The Gravity of Particle Physics (Naturally)



GWEFT Benasque Aug 2023



The Gravity of Particle Physics (Naturally)



Warner Bros

Be vewy, vewy quiet...we're hunting for **GWEFT**



Benasque Aug 2023

The Gravity of Particle Physics (Naturally)



Warner Bros





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P. Brax

Yoga models 2111.07286 dS & inflation 2202.05344 Axiodilaton tests 2212.14870

Builds on earlier work on ubiquity of accidental symmetries in EFTs for string vacua

2006.06694





Contents

• EFTs & Gravitational physics

- What is done and what is wrong with it?
- When is the classical approximation good?
- Decoupling and UV sensitivity
- Understanding the gravity of our situation
 - Don't get swamped
 - Robust low-energy implication from the UV?
 - Challenges



EFTs & GW physics

An overview including some faults

A New Window on the Universe

We've seen gravitational waves!!!
 More than once! In more than one way!
 What do we learn?

(fig science.com) LIGO/VIRGO/KAGRA

What Do We Learn?

Black hole physics; Cosmology; ...



LIGO-Virgo-KAGRA | Aaron Geller | Northwestern

What Do We Learn?

About how gravity itself works?





What Do We Learn?

About how gravity itself works?

Woolthorpe Manor & The Apple Tree



Supremely successful Core Theory:

- Renormalizable SU₃ x SU₂ x U₁ gauge theory
- Coupled to gravity described by GR

Which we believe is probably wrong

- Neutrino oscillations
- Gravity is not renormalizable
- Dark Matter and Dark Energy
- Primordial initial conditions
 - Baryon asymmetry; primordial fluctuations (inflation);...

All but the neutrino problem involve gravity

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Neutrino oscillations

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GR+QM point to unprobed high-energy scales

Not

$$\frac{L}{\sqrt{-g}} = \Lambda + \frac{M_p^2}{2}R + c_1 R^2 + c_2 R_{\mu\nu} R^{\mu\nu} + \frac{c_3}{m^2} R^3 + \frac{1}{m^2} R$$



• GREFT: explains why classical GR works

e.g. compute amplitude for scattering *E* gravitons with energy *Q* at *L* loops using *V_{ik}* vertices involving *i* fields and *k* derivatives:

$$A_{E}(Q) \propto \left(\frac{Q^{2}}{M_{p}^{E-2}}\right) \left(\frac{Q}{4\pi M_{p}}\right)^{2L} \prod_{i;k>2} \left(\frac{Q}{M_{p}}\right)^{2V_{ik}} \left(\frac{Q}{m}\right)^{(k-4)V_{ik}}$$

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$$\frac{L}{\sqrt{-g}} = \Lambda + \frac{M_p^2}{2}R + c_1 R^2 + c_2 R_{\mu\nu} R^{\mu\nu} + \frac{c_3}{m^2} R^3 + \cdots$$



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Leading contribution: L = 0 and $V_{ik} = 0$ unless k=2 (ie classical GR)

GR+QM point to unprobed high-energy scales

$$\frac{L}{\sqrt{-g}} = \Lambda - \frac{M_p^2}{2}R + c_1 R^2 + c_2 R_{\mu\nu} R^{\mu\nu} + \frac{c_3}{m^2} R^3 + \cdots$$



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Leading contribution: L = 0 and $V_{ik} = 0$ unless k=2 (ie classical GR) Next-to-leading: L=1 and $V_{ik} = 0$ unless k=2 (one-loop GR) or L=0 and V=1 for k = 4

GR+QM point to unprobed high-energy scales

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EFTs Encode Decoupling



Decoupling: when p > 0 smallest mass consist w sym wins

BUT when p < 0 biggest mass wins

Core Theory: GREFT

• GR behaves like low-E limit of something fundamental

- nonrenormalizability *forces* an EFT interpretation
- Possible UV completion (eg String Theory) exists



Core Theory: GREFT + SMEFT

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Core Theory: GREFT + SMEFT

• GR behaves like low-E limit of something fundamental

- nonrenormalizability *forces* an EFT interpretation
- Possible UV completion (eg String Theory) exists
- Including SM fields too immediately gives ν mass (SMEFT) (also as expected from heavy new physics)



So what does this mean for GWs?

- •*Two approaches:*
 - Seek implications of new interactions in GREFT



So what does this mean for GWs?

•*Two approaches:*

- Seek implications of new interactions in GREFT
- Seek implications of new light states



New GREFT interactions

- Good news: These almost certainly exist!
- •Bad news:

• Influence arises as a series in $1/(mL) = \lambda/L$ where L is a typical length scale in the process of interest and $\lambda = 1/m$ is a *microscopic* length scale

- Conceptually interesting:
 - Quantify how well GR works
 - New interactions (eg higher time derivatives) complicate numerical predictiveness

$$\frac{L}{\sqrt{-g}} = \Lambda + \frac{M_p^2}{2}R + c_1 R^2 + c_2 R_{\mu\nu} R^{\mu\nu} + \frac{c_3}{m^2} R^3 + \cdots$$

New Light States

• Requires:

- Introduce new boson (to mediate macroscopic force) with mass $m < 10^{-10}$ eV so that $\lambda = 1/m > 1$ km.
- Potential opportunity:
 - Scalars much lighter than this are often invoked in cosmology for phenomenological reasons
 - Light scalar masses (and small potentials) are famously UV sensitive (ie rare in the low-energy limit of complicated systems, so their presence requires explanation)

• Constrained:

• New states should not damage our understanding of why classical methods work in GR at low energies

• Many many proposals

• Procedure: make up new fields; make up new lagrangian; solve *classical* field equations



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Most are inconsistent with low-energy GREFT control over quantum effects

- Many admit no EFT framework at all
- Those with EFT framework often break down above fairly low (sub eV) energies
- Many have no mechanism for why new field is so light

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Clues from the UV? Part I: Dropping apples in the Swamp

UV Robust vs UV Specific Predictions

EFTs identify which predictions are UV sensitive and which are not (consider the QCD example)



UV insensitive prediction from QCD: soft pion theorems

UV specific prediction from QCD: proton mass

UV Information from Gravity?

What can be learned from UV completions to gravity?

Examples exist! (in practice use string theory as a guide)

Some things also seem rare: Global symmetries Non-supersymmetric control Standard Model & no extras de Sitter solutions



Swampland Program

Swampland Hypothesis:

dS solutions are UV informative (like proton mass in QCD)

Many EFTs (eg those with dS sol (making it useful to identify whi



Principle of Swamplementarity:

A conjectured swampland feature's plausibility is inversely proportional to its predictive power at low energies



Vafa 05

Adventure Sports Magazine



Clues from the UV?

Part II: Accidental Symmetries (Scaling the Landscape)

UV Strategies

What *can* be learned from UV completions to gravity?

Some things seem common: Garden-variety low-spin fields (spins 0,1/2,1,3/2)

Possibly extra dimensions (only down to eV energies)

Often find accidental approximate symmetries and these can lead to light fields (axions, dilatons, and often many of them)

Supersymmetry present but broken

Accidental symmetries from the UV

Similar to QCD, accidental low-energy string symmetries often provide natural candidates for new low-energy fields

 $SU(2) \times SU(2) \rightarrow SU(2)$

All EFTs for pions

G/H goldstones

Axions are a common example

Two other accidental symmetries equally generic & relevant to dS solutions but relatively poorly explored

Supersymmetry in gravity sector;

Semiclassical scaling symmetries
Supersymmetry of the gravity sector

How can supersymmetry play a role at low energies when LHC finds no evidence for supersymmetry?



Supersymmetry of the gravity sector

How can supersymmetry play a role at low energies when LHC finds no evidence for supersymmetry?



Should expect gravity sector to be more supersymmetric at low energies than particle physics sector

We now know how to couple supergravity to matter that is not supersymmetric

> Komargodsky & Seiberg 09 Bergshoeff et al 15 Dallagata & Farakos 15 Schillo et al 15 Antoniadis et al 21 Dudas et al 21

Semiclassical Scaling Symmetries

Allows more traditional EFT approach to rarity of inflationary solutions in string theory: it is a reflection of robust low-energy 'symmetries'?

2006.06694

$$g_{\mu\nu} \to \lambda \, g_{\mu\nu}$$

$$\Phi \to \lambda^s \, \Phi$$

$$\mathscr{L} \to \lambda^p \mathscr{L}$$

String theory has no parameters so all perturbative expansions are in powers of fields $\mathscr{L} = \sum f_{mn} \, \Phi^m \, \Psi^n$ mn $\Phi \to \lambda^p \Phi \quad \Psi \to \lambda^q \Psi$ $\mathscr{L}_{mn} \to \lambda^{mp+nq} \mathscr{L}_{mn}$

Evidence for Accidental Scaling

11D SUGRA admits single scaling corresponding to the α' expansion

10D IIB SUGRA similarly admits single scaling corresponding to the α' and g_s expansions

and so on for IIA, heterotic and other perturbative vacua...

11D sugra: $\mathscr{L}_{11} \rightarrow \lambda^9 \mathscr{L}_{11}$ $g_{MN} \rightarrow \lambda^2 g_{MN}$ $A_{MNP} \rightarrow \lambda^3 A_{MNP}$ + fermion transfns

10D IIB sugra: $\mathscr{L}_B \to \lambda^{4u} \mathscr{L}_B$ $g_{MN} \to \lambda^u g_{MN} \quad B_{MN} \to \lambda^{2u-w} B_{MN}$ $C_{MN} \to \lambda^w C_{MN} \quad \tau \to \lambda^{2(w-u)} \tau$ $C_{MNPR} \to \lambda^{2u} C_{MNPR}$ + fermion transfns Accidental Scaling enforces V = 0 (so fights dS)

Does so despite symmetry being spontaneously broken!

$$V(\lambda^p \Psi) = \lambda^w V(\Psi)$$



Must quantify effects due to explicit symmetry breaking

Peccei et al 87 Wetterich 88

Weinberg 89

$$\sum_{i} p_{i} \phi^{i} \left(\frac{\partial V}{\partial \phi^{i}} \right) = wV(\phi)$$

if $\frac{\partial V}{\partial \phi^{i}} = 0$ then^{*} $V = 0$

$$p_{j}\frac{\partial V}{\partial \phi^{j}} + \sum_{i} p_{i}\phi^{i}\frac{\partial^{2}V}{\partial \phi^{i}\partial \phi^{j}} = w\frac{\partial V}{\partial \phi^{j}}$$

if $\phi^{i} = 0$ then^{*} $\frac{\partial V}{\partial \phi^{i}} = 0$

arXiv:2006.06694

Supersymmetry (especially of the gravity sector)

Rigid scaling symmetries

Usual approach (for which dS is hard to obtain): SCALE BREAKING >> susy breaking KKLT 03 LVS 05

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Usual approach (for which dS is hard to obtain): SCALE BREAKING >> susy breaking KKLT 03 LVS 05

More promising approach: SUSY BREAKING >> scale breaking

2202.05344

Berg, Haack & Kors 05 Berg, Haack & Pajer 07 Cicoli, Conlon & Quevedo 08



Supersymmetry (especially of the gravity sector)

Rigid scaling symmetries

Yoga Models: low-energy EFT exploiting this mechanism 2111.07286

Expand in inverse powers of very large dilaton field τ Imagine gravity sector (including dilaton) is more supersymmetric than the SM sector <u>All</u>ows a relaxation mechanism

An example Low-energy framework

Low-energy dynamics involves matter coupled to gravity and axio-dilaton (plus possible relaxon field)

axio-dilaton: $T = \tau + i a$

$$\begin{aligned} \mathcal{L}_{\rm ad} &\sim M_p^2 \left[\mathcal{R} + \frac{(\partial \tau)^2 + (\partial a)^2}{\tau^2} \right] + V(\tau) + \mathcal{L}_m(\tilde{g}_{\mu\nu}, \psi) \\ \tilde{g}_{\mu\nu} &= e^{-K/3} g_{\mu\nu} \simeq \frac{g_{\mu\nu}}{\tau} \\ m_{sm} \propto \frac{M_p}{\sqrt{\tau}} \qquad m_\nu \propto \frac{M_p}{\tau} \end{aligned} \qquad \begin{aligned} \text{This works if} \\ \tau_{\min} \sim 10^{28} \end{aligned}$$

Yoga Models 2111.07286 2212.14870

Scalar Potential

$$V(\tau) \simeq \frac{M_p^4}{\tau^4} U(\ln \tau)$$

Yoga Models 2111.07286 2212.14870

 $\ln au_{
m min} \sim 65$ $au_{
m min} \sim 10^{28}$ 1/ au expansion still under control



Scalar Potential

 $V(\tau) \simeq \frac{M_p^4}{\tau^4} U(\ln \tau)$

Yoga Models 2111.07286 2212.14870

$$m_{sm} \propto \frac{M_p}{\sqrt{\tau}}$$
 $V_{\min} \propto \frac{M_p^4}{\tau_{\min}^4} \propto \left(\frac{m_{sm}^2}{M_p}\right)^4$

Scalar Potential

$$V(\tau) \simeq \frac{M_p^4}{\tau^4} U(\ln \tau)$$

$$V_{\min} \sim \frac{\epsilon^5}{\tau_{\min}} F^* F \qquad F > (10 \text{ TeV})^2$$
$$\epsilon \sim 1/(\log \tau_{\min})$$

Out of the box: $V_{min} = 10^{-91} M_p^4$ (not quite 10⁻¹²⁰, but...)

These model cry out for tests of GR

Yoga Models 2111.07286 2212.14870

Both axions and dilatons are pseudo-Goldstone bosons and so can naturally be in low-energy theory

Unlike axions, low energy dilatons tend to couple to matter like Brans-Dicke scalars and want to couple with gravitational strength (which is a problem if they are light enough to mediate macroscopic forces)

Any progress on the cosmological constant problem generically makes at least one dilaton extremely light:

$$m^2 \sim V_{\min}/M_p^2 \sim H^2$$

Technically natural: astro-ph/0107573

Not yet known whether screening mechanisms can allow them to have escaped detection (multiple scalars allow new possibilities)

Many tantalizing low-energy implications

Yoga Models 2111.07286 2212.14870

Best models of inflation (goldstone boson agreeing with data)1603.067892202.05344

Novel approach to the Hubble problem (time-dependent m)

Many tantalizing low-energy implications

Yoga Models 2111.07286 2212.14870

Best models of inflation (goldstone boson agreeing with data)1603.067892202.05344

Novel approach to the Hubble problem (time-dependent m)

Require UV completion at eV scales, and match there to Supersymmetric Large Extra-Dimension models

Implications for colliders (resemble SLED)

Recently rediscovered by swampland program

Montero, Vafa & Valenzuela 22

th/0304256 (SLED) ph/0404135 (MSLED) ph/0401125 (Higgs) ph/0508156 (neutrinos) and more

Conclusions

UV properties can be predictive But it is robust properties like accidental scale invariance and supersymmetric gravity sector that are informative

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Remarkably rich physics possible at very low energies EFT arguments are restrictive but not prohibitive for predicting things to be tested in GW (and other gravity) tests

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Remarkably rich physics possible at very low energies EFT arguments are restrictive but not prohibitive for predicting things to be tested in GW (and other gravity) tests

Much to explore

GW and other GR tests can probe plausible physics well-motivated by UV completions, providing among the strongest constraints on models relevant to the cosmological constant problem

Thanks for your time & attention!



Extra Slides

Suppression of the potential

$$\begin{aligned} \mathscr{L} &= \int d^4 \theta \ \overline{\Phi} \ \Phi \ e^{-K/3} \\ &+ \int d^2 \theta \Big[\Phi^3 W + f_{ab} \overline{\mathscr{F}}^a \mathscr{F}^b \Big] + \text{c.c.} \end{aligned}$$
$$\begin{aligned} \mathscr{L}_{\text{kin}} &= -\sqrt{-g} \ K_{i\bar{\imath}} \ \partial_\mu z^i \ \partial^\mu \bar{z}^j \end{aligned}$$

Can supersymmetry combine with scale invariance to suppress lifting of flat directions?

4D susy specified by functions $K(z,z^*), W(z), f_{ab}(z)$

$$\mathcal{L}_{kin} = -\sqrt{-g} K_{i\bar{j}} \partial_{\mu} z^{i} \partial^{\mu} \bar{z}^{j}$$
$$V(z, \bar{z}) = e^{K} \left[K^{i\bar{j}} D_{i} W \overline{D_{j} W} - 3 |W|^{2} \right]$$
$$D_{i} W = W_{i} + K_{i} W$$

$$\begin{aligned} \mathscr{L} &= \int d^4 \theta \ \overline{\Phi} \ \Phi \ e^{-K/3} \\ &+ \int d^2 \theta \Big[\Phi^3 W + f_{ab} \overline{\mathscr{F}}^a \mathscr{F}^b \Big] + \text{c.c.} \end{aligned}$$
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$$\mathcal{L}_g = \sqrt{-\tilde{g}} \, e^{-K/3} \widetilde{R}$$

$$\mathcal{Z}_{kin} = -\sqrt{-g} K_{i\bar{j}} \partial_{\mu} z \partial z$$
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Can supersymmetry combine with scale invariance to suppress lifting of flat directions?

4D susy specified by functions $K(z,z^*), W(z), f_{ab}(z)$

Scale invariance implies rules for how *W*, f_{ab} and $e^{-K/3}$ scale as the fields *z* scale

$$D_i W = W_i + K_i W$$

 $V(z, \overline{z}) = e^{K} \left| K^{i\overline{j}} D_{i} W \overline{D_{j} W} - 3 \left| W \right|^{2} \right|$

No-Scale supergravity: scalar potential has a flat direction along which susy breaks

Special things happen if $e^{-K/3}$ is homogeneous degree 1

Sufficient condition for no-scale model, so provides flat directions along which susy is broken

if
$$z^i \rightarrow \lambda z^i$$
 implies $e^{-K/3} \rightarrow \lambda e^{-K/3}$
then $K^{i\bar{j}}K_iK_{\bar{j}} = 3$
'no-scale' model

if
$$W_i = 0$$
 then

$$V = e^K \left[K^{i\bar{j}} K_i K_{\bar{j}} - 3 \right] |W|^2 = 0$$

$$D_i W = W_i + K_i W = K_i W \neq 0$$

Cremmer et al 83 Barbieri et al 85 0811.1503

Scale invariance is *sufficient* for no-scale supergravity, but is *not necessary*.

$$e^{-K/3} = T + T^* + f(z, z^*)$$

No-scale condition is sufficient for flat directions, but is also not necessary



A mechanism

Flat directions can persist in no-scale models to higher orders than naively expected

e.g. suppose Φ^{-1} is an expansion field and scale invariance gives leading scale invariant result

scale invariant & no-scale

$$e^{-K/3} = A_0 \Phi$$

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Not scale invariant but still no-scale

$$e^{-K/3} = A_0 \Phi + A_1$$

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Not scale invariant but still no-scale

neither

$$e^{-K/3} = A_0 \Phi + A_1$$

though are eventually lifted

$$e^{-K/3} = A_0 \Phi + A_1 + \frac{A_2}{\Phi}$$

scale invariant & no-scale

Extended No-Scale Structure

This actually happens in some string compactifications

Berg, Haack & Kors 05 Berg, Haack & Pajer 07 Cicoli, Conlon & Quevedo 08

$$e^{-K/3} = (\tau - \tau^*)^{1/3} A_0 \mathcal{V}^{2/3} \left[1 + \frac{B_n}{\mathcal{V}^{2/3}} (\tau - \tau^*)^{1-n} + \cdots \right]$$

corresponding to an α'^2 string loop correction

These corrections preserve the flat direction for V to order α'^3 when evaluated at $D_{\tau}W = D_aW = 0$

Relevance to the Hubble Tension

Axiodilaton cosmology

5% increase in all masses at recombination helps with H0

Model	$\Delta N_{ m param}$	M_B	Gaussian Tension	Q_{DMAP} Tension		$\Delta \chi^2$	ΔΑΙC		Finalist	
ACDM	0	-19.416 ± 0.012	4.4σ	4.5σ	\boldsymbol{X}	0.00	0.00	X	X	
$\Delta N_{ m ur}$	1	-19.395 ± 0.019	3.6σ	3.8σ	X	-6.10	-4.10	X	X	
SIDR	1	-19.385 ± 0.024	3.2σ	3.3σ	X	-9.57	-7.57	~	1 0	
mixed DR	2	-19.413 ± 0.036	3.3σ	3.4σ	\boldsymbol{X}	-8.83	-4.83	X	X	
DR-DM	2	-19.388 ± 0.026	3.2σ	3.1σ	X	-8.92	-4.92	X	X	
$SI\nu + DR$	3	$-19.440_{-0.039}^{+0.037}$	3.8σ	3.9σ	X	-4.98	1.02	X	X	
Majoron	3	$-19.380\substack{+0.027\\-0.021}$	3.0σ	2.9σ	~	-15.49	-9.49	~	✓ ®	
primordial D	1	10.200 ± 0.021	2.55	2.55	N	11.42	0.42	1	10	_
varying m_e	1	-19.391 ± 0.034	2.9σ	2.9σ	~	-12.27	-10.27	~	v 😐	
varying $m_e + \Omega_k$	2	-19.368 ± 0.048	2.0σ	1.9σ	~	-17.26	-13.26	~	v 😐	
EDE	ა	$-19.390_{-0.035}^{+0.016}$	3.0σ	1.0σ	V	-21.98	-10.98	V	v 🐨	
NEDE	3	$-19.380\substack{+0.023\\-0.040}$	3.1σ	1.9σ	~	-18.93	-12.93	~	 ✓ ② 	
EMG	3	$-19.397\substack{+0.017\\-0.023}$	3.7σ	2.3σ	~	-18.56	-12.56	~	√ ②	
CPL	2	-19.400 ± 0.020	3.7σ	4.1σ	\boldsymbol{X}	-4.94	-0.94	\boldsymbol{X}	X	
PEDE	0	-19.349 ± 0.013	2.7σ	2.8σ	~	2.24	2.24	X	X	
GPEDE	1	-19.400 ± 0.022	3.6σ	4.6σ	X	-0.45	1.55	X	X	
$\rm DM \rightarrow \rm DR + \rm WDM$	2	-19.420 ± 0.012	4.5σ	4.5σ	X	-0.19	3.81	X	X	
$\mathrm{DM} \rightarrow \mathrm{DR}$	2	-19.410 ± 0.011	4.3σ	4.5σ	X	-0.53	3.47	X	X	

Table 1: Test of the models based on dataset $\mathcal{D}_{\text{baseline}}$ (Planck 2018 + BAO + Pantheon), using the direct measurement of M_b by SH0ES for the quantification of the tension (3rd column) or the computation of the AIC (5th column). Eight models pass at least one of these three tests at the 3σ level.

H0 Olympics: 2107.10291

Axiodilaton cosmology

Need not be bad news (relevance to Hubble tension?)

5% increase in all masses at recombination helps with H0

Sekiguchi & Takahashi 2007.03381

CMB does not change (except small nonequilibrium effects) if:

$$\Delta_{m_e} = \Delta_{\omega_b} = \Delta_{\omega_c}$$

Changes H_0 because it changes epoch of recombination Λ

$$\Delta_{a_*} = -\Delta_{m_e}$$

Leaves BAO unchanged if small spatial curvature $\Delta = -1.5 \Delta$

$$\Delta_h = 1.5 \Delta_{m_e} \quad \omega_k = -0.125 \Delta_{m_e}$$

Requires 10% reduction in τ ; equal abundance-shifts automatic

Axiodilaton cosmology

Dilaton evolution constrained because it changes particle masses relative to the Planck mass, leaving mass ratios unchanged



Relevance to inflation
Two kinds of low-energy pseudo-Goldstone bosons with which to build technically natural inflationary string potentials, one class of which arises due to approximate scale invariances

Dilatons

Axions



Freese et.al. 90; Kachru et.al. 03; Silverstein & Westphal 08 and more

But: need $f \gg M_p$ disfavoured by data

Axions

Dilatons



Planck collaboration

AxionsDilatonsScaling inflationary models• Fibre moduli are ubiquitous• F. mod have protected masses $V(a) = A - B e^{-a/f}$

Goncharov & Linde 84; Kallosh & Linde 13 & 15 hep-th/0111025; 0808.0691; 1603.06789 need $f \simeq M_p$ loved by data predicts $r \simeq (n_s - 1)^2$

Practical consequences for inflationary models

Axions

Dilatons



Planck collaboration

All This and More!

For microscopic inflationary models allows progress on the eta problem in *two* ways:

because of use of K for modulus stabilization

because flatness of potential is due to large field and not small parameter