

Hints of lepton universality violation in semileptonic B decays

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Benasque Workshop
Flavour Physics at LHC run II

26/05/17

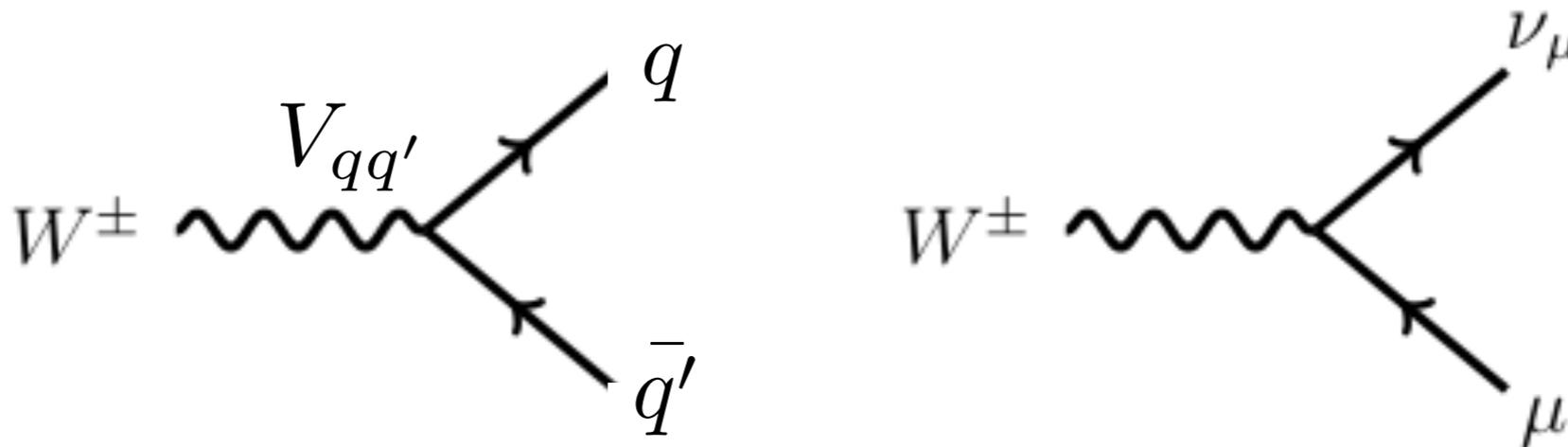


**Universität
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Flavour physics and lepton universality

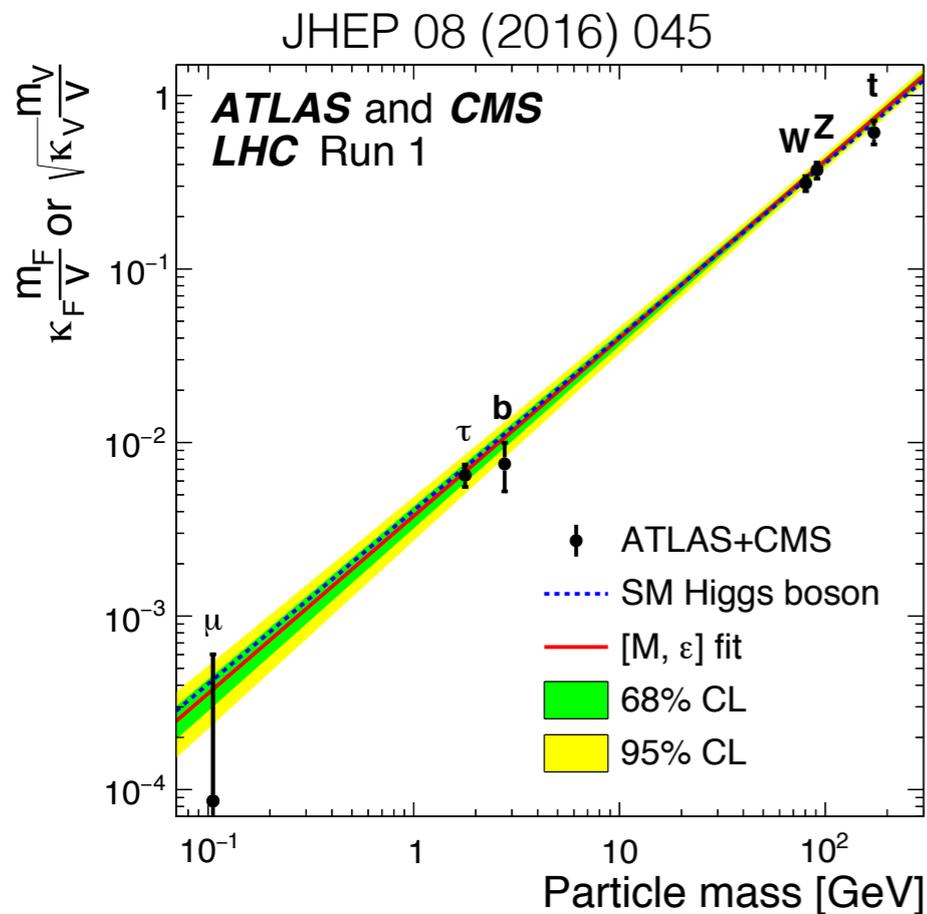
- Flavour physics is the study of the different generations of fermions.
- In the SM these different generations interact in a very specific way.
- The generations of quarks interact via the CKM matrix



- The generations of the charged leptons are identical copies of each other with regards to their electroweak couplings.

Lepton universality

- Of course, one could say that we have already seen violation of lepton universality.



- Differences due to masses can be large.

$$\mathcal{B}(Z \rightarrow e^+ e^-) = \mathcal{B}(Z \rightarrow \mu^+ \mu^-) = \mathcal{B}(Z \rightarrow \tau^+ \tau^-)$$

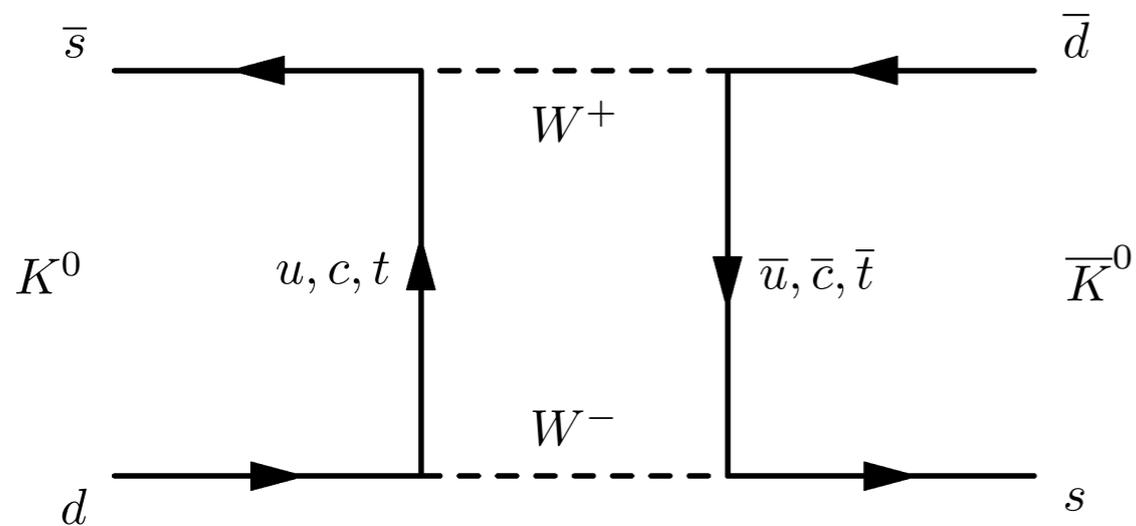
$$\mathcal{B}(\psi(2S) \rightarrow e^+ e^-) = \mathcal{B}(\psi(2S) \rightarrow \mu^+ \mu^-) = \mathcal{B}(\psi(2S) \rightarrow \tau^+ \tau^-) / 0.3885$$

We have searched for violations of lepton universality in various systems (Z, W, π decays ..), no evidence so far*.

* Apart from a small tension in W decays (e.g. <https://arxiv.org/abs/1603.03779>)

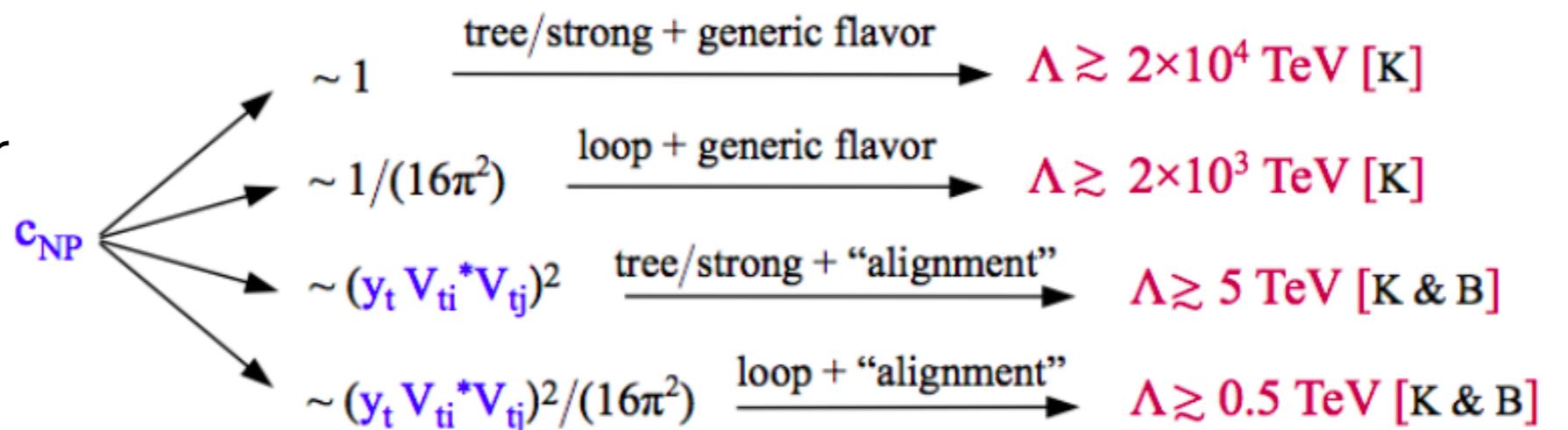
Why look in B decays

- If one assumes $O(1)$ couplings, can get large NP contributions to mixing diagrams.



- Unfortunately, no deviations from SM predictions have been observed \rightarrow very stringent limits on the energy scale of NP.

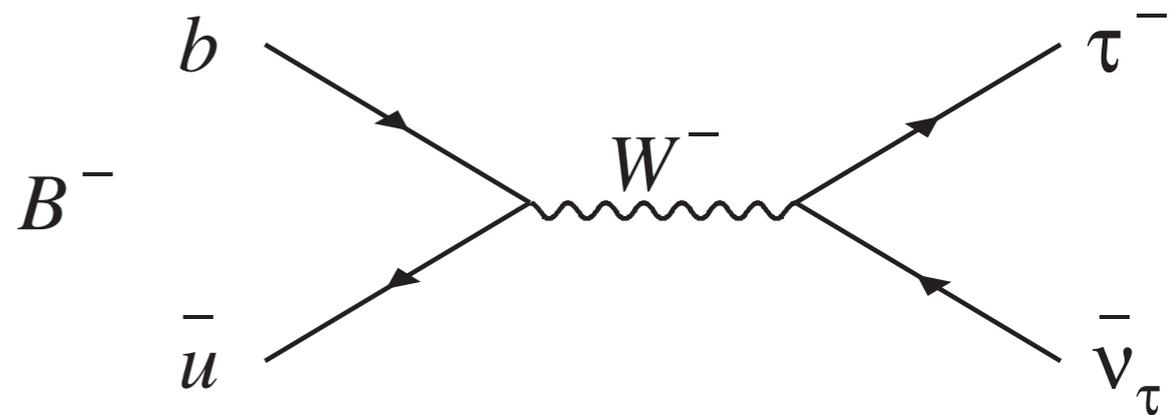
Need hierarchal flavour structure in order to satisfy naturalness problem.



B-physics becomes most powerful in this case.

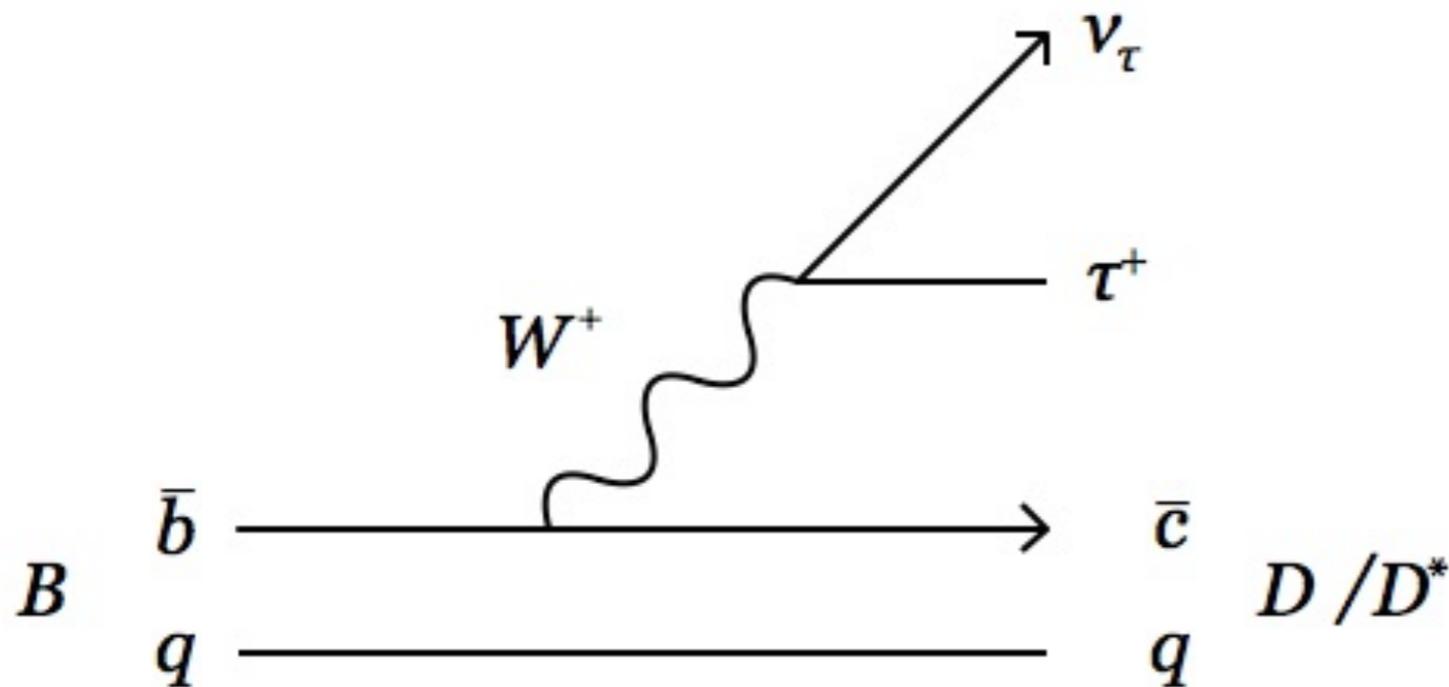
An example

- Consider the decay $B \rightarrow \tau \nu$
- Mediated by a W boson coupling to third generation fermions at both vertices.
 - Highly sensitive to a charged Higgs boson.
 - In which case, expect violation of lepton universality for decays involving a τ or muon
- Can naturally explain why we wouldn't have seen it before in e.g. kaon decays.
- Can find it even if mass $>$ LHC energy.



Why semi-leptonic decays?

- A decay is semi-leptonic if its products are part leptons and part hadrons.



$$\frac{d\Gamma}{dq^2}(B \rightarrow D\ell\nu) \propto$$

$$G_F^2 |V_{cb}|^2 f(q^2)^2$$

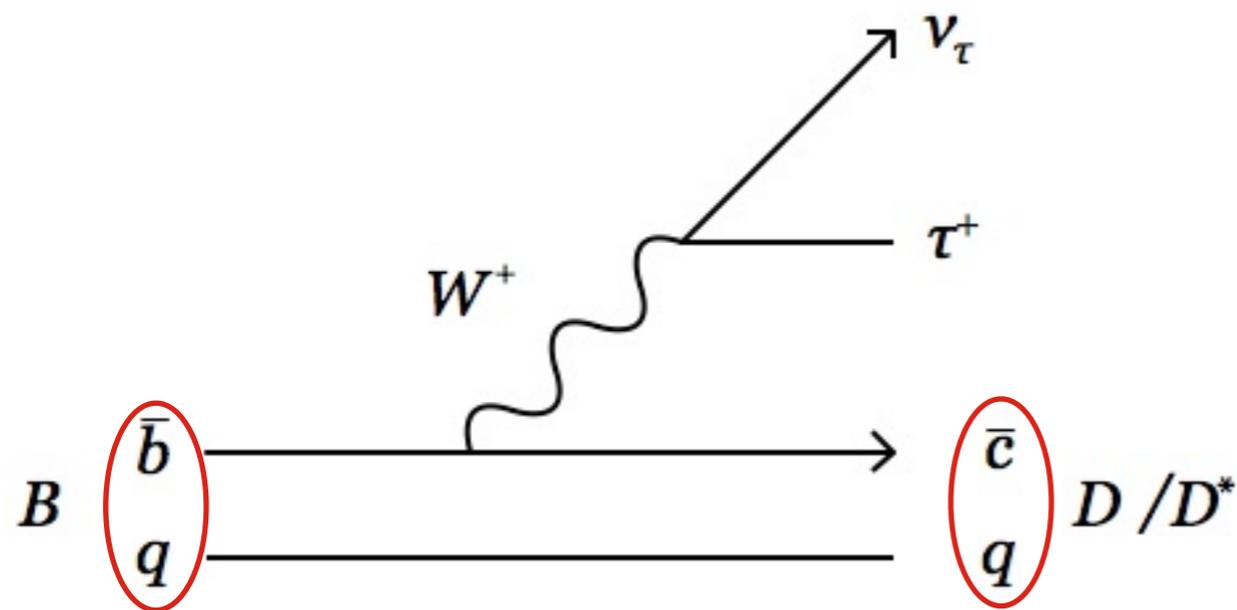
↑ EW ↑ QCD

- These decays can be **factorised** into the weak and strong parts, greatly simplifying theoretical calculations.
- Lepton universality ratios further cancel theoretical uncertainties.

Types of semi-leptonic decay

Two types of semi-leptonic B decay

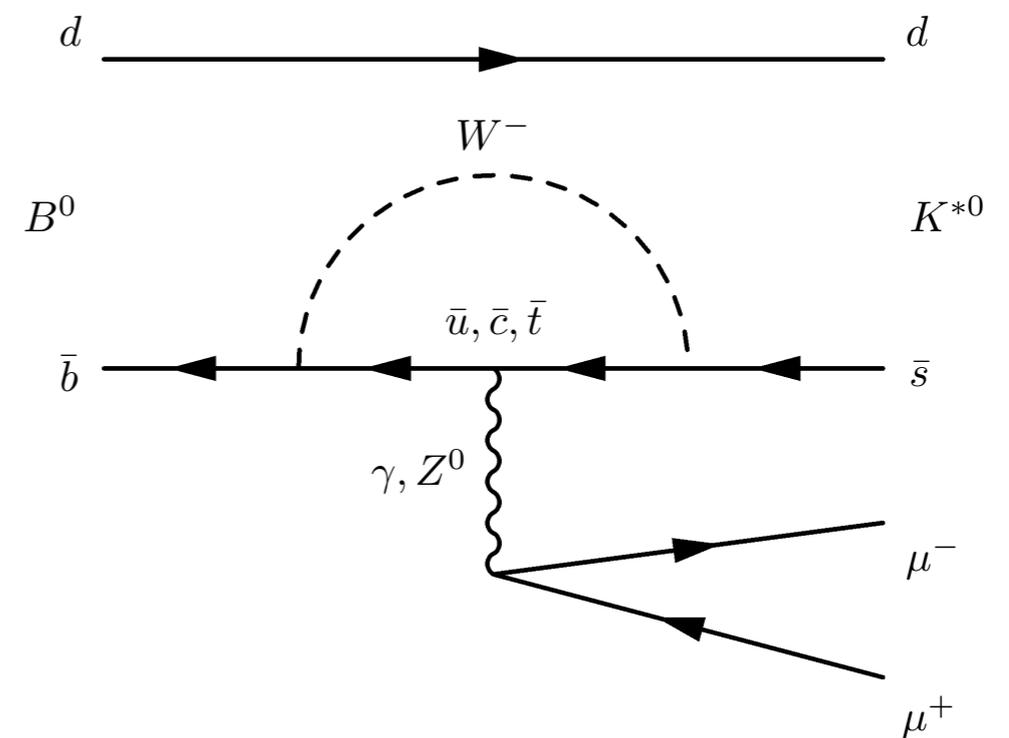
Charged current



Can proceed via tree level - large $O(\%)$ branching fractions.

NP sensitivity up to about 1 TeV

Neutral current



Forbidden at tree level - low $O(10^{-6})$ branching fractions.

NP sensitivity up to about 100 TeV

$$R(D^{(*)}) = \frac{\mathcal{B}(B \rightarrow D^{(*)} \tau \nu)}{\mathcal{B}(B \rightarrow D^{(*)} \ell \nu)}$$

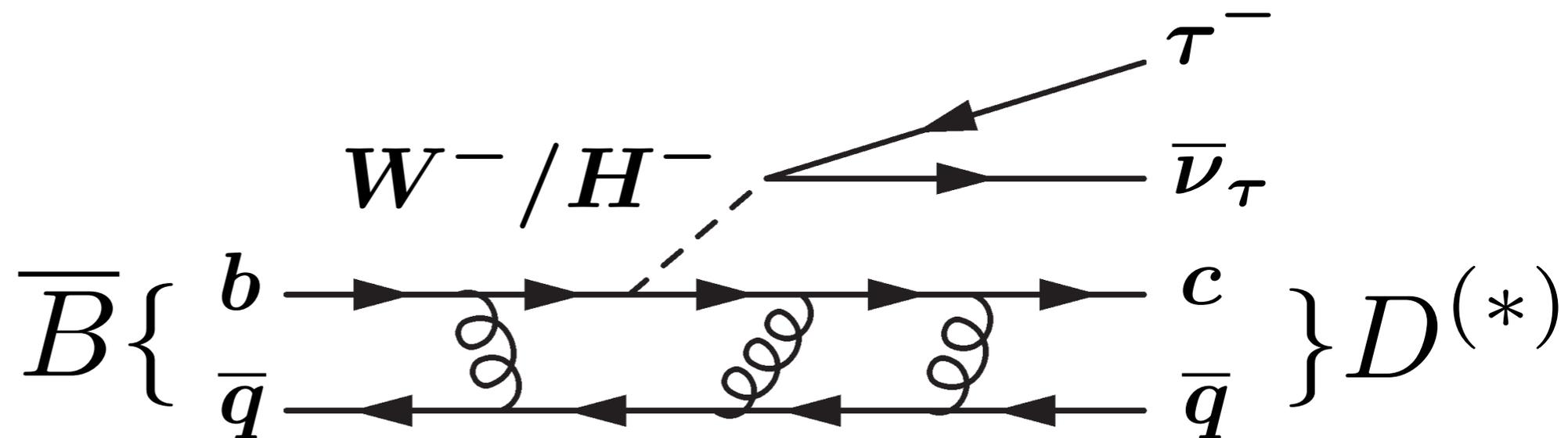
R(D^{*})

- Large rate of charged current decays allow for measurement in semi-tauonic decays.

$$R(D^{(*)}) = \frac{\mathcal{B}(B \rightarrow D^{(*)} \tau \nu)}{\mathcal{B}(B \rightarrow D^{(*)} \ell \nu)}$$

- Form ratio of decays with different lepton generations.
- Cancel QCD/expt uncertainties.

- R(D^{*}) sensitive to any physics model favouring 3rd generation leptons (e.g. charged Higgs).



Who has made measurements

- Three experiments have made measurements

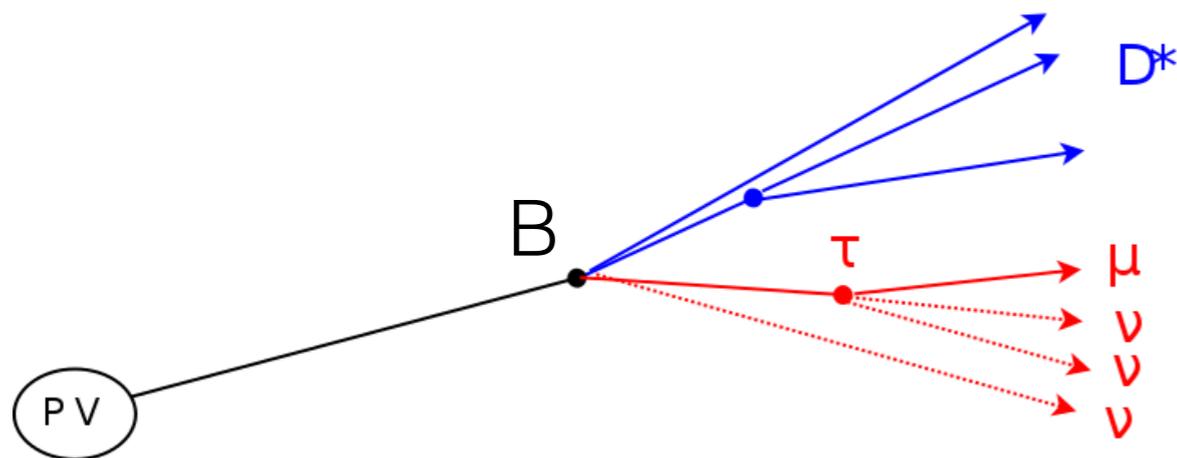
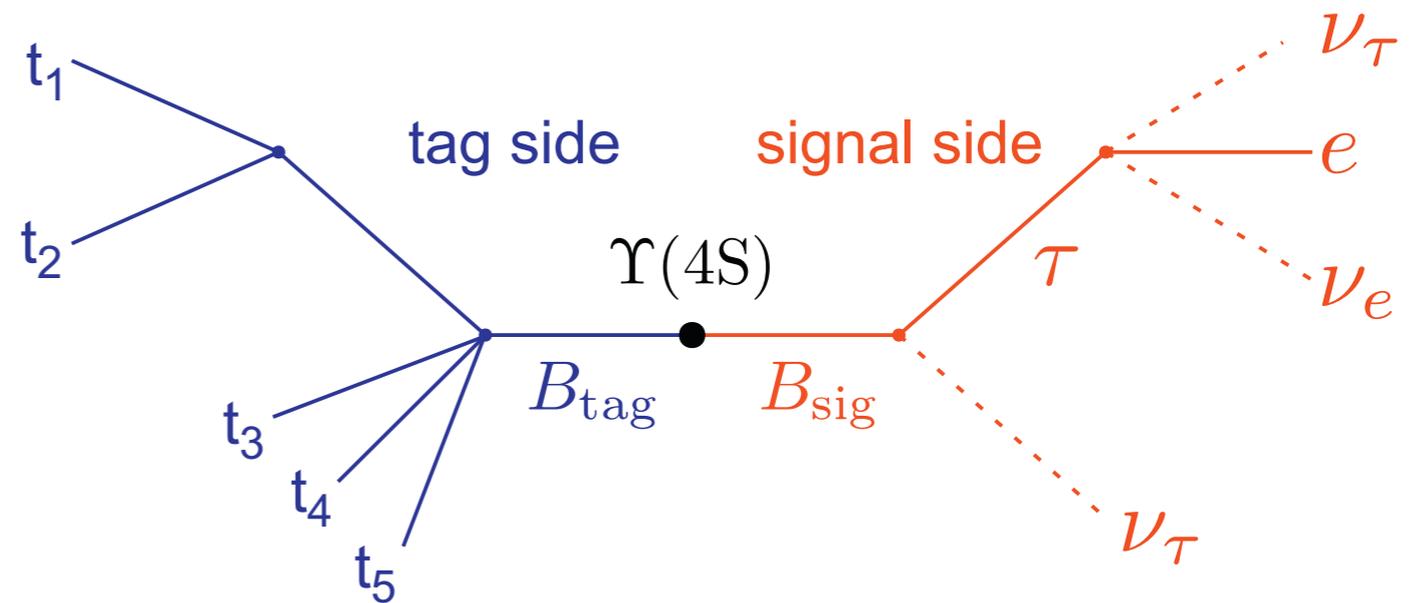
	BaBar	Belle	LHCb
#B's produced	O(400M)	O(700M)	O(800B)*
Production mechanism	$\Upsilon(4S) \rightarrow B\bar{B}$	$\Upsilon(4S) \rightarrow B\bar{B}$	$pp \rightarrow gg \rightarrow b\bar{b}$
Publications	Phys.Rev.Lett 109, 101802 (2012) Phys. Rev. D 88, 072012 (2013)	Phys.Rev.D 92, 072014 (2015) Phys. Rev. D 94, 072007 (2016) arXiv:1612.00529	Phys.Rev.Lett. 115, 111803 (2015)

* during run 1 of the LHC

Experimental challenges

- Three neutrinos in the final state (using $\tau \rightarrow \mu\nu\nu$).
- No sharp peak to fit in any distribution.

• At B-factories, can control this using 'tagging' technique.



- More difficult at LHCb, compensate using large boost (flight information) and huge B production.

Signal fits

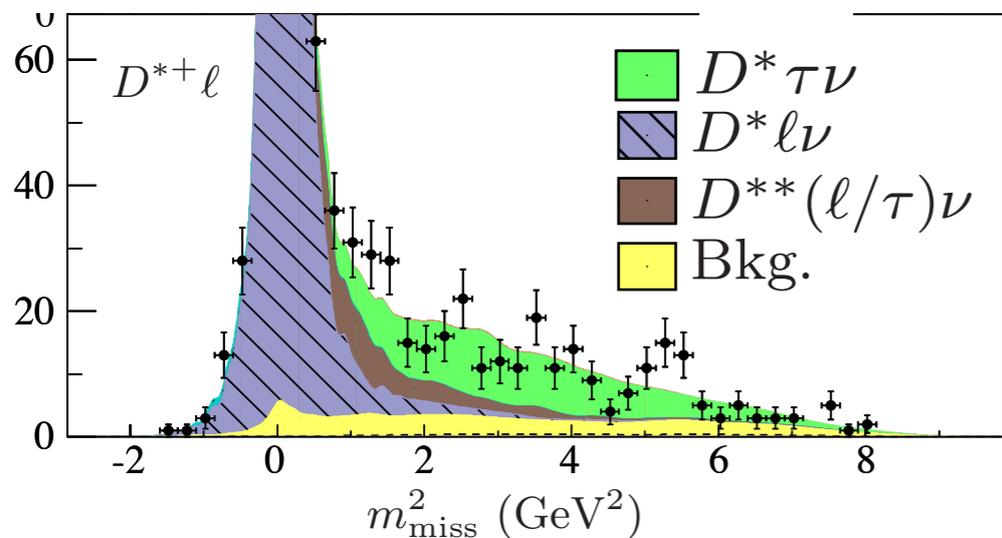
- Three main backgrounds:

$$B \rightarrow D^* \ell \nu$$

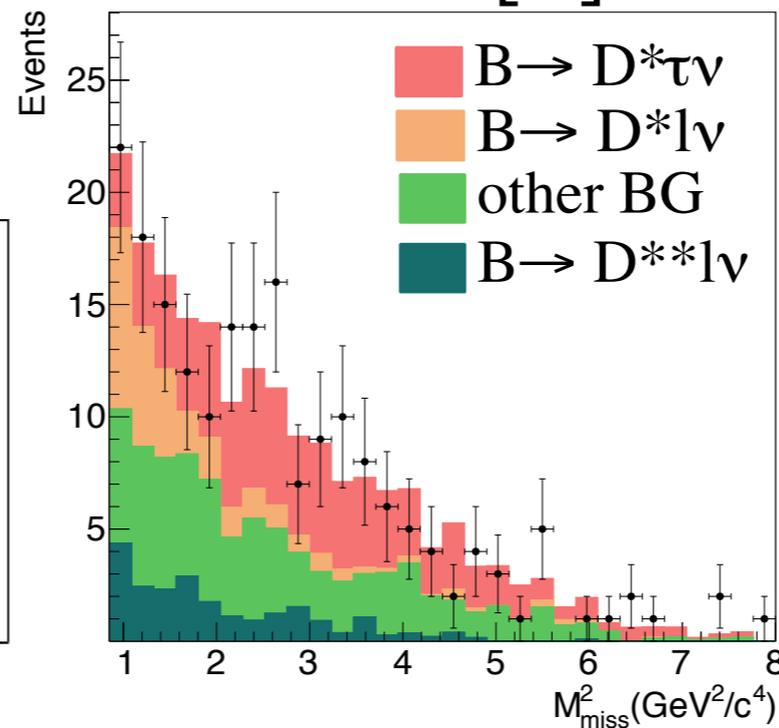
$$B \rightarrow D^{**} \ell \nu$$

$$B \rightarrow D^* D X$$

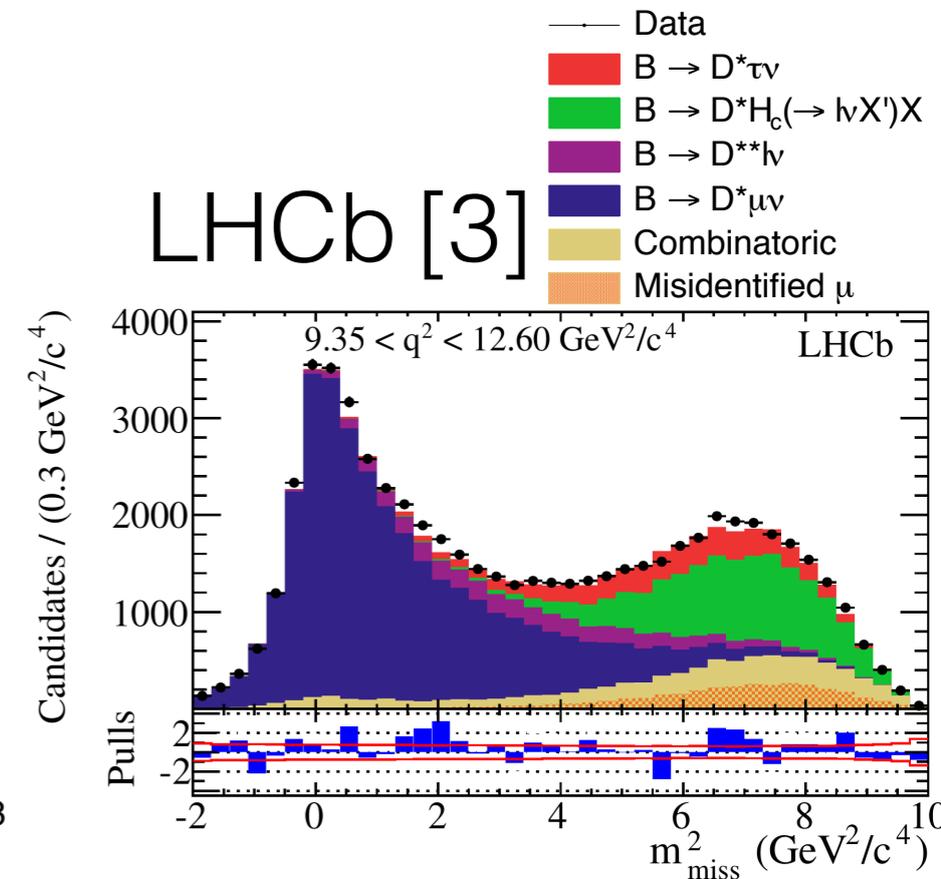
BaBar [1]



Belle [2]



LHCb [3]



- Fit variables which discriminate between muon and tauonic mode.

[1] Phys. Rev. D 88, 072012 (2013)

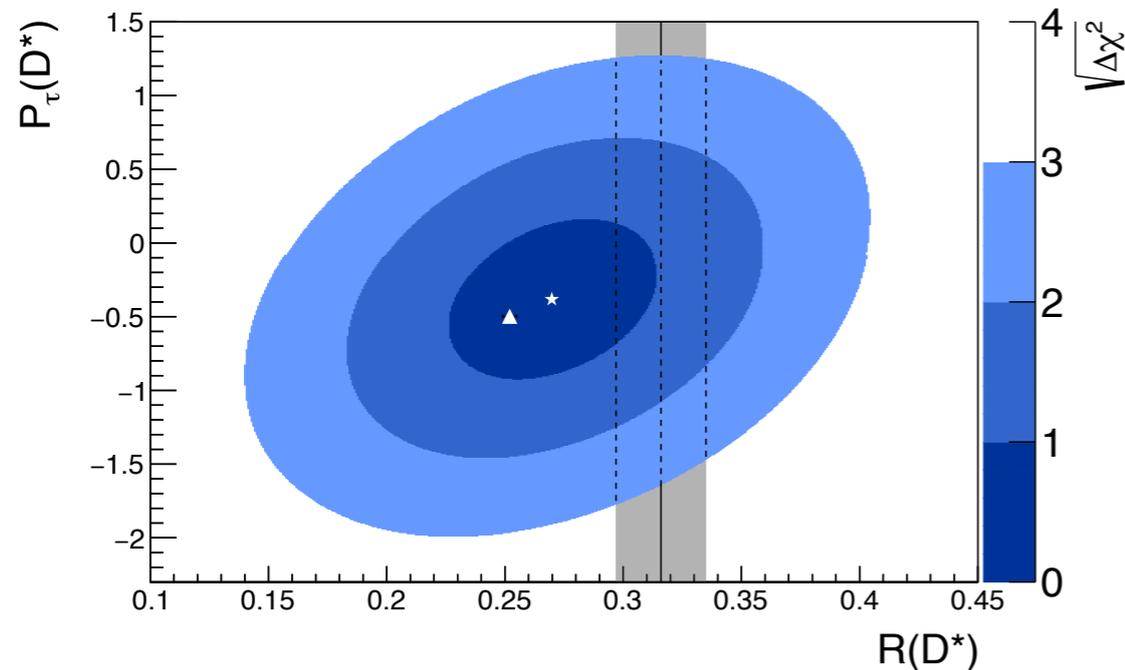
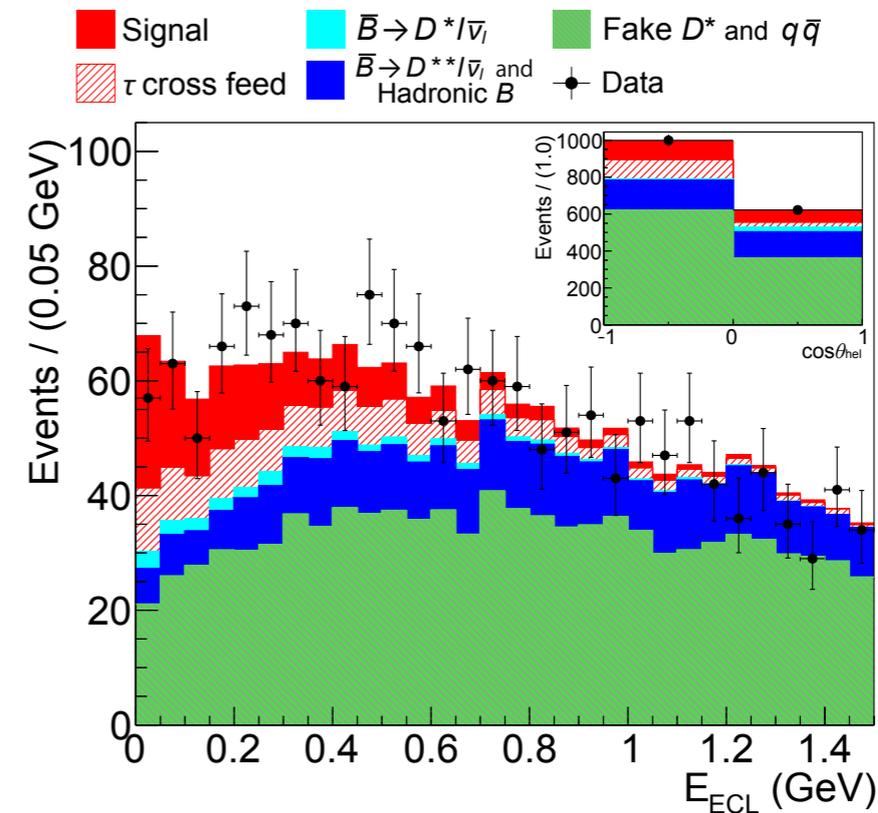
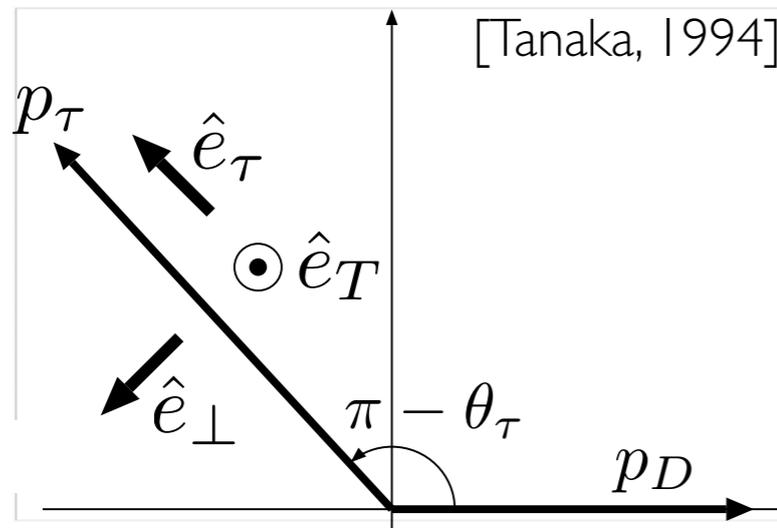
[2] Phys.Rev.D 92, 072014 (2015)

[3] Phys.Rev.Lett.115, 111803 (2015)

Latest result from Belle

arXiv:1612.00529, submitted to PRL

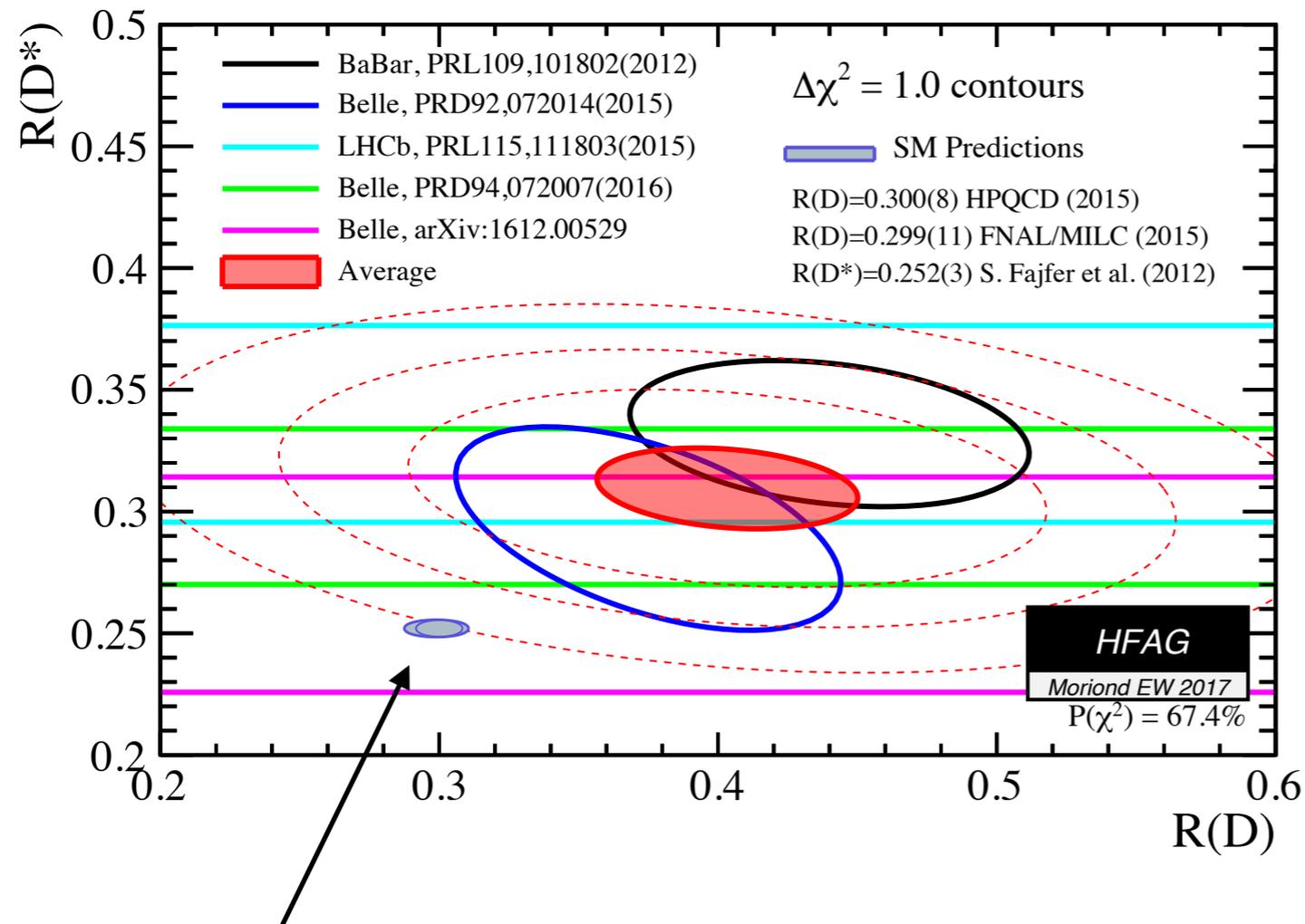
- First result to use hadronic $\tau \rightarrow \pi\nu$ decays.



- Also first measurement to measure τ polarisation.

Combination

- All experiments see an excess of signal w.r.t. SM prediction.



Horizontal bands refer to $R(D^*)$, ellipses refer to both $R(D^*), R(D)$

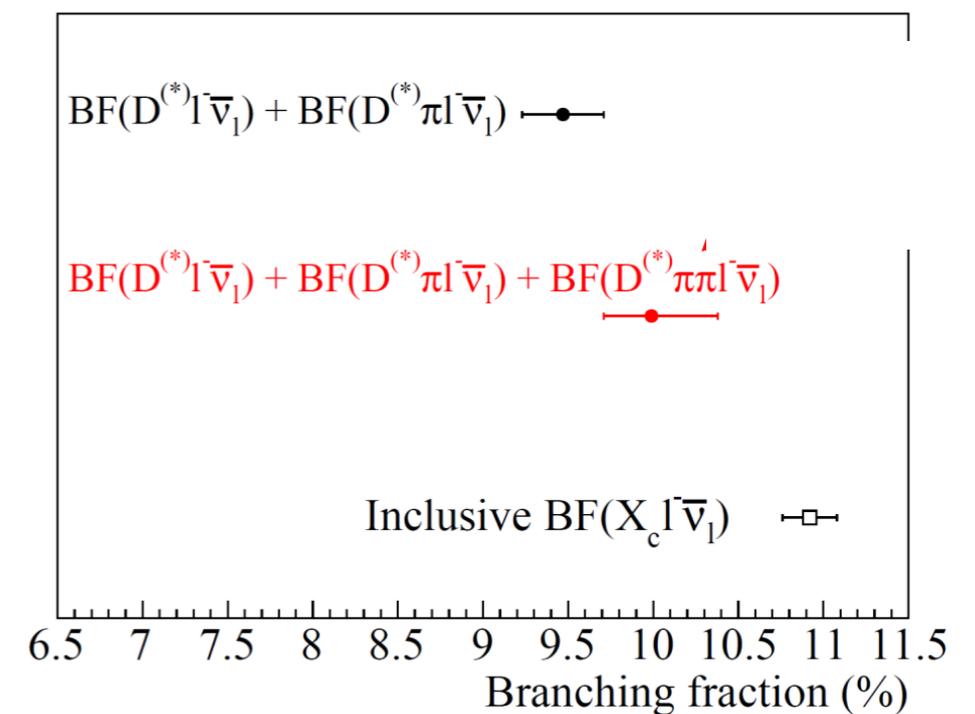
QCD uncertainties very small - unlikely to be explanation.

Latest HFAG average [1] quotes **3.9σ** from SM prediction

[1] http://www.slac.stanford.edu/xorg/hfag/semi/winter16/winter16_dtaunu.html

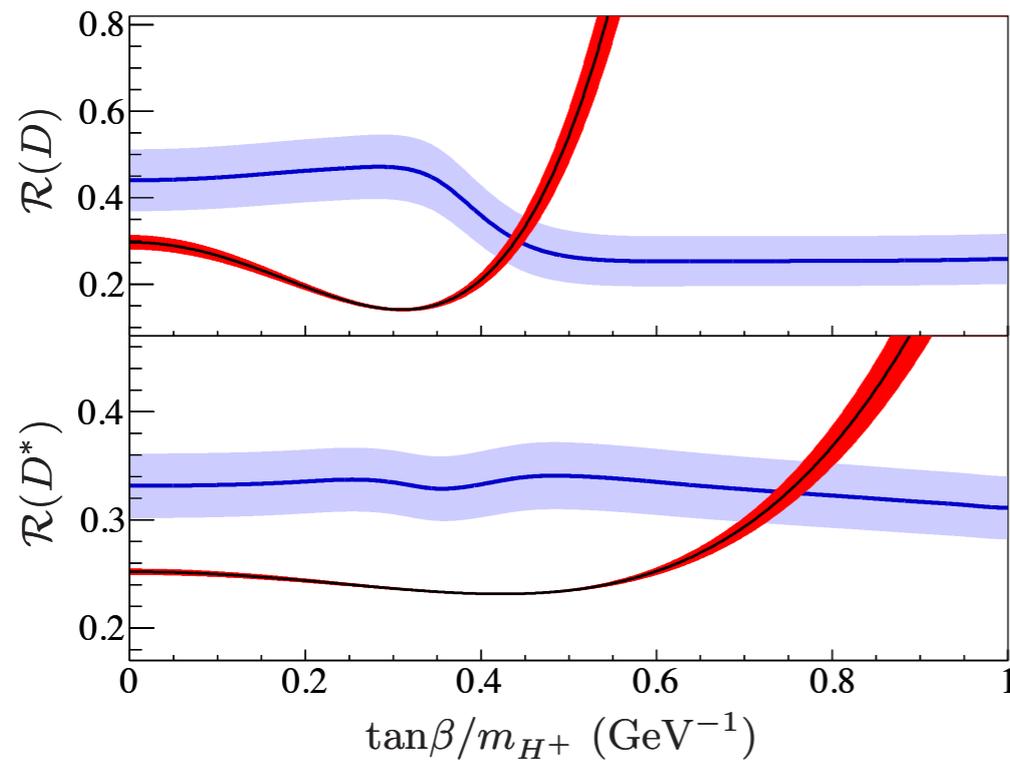
Remarks

- Because this measurement is so difficult, it has received a fairly healthy level of scepticism by the theory community.
- People are worried about backgrounds from $B \rightarrow D^{**} \ell \nu$ decays where the charm spectrum is not so well measured.
- This is unlikely to be the issue:
 - Rely on data for control of background.
 - B-factories/LHCb have very different background levels



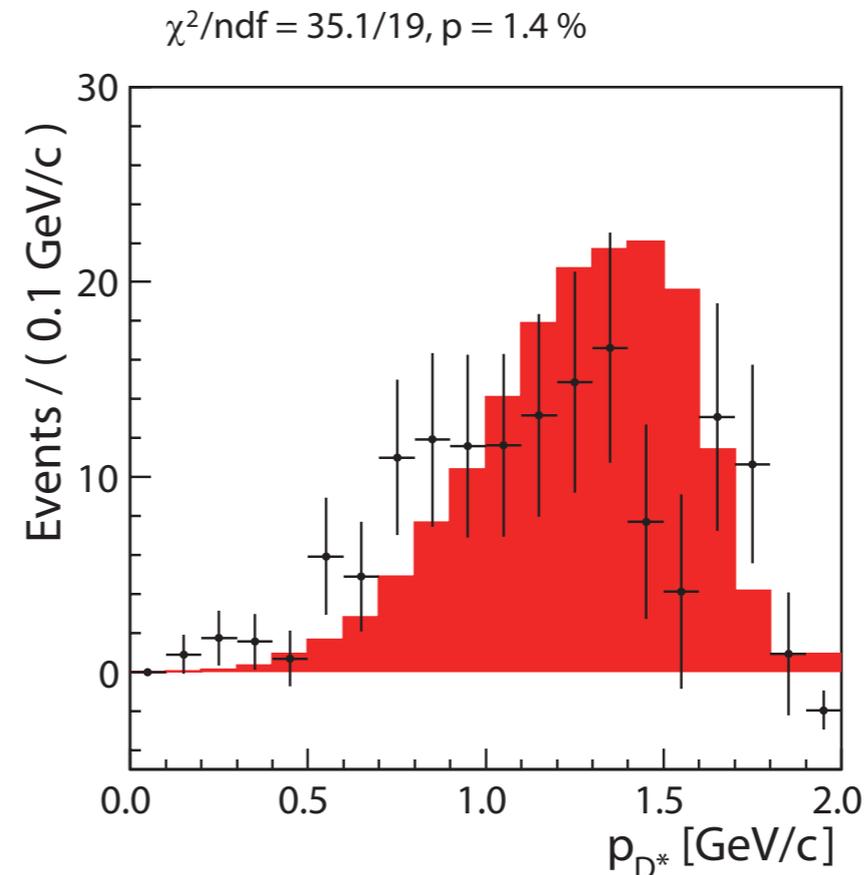
Constraining models

Phys. Rev. D 88, 072012 (2013)



- Can also compare kinematic distributions to narrow down model possibilities.

- The central values of $R(D^*)$ and $R(D)$ cannot be explained by 2HDM type II.



Phys.Rev.D 92,
072014 (2015)

(c) R_2 type leptoquark model with $C_T = +0.36$.

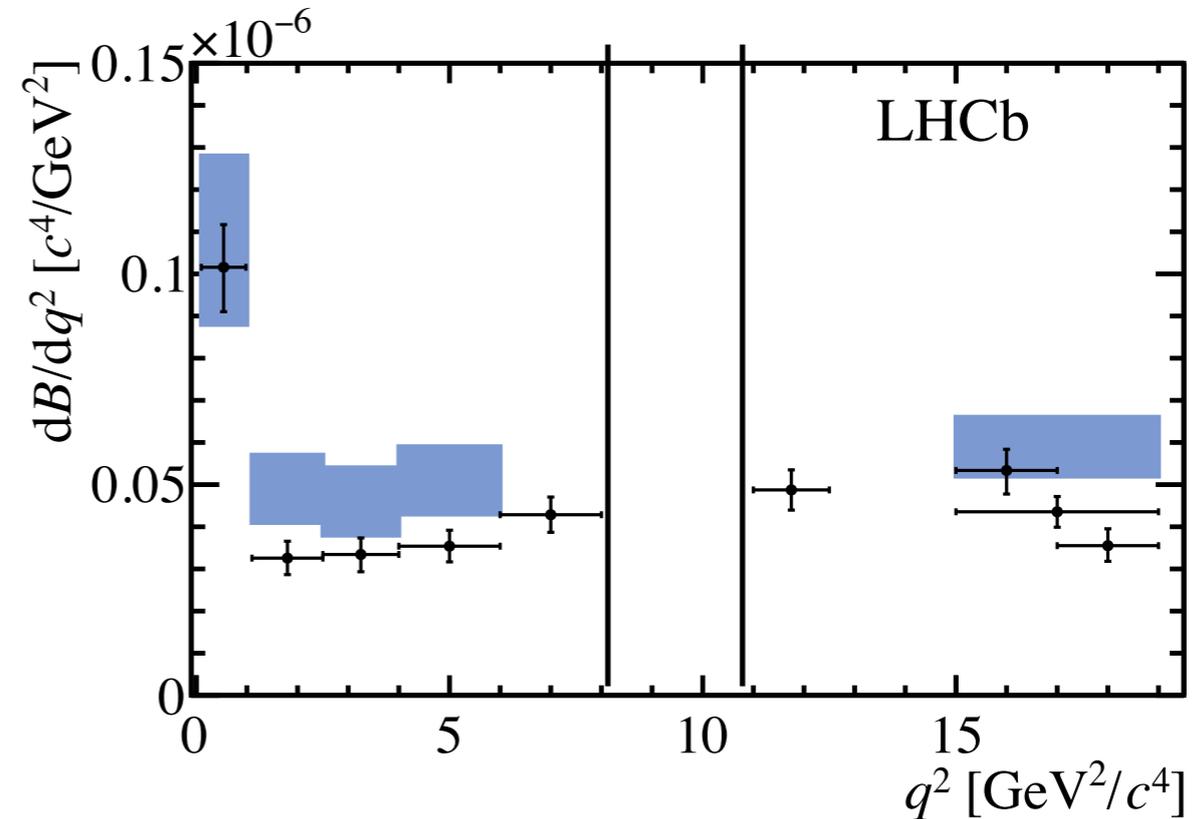
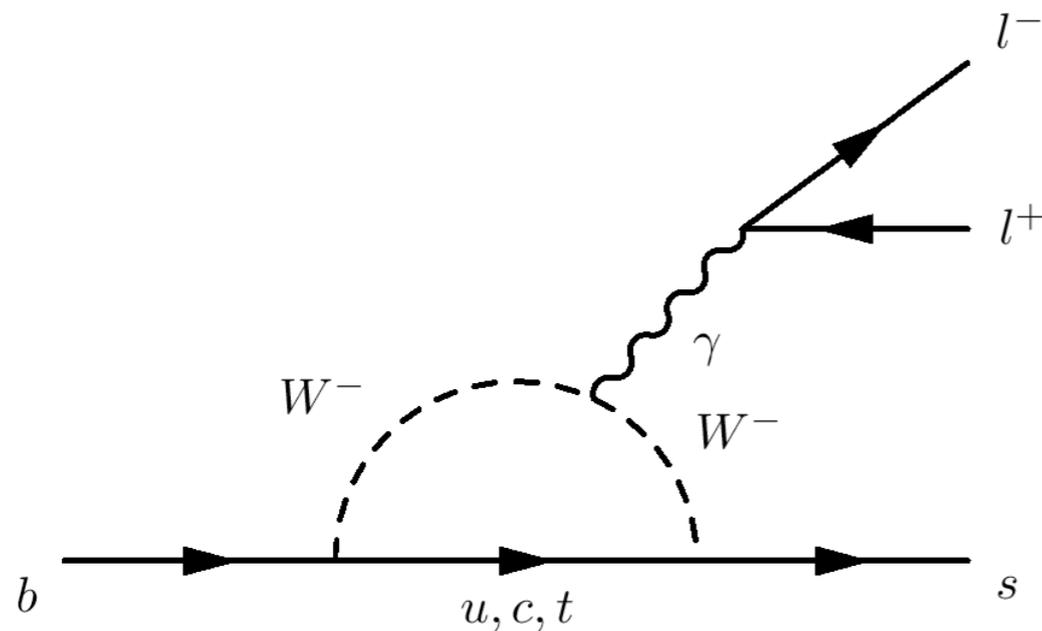
Difficult in general to explain with a scalar particle, constraints from B_c disfavour this (arXiv:1611.06676).

$$R_{K^{(*)}} = \frac{\mathcal{B}(B \rightarrow K^{(*)} \mu^+ \mu^-)}{\mathcal{B}(B \rightarrow K^{(*)} e^+ e^-)}$$

Plots liberally borrowed from Simone Bifani's recent CERN seminar: <https://indico.cern.ch/event/580620/>

$$B \rightarrow K^{(*)} \ell \ell$$

- The decay $B \rightarrow K^{(*)} \ell \ell$ is a semileptonic $b \rightarrow s$ transition.



- q^2 is the four-momentum transferred to the di-leptons.

JHEP 11 (2016) 047, JHEP 04 (2017) 142

- The branching fraction of the muonic mode has been well measured and is slightly below the SM prediction.

$$R_{K^{(*)}}$$

- Here take ratio of light leptons,

$$R_{K^{(*)}} = \frac{\mathcal{B}(B \rightarrow K^{(*)} \mu^+ \mu^-)}{\mathcal{B}(B \rightarrow K^{(*)} e^+ e^-)}$$

- Muon and electron masses small compared to b-quark.
 - R_K is essentially unity in SM, with no uncertainty.
- QED effects can be large but this is accounted for in the measurements.

Measurement at LHCb

LHCb-PAPER-2017-013, arXiv:1705.05802

- Most precise measurements of $R_{K^{(*)}}$ from LHCb.
- Results use run 1 data - 3fb^{-1} of luminosity.
- Measure the double ratio with the resonant mode $B \rightarrow K^{(*)}(J/\psi \rightarrow \ell^+\ell^-)$

$$\mathcal{R}_{K^{*0}} = \frac{\mathcal{B}(B^0 \rightarrow K^{*0}\mu^+\mu^-)}{\mathcal{B}(B^0 \rightarrow K^{*0}J/\psi (\rightarrow \mu^+\mu^-))} \bigg/ \frac{\mathcal{B}(B^0 \rightarrow K^{*0}e^+e^-)}{\mathcal{B}(B^0 \rightarrow K^{*0}J/\psi (\rightarrow e^+e^-))}$$

- Use normalisation channel to correct simulation and signal mass shapes.
- Fit B mass in low and central q^2 regions:

‘low’ region

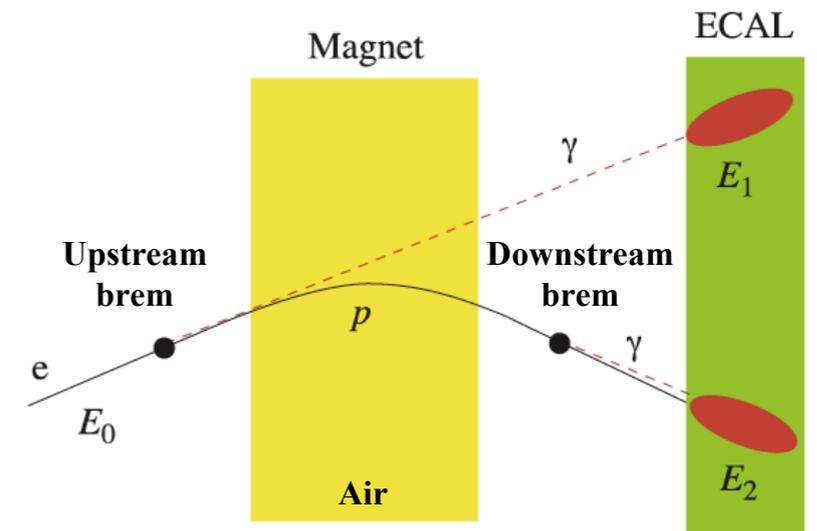
$$0.045 < q^2 < 1.1\text{GeV}^2/c^4$$

‘central’ region

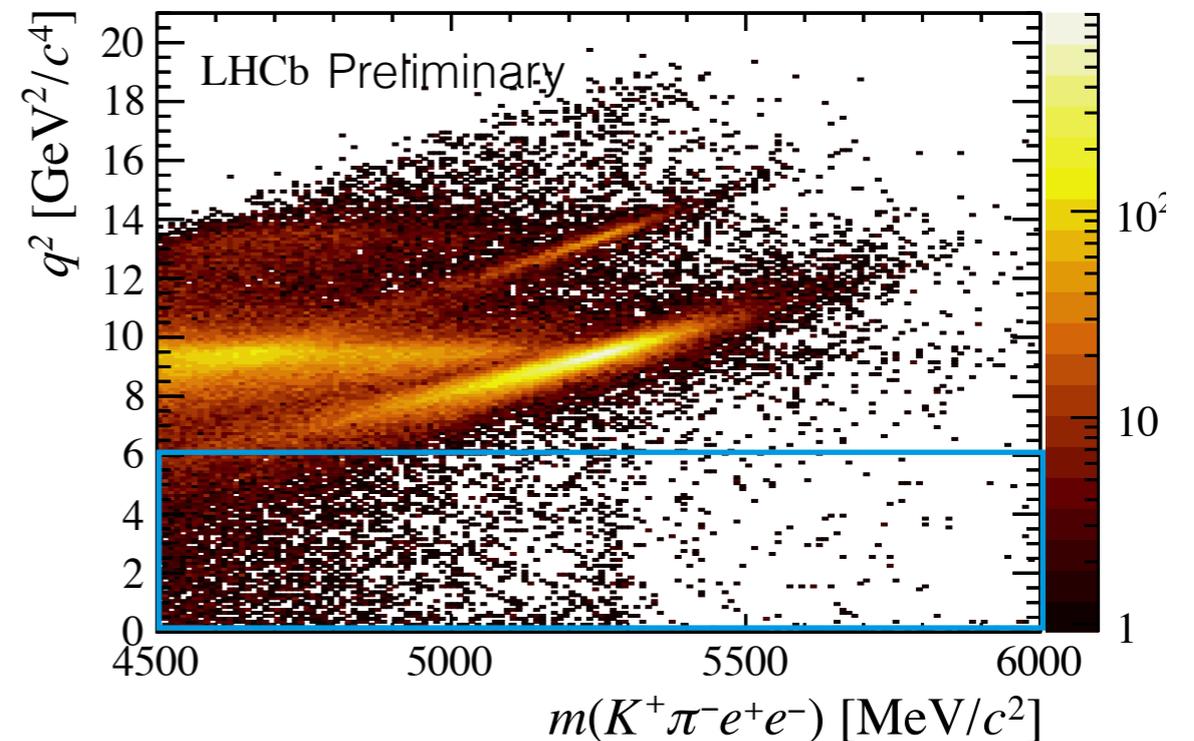
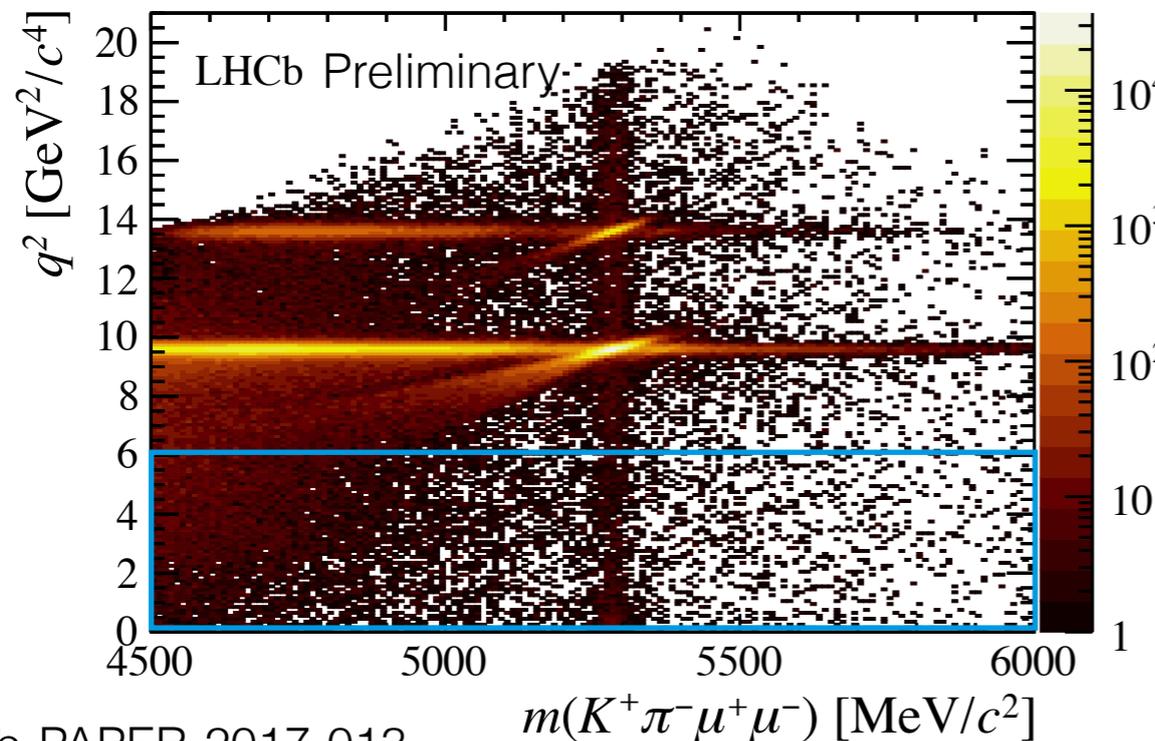
$$1.1 < q^2 < 6.0\text{GeV}^2/c^4$$

Bremsstrahlung issues

- Electrons more difficult than muons due to bremsstrahlung.
- Get background from the J/ψ and $\psi(2S)$ leaking into signal region.



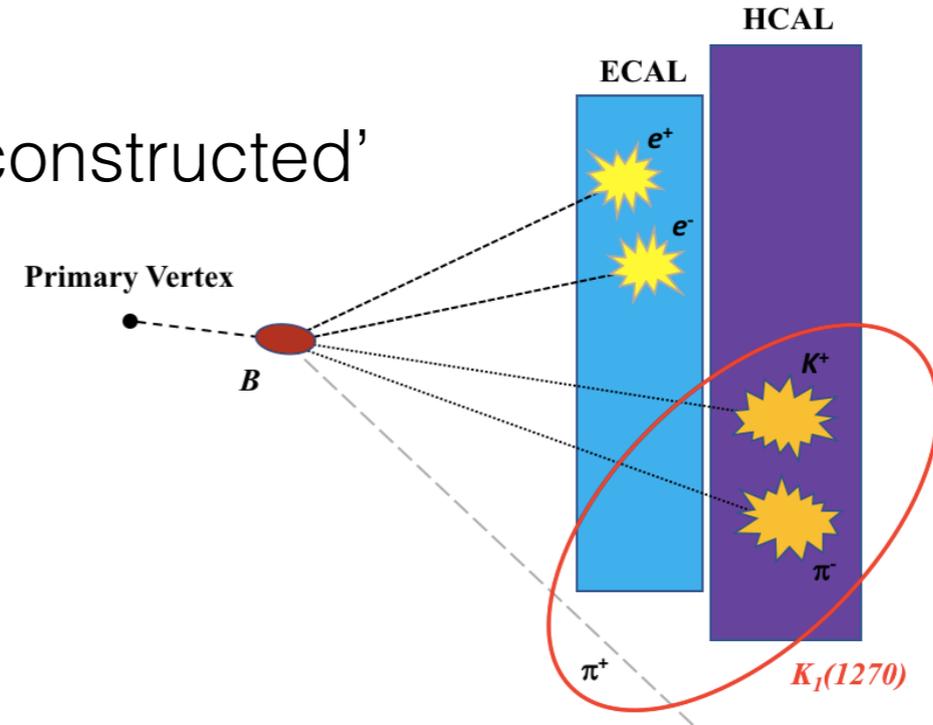
LHCb-PAPER-2017-013



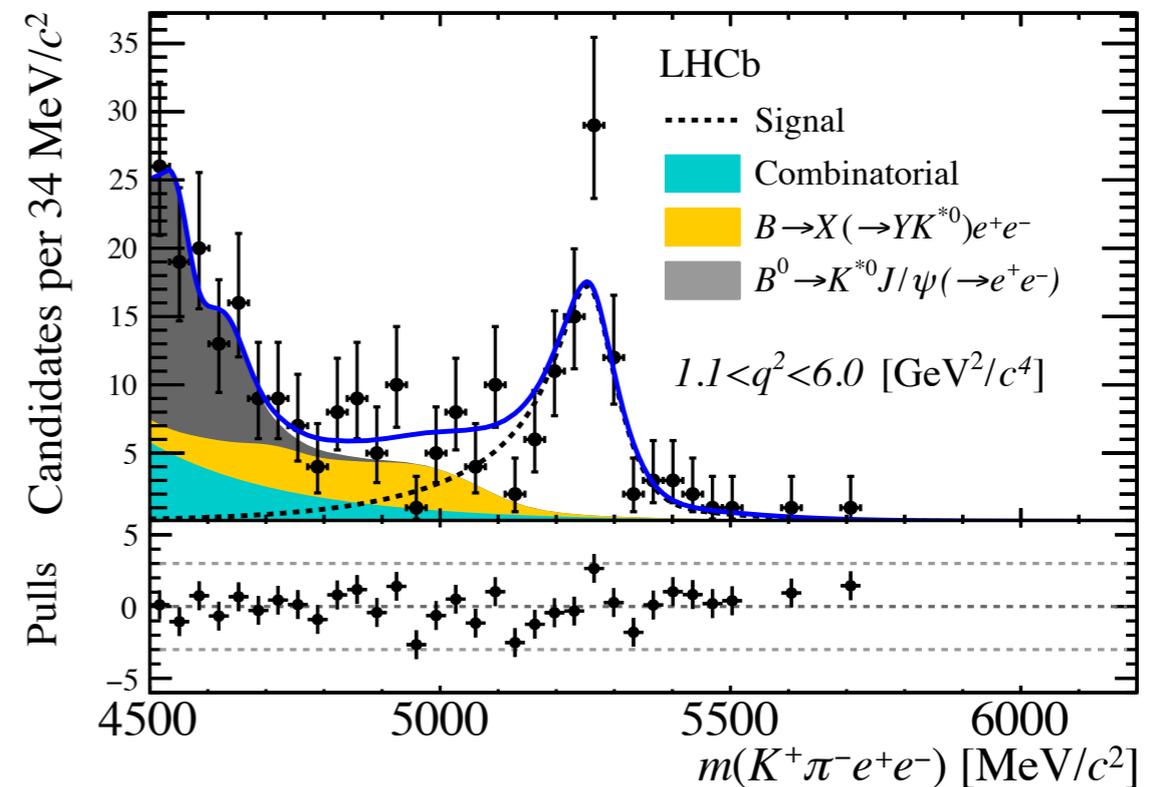
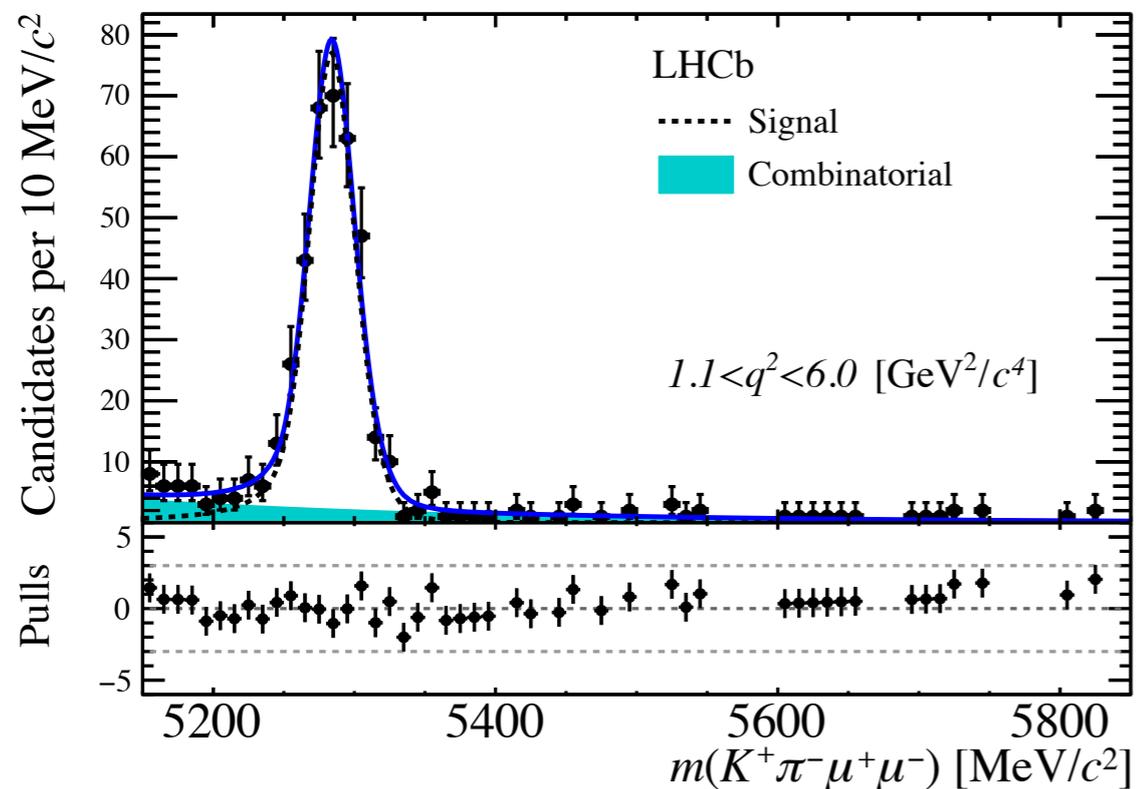
LHCb-PAPER-2017-013
arXiv:1705.05802

Bremsstrahlung issues

- Easier to confuse signal with 'partially reconstructed' background.

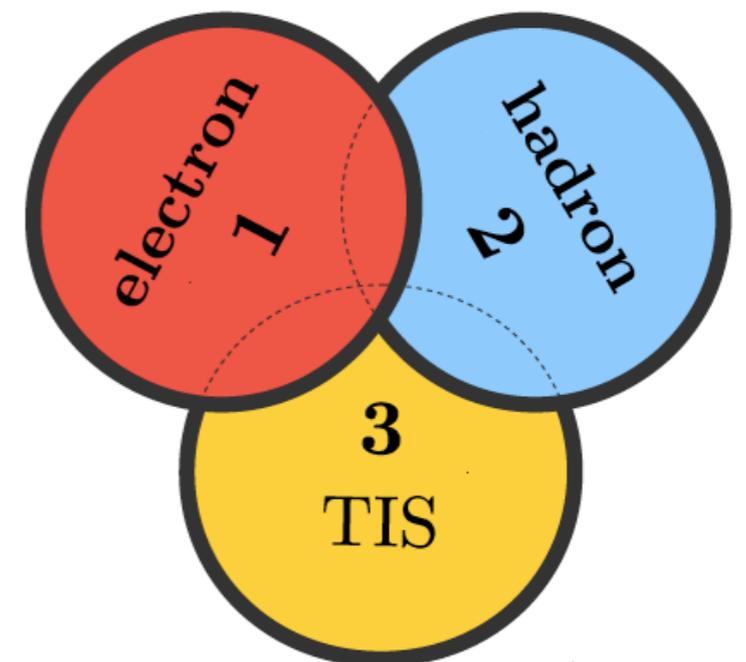


LHCb-PAPER-2017-013, arXiv:1705.05802



Correcting for efficiency

- The double ratio means that only efficiency differences due to kinematics can affect the result.
- Simulation is also corrected for using control samples.
 - If these corrections are not used, the result only changes by 5%.
- Split data depending on how event was triggered.
 - Important for cross-checks.



Cross-checks

LHCb-PAPER-2017-013

- Most powerful cross-check for efficiency, measure single ratio for the J/ψ modes.

$$r_{J/\psi} = \frac{\mathcal{B}(B^0 \rightarrow K^{*0} J/\psi (\rightarrow \mu^+ \mu^-))}{\mathcal{B}(B^0 \rightarrow K^{*0} J/\psi (\rightarrow e^+ e^-))} = 1.043 \pm 0.006 \text{ (stat)} \pm 0.045 \text{ (syst)}$$

Other cross-checks include other double ratios whose precision is known.

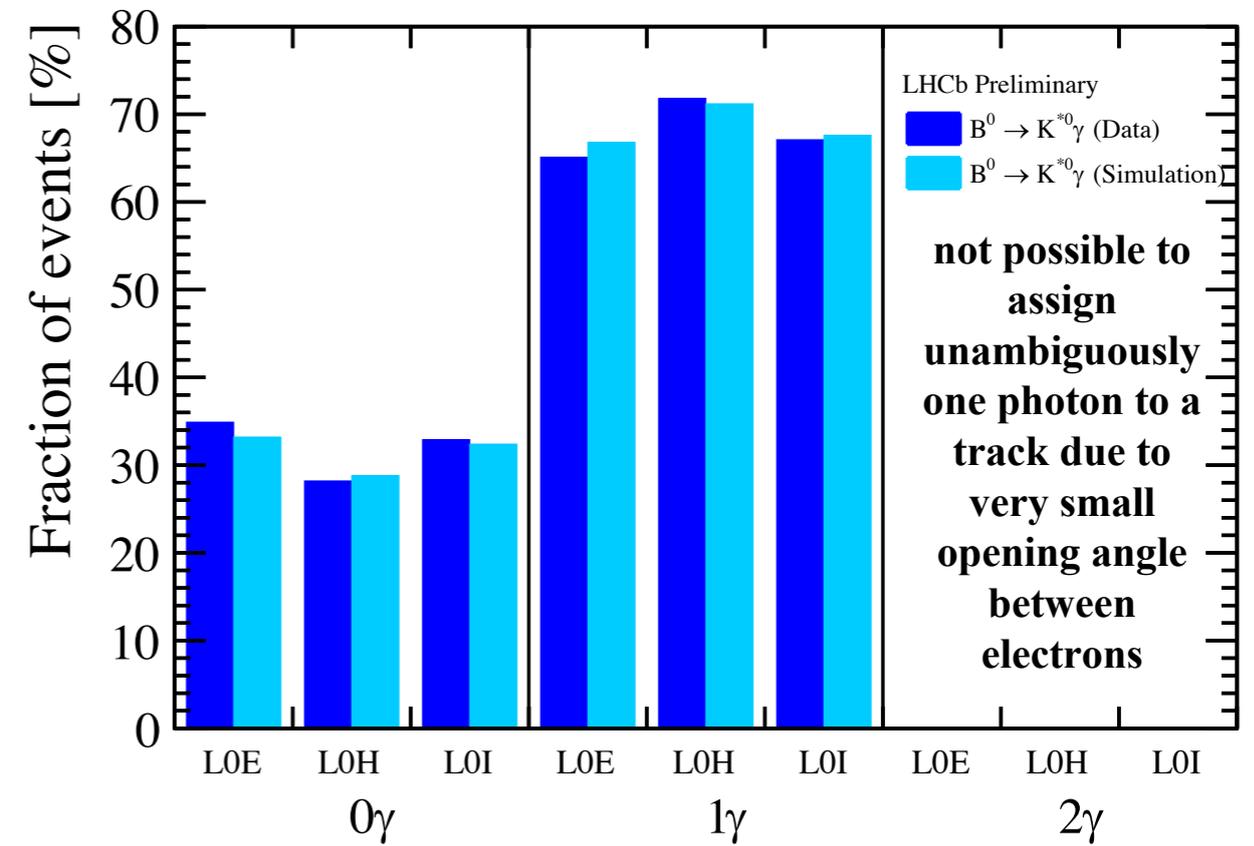
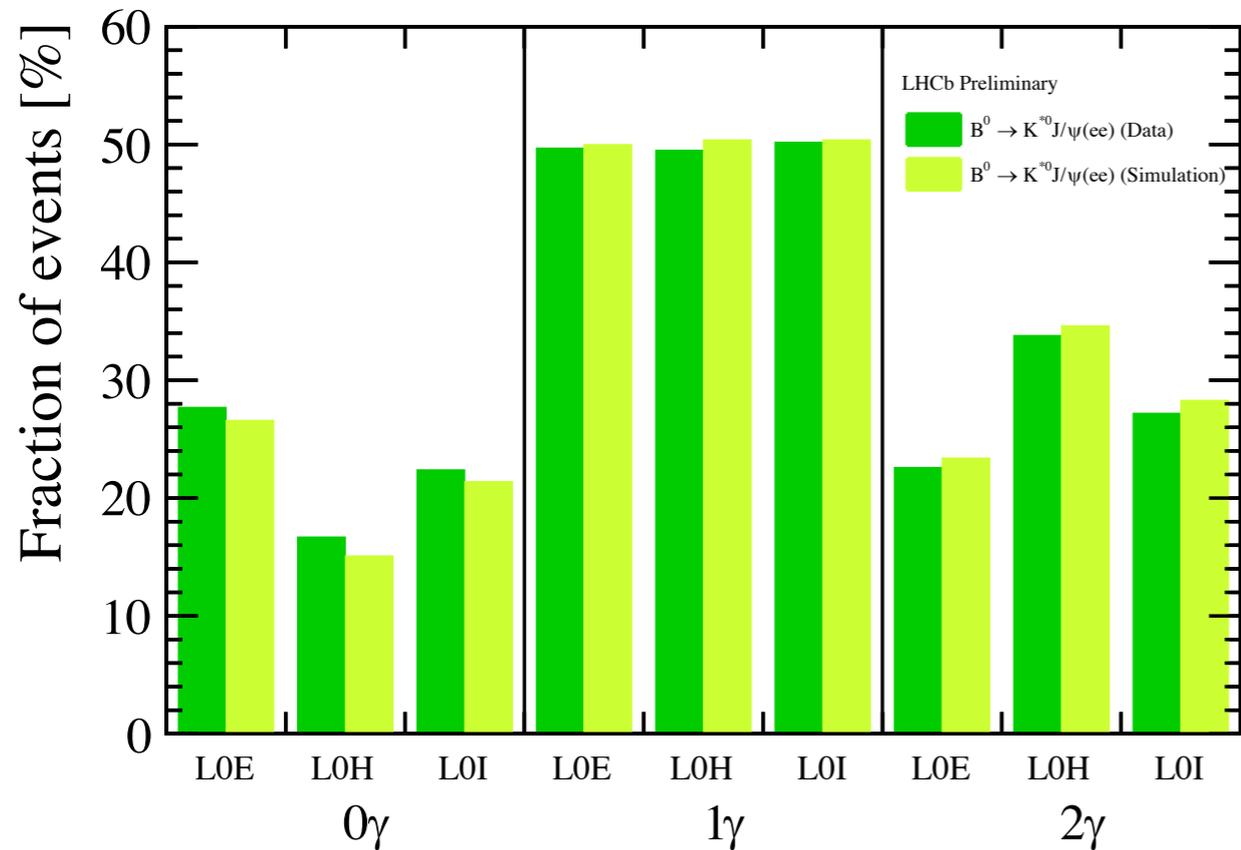
$$\mathcal{R}_{\psi(2S)} = \frac{\mathcal{B}(B^0 \rightarrow K^{*0} \psi(2S) (\rightarrow \mu^+ \mu^-))}{\mathcal{B}(B^0 \rightarrow K^{*0} J/\psi (\rightarrow \mu^+ \mu^-))} \bigg/ \frac{\mathcal{B}(B^0 \rightarrow K^{*0} \psi(2S) (\rightarrow e^+ e^-))}{\mathcal{B}(B^0 \rightarrow K^{*0} J/\psi (\rightarrow e^+ e^-))}$$

$$r_\gamma = \frac{\mathcal{B}(B^0 \rightarrow K^{*0} \gamma (\rightarrow e^+ e^-))}{\mathcal{B}(B^0 \rightarrow K^{*0} J/\psi (\rightarrow e^+ e^-))}$$

Both of which are found to be compatible with expectations.

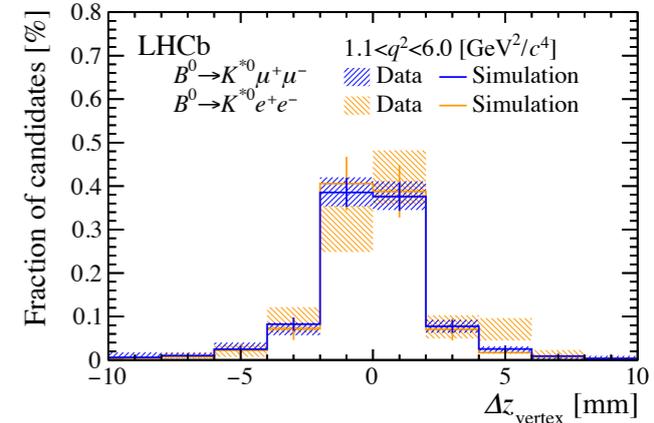
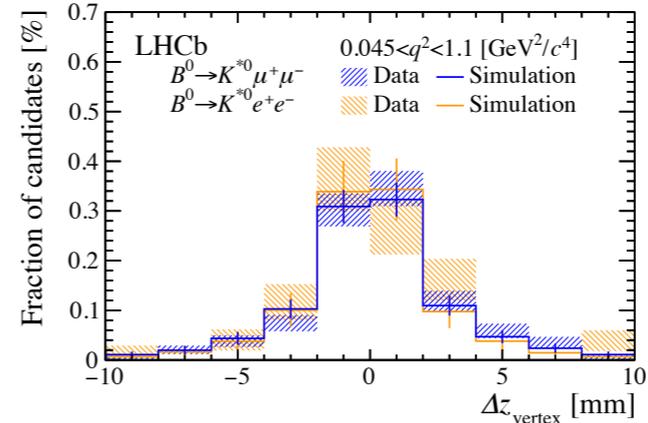
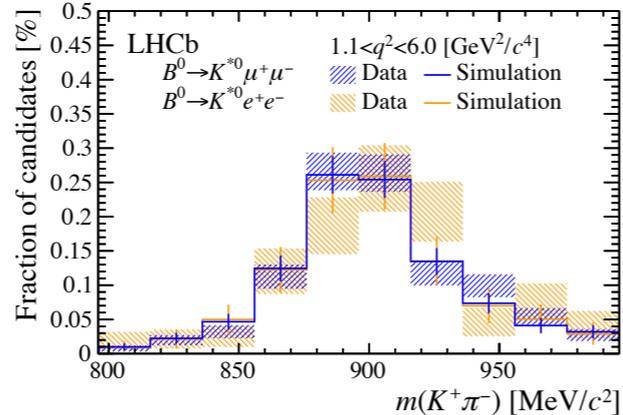
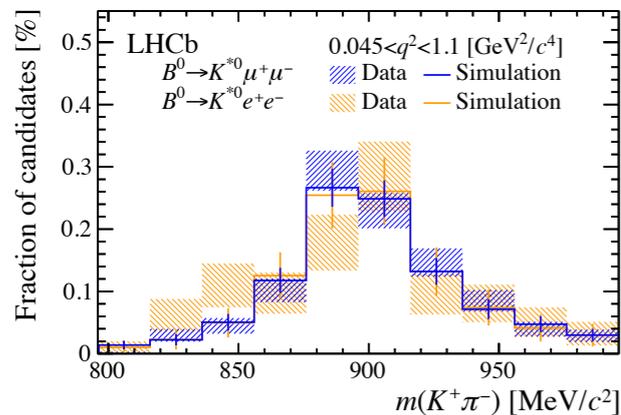
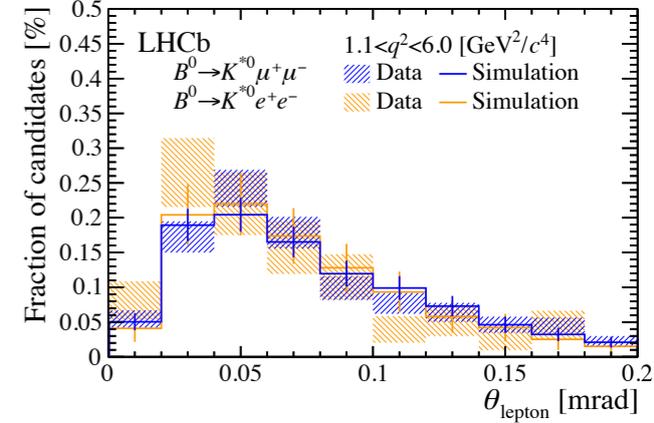
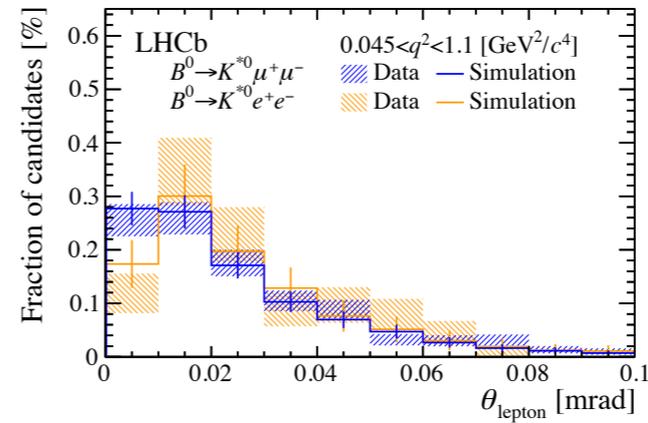
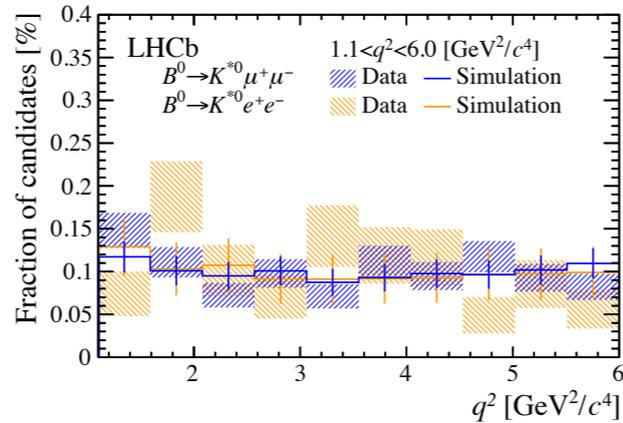
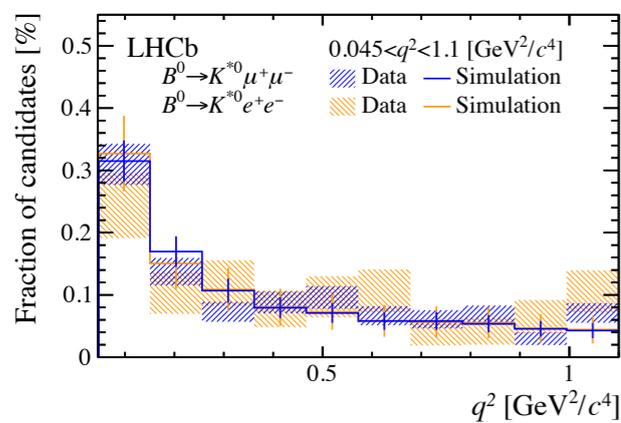
Cross-checks (II)

- Compare bremsstrahlung/trigger categories between data and simulation.



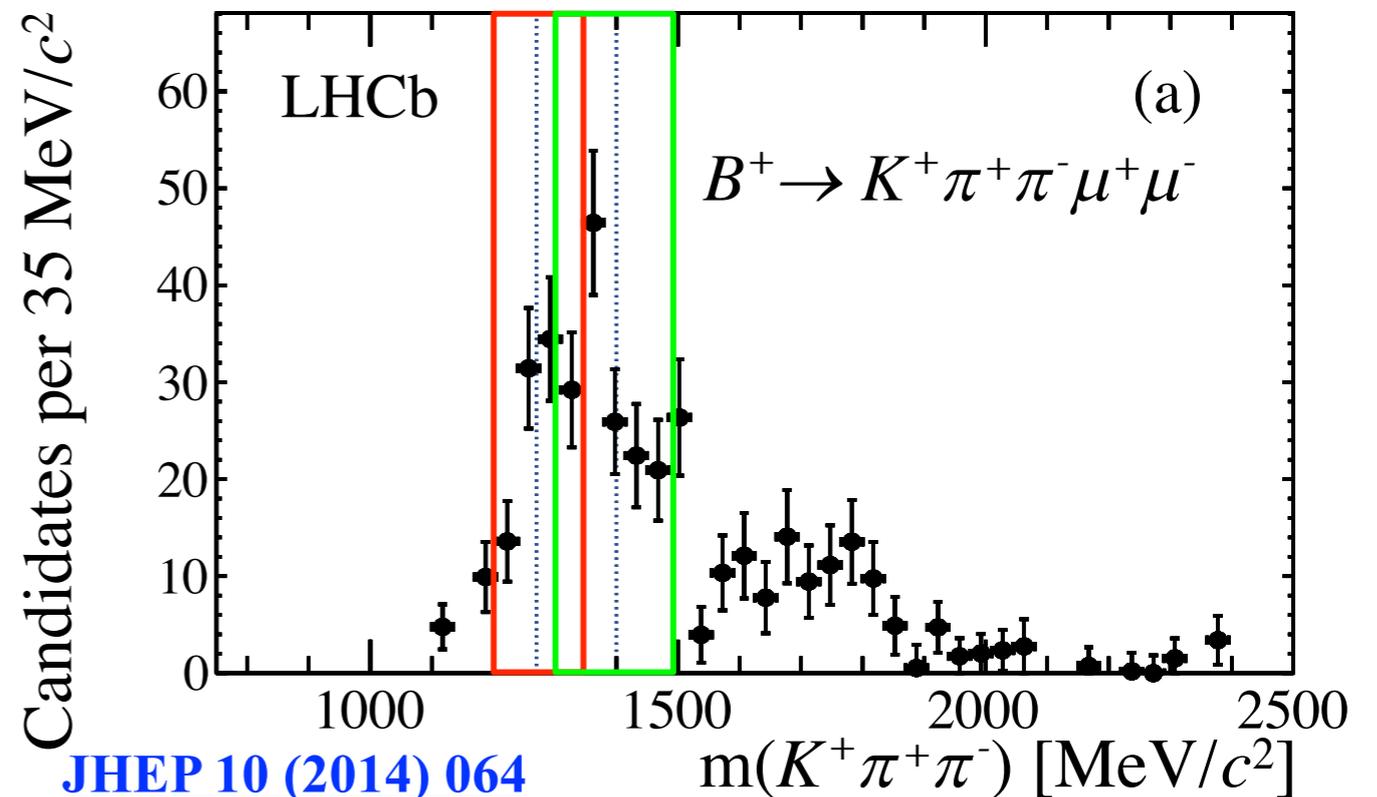
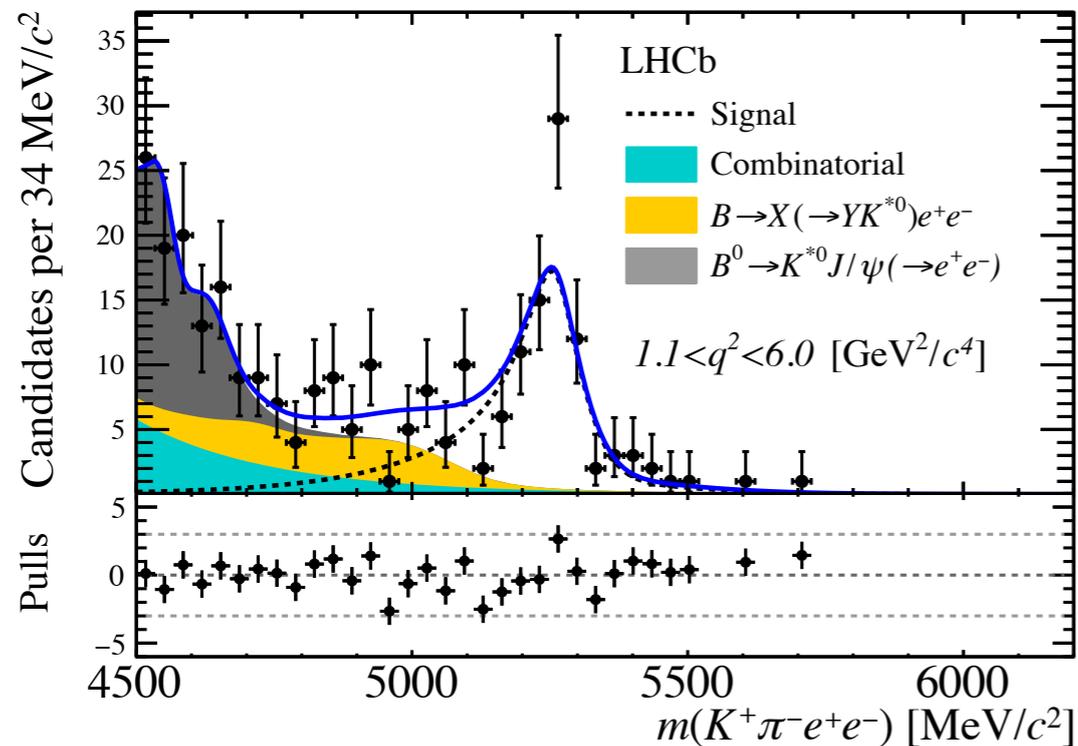
Cross-checks (III)

- Also compare kinematic distributions of signal peak between data/simulation.



Cross-checks (IV)

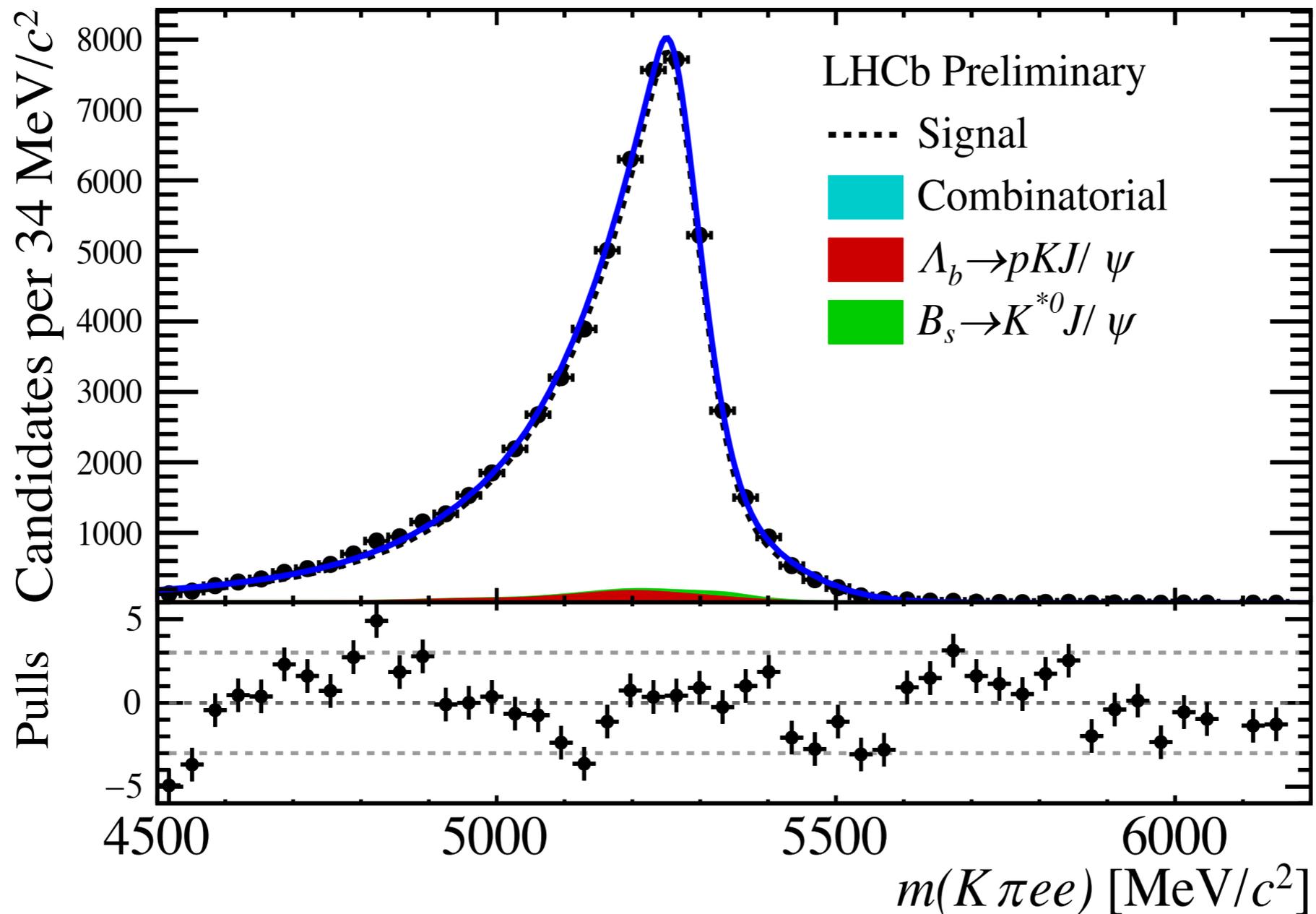
- What about the signal yield?



- Part. reco background controlled in two ways:
 - Using $B \rightarrow K^* (J/\psi \rightarrow e^+ e^-)$
 - Using $B \rightarrow K \pi \pi \mu^+ \mu^-$

Cross-checks (V)

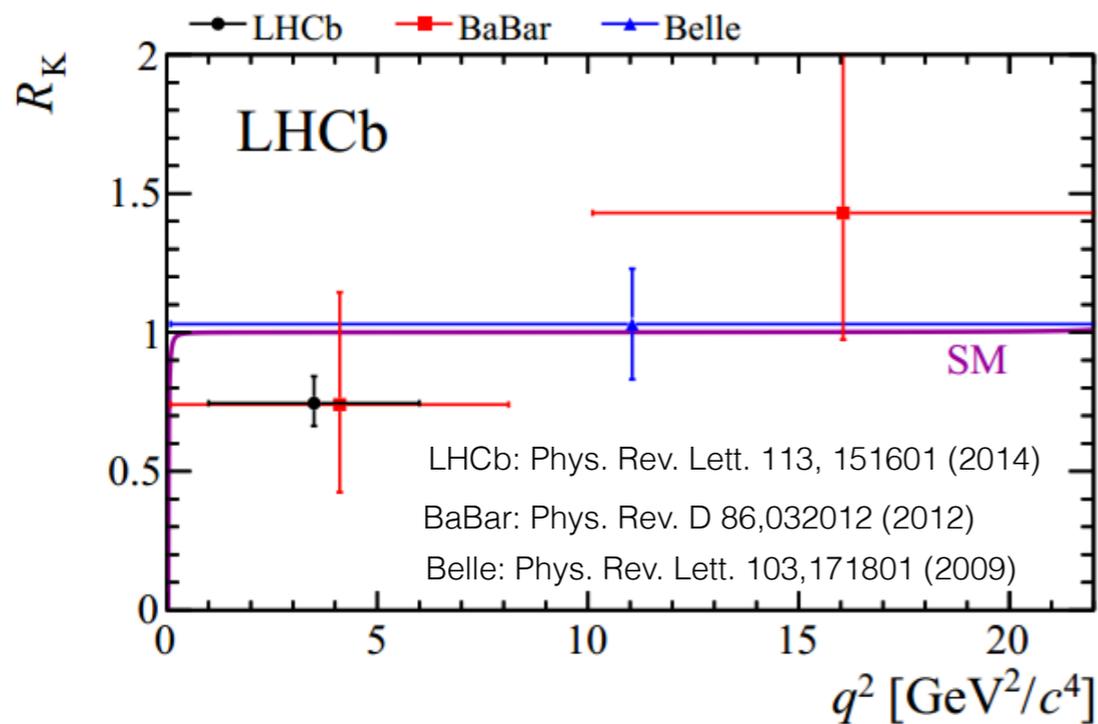
- What about modelling of signal yield?



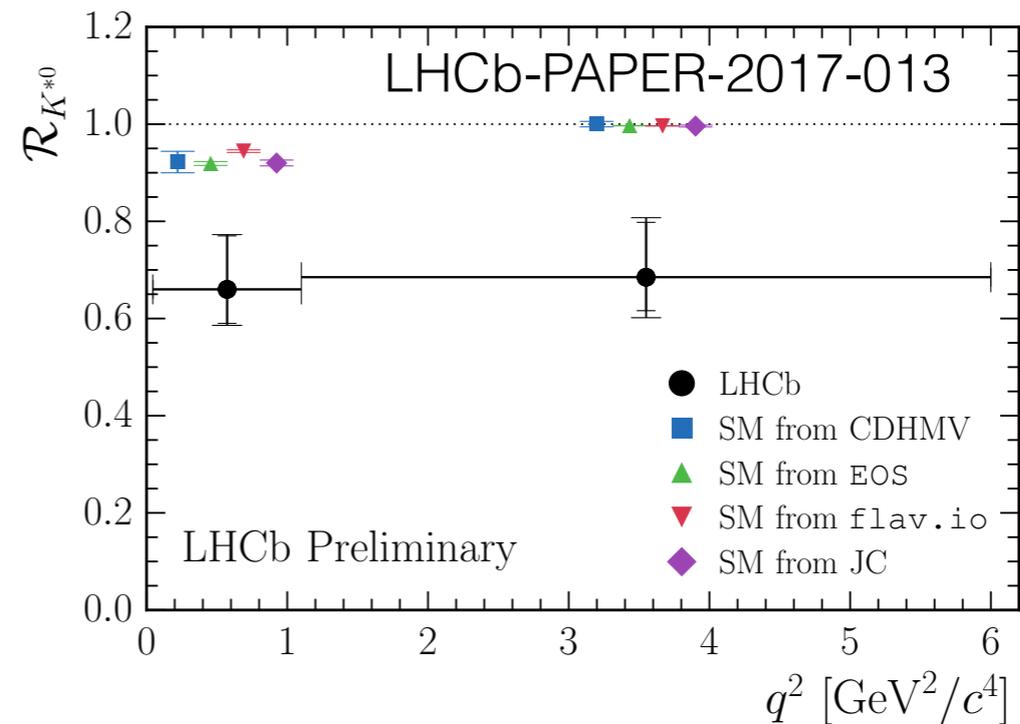
Results

- Take ratio of signal yields and correct for efficiency to get $R_{K^{(*)}}$.

$$R_K = 0.745^{+0.090}_{-0.074} (\text{stat}) \pm 0.036 (\text{syst})$$



LHCb Preliminary	low- q^2	central- q^2
$\mathcal{R}_{K^{*0}}$	$0.660 \pm 0.110 \pm 0.024$	$0.685 \pm 0.113 \pm 0.047$

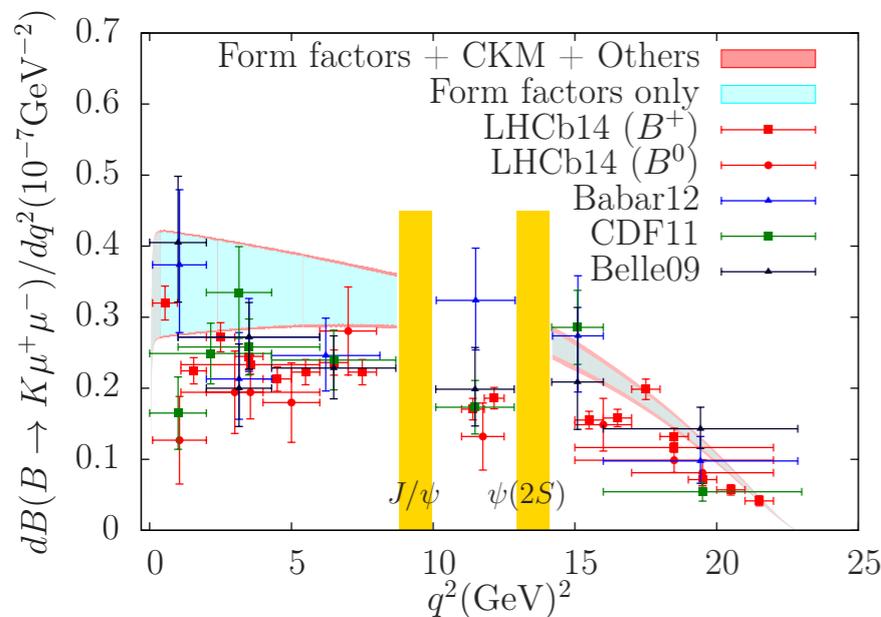


- LHCb results are 2.6 (R_K), 2.4 and 2.2 σ from the SM predictions and all in the same direction.
- Error dominated by the statistical uncertainty.

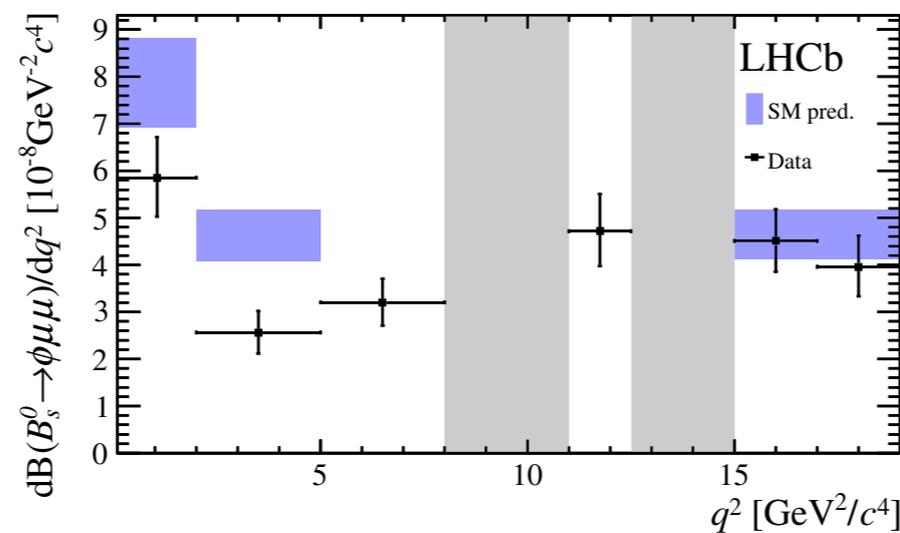
Remarks I

- All of the muonic $b \rightarrow sll$ branching fractions tend to be below the SM prediction. See Fernando's talk for more details.
- If NP doesn't couple (strongly) to first generation, one would naively expect R_K to be less than unity.

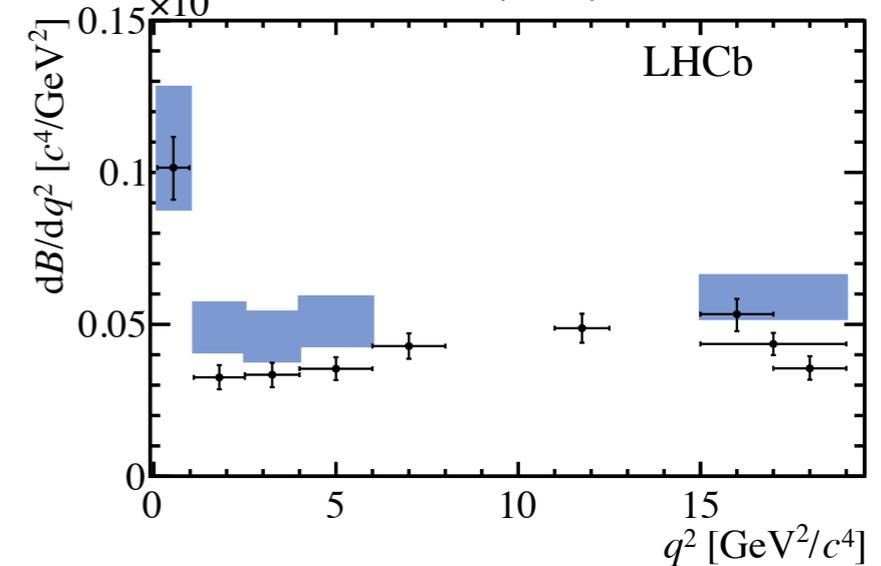
FNAL/MILC, Phys. Rev. D 93, 034005 (2016)



JHEP 09 179 (2015)



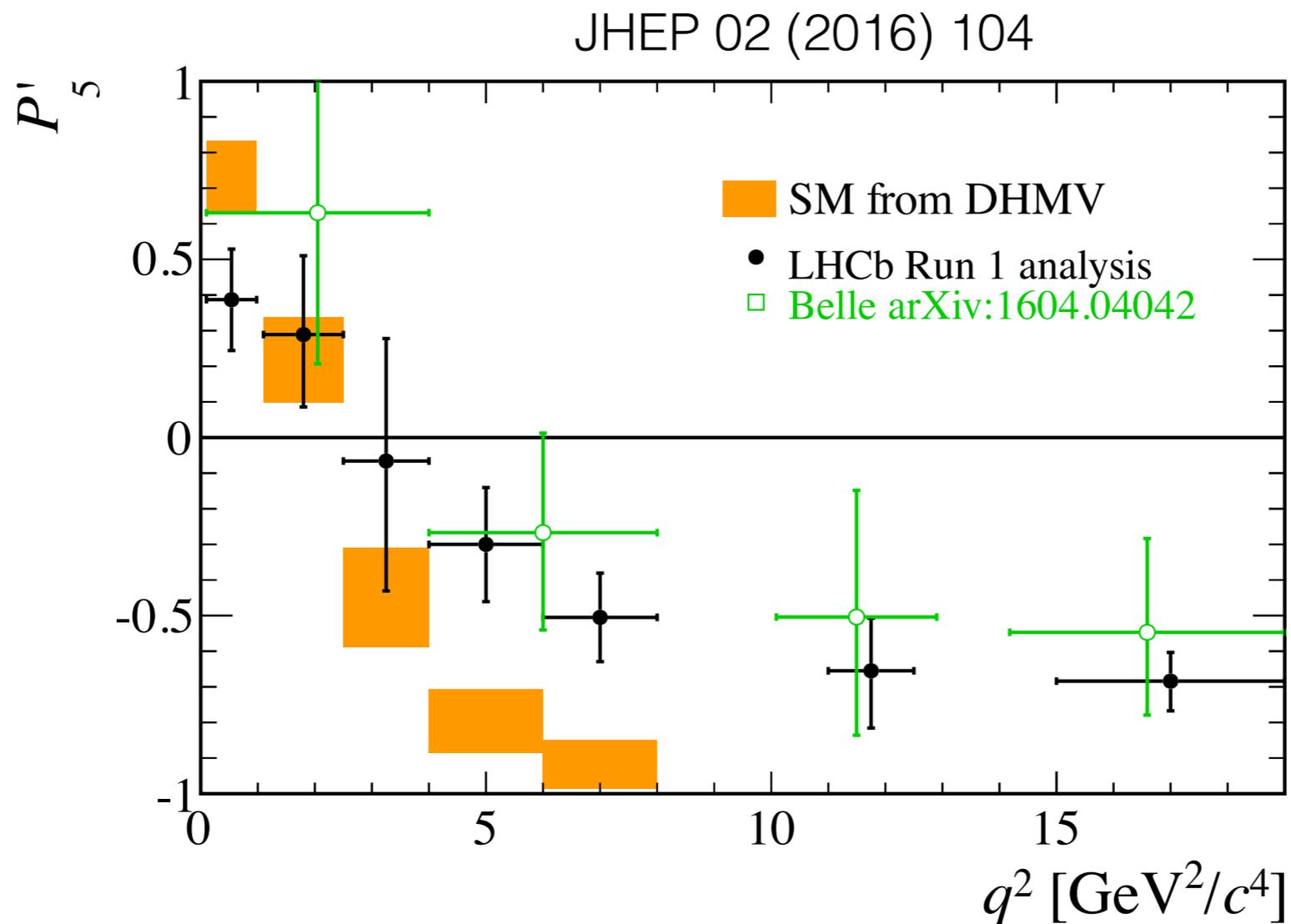
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- Its not particularly significant, but at least things are consistent.

Remarks II

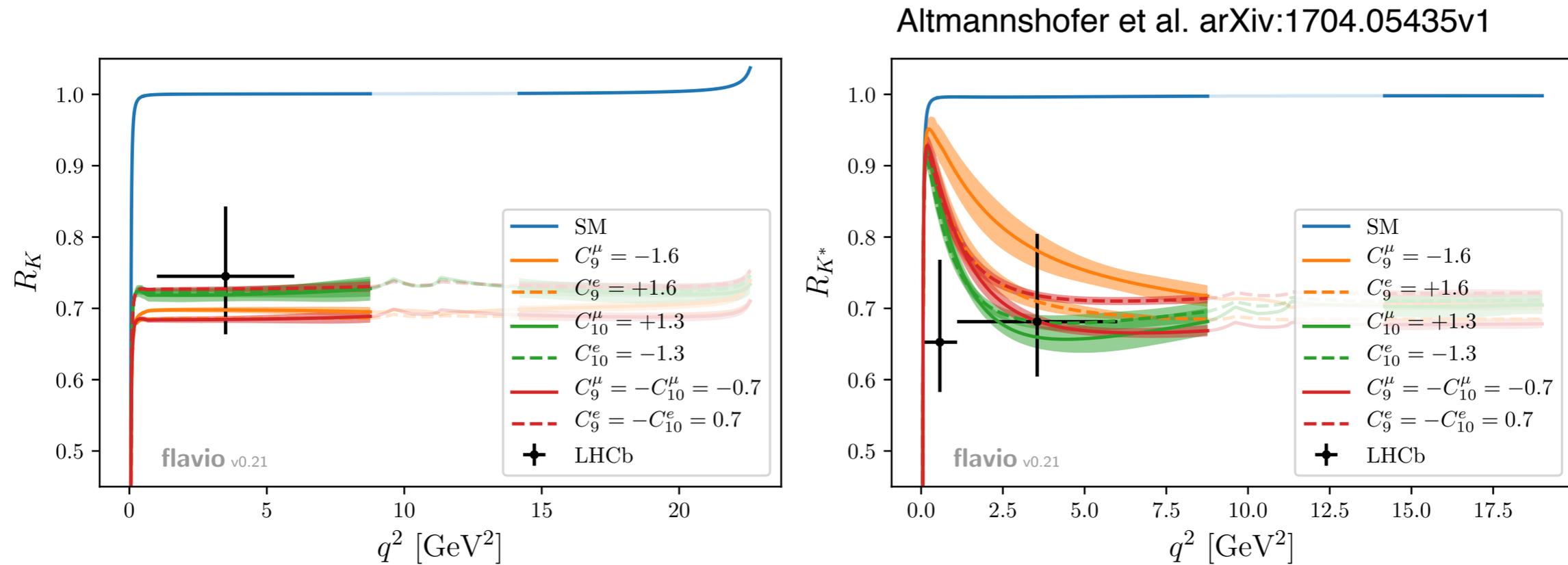
- We are also seeing something strange in the angular distribution of the muonic decay, $B \rightarrow K^* \mu\mu$. See Fernando's talk for more details.



- The global significance here is about 3.5, although now the theoretical uncertainty is not negligible.

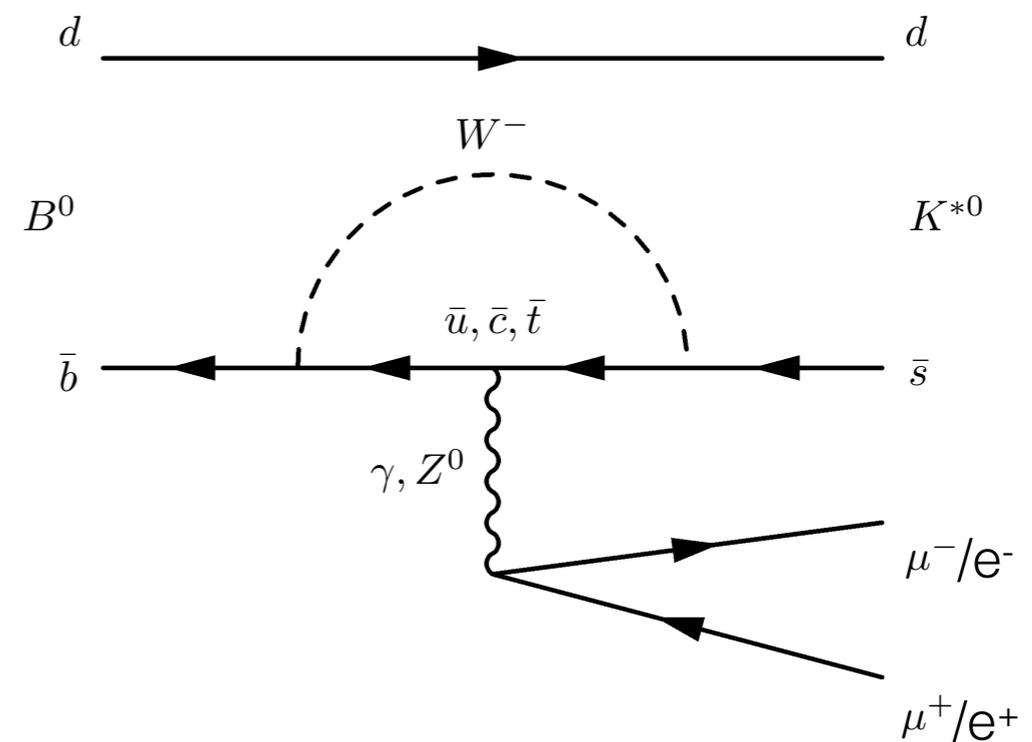
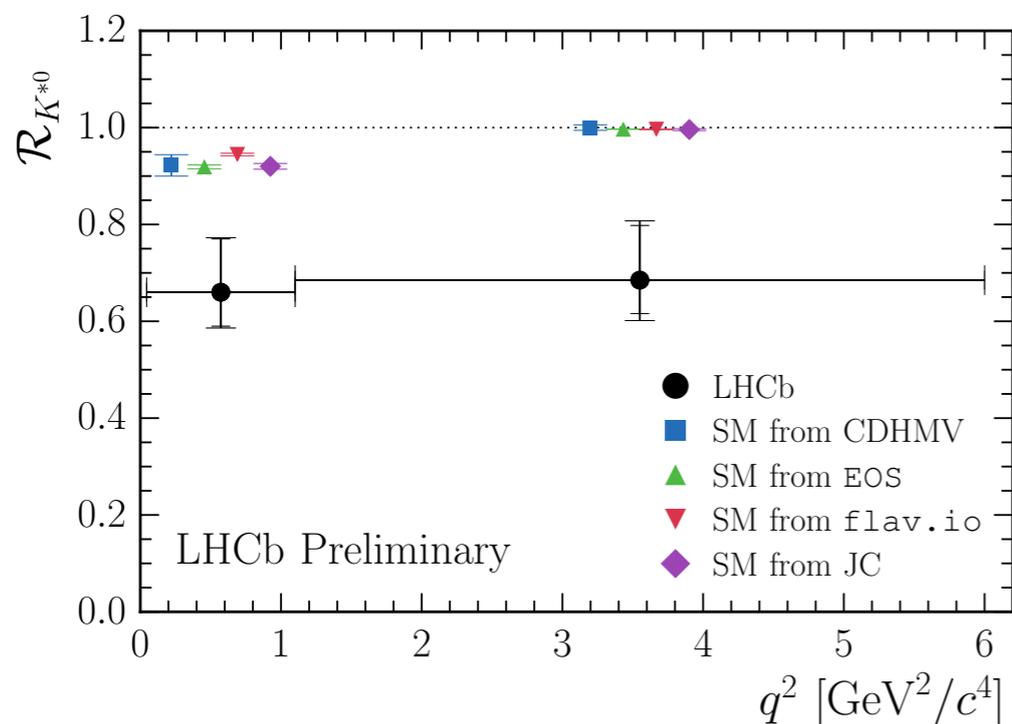
Remarks III

- Global fits suggest a mostly vector like contribution is destructively interfering with muonic amplitude can cause such a discrepancy.
- This matches with low BFs and angular analysis of $K^*\mu\mu$.



Remarks IV

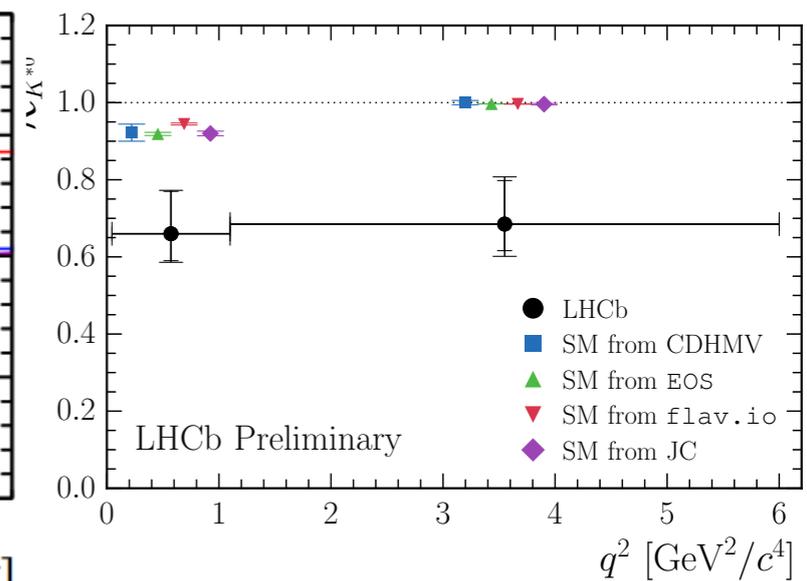
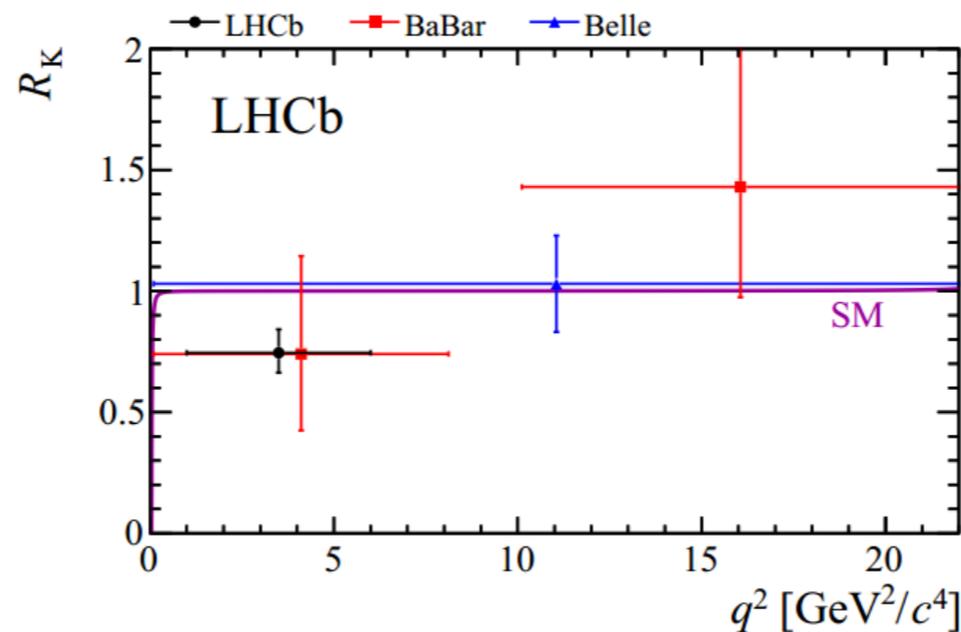
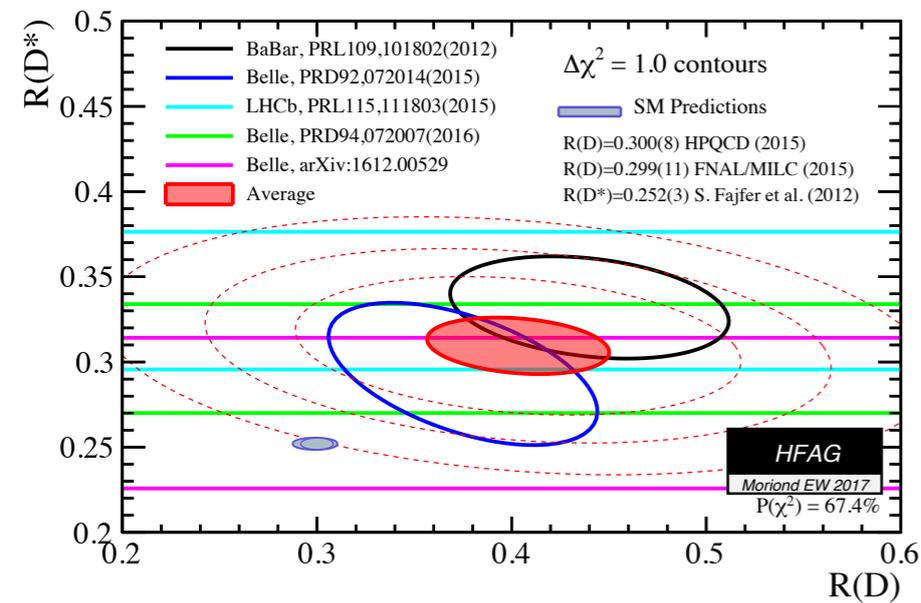
- If we assume NP is heavy, its hard to accommodate the shift in the first q^2 bin.



- At low q^2 , the decay amplitude is dominated by the photon diagram - must be lepton universal!
- There are models which get around this with light mediators (see e.g. Sala, Straub, arXiv:1704.06188).

Summary and outlook

- Tests of lepton universality are excellent ways of looking for new physics.
- In B decays, one is naturally sensitive to models coupling more strongly to the 2nd or 3rd generations.
- We have two anomalies in both tree- and loop-level semileptonic B decays.



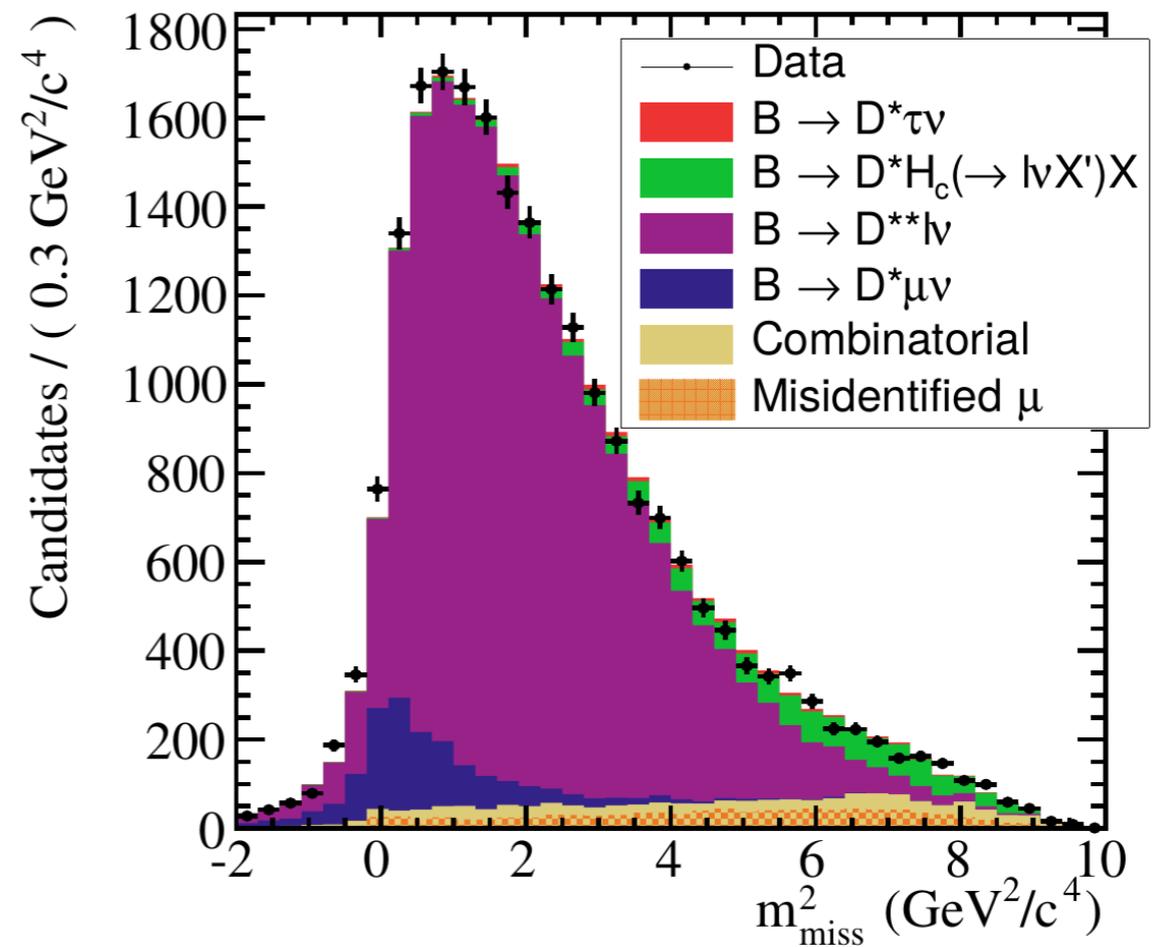
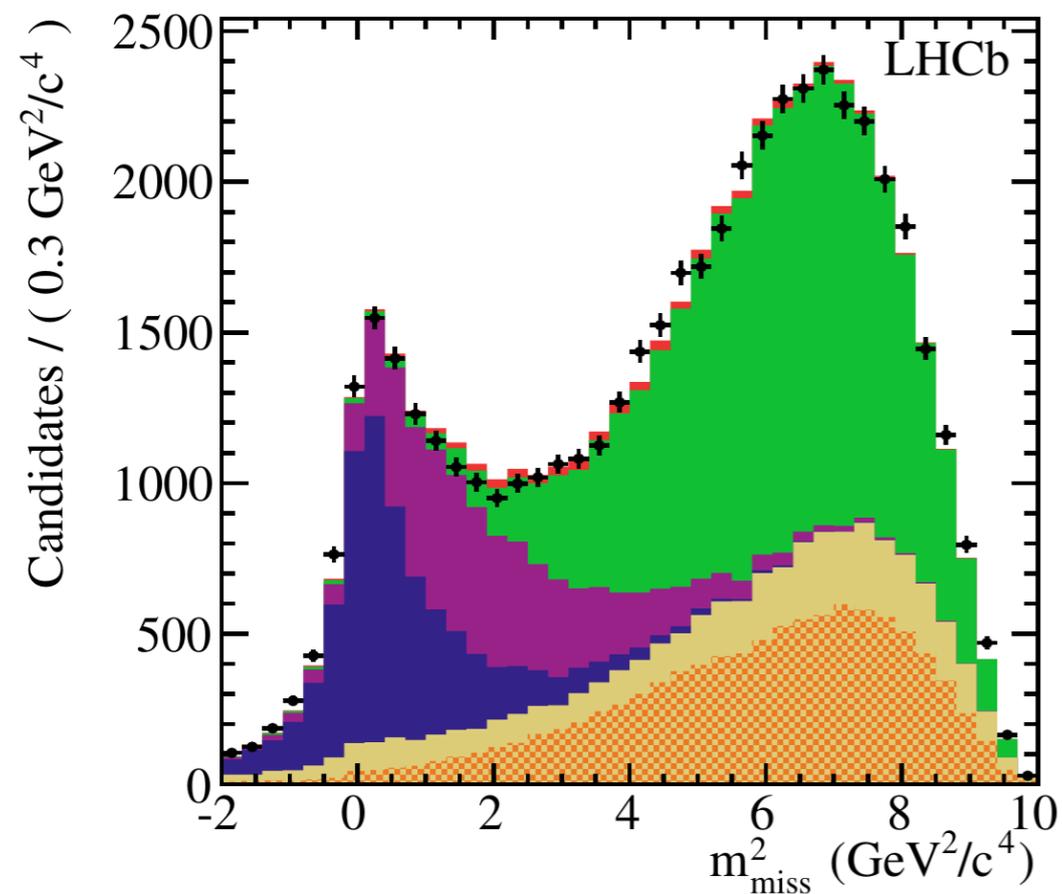
Summary and outlook

- Updates from LHCb are coming soon so there's no need to make your mind up yet.
- All these results are based on run I data, the LHC has already produced the same number of B hadrons in our detector.
- Expect improved precision on $R(D^*, D^0)$ and R_K .
- Measurement of $R(D^*)$ with hadronic tau decays expected very soon.
- Can also compare the angular distribution of these decays between the electronic and muonic versions.
- Next one should be very soon.

Back-ups

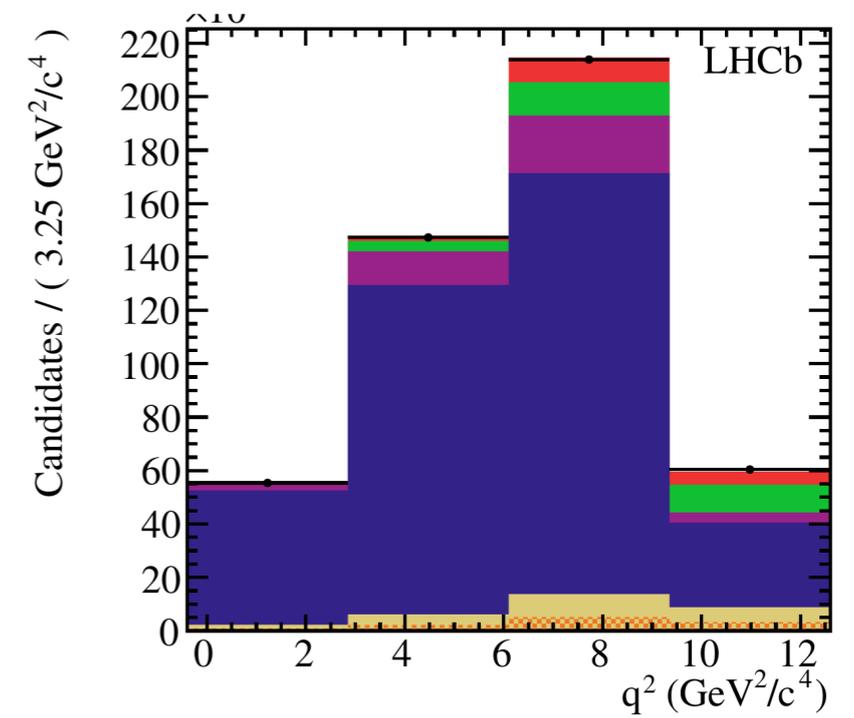
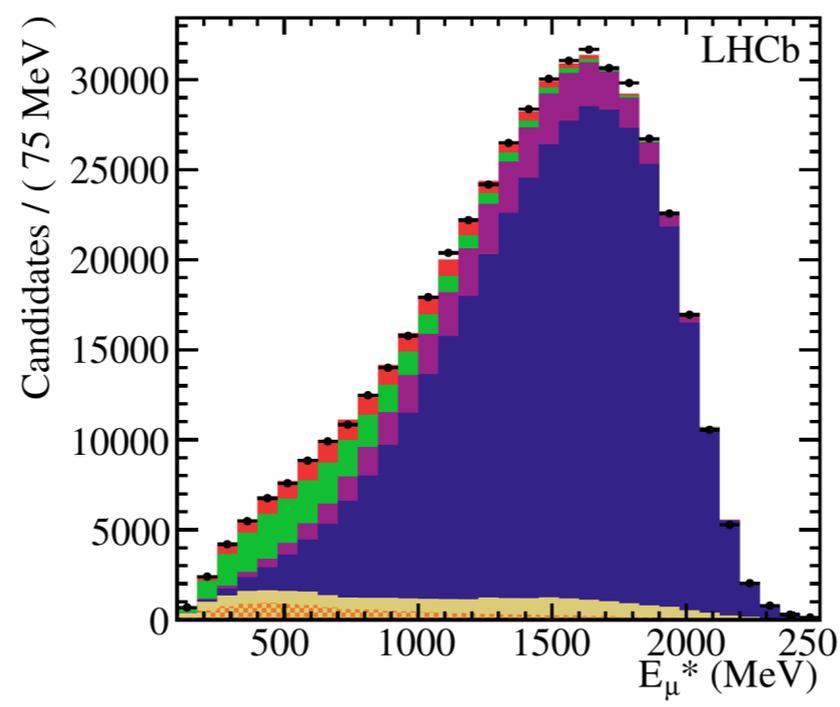
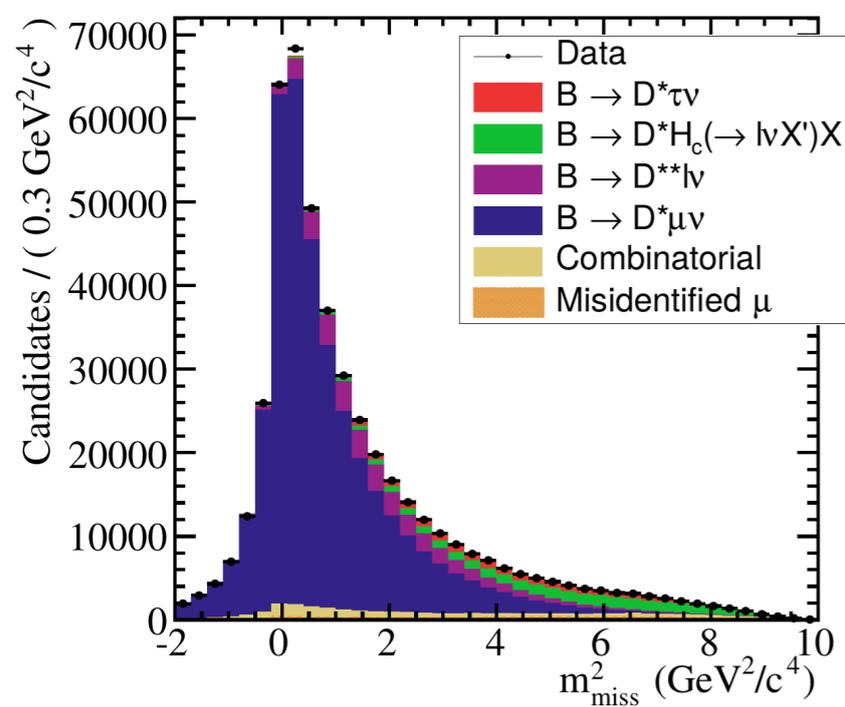
$R(D^*)$ control samples

Anti-isolate signal to enrich particular backgrounds.



R(D*) 3D fit

3D fit used to discriminate signal from backgrounds



Good agreement seen everywhere

K*mm decay distribution

$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d^4(\Gamma + \bar{\Gamma})}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \left[\frac{3}{4}(1 - F_L) \sin^2 \theta_K + F_L \cos^2 \theta_K \right. \\ \left. + \frac{1}{4}(1 - F_L) \sin^2 \theta_K \cos 2\theta_l \right. \\ \left. - F_L \cos^2 \theta_K \cos 2\theta_l + S_3 \sin^2 \theta_K \sin^2 \theta_l \cos 2\phi \right. \\ \left. + S_4 \sin 2\theta_K \sin 2\theta_l \cos \phi + S_5 \sin 2\theta_K \sin \theta_l \cos \phi \right. \\ \left. + \frac{4}{3} A_{\text{FB}} \sin^2 \theta_K \cos \theta_l + S_7 \sin 2\theta_K \sin \theta_l \sin \phi \right. \\ \left. + S_8 \sin 2\theta_K \sin 2\theta_l \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_l \sin 2\phi \right]$$

$$P_1 = \frac{2 S_3}{(1 - F_L)} = A_{\text{T}}^{(2)},$$

$$P_2 = \frac{2 A_{\text{FB}}}{3 (1 - F_L)},$$

$$P_3 = \frac{-S_9}{(1 - F_L)},$$

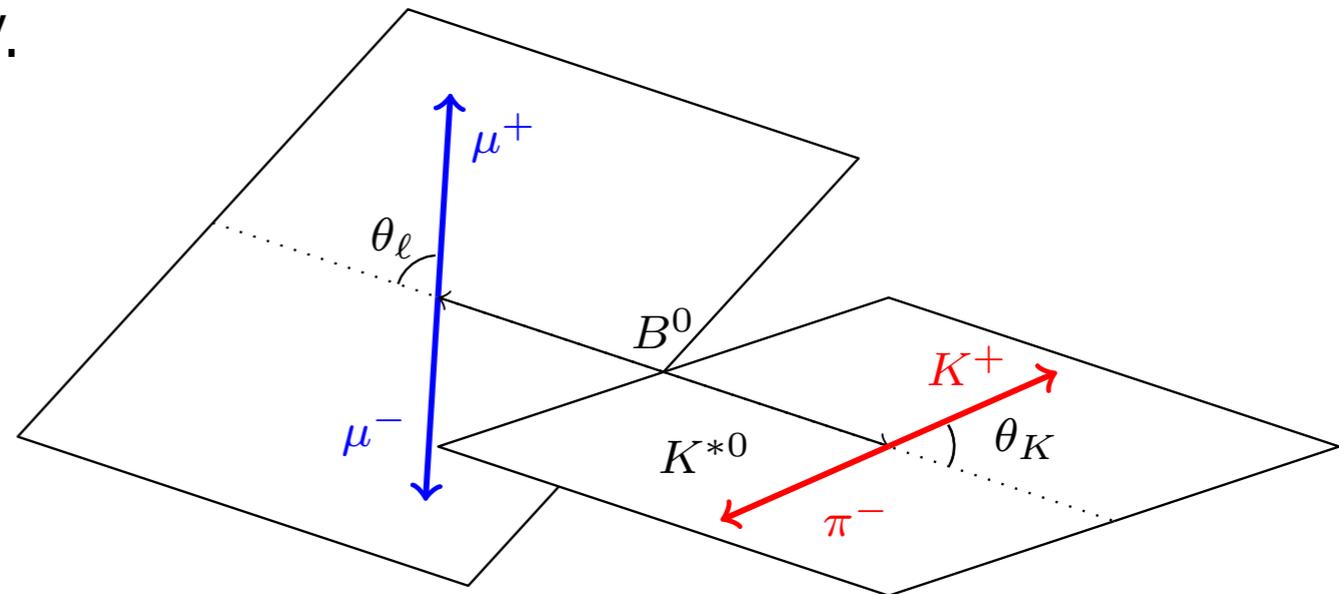
$$P'_{4,5,8} = \frac{S_{4,5,8}}{\sqrt{F_L(1 - F_L)}},$$

$$P'_6 = \frac{S_7}{\sqrt{F_L(1 - F_L)}}.$$

The decay $B^0 \rightarrow K^{*0} \ell^+ \ell^-$

- Now we move to a $P \rightarrow VV$ decay.

- Rich angular structure.



- Angular analysis desirable because:

- Partially cancel QCD uncertainty.

- Probe the helicity structure of NP.

$$P'_5 = \sqrt{2} \frac{\text{Re}(A_0^L A_\perp^{L*} - A_0^R A_\perp^{R*})}{\sqrt{|A_0|^2 (|A_\perp|^2 + |A_\parallel|^2)}}$$