



Forward-backward correlations and decorrelations

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Collectivity and correlations in high-energy hadron and nuclear collisions, **Benasque**, 5-18 August 2018

research with **Piotr Bożek**

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Outline

- Strings/flux tubes: phenomenological FB picture
- Collectivity: shape-flow transmutation
- FB flow decorrelation (torque effect)
- FB multiplicity correlations

String

String models '70

Dual Parton Model (Capella et al.)

Dual parton model

LL9

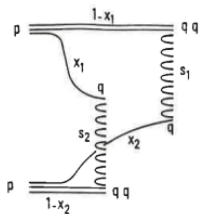
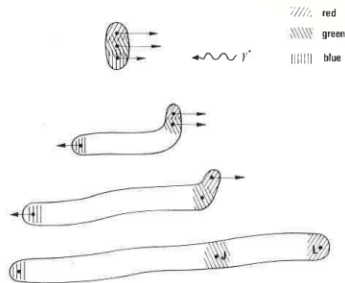


Fig. 1.2. Dominant two-chain diagram describing multiparticle production in high energy proton-proton collisions. The two quark-diquark chain structure results from an s -

Lund model (Anderson et al.)

B. Andersson et al., Parton fragmentation and string dynamics



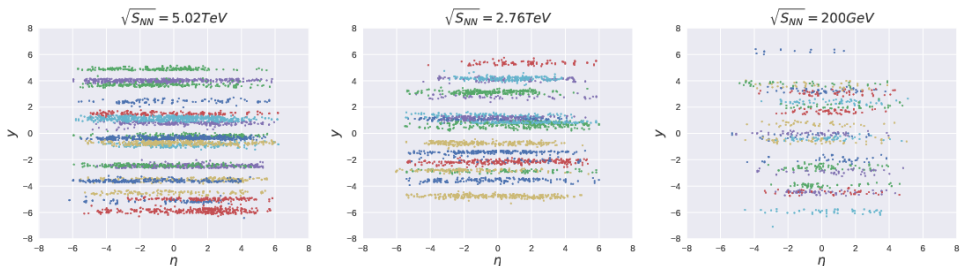
One quark in a proton is hit by a virtual photon (or a W or another hadron), and a colour flux tube is stretched

Basis of many successful codes (Pythia, HIJING, AMPT, EPOS, ...)

[CGC+Pythia, Schenke, Schlichting, Tribedy, Venugopalan 2016]

Strings are spatial objects

AMPT [Wu et al. 2018]

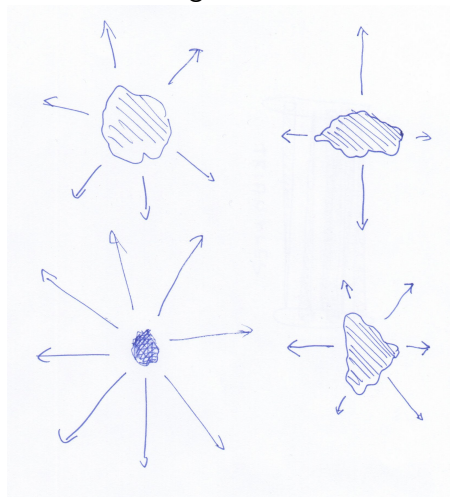
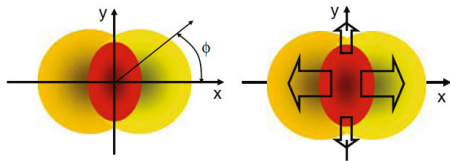


String end-points fluctuate in η , uniform production of particles from the string, rescattering (!)

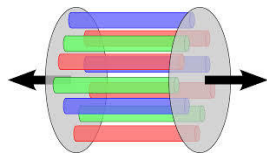
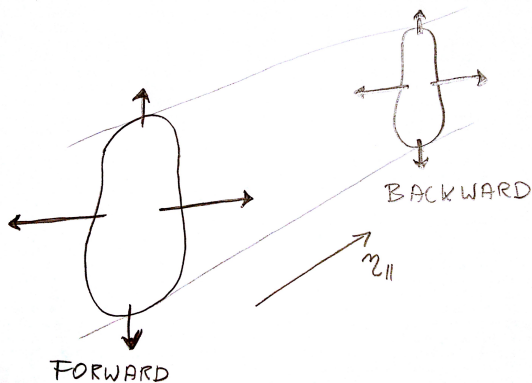
Shape-flow transmutation

Shape-flow transmutation

many particles, final/intermediate-state interactions, generation of flow



FB shape similarity \rightarrow flow similarity \rightarrow ridges



The FB similarity is a **result of early dynamics** and is not obtained from hydro or transport; these use it to generate the ridge correlations via the shape-flow transmutation

Surfers



FB correlations

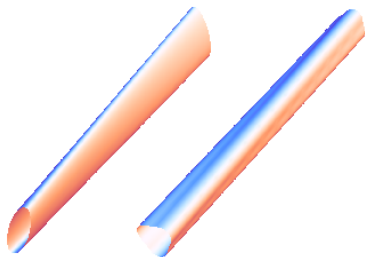
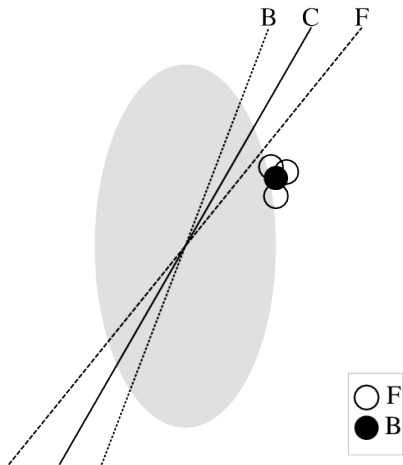
- One expects strong FB correlations, e.g., for FB event plane angles (direction of flow), harmonic flow magnitude, or $\langle p_T \rangle$ [Piotr Bożek's talk last week]
- Focus on departures from perfect correlations
- Need to use measures that cancel trivial decorrelations, e.g. from statistical hadronization (standard)

Torque

The torque effect

Twisted event-plane angles

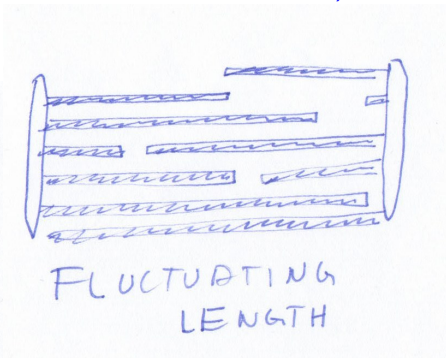
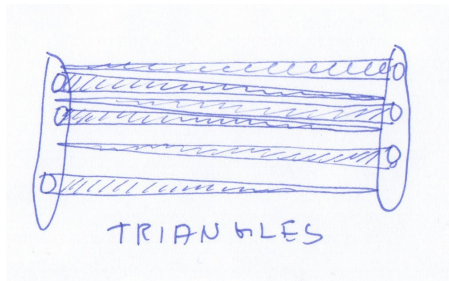
[Bożek, WB, Moreira 2010]



F and B initial transverse distributions are not exactly the same

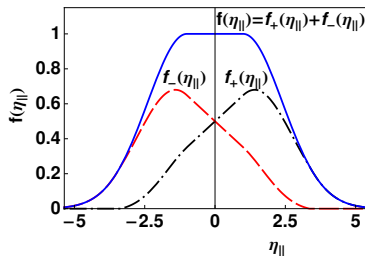
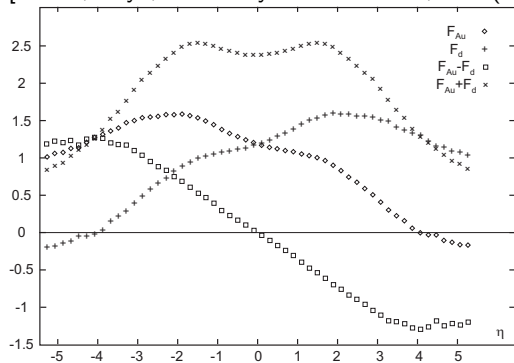
Average emission profiles

Simpler than fluctuating strings (only in the few following slides)



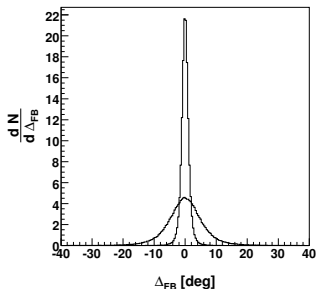
Phenomenological average emission profiles

[Białas, Czyż, Acta Phys. Polon. B36, 905 (2005)]



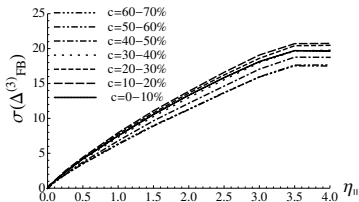
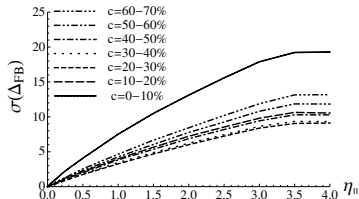
Torque angle distribution from Glauber

$$\Delta_{FB} = \Psi_2(\eta) - \Psi_2(-\eta)$$



$\Delta\eta = 1$ (narrow) and 5 (wide)
decorrelation increases with $\Delta\eta$

width of the torque angle distribution



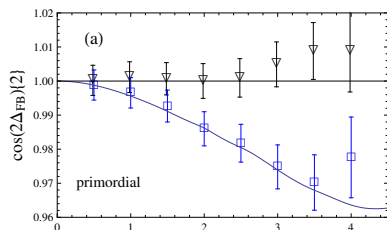
$n = 2$: largest decorrelation for central collisions

$n = 3$: similar decorrelation for all centralities

2-bin measure

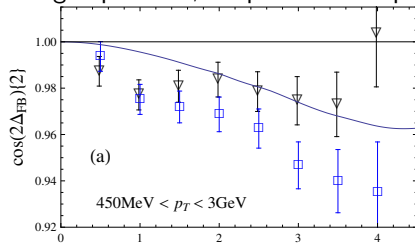
$$\cos(2\Delta_{FB})\{2\} = \frac{\langle\langle\cos[2(\phi_i(F) - \phi_j(B))]\rangle\rangle}{\sqrt{\langle v_2^2(F)\rangle}\sqrt{\langle v_2^2(B)\rangle}}$$

primordial particles, torque vs no torque



η

charged particles, torque vs no torque



η

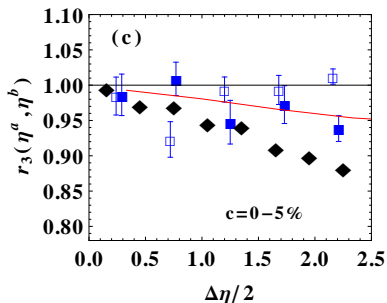
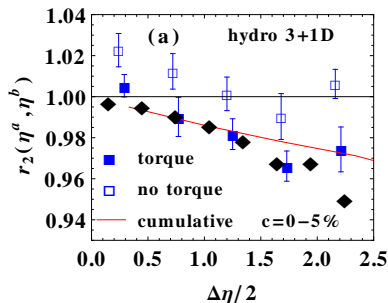
Substantial nonflow (resonance decays) contribution

[Glauber w/binary + 3D viscous hydro + THERMINATOR]

3-bin measure (CMS)

$$r_2(\eta_a, \eta_b) = \frac{\langle\langle \cos[n(\phi_i(-\eta_a) - \phi_j(\eta_b))] \rangle\rangle}{\langle\langle \cos[n(\phi_i(\eta_a) - \phi_j(\eta_b))] \rangle\rangle} \simeq \frac{\cos[n(\Psi(-\eta_a) - \Psi(\eta_b))]}{\cos[n(\Psi(\eta_a) - \Psi(\eta_b))]}$$

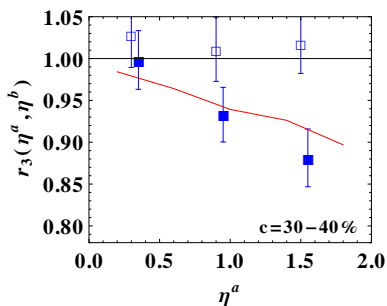
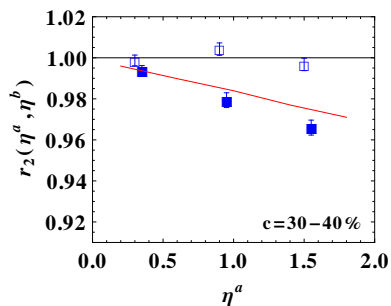
only pairs with large rapidity gap $\eta_a - \eta_b \rightarrow$ nonflow under control



- effect seen in the CMS data!
- semiquantitative agreement, need for more fluctuations
- other calculation (AMPT) also reproduce the data

$r_n(\eta_a, \eta_b)$ for Au-Au@200GeV

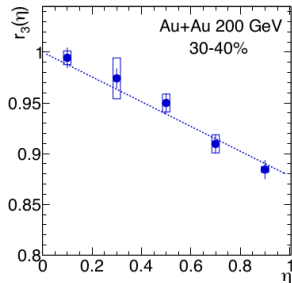
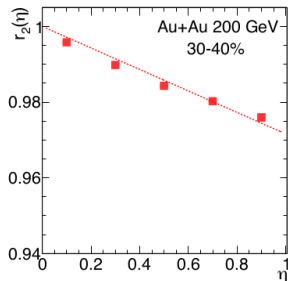
predictions [PB, WB, Olszewski 2015]



larger torque at RHIC than at the LHC energies

$r_n(\eta_a, \eta_b)$ for Au-Au@200GeV

Moawu for STAR@QM18

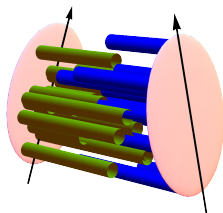


larger torque at RHIC than at the LHC energies

Fluctuations in energy deposition from each string

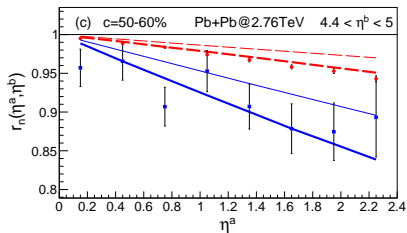
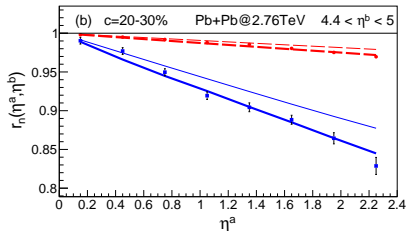
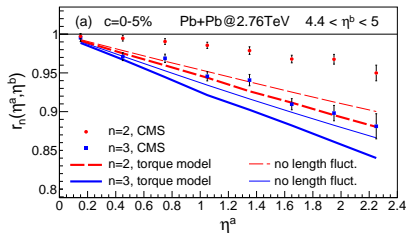
[PB, WB 2015, 2017]

[Brodsky, Gunion, Kuhn, PRL 39 (1977) 1120]



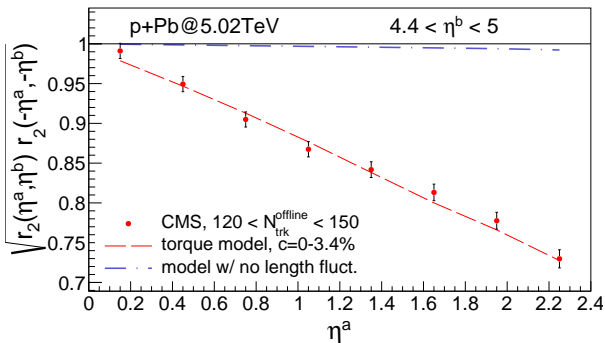
- the position (in rapidity) of string end-points is random
- long range fluctuations
- each string fluctuates differently \rightarrow event-plane decorrelation in p-Pb
- average emission profile the same as in the previous model

$r_n(\eta_a, \eta_b)$ w/ fluctuating strings (initial state only)



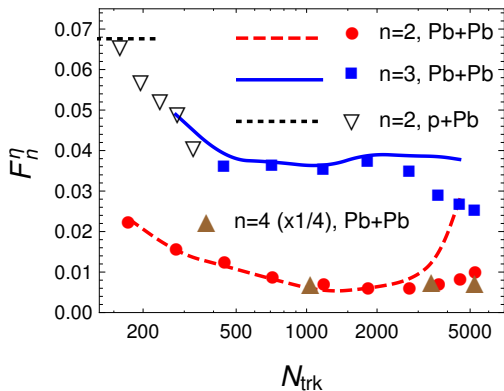
fluctuations improve description except for the most central collisions

Fluctuating strings in p-Pb



end-point fluctuations crucial to describe the event-plane decorrelation in p-Pb

The slope F_n^η



- fair description of mid-central collisions
- overestimates decorrelation for central collisions
- $F_4 \simeq 4F_2$

FB multiplicity fluctuations

Definitions

$$C(\eta_1, \eta_2) = \frac{\langle \rho(\eta_1, \eta_2) \rangle}{\langle \rho(\eta_1) \rangle \langle \rho(\eta_2) \rangle}$$

ATLAS:

$$C_N(\eta_1, \eta_2) = \frac{C(\eta_1, \eta_2)}{\int_{-Y}^Y d\eta_2 C(\eta_1, \eta_2) \int_{-Y}^Y d\eta_1 C(\eta_1, \eta_2)}$$

[Bzdak, Teaney 2013, Jia 2015]

$$a_{nm} = \int_{-Y}^Y \frac{d\eta_1}{Y} \int_{-Y}^Y \frac{d\eta_2}{Y} C(\eta_1, \eta_2) T_n\left(\frac{\eta_1}{Y}\right) T_m\left(\frac{\eta_1}{Y}\right)$$
$$T_n(x) = \sqrt{2 + 1/2} P_n(x)$$

Y - pseudorapidity acceptance

FB multiplicity correlations w/fluctuating strings

Average number of particles: $\langle N(\eta) \rangle = \langle N_A \rangle \langle f_A(\eta) \rangle + \langle N_B \rangle \langle f_B(\eta) \rangle$ with symmetric and antisymmetric parts $\langle f_{A,B}(\eta) \rangle = f_s(\eta) \pm f_a(\eta)$

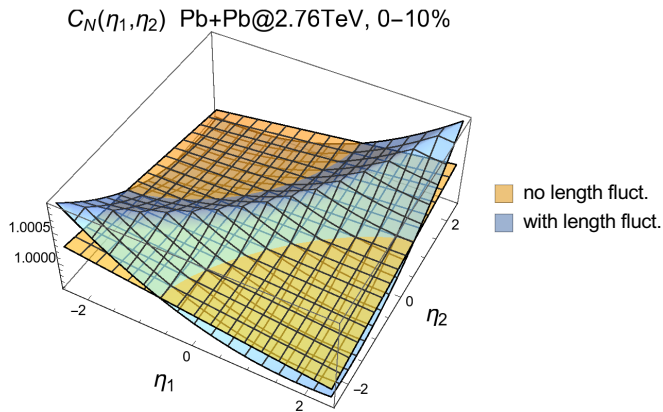
With $N_+ = N_A + N_B$, $N_- = N_A - N_B$, we have (for symmetric collisions)

$$C(\eta_1, \eta_2) = 1 + \frac{1}{N_+^2} \left\{ \langle N_+ \rangle \text{cov}_{A,B}(\eta_1, \eta_2) + \text{var}(N_+) + \text{var}(N_-) \frac{f_a(\eta_1) f_a(\eta_2)}{f_s(\eta_1) f_s(\eta_2)} \right\} \sim \frac{1}{N_+}$$

Correlations in elem. production + fluctuation of the number of sources
[Bzdak & Teaney 2013]

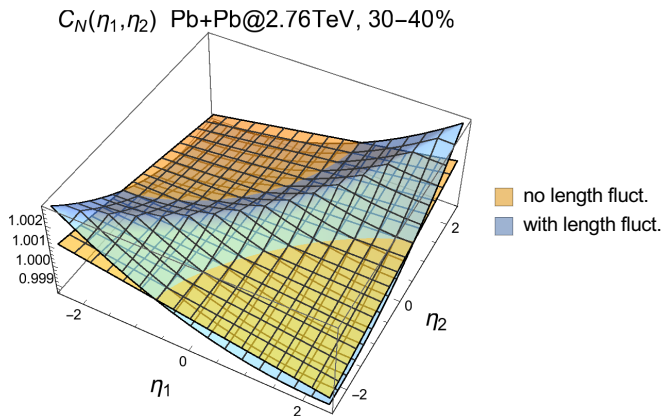
$$\text{cov}_{A,B}(\eta_1, \eta_2) = \frac{y_b^2 - \eta_1 \eta_2 - y_b |\eta_1 - \eta_2|}{4y_b^2}$$

Results for C_N



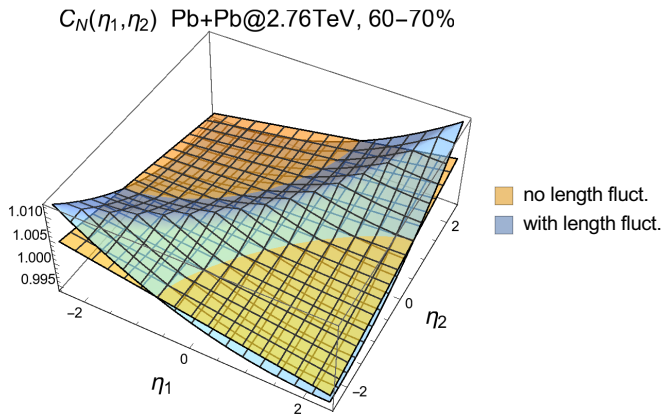
Generation of the **saddle** in the ridge (seen in experiment)
Fluctuating string length yields a large contribution

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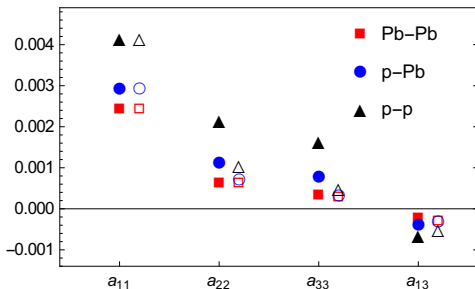
Results for C_N



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Fluctuating string length yields a large contribution

a_{nm} coefficients

Pb-Pb@2.76TeV, $c = 35 - 40\%$ ($N_{\text{ch}} = 110$)

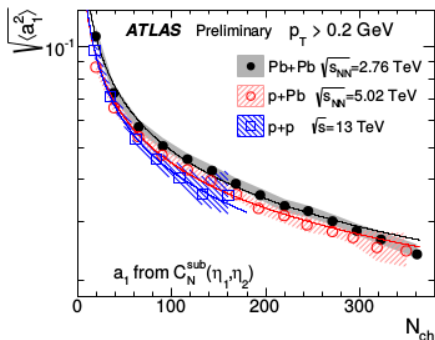


(filled – ATLAS, open – model)

ATLAS values of a_{11} were used to determine the proportionality coefficient between N_{ch} and the average number of sources for each reaction

Semiquantitative agreement also in [Monnai, Schenke 2015] and in AMPT

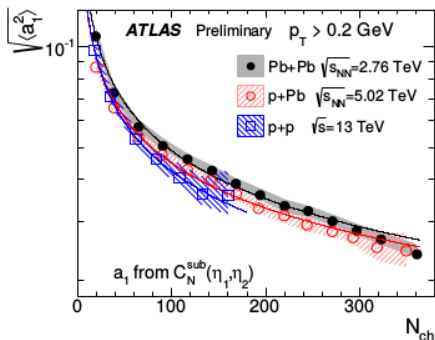
Scaling with the number of sources



N_{ch}/N_+ fitted by adjusting $a_{11}^{\text{exp}} = c^{\text{exp}}/N_{\text{ch}} = a_{11}^{\text{mod}} = c^{\text{mod}}/N_+$

Matching $\rightarrow N_{\text{ch}} = 4.7N_+$, acceptance $\Delta\eta = 4.8 \rightarrow dN_{\text{ch}}/d\eta \simeq 1 \times N_+$

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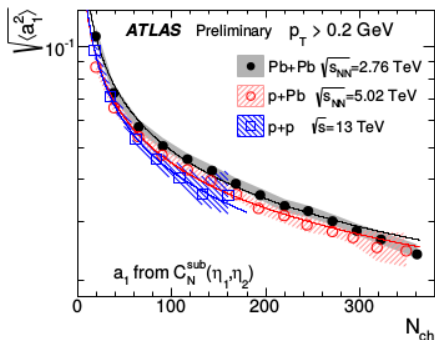
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From multiplicity data $dN_{\text{ch}}/d\eta \simeq (3 - 4) \times N_W$ and $dN_{\text{ch}}/d\eta \simeq 1.3 \times Q_W$

\rightarrow wounded constituents)

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\rightarrow wounded constituents)

$N_{\text{ch}} = 5.1N_A$ for p-Pb@5.02TeV

$N_{\text{ch}} = 8.1N_+$ for p-p@13TeV – requires sources at partonic level

Conclusions

Conclusions

Uniform description of (very rich) data demanded:

- 1 spectra in p_T and y , v_n , HBT radii
- 2 $\langle p_T \rangle$ (de)correlation measures [PB's talk last week]
- 3 flow (de)correlation measures
- 4 a_{nm} coefficients
- 5 ...

Rapidity modeling of the initial state “external” to collectivity