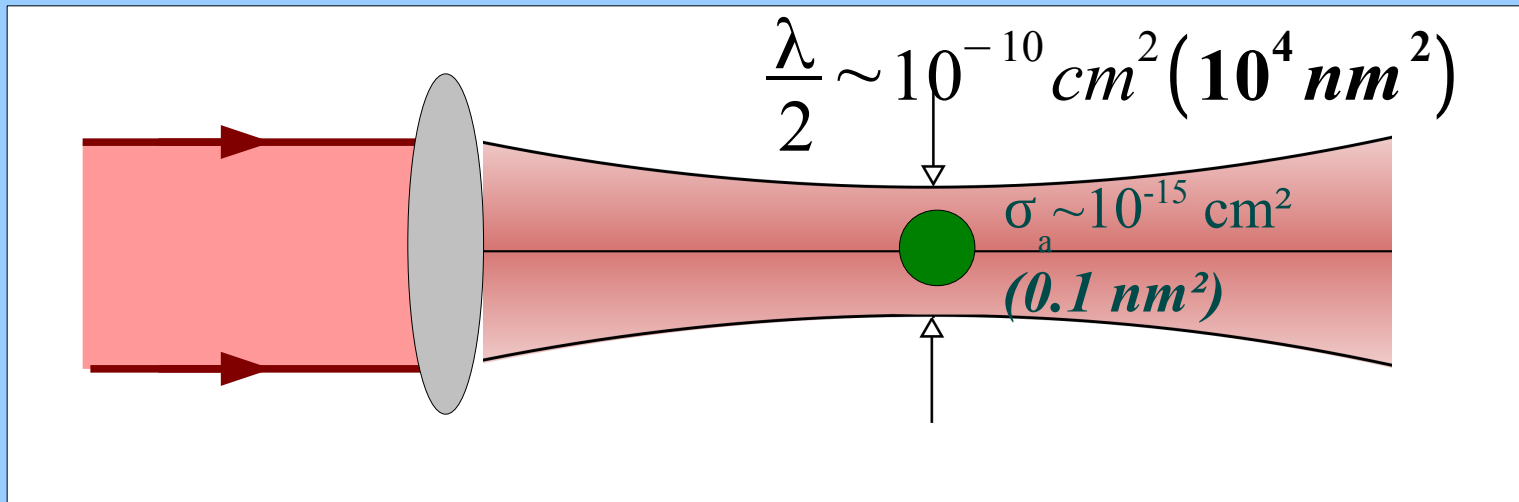
**G. Colas des Francs**

Laboratoire Interdisciplinaire Carnot de Bourgogne (ICB)

*CNRS/Université de Bourgogne*

*Dijon - France*

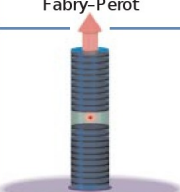
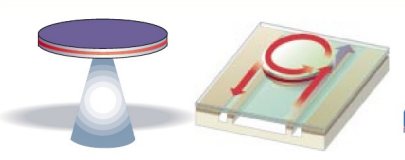
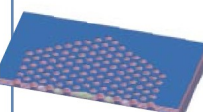
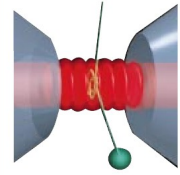
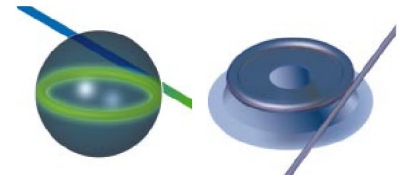
# Light/matter interaction at the nanoscale



# Strategies (at ambient T°C)

## Cavity quantum electrodynamics (cQED)

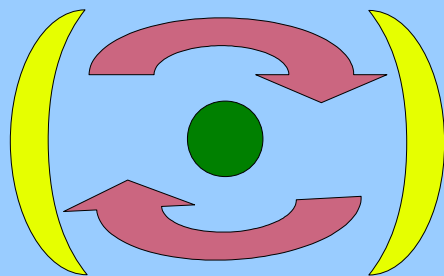
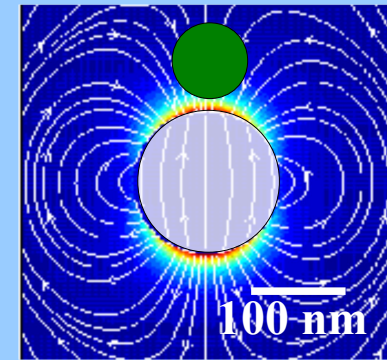
## Surface enhanced spectroscopies (SERS, SEF)

	Fabry-Perot	Whispering gallery	Photonic crystal
High Q	 Q: 2,000 V: 5 (λ/n) <sup>3</sup>	 Q: 12,000 V: 6 (λ/n) <sup>3</sup> Q <sub>III-v</sub> : 7,000 Q <sub>poly</sub> : 1.3x10 <sup>5</sup>	 Q: 13,000 V: 1.2 (λ/n) <sup>3</sup>
Ultrahigh Q	 F: 4.8x10 <sup>5</sup> V: 1,690 μm <sup>3</sup>	 Q: 8x10 <sup>9</sup> V: 3,000 μm <sup>3</sup> Q: 10 <sup>8</sup>	

**Purcell factor**

$$F_p = \frac{\Gamma}{n_1 \Gamma_{tot}}$$

$$= \frac{3}{4\pi^2} \left(\frac{\lambda}{n_1}\right)^3 \frac{Q}{V_{eff}}$$

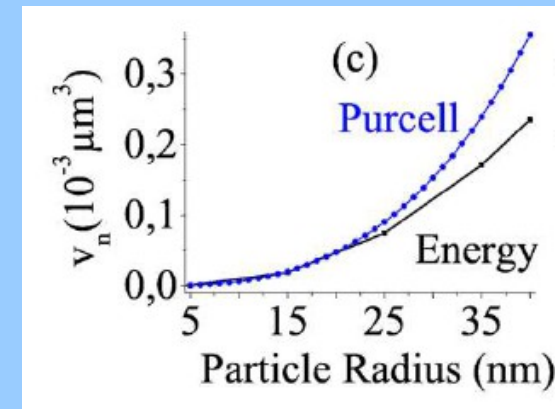


**Interaction  
Duration  
(high Q)**

**Interaction  
volume**

$$V_{SPP} \sim \frac{4}{3} \pi R^3$$

$$\ll \left(\frac{\lambda}{n_1}\right)^3$$



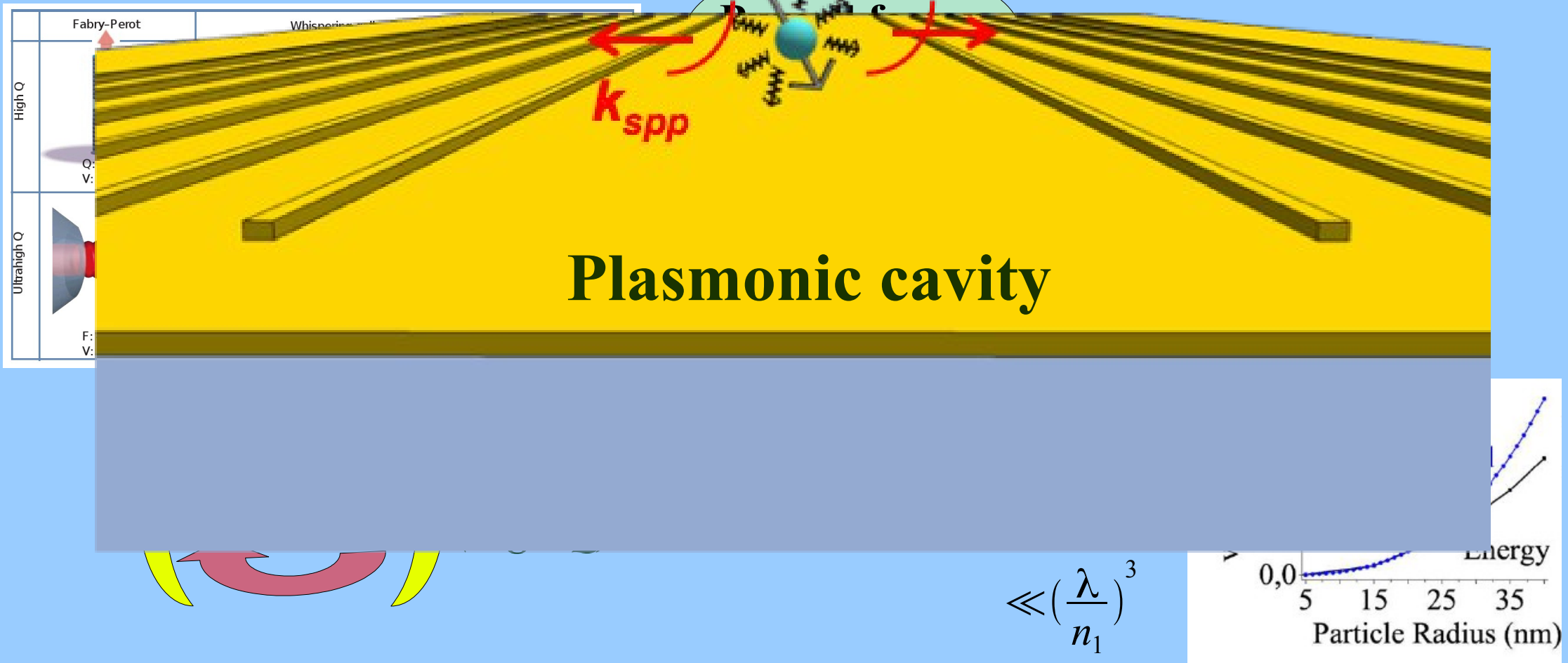
*Optical microcavities (Review)*  
 Vahala, Nature **424**, 839 (2003)

Resonance quality, radiative/ohmic losses and modal volume of Mie plasmons, Derom *et al*, EPL **98**, 47008 (2012)

# Strategies (at ambient T°C)

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Resonance quality, radiative/ohmic losses  
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Derom *et al*, EPL **98**, 47008 (2012)

# Low threshold/thresholdless laser

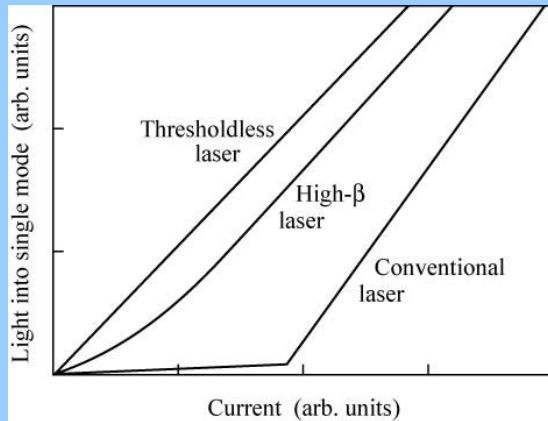
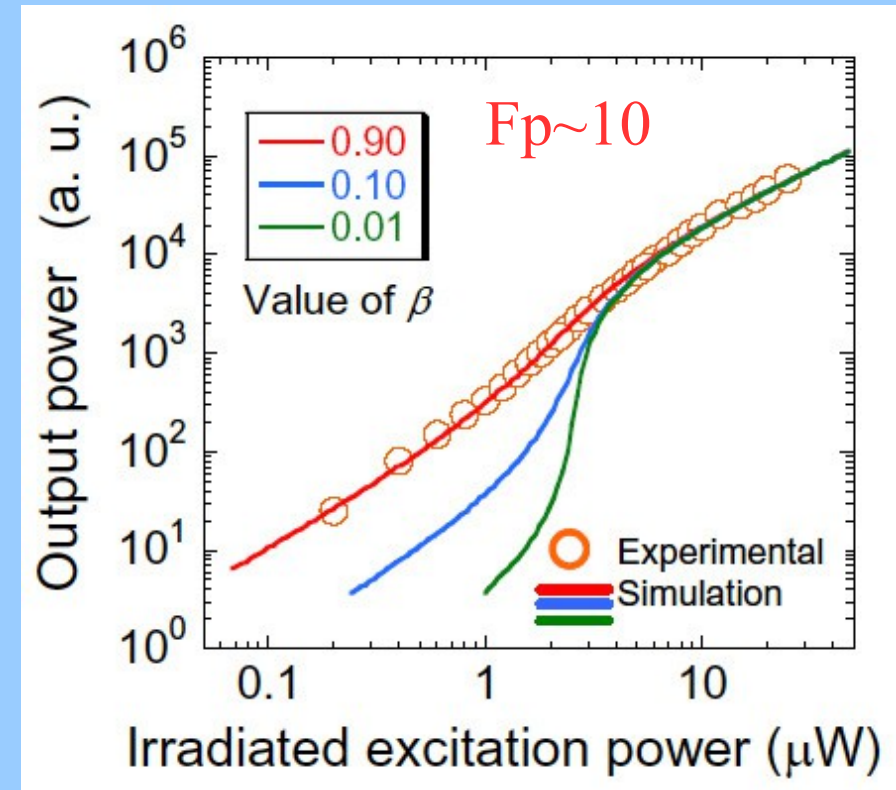
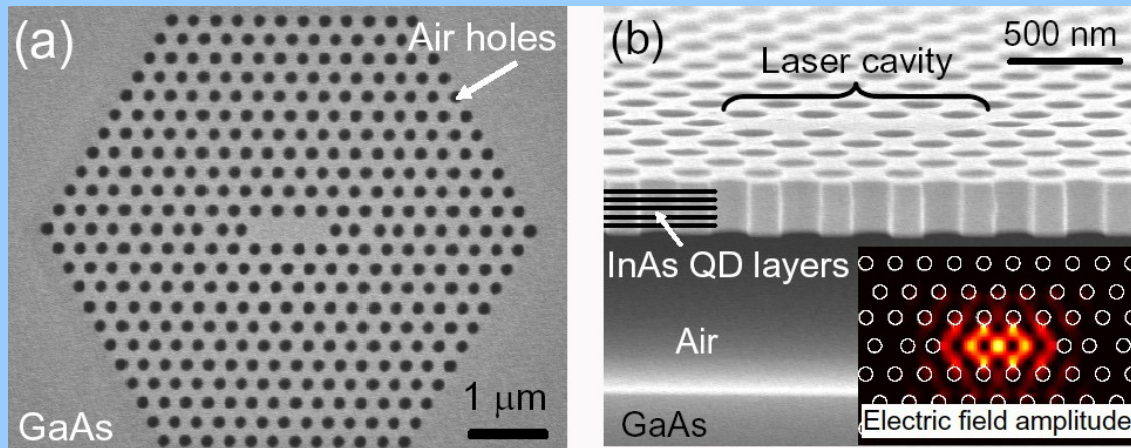


Fig. 15.14. Light-power-versus-current curves for single spatial-mode emission from a (i) conventional laser, (ii) a high  $\beta$ -factor laser, and (iii) a thresholdless laser. The conventional laser has a distinct current threshold. The high  $\beta$ -factor laser has a less distinct threshold. It would be noticeable in the spectrum and device modulation speed, however. A hypothetical thresholdless laser would have a  $\beta$  close to 1, and would somehow suppress all other lossy emission until the carrier density required for gain (or at least transparency) was achieved.

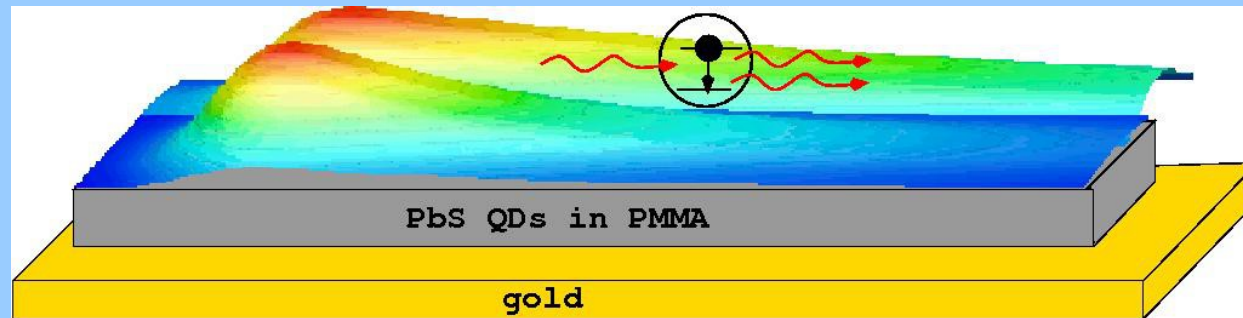
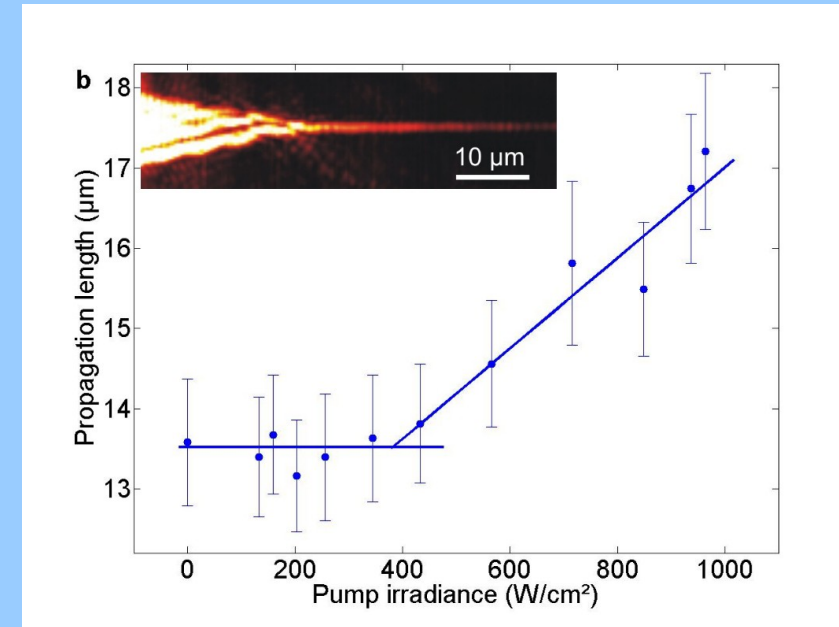
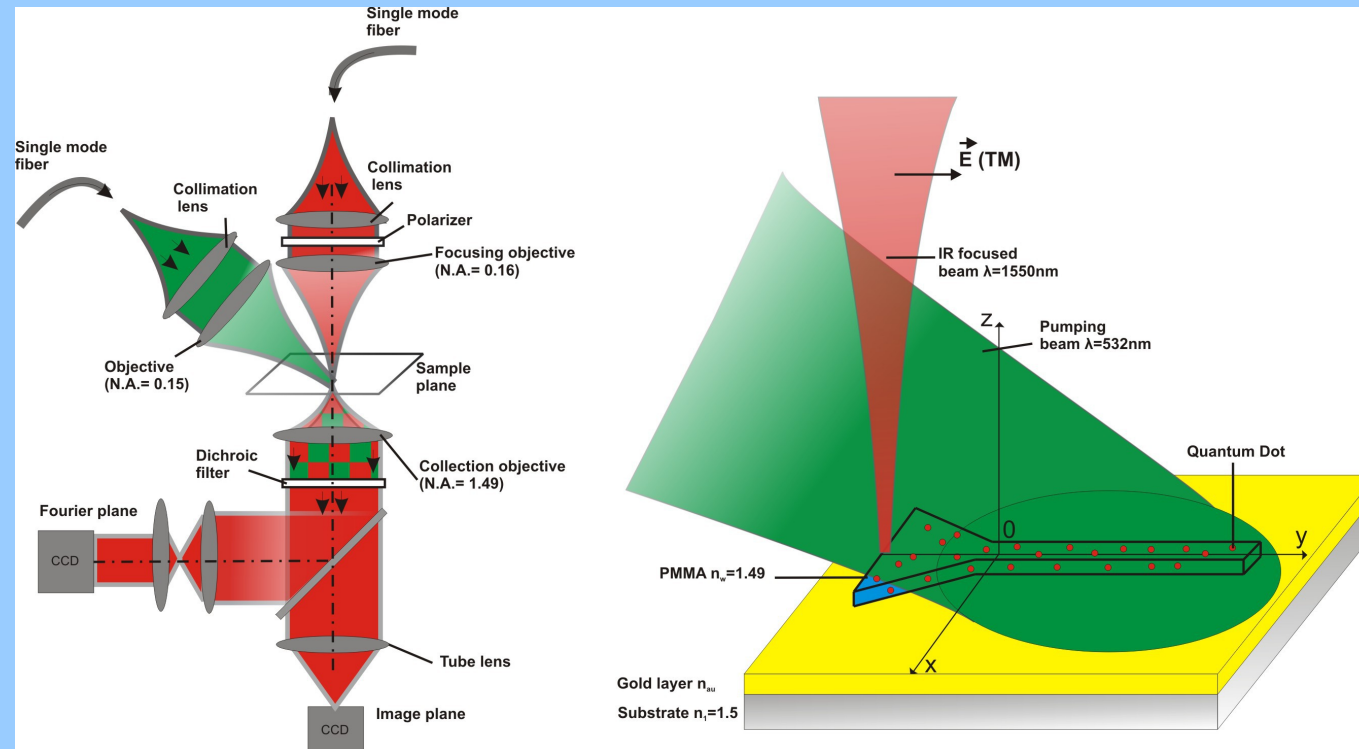
E. F. Schubert  
*Light-Emitting Diodes* (Cambridge Univ. Press)  
[www.LightEmittingDiodes.org](http://www.LightEmittingDiodes.org)

$$\beta = \frac{\Gamma_{cav}}{\Gamma_{tot}} \approx \frac{F_p}{1 + F_p}$$



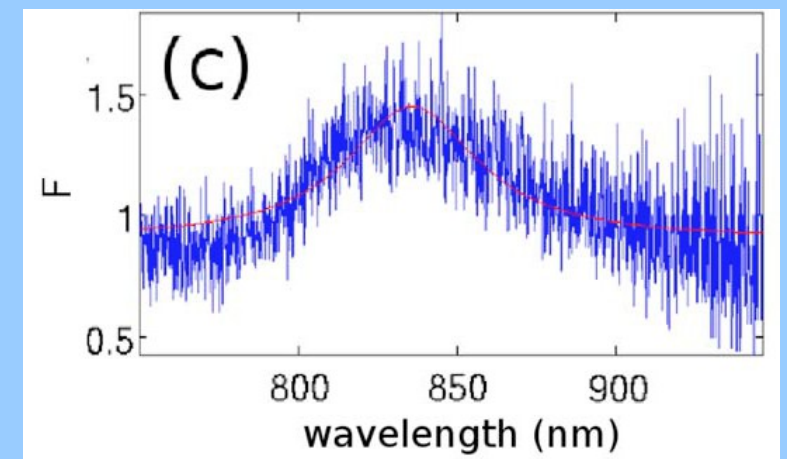
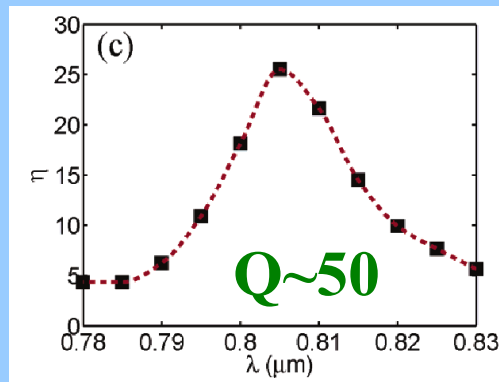
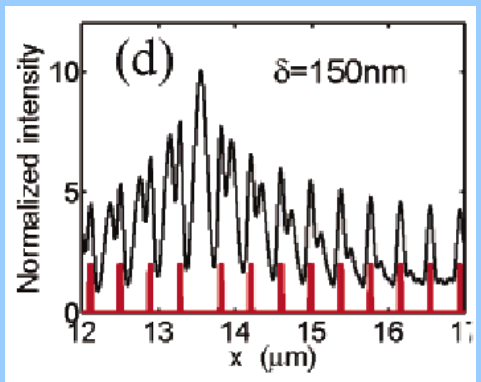
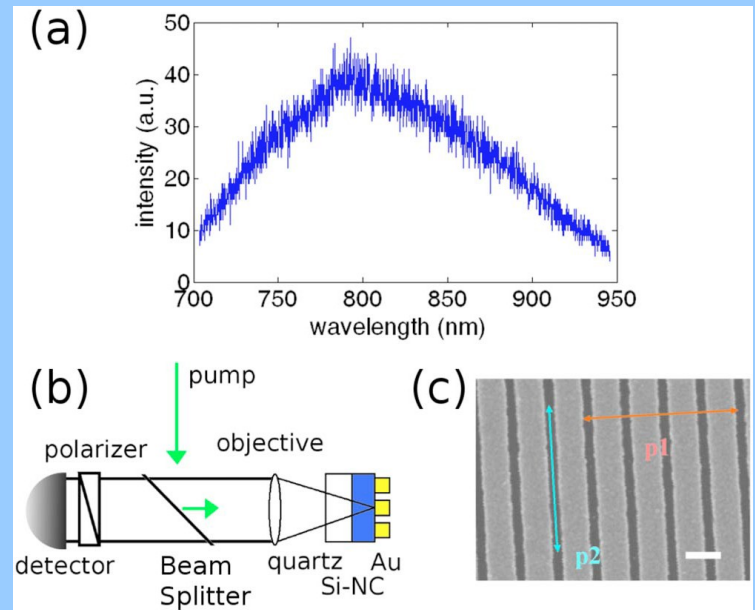
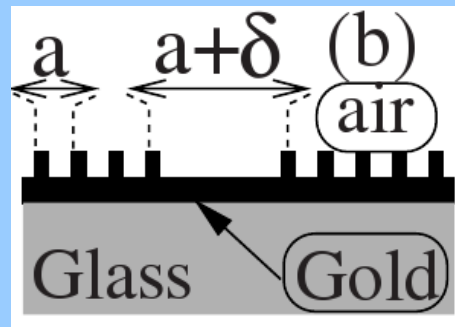
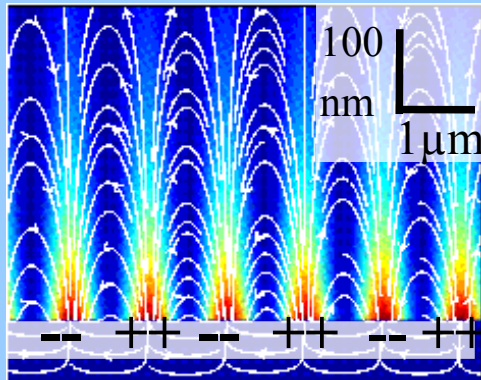
A photonic crystal nanocavity with ultralow threshold  
 Nomura, Iwatomoto, Arakawa, SPIE (2007)

# Gain-assisted propagation



Gain-Assisted Propagation in a Plasmonic Waveguide at Telecom Wavelength  
 Grandier *et al*, Nano Letters **9**, 2935 (2009)

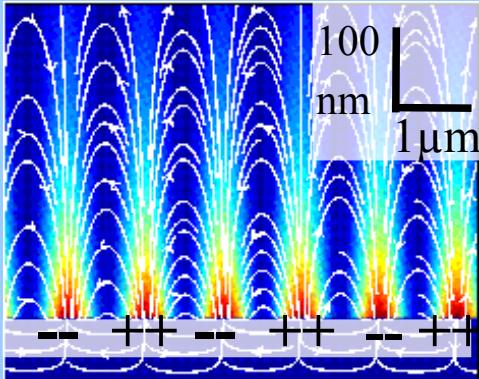
# In-plane plasmonic cavity



**Mode confinement**  
**Light extraction (LED, ...)**

# Plasmonic Purcell factor

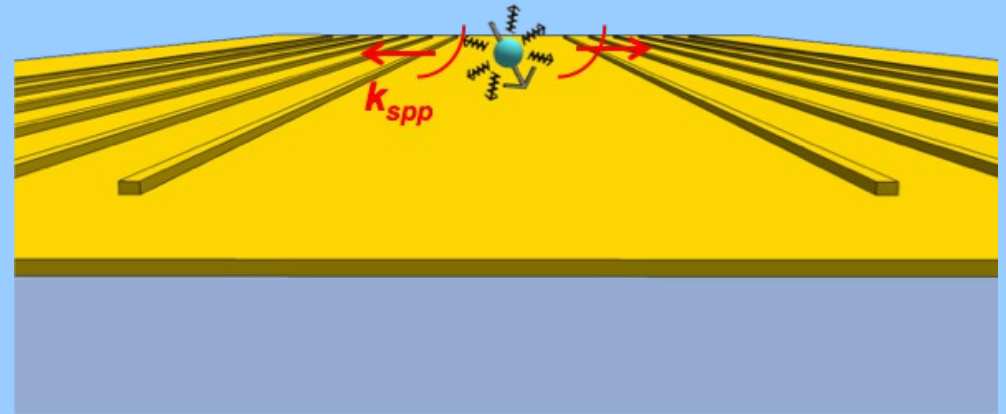
## Flat film



$$Q = \frac{k_{SPP}}{\Delta k_{SPP}} = k_{SPP} L_{SPP} \approx 100$$

$$V_{SPP} \approx \delta L_{SPP}^2 \approx 30 \left(\frac{\lambda}{n}\right)^3$$

## Single mode cavity



$$V_{SPP} \approx \delta L_{SPP} L_{cav} \approx 0.5 \left(\frac{\lambda}{n}\right)^3$$

$$F_p \approx \frac{\Gamma_{SPP}}{n_1 \Gamma} = \frac{3}{4\pi^2} \left(\frac{\lambda}{n_1}\right)^3 \frac{Q}{V_{SPP}} \approx 15$$

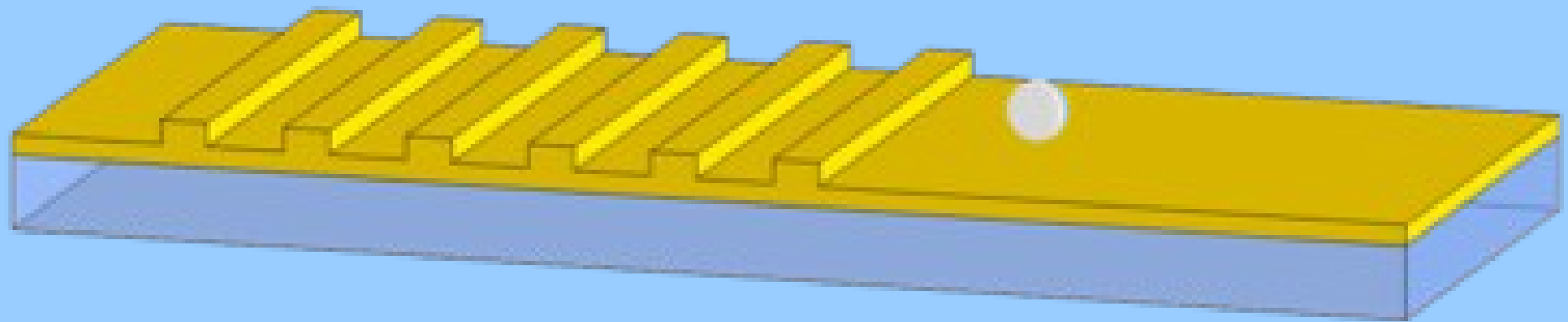
see also

Coupling of a dipolar emitter into one-dimensional surface plasmon

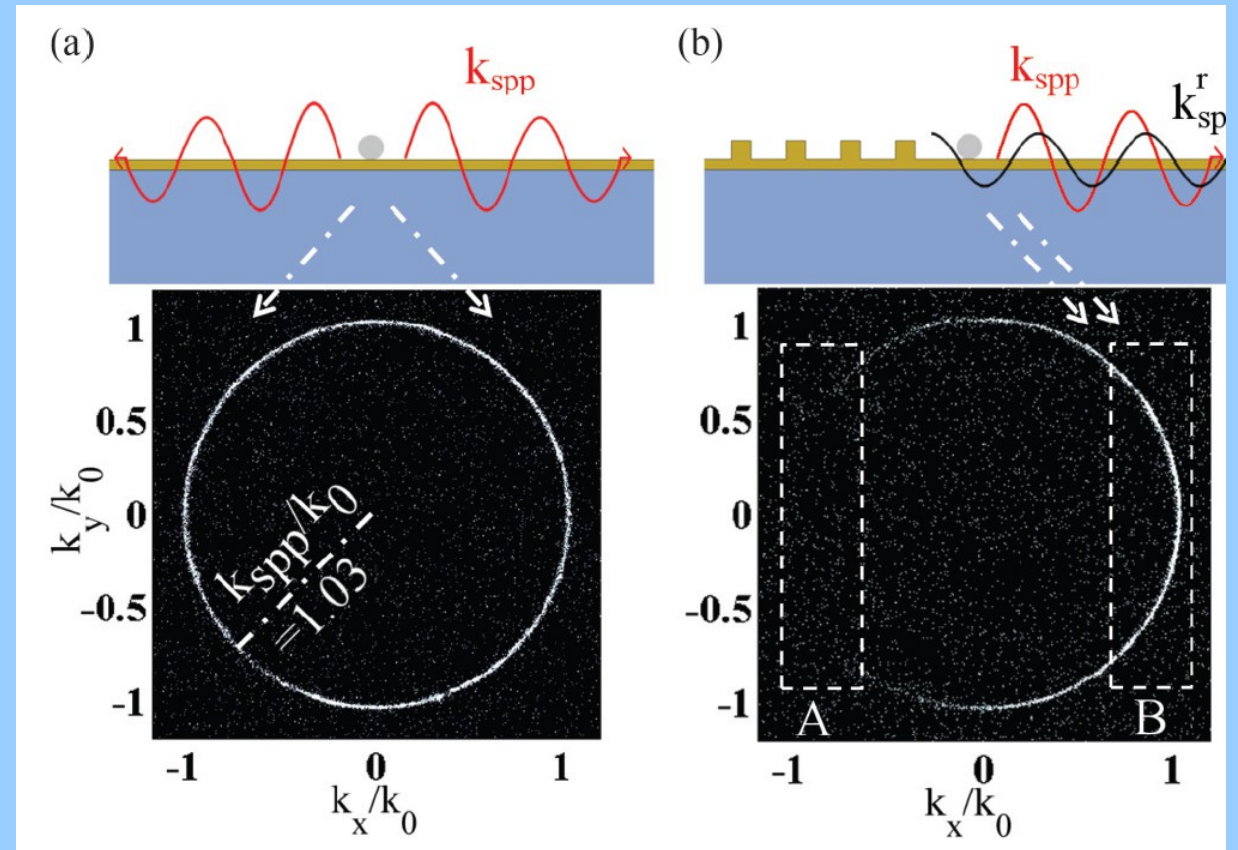
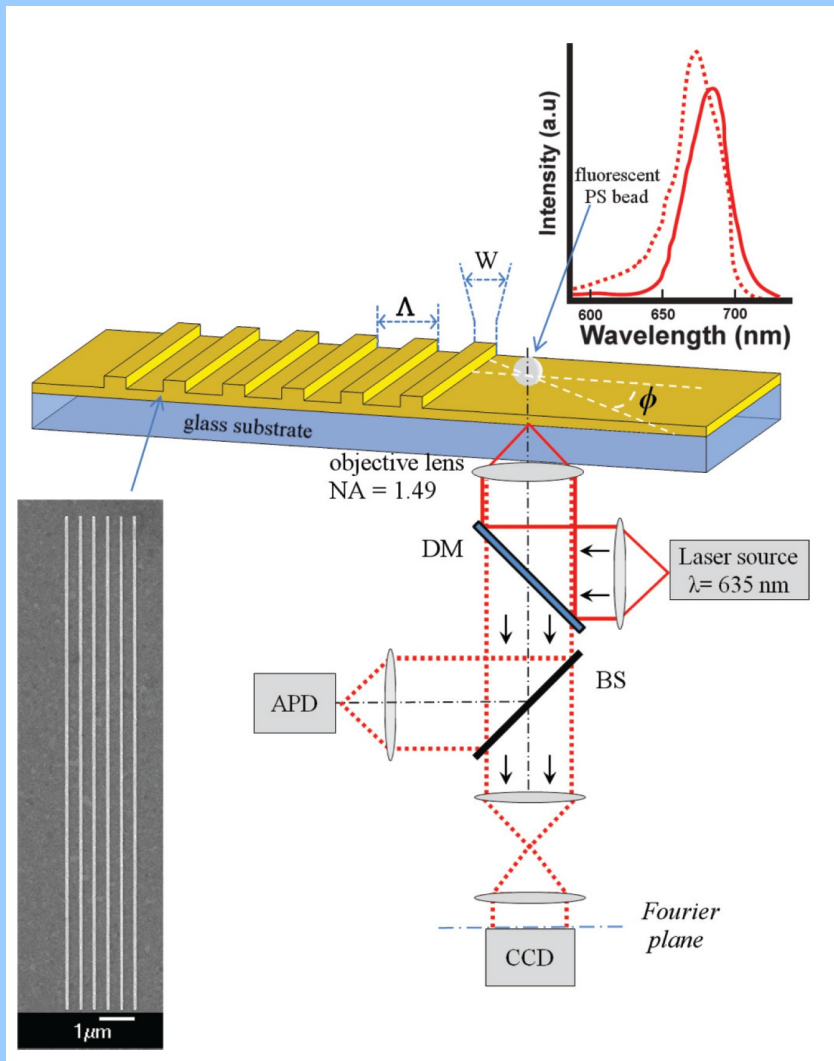
Barthes *et al*, Sci. Rep. **3**, 2734 (2013)



# Plasmonic Bragg mirror

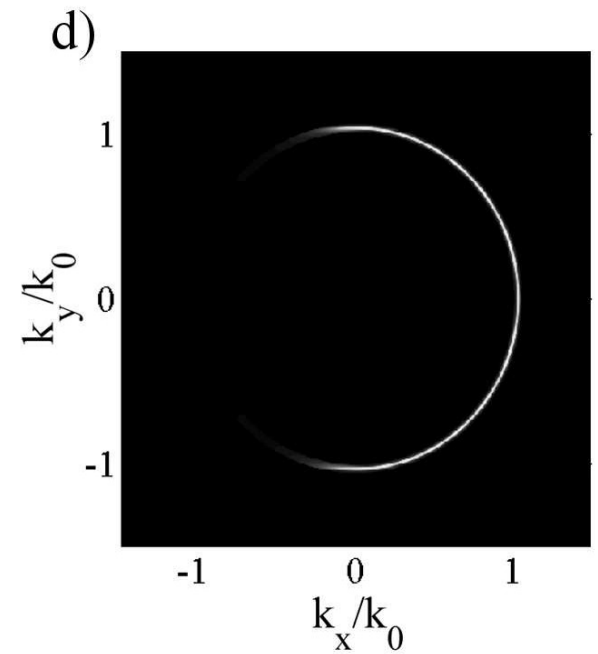
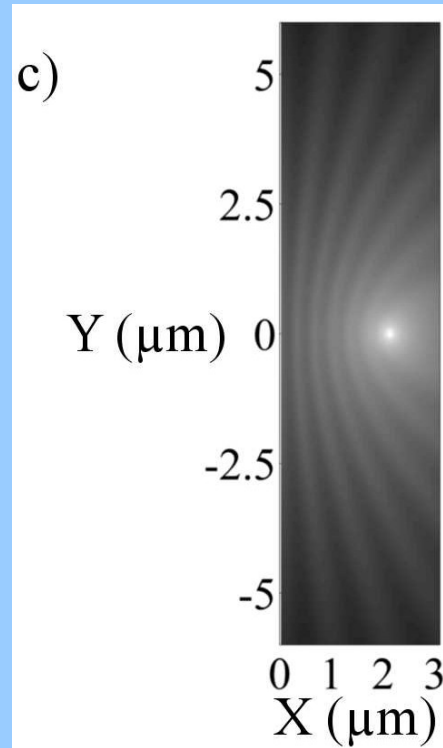
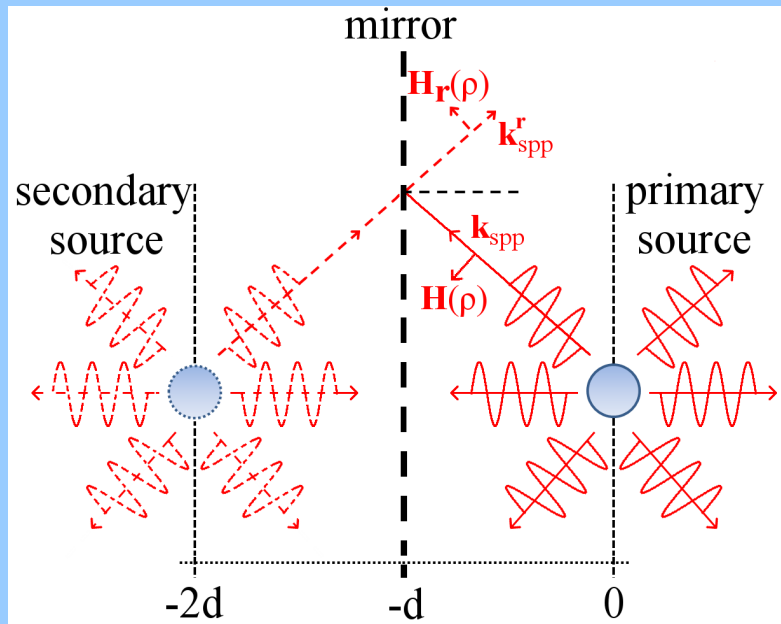


# Surface plasmon coupled emission near a Bragg mirror

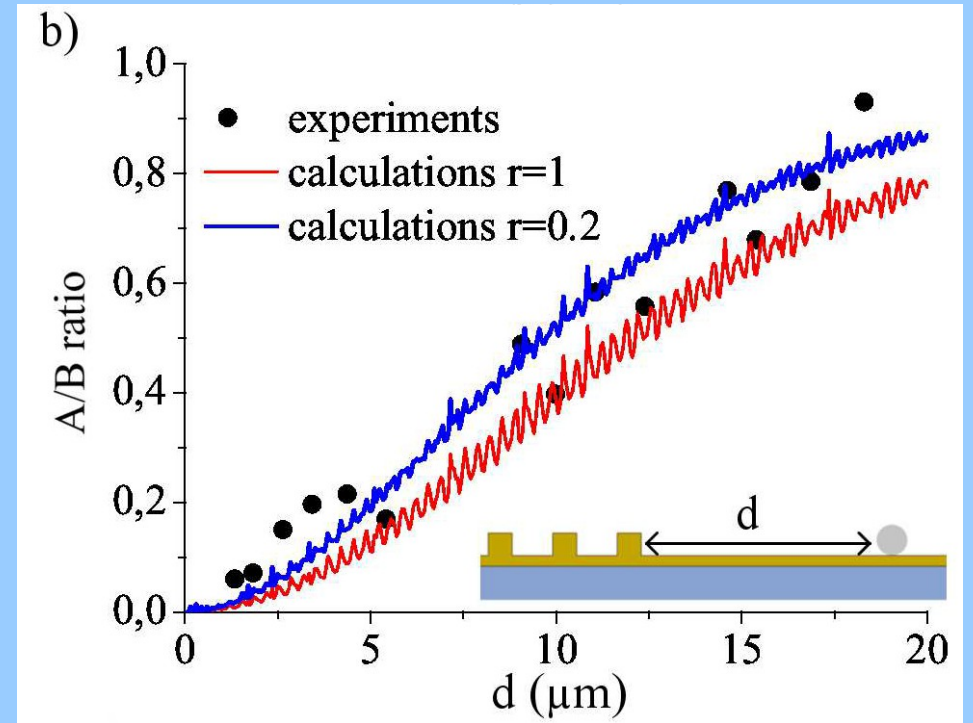
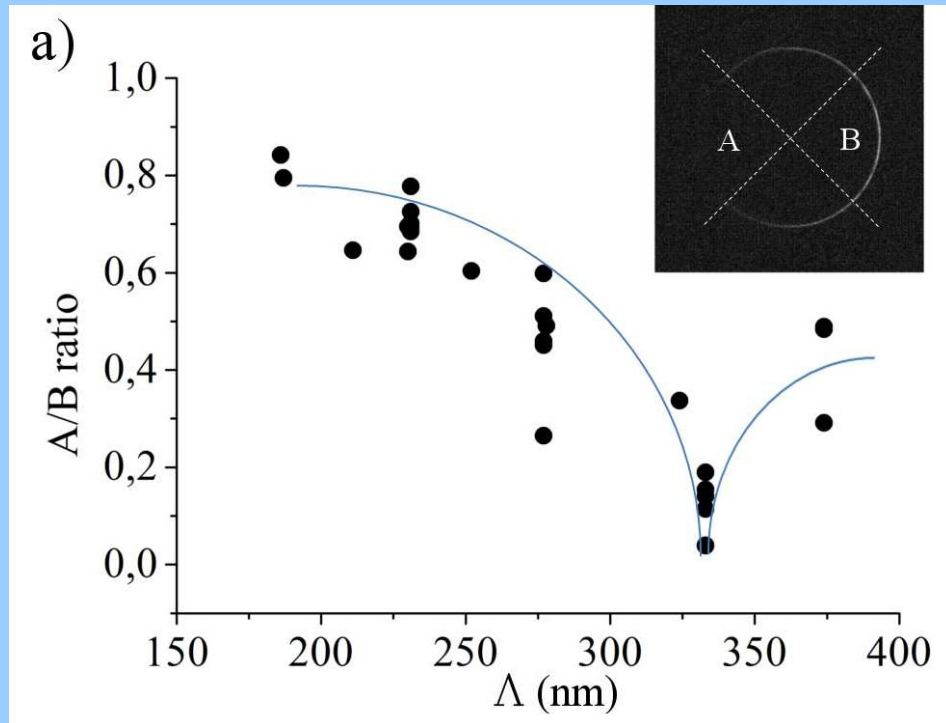


Single-molecule controlled emission in planar plasmonic cavities  
 Derom *et al*, Phys. Rev. B **89**, 035401 (2014)

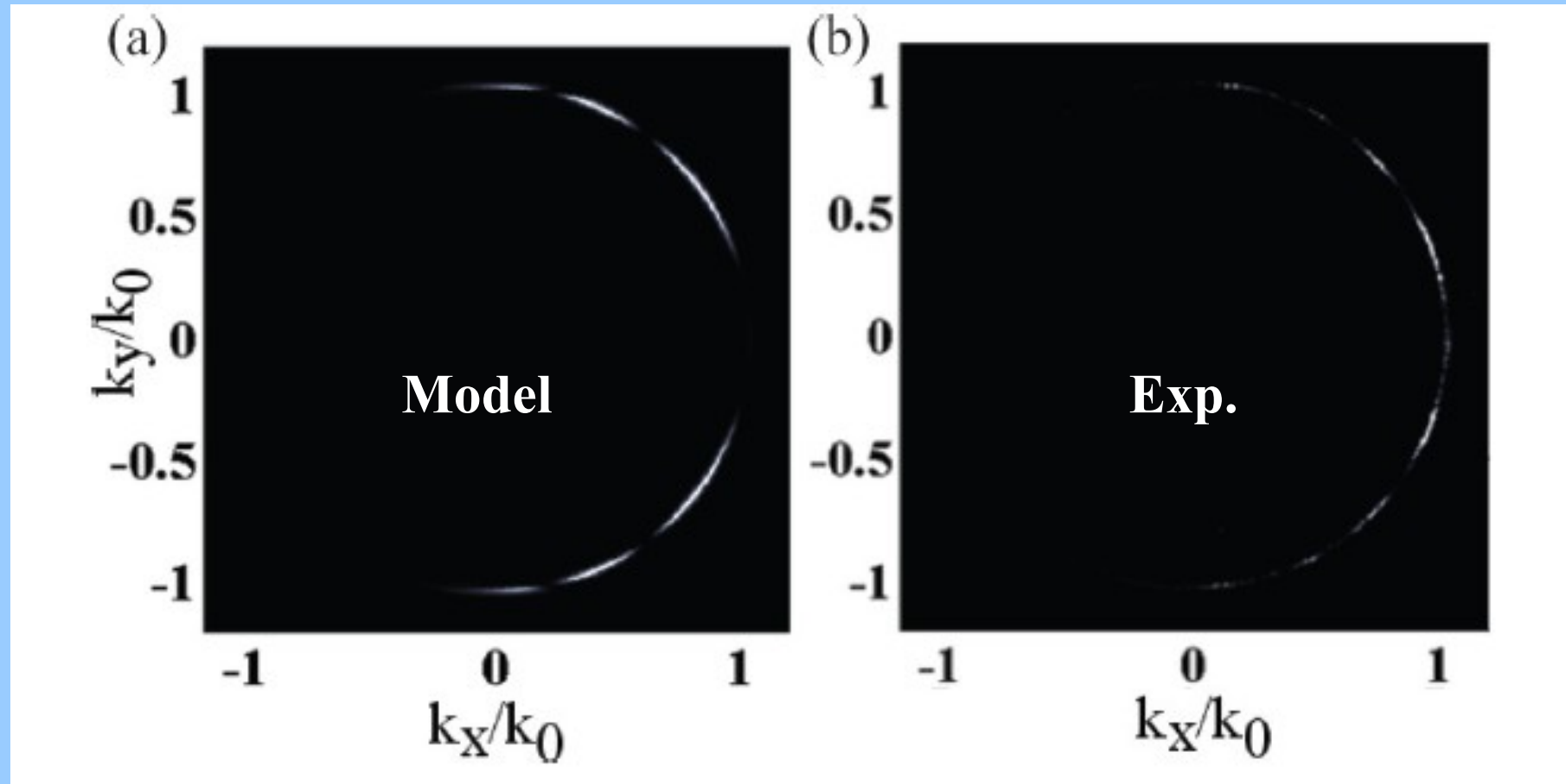
# Mirror efficiency



# Grating period

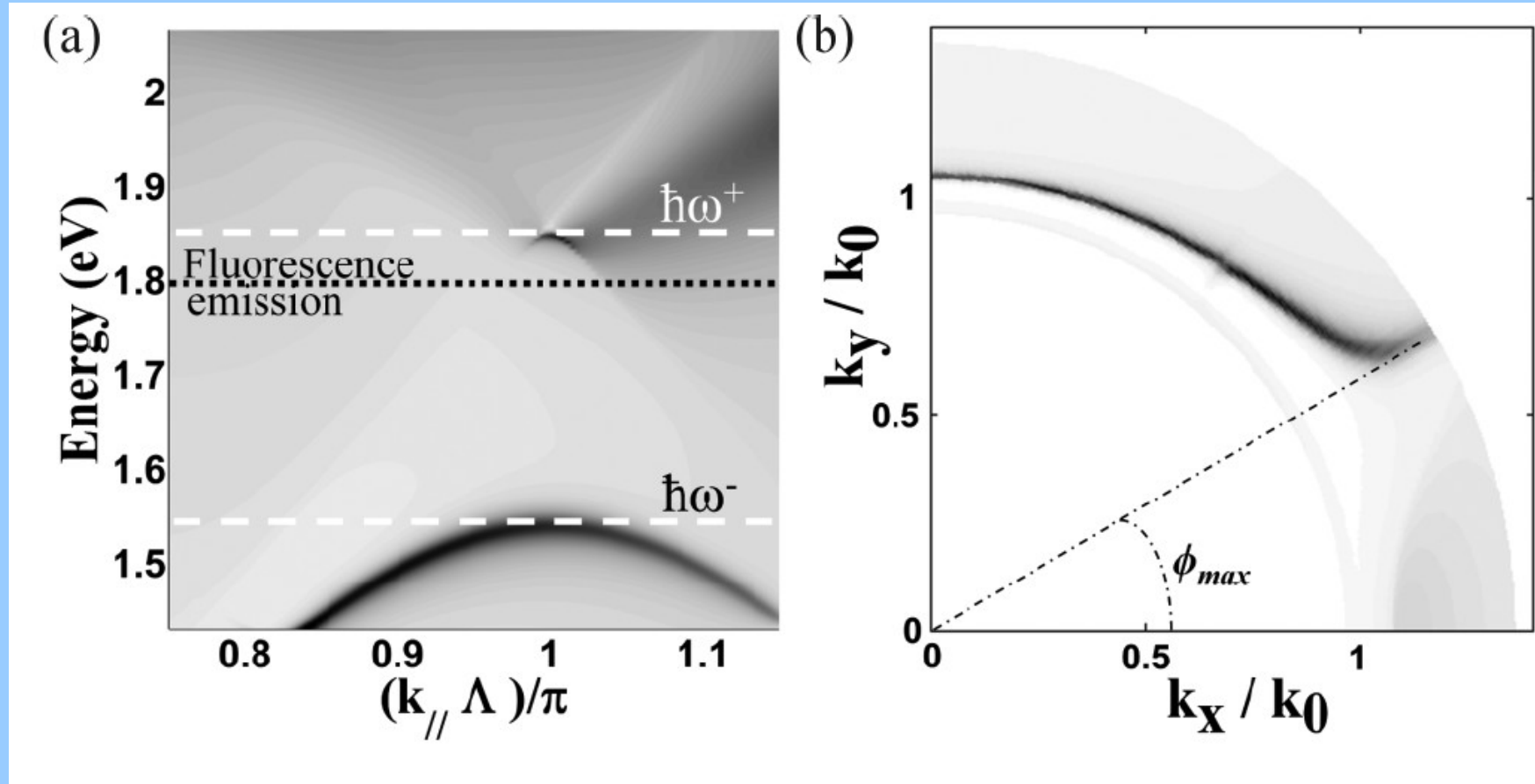


# Surface plasmon coupled emission near a Bragg mirror



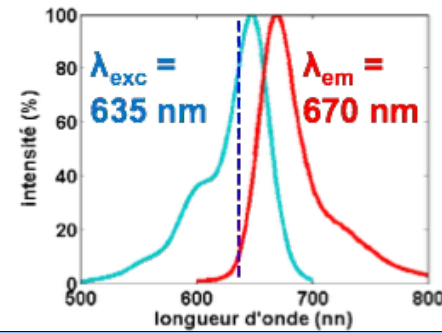
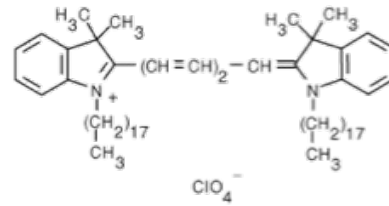
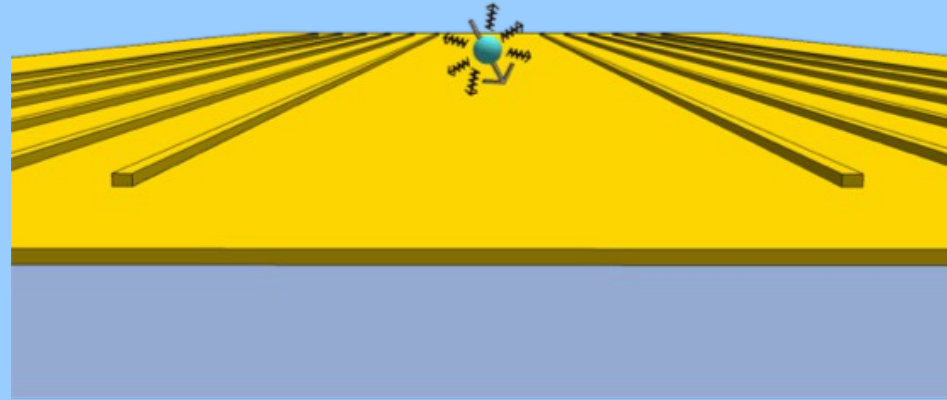
**Spatial coherence of the localized nanosource**

# Mirror bandgap

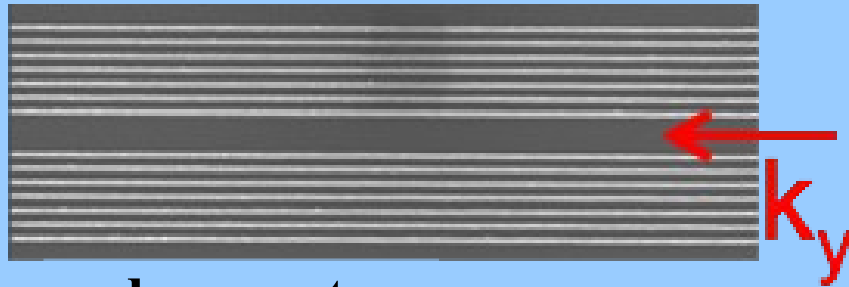


Large bandwidth system ( $675 \text{ nm} < \lambda < 790 \text{ nm}$ )

# In plane SPP cavity

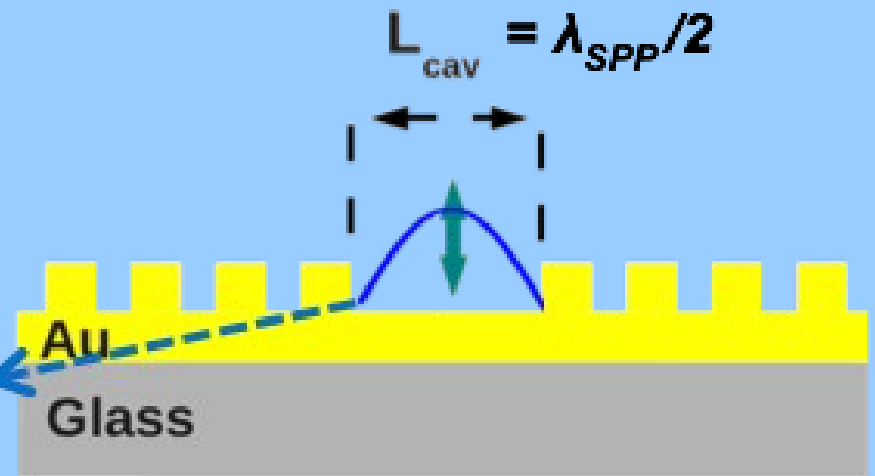
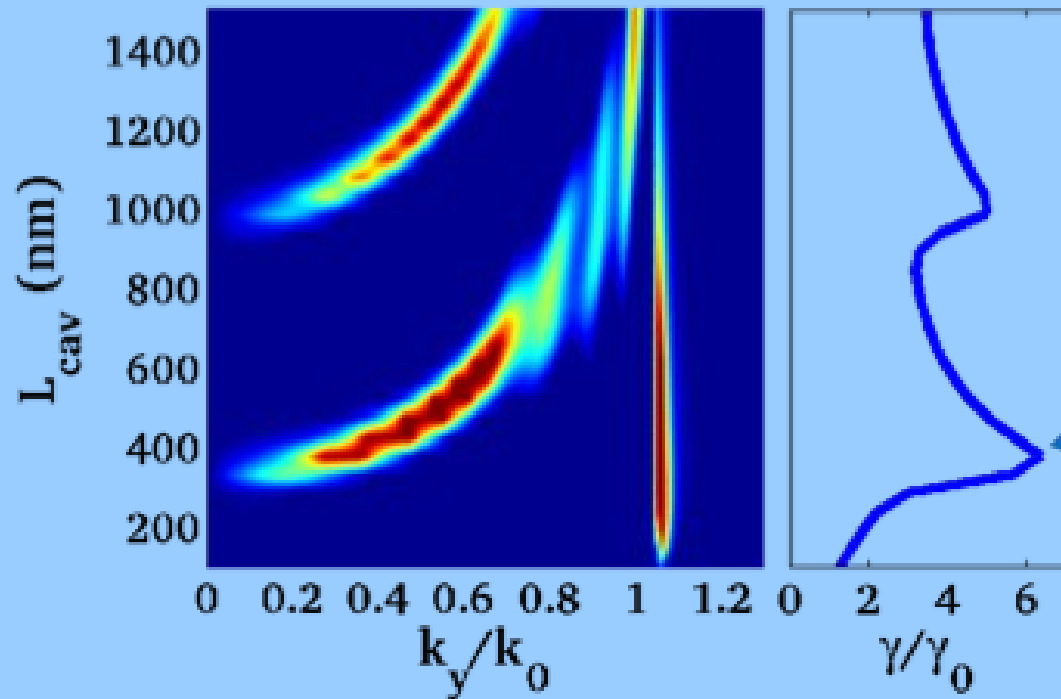


# In plane SPP cavity



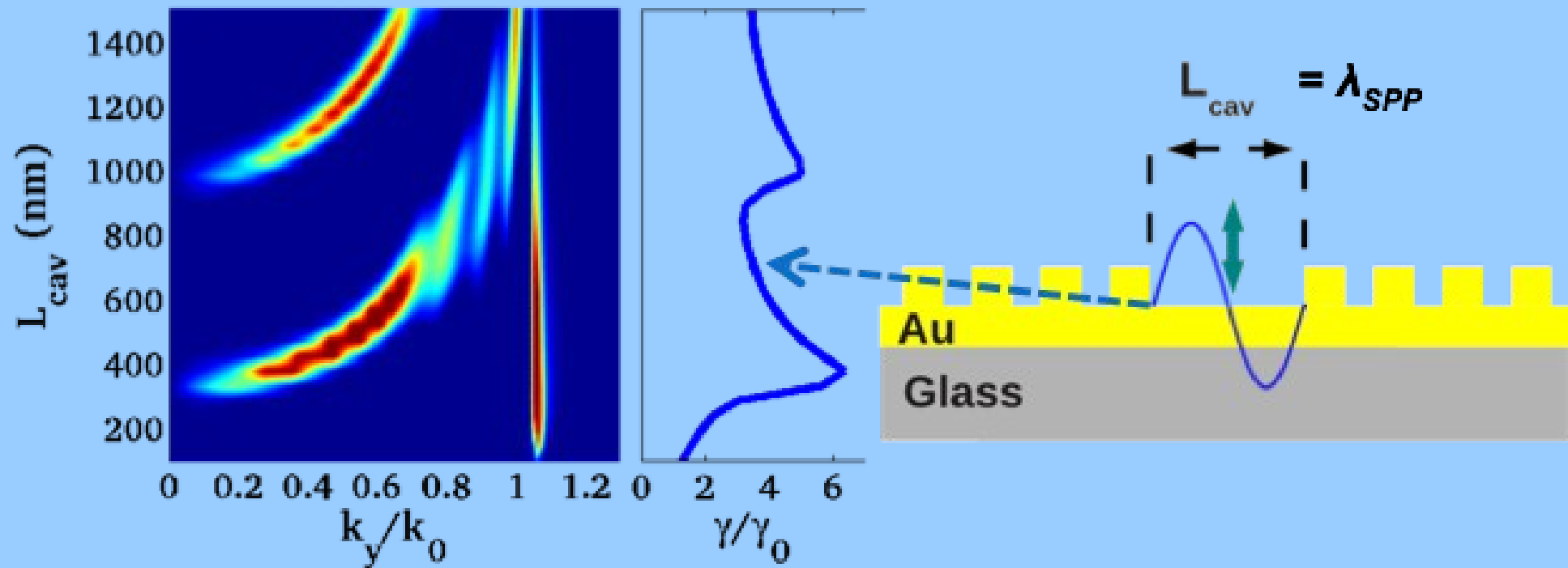
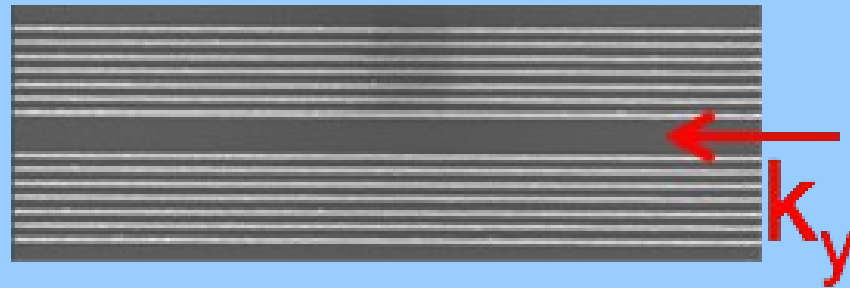
emitted power  
 $P(k_y)$

decay rate  
 $\gamma \propto \int P(k_y) dk_y$

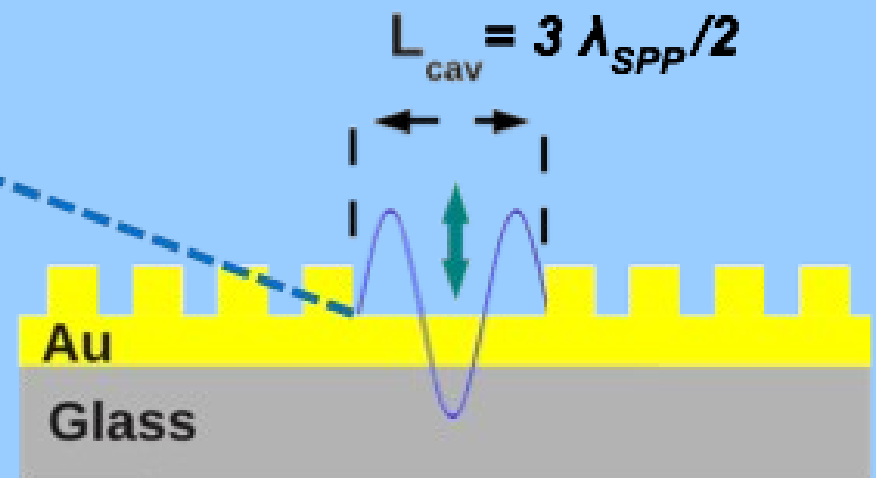
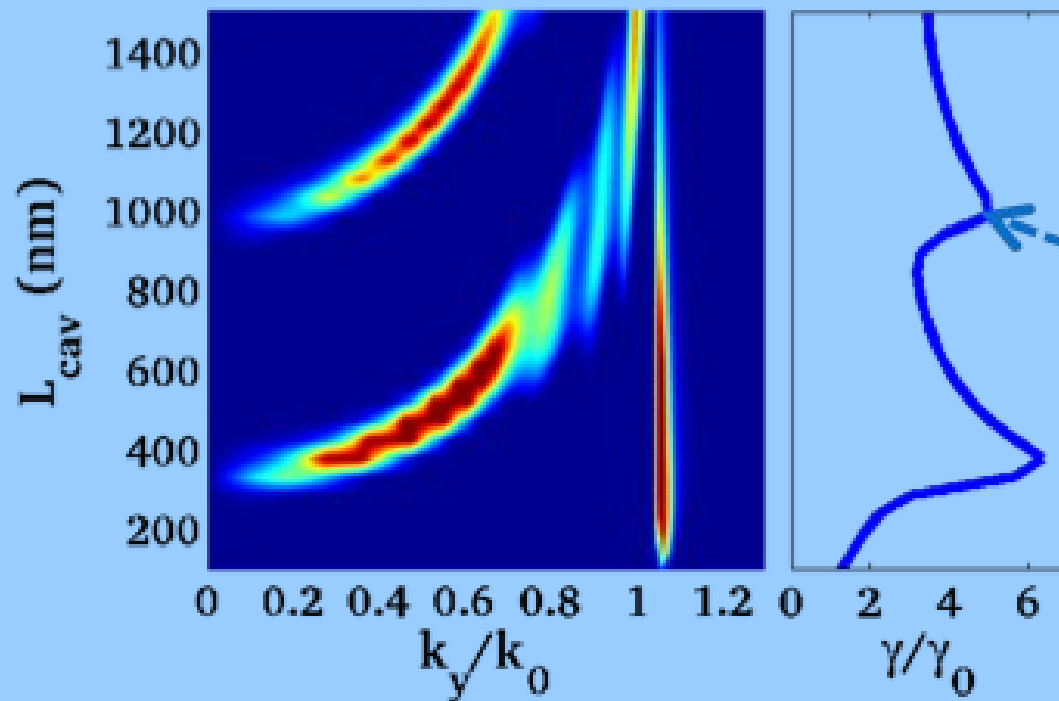
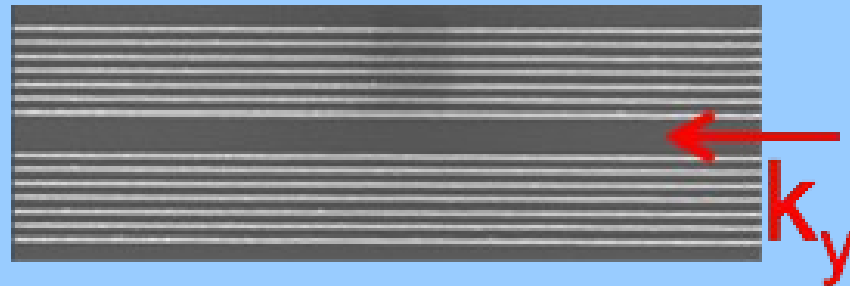




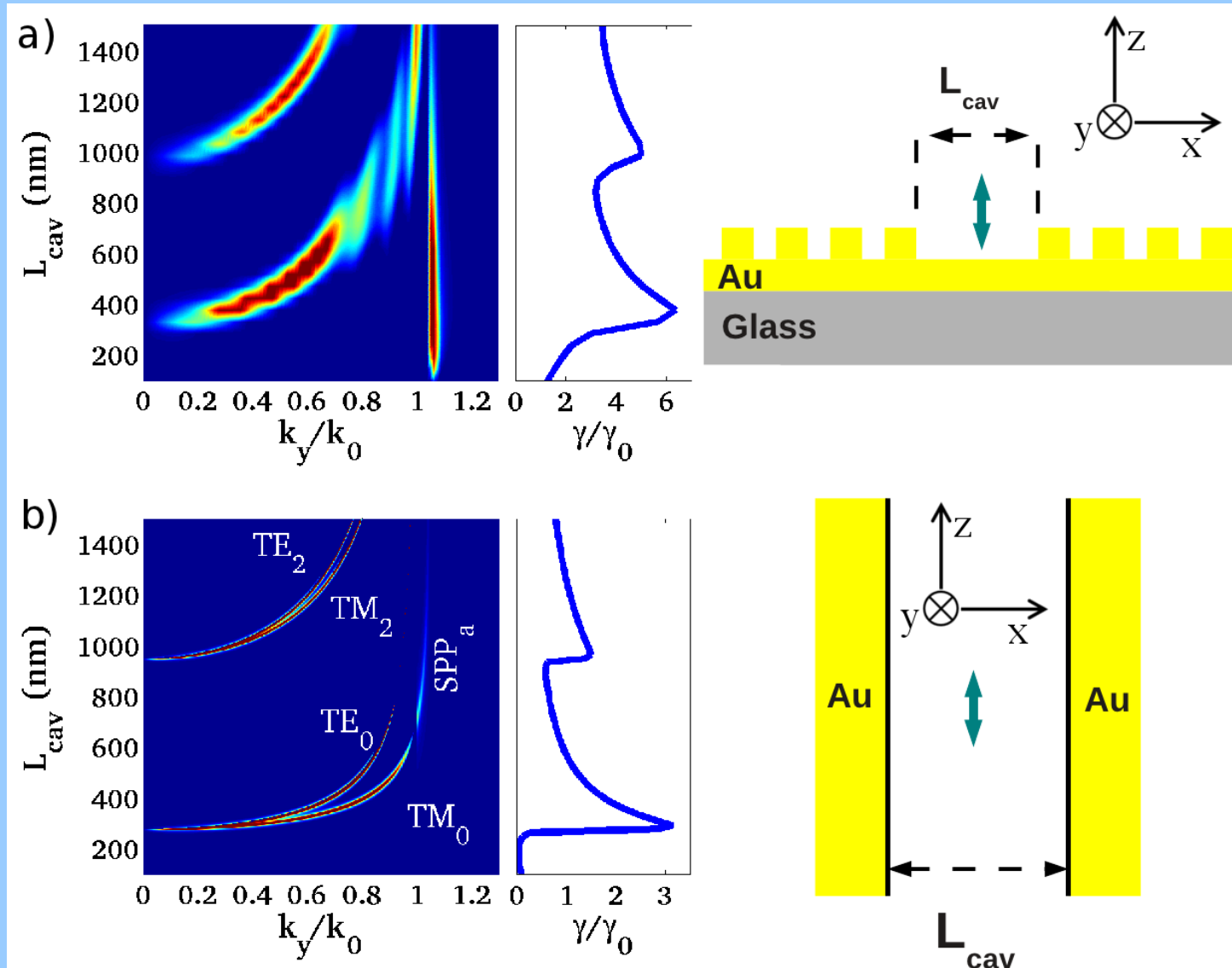
# In plane SPP cavity



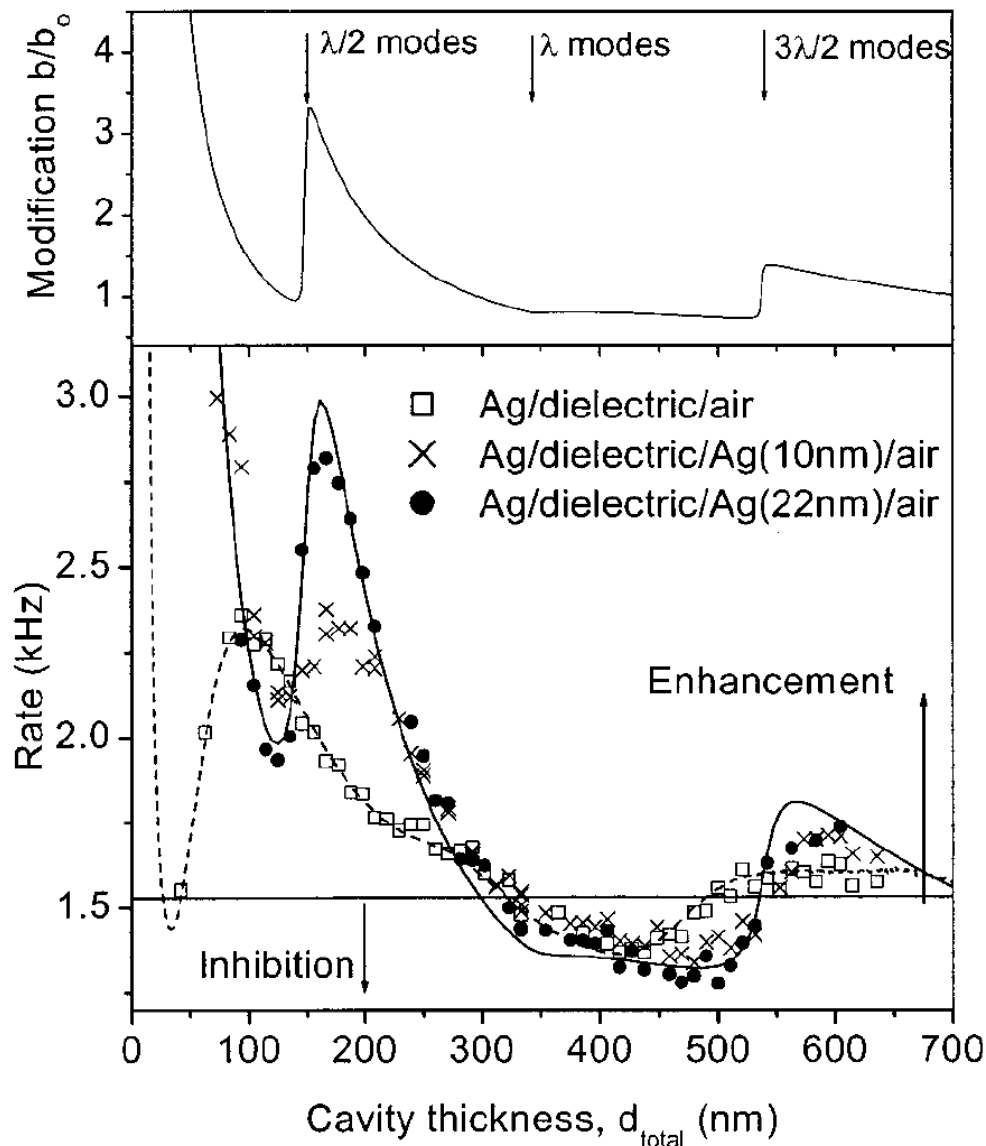
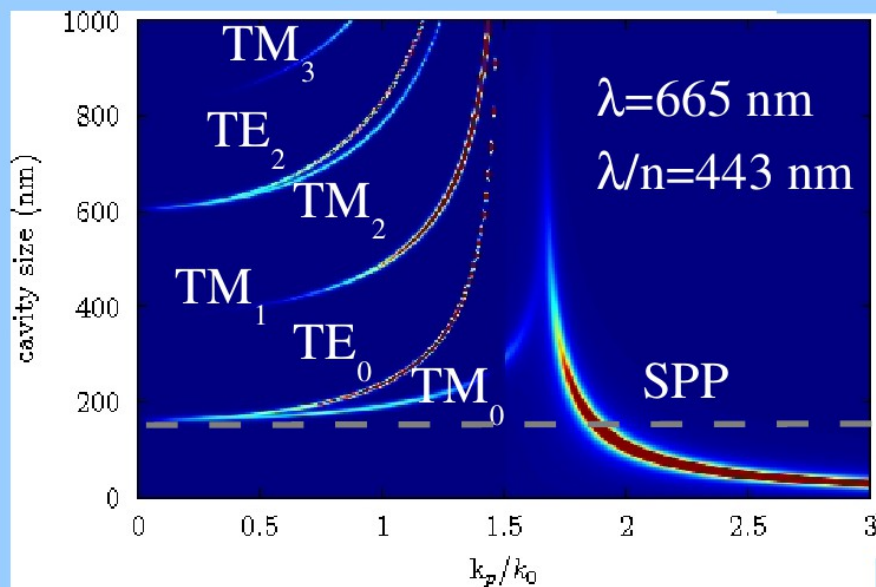
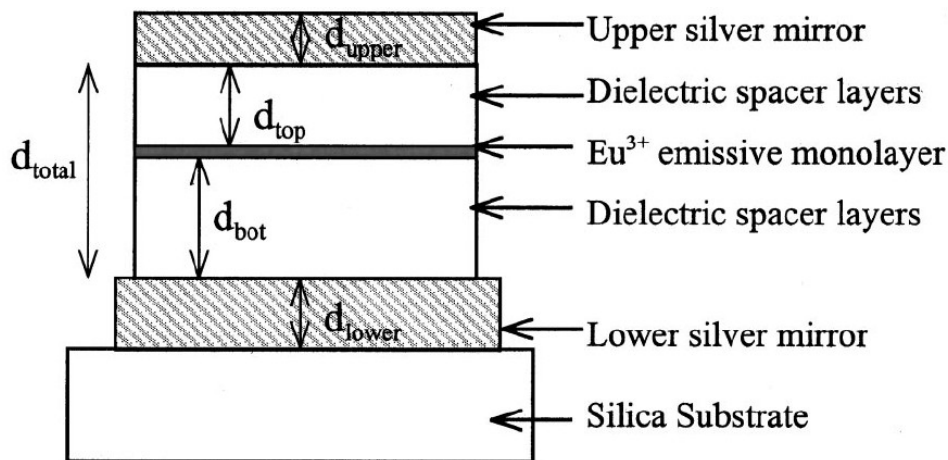
# In plane SPP cavity



# Comparison between planar and bulk cavities



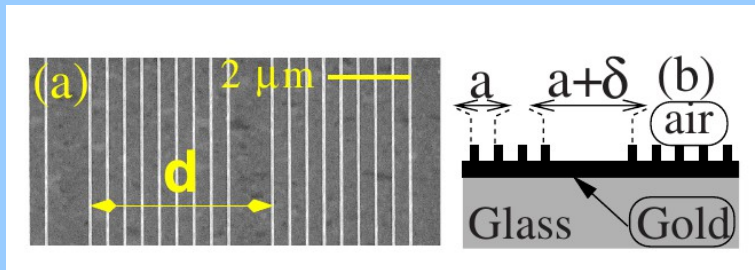
# Optical $\mu$ cavity



Rate an efficiency of spontaneous emission in metal-clad  $\mu$ cavities Worthing *et al*, J. App. Phys. **89** 615 (2001)

See *also* The Single Molecule Probe: Nanoscale Vectorial Mapping of Photonic Mode Density in a Metal Nanocavity Hoogenboom *et al*, Nano Letters **9**, 1189 (2009)

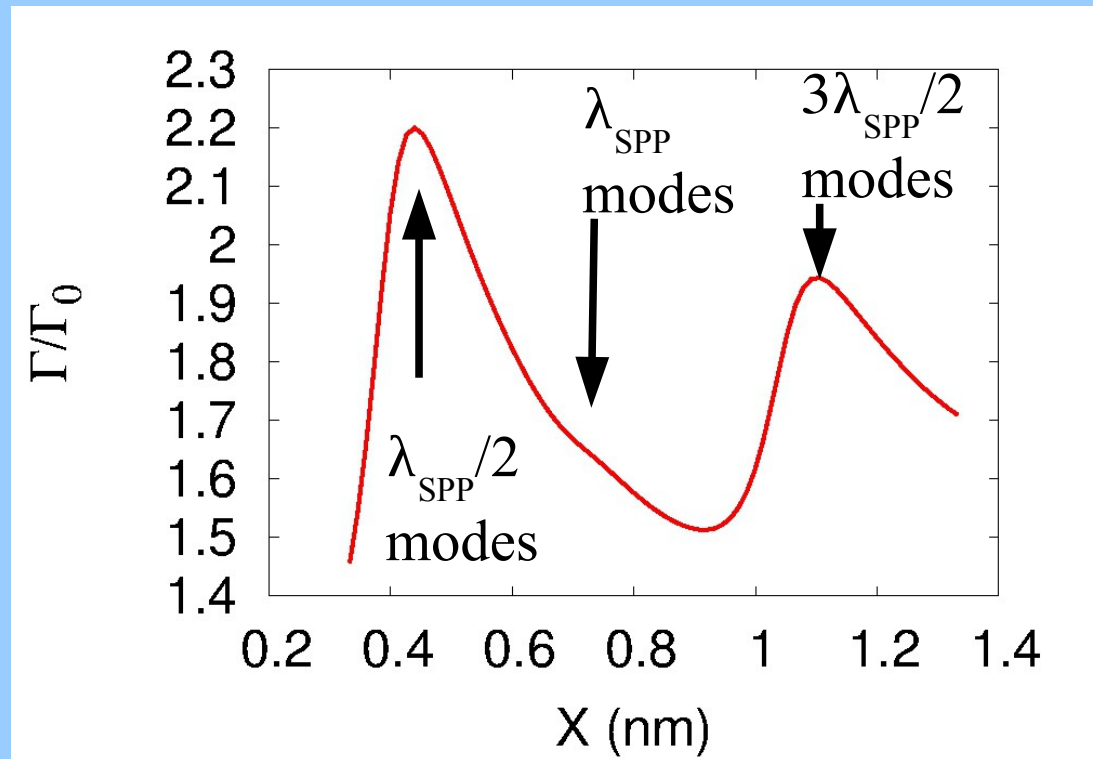
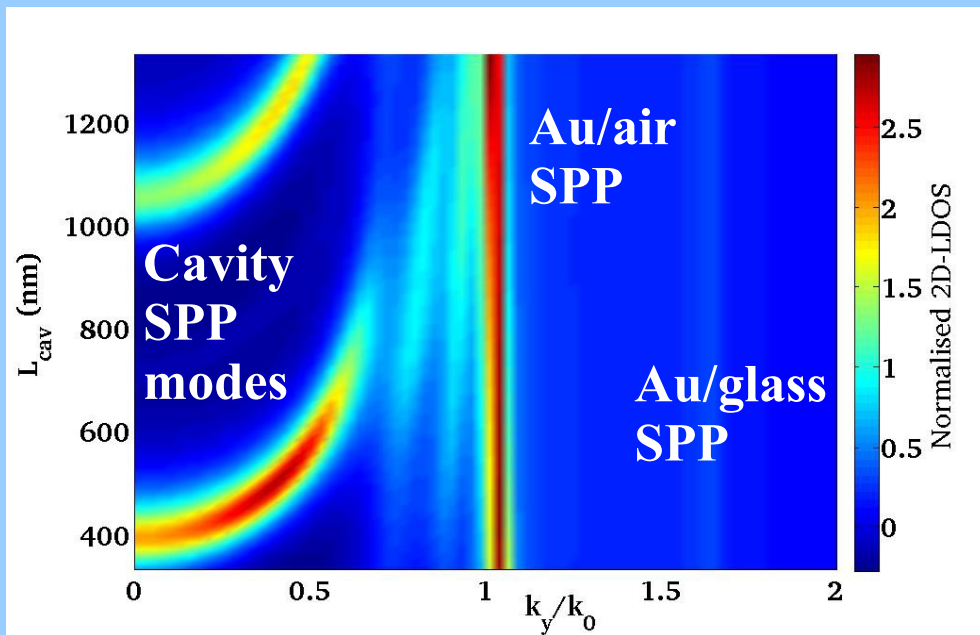
# Plasmonic (planar) cavity



Weeber *et al*, Nano Let. 7, 1352 (2007)

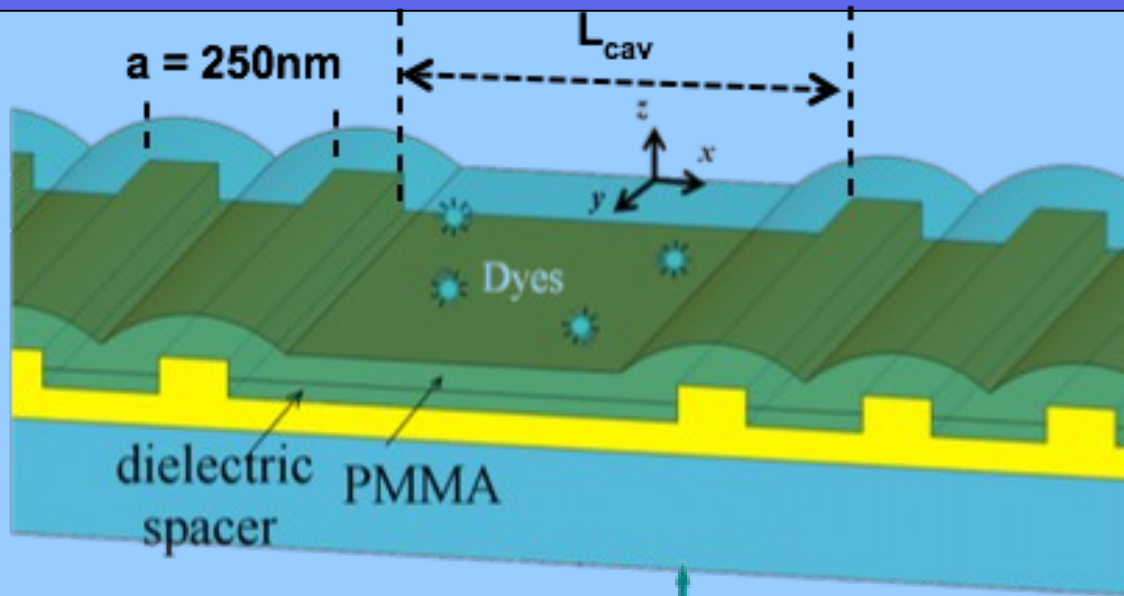
$$\lambda_0 = 690 \text{ nm}$$

$$\lambda_{\text{SPP}} = 665 \text{ nm} \quad (n_{\text{eff}} = 1.035)$$

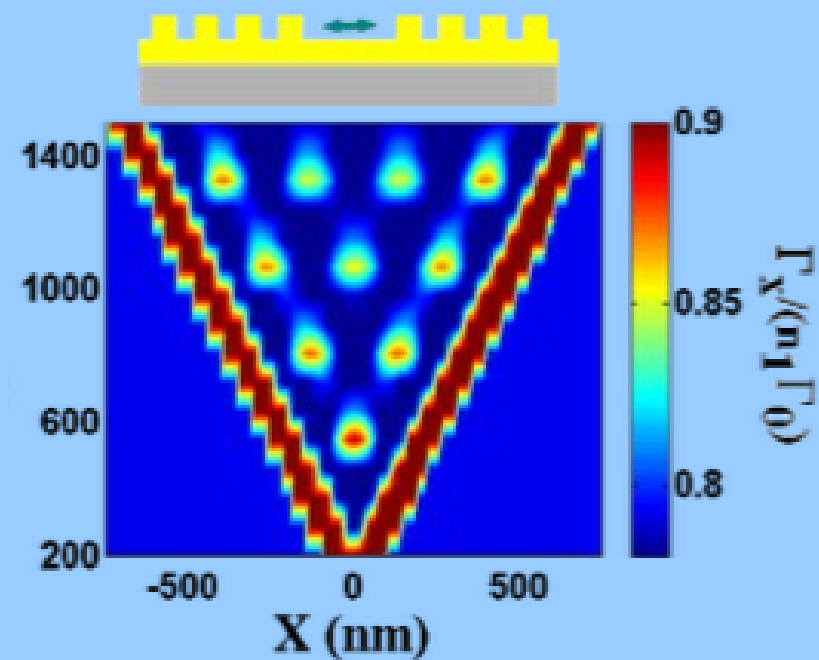
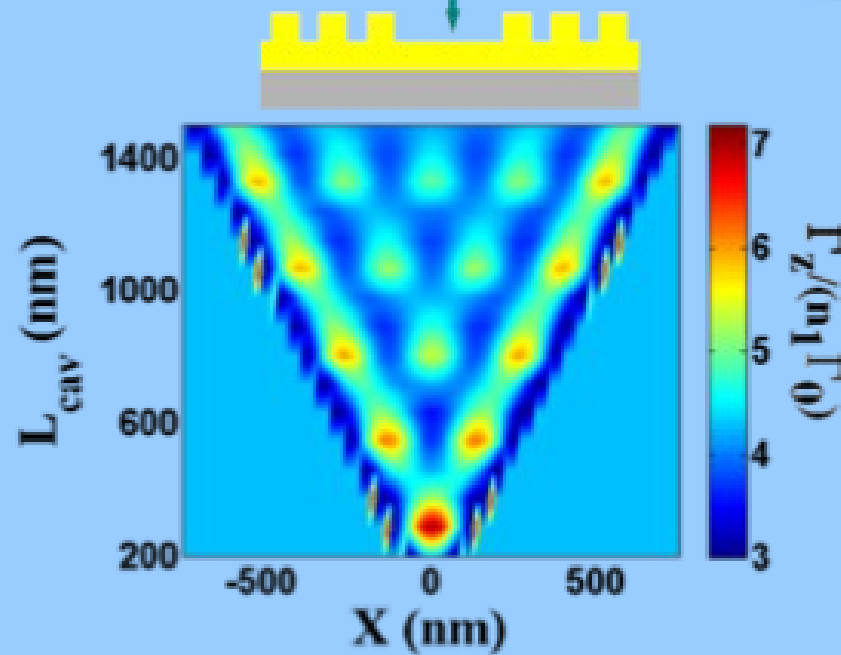


Single-molecule controlled emission in planar plasmonic cavities  
Derom *et al*, Phys. Rev. B 89, 035401 (2014)

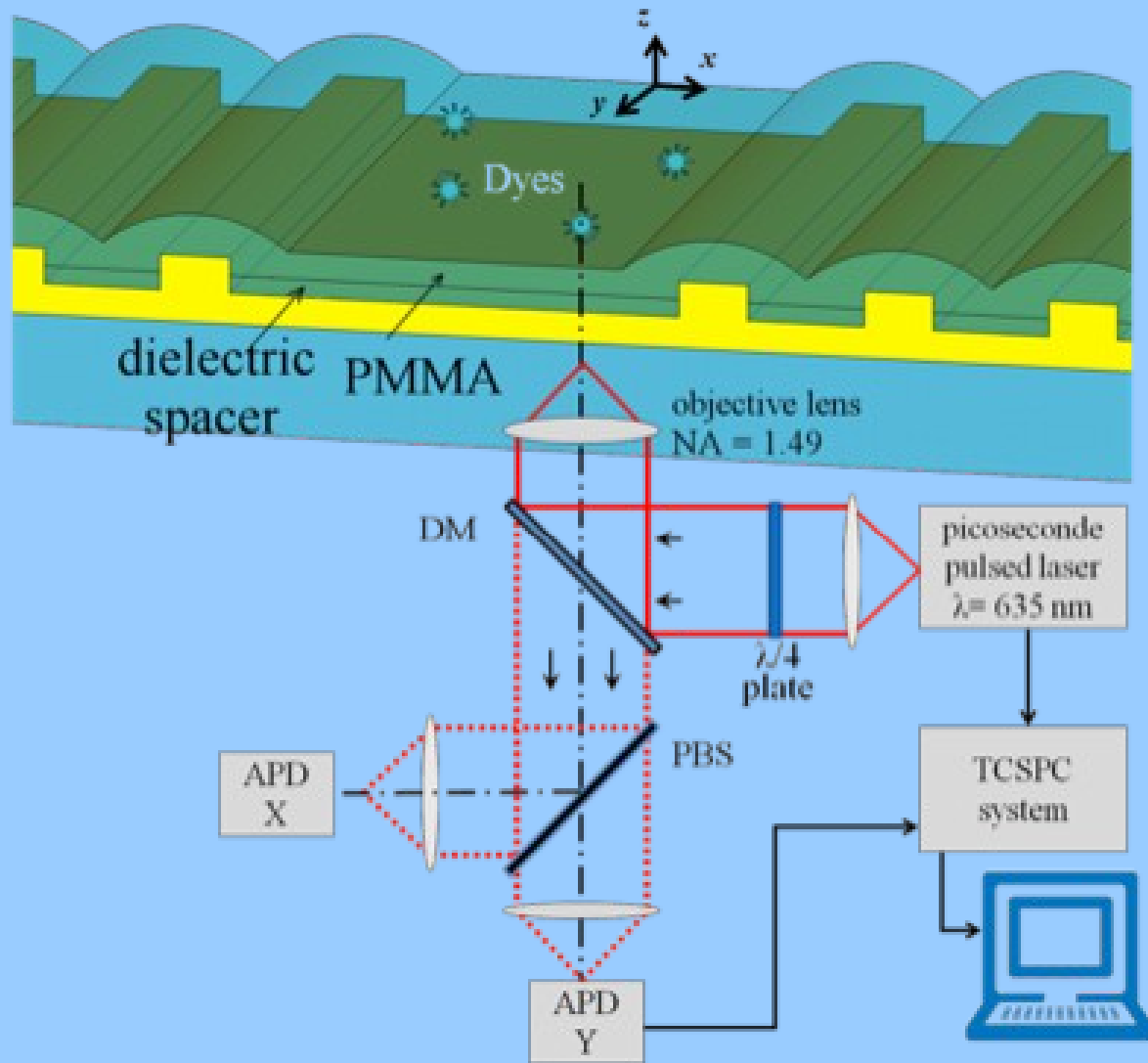
# In plane SPP cavity



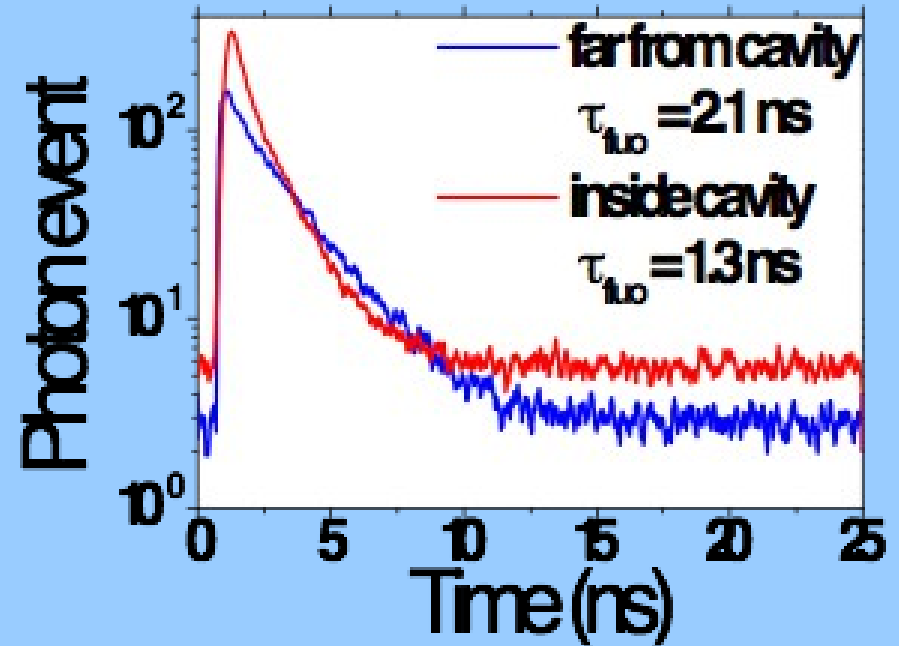
- Decay rate depends on**
- the cavity length
  - the molecule position
  - the molecule orientation



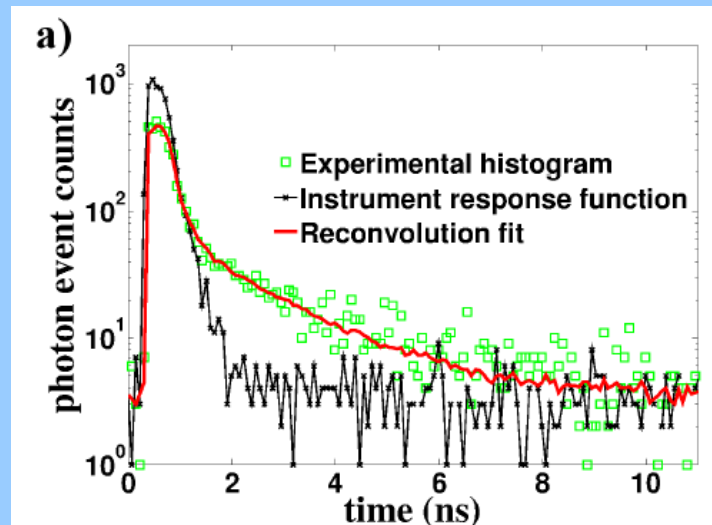
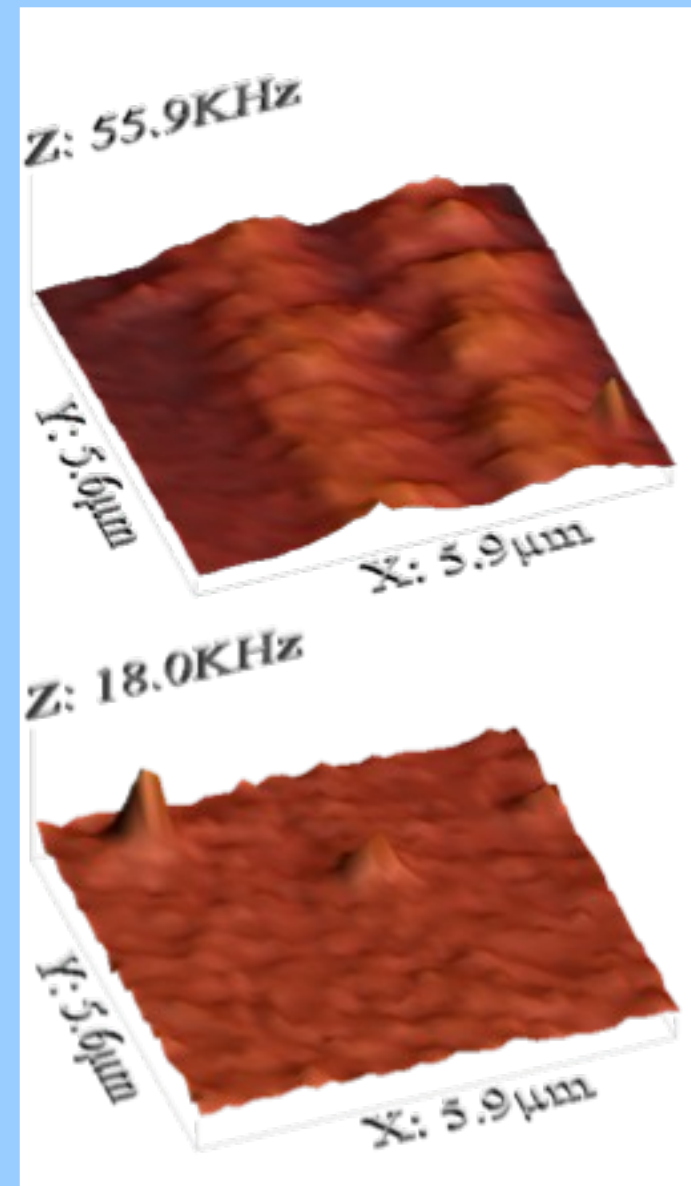
# In plane SPP cavity



**DiD molecule**  
 $\lambda_{\text{emission}} = 670 \text{ nm}$



# Lifetime measurement



**137 molecules  
into the cavities**

*Reference :*  
**75 molecules  
far from cavities**

Bi exponential fitting

- short components ( $\sim 10$  ps)

background signal (notably gold photoluminescence)

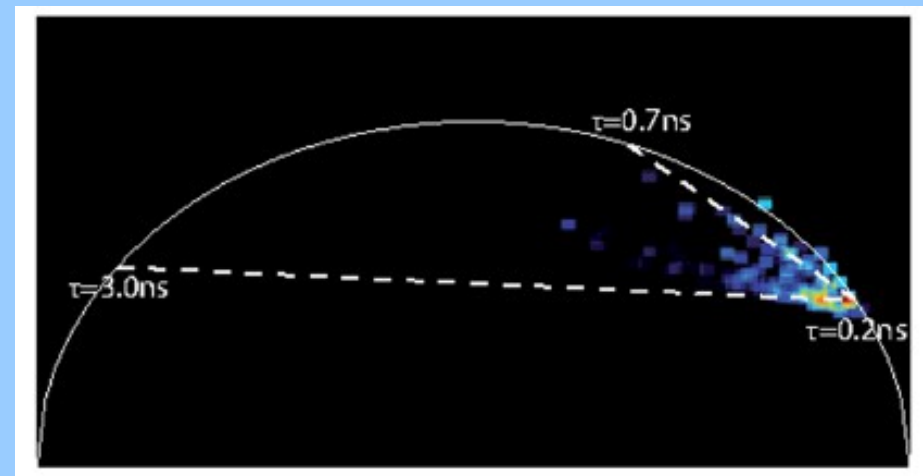
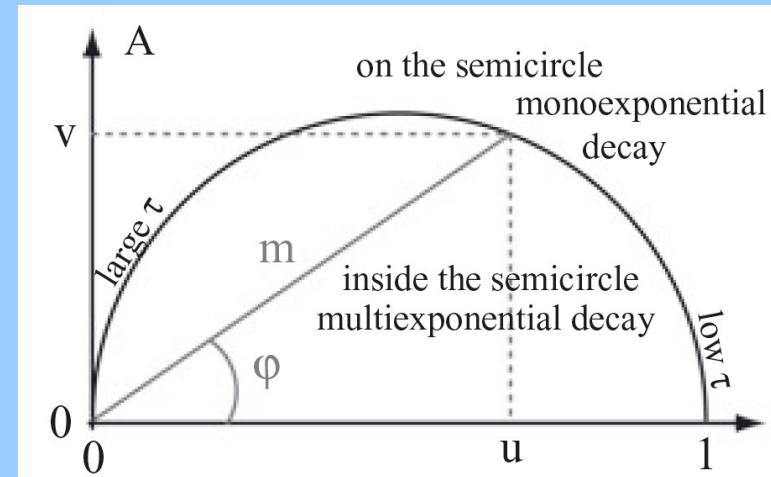
- single molecule fluorescence lifetime ( $\sim$  ns)



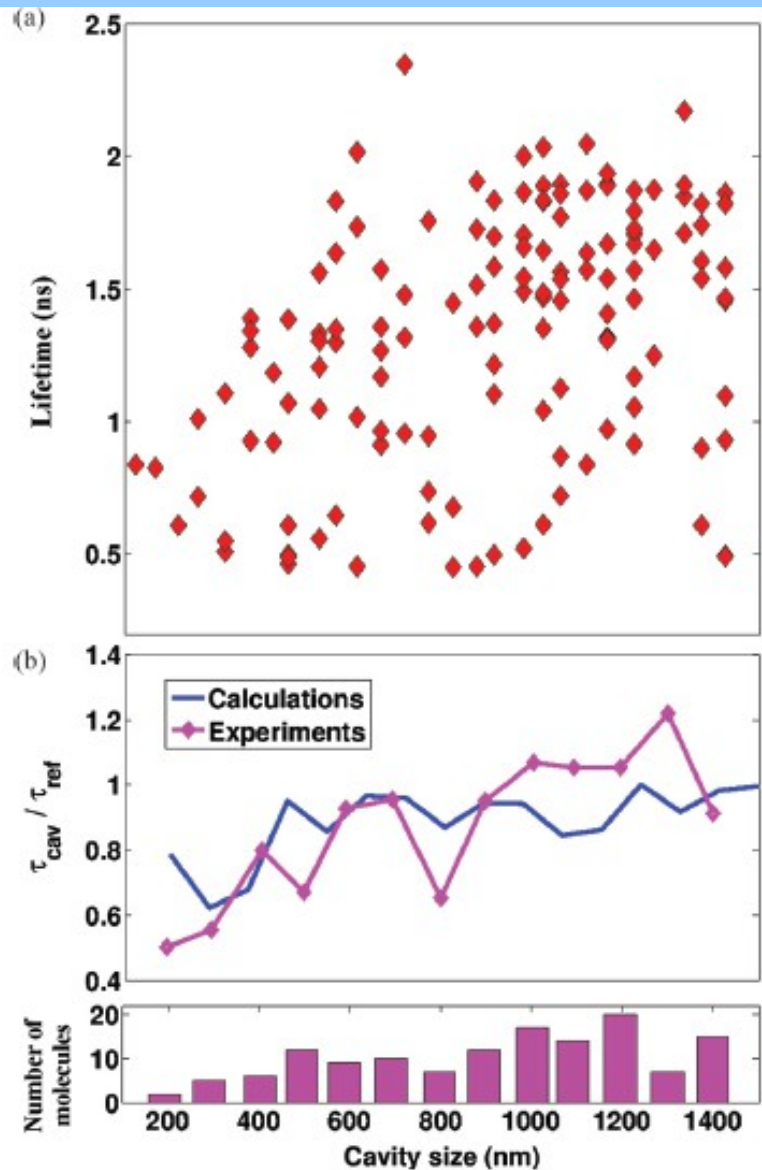
# Polar representation

$$u(\omega) = \frac{\int_0^T \cos(\omega t) I(t) dt}{\int_0^T I(t) dt}$$

$$v(\omega) = \frac{\int_0^T \sin(\omega t) I(t) dt}{\int_0^T I(t) dt}$$

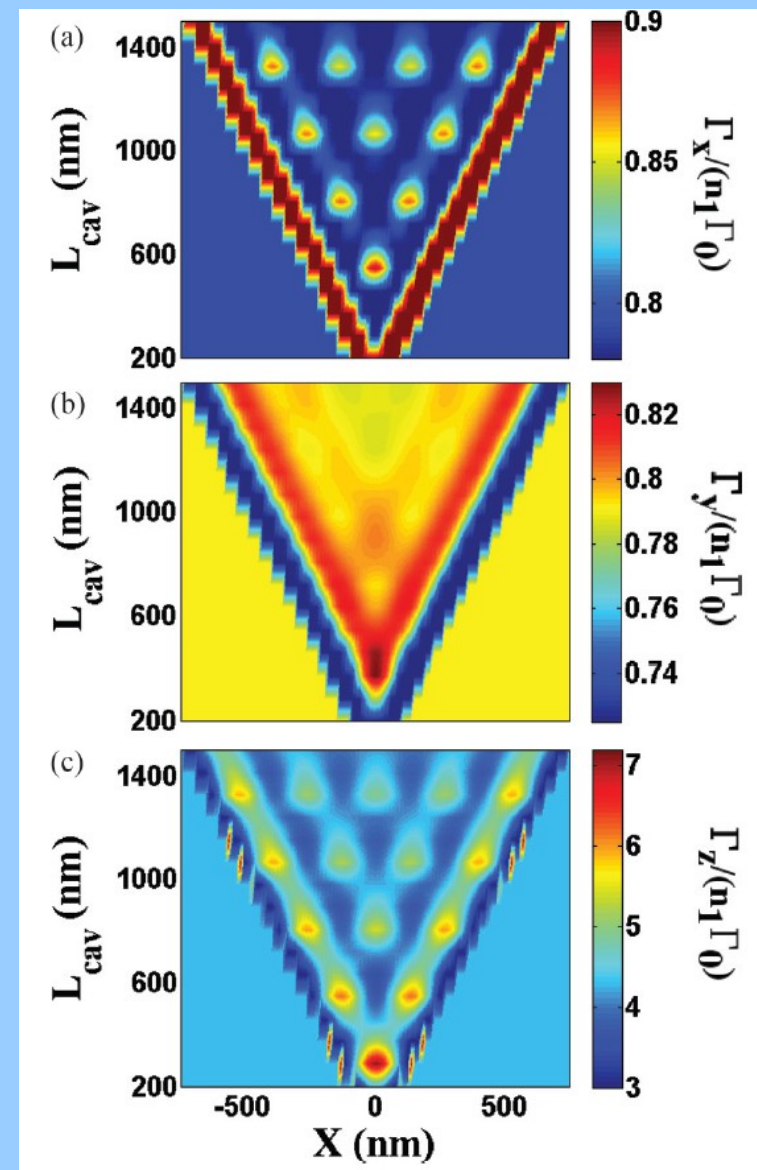


# Effect of the cavity size

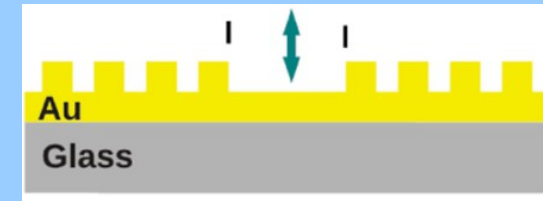
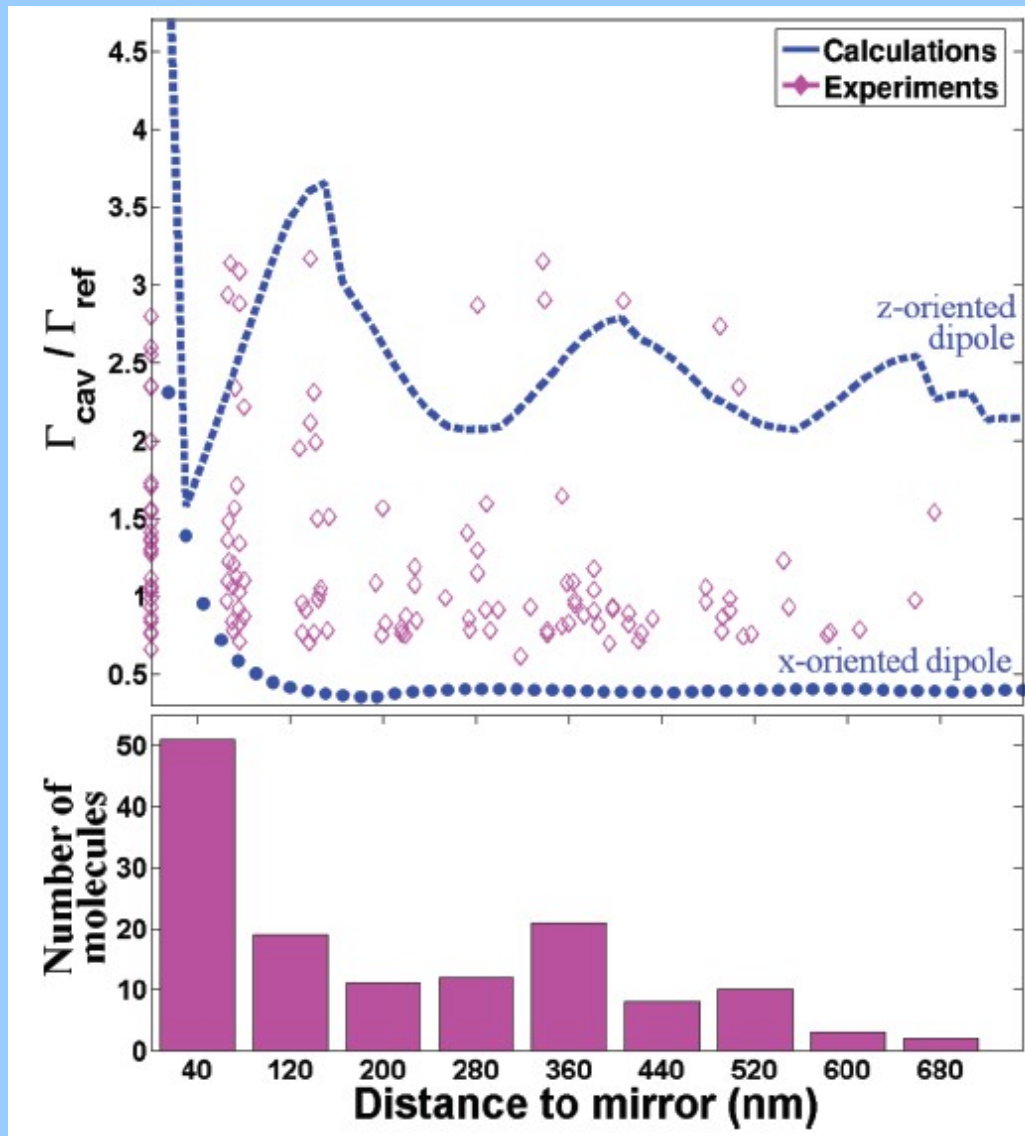


- strong dispersion at the single molecule level

- lifetime averaged over position for each cavity size : small variations related to coupling to the cavity modes

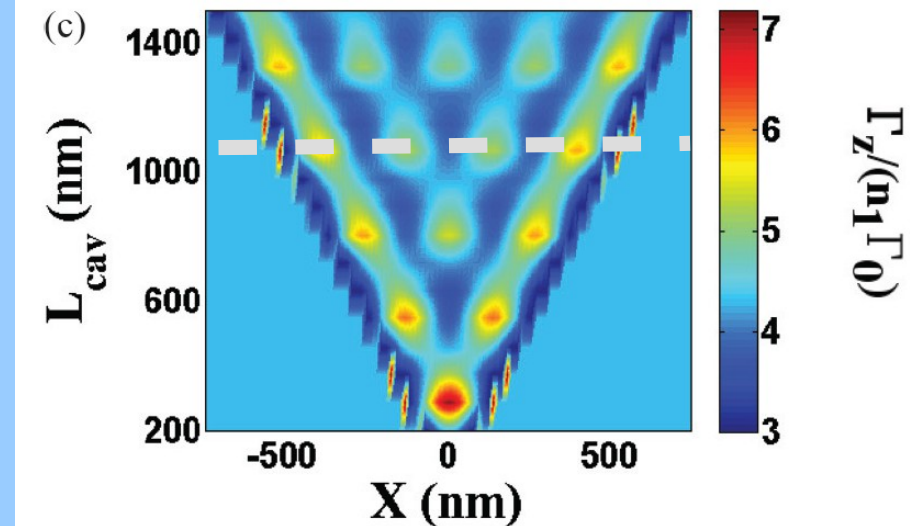
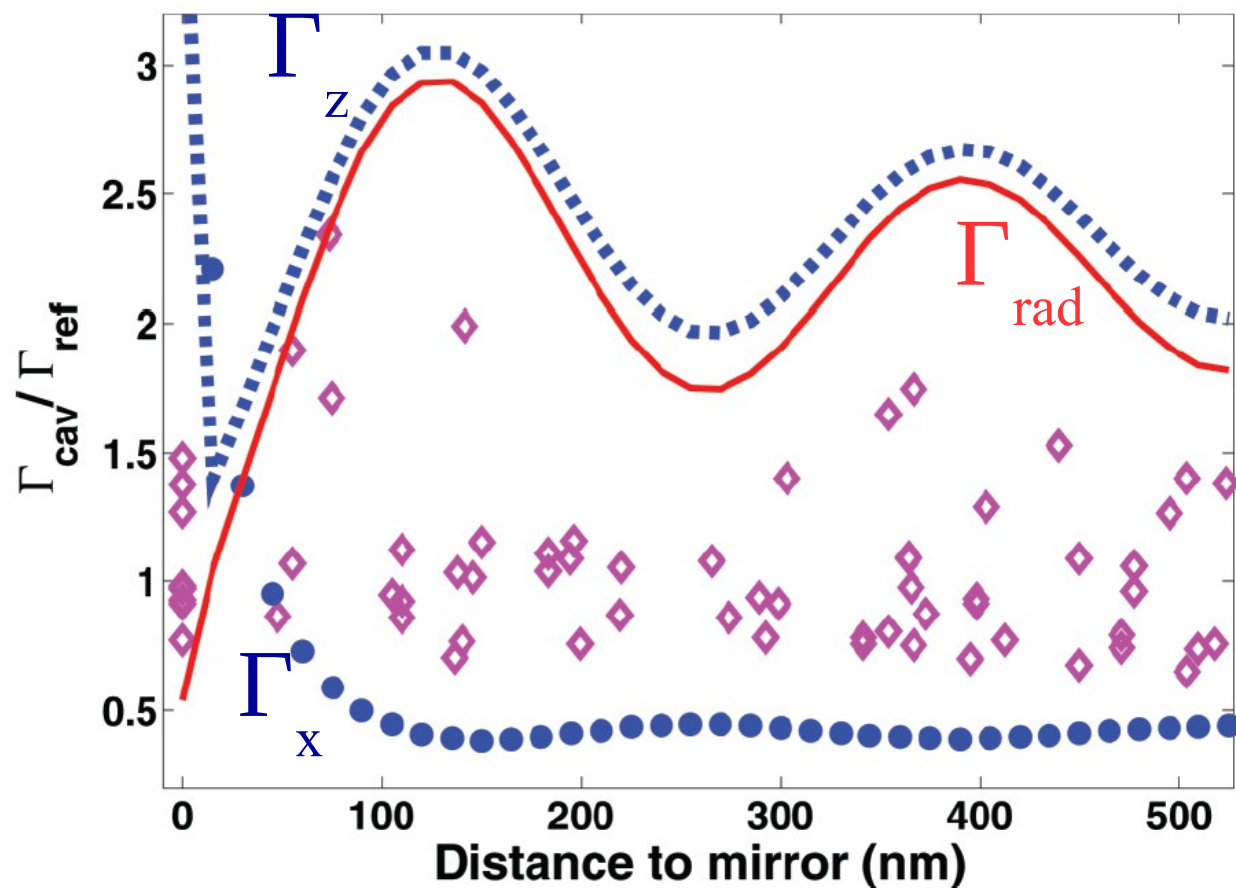


# Molecule position



**dispersion decay rate due to molecules orientation**

# Single cavity ( $L_{\text{cav}} = 2 \lambda_{\text{SPP}} = 1,1 \mu\text{m}$ )



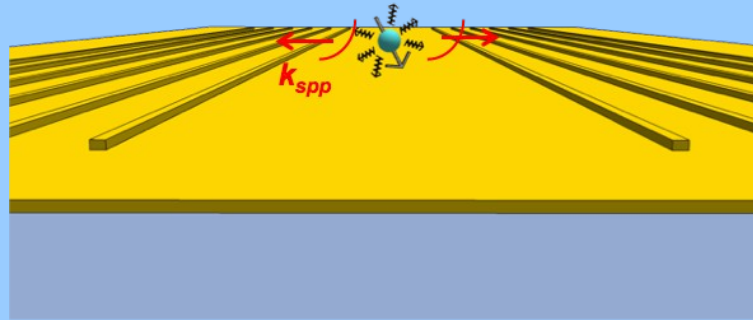
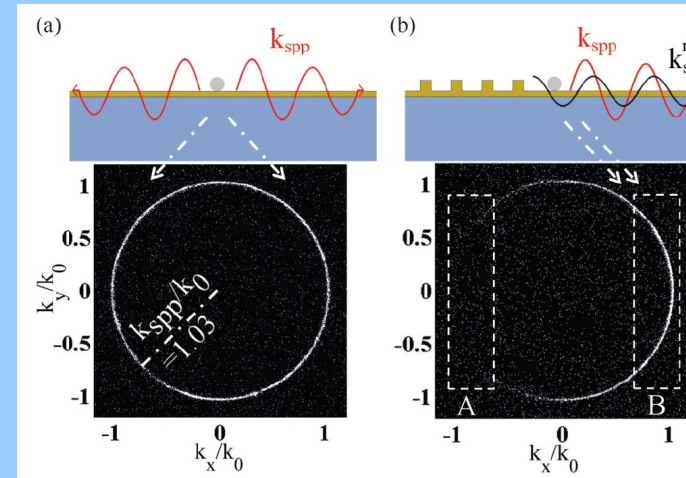
$$\frac{\Gamma_{\text{rad}}}{\Gamma_{\text{tot}}} \approx 0.9$$

**Extraction efficiency  
(leakage into the substrate)**

# Summarize

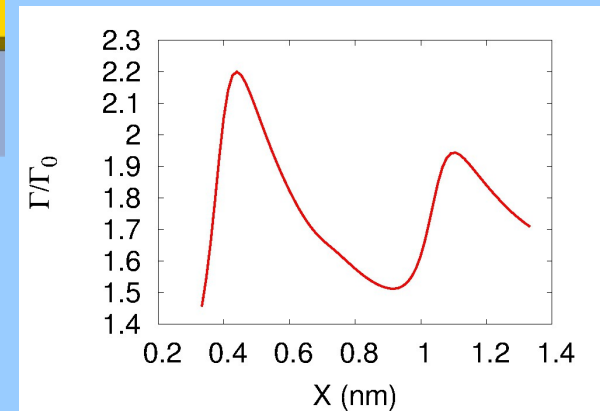
## Plasmonic Bragg mirror

- efficient reflexion of locally excited SPP over  $\sim 40^\circ$
  - large bandwidth
- $\Rightarrow$  control emission at room temperature



## Planar plasmonic cavity

- surface wave confinement
- planar analogous of bulk optical  $\mu$ cavity
- $F_p \sim 7$  ( $\beta \sim 85\%$ )
- good extraction efficiency



Single-molecule controlled emission in planar plasmonic cavities  
Derom et al, Phys. Rev. B **89**, 035401 (2014)

# Acknowledgements

## ICB

S. Derom (→ Aalto Univ.)  
A. Bouhelier  
A. Leray (from Univ. Lille)  
J.-C Weeber

## GEMaC (Univ. Versailles)

J.P. Hermier  
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