

Benasque Spring School on Near-Term Quantum Computing

Photonic circuits

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24-25 April 2024



Structure of the lectures

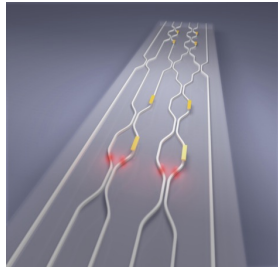
- Experimental components in photonics
- Linear optical quantum computing
- Designing algorithms with linear optics
- Measurement-based quantum computing and photonics

Photonic quantum computing companies

Not an exhaustive list!

Psi-Quantum

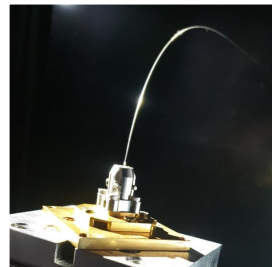
USA - 2016



DV QC

Quandela

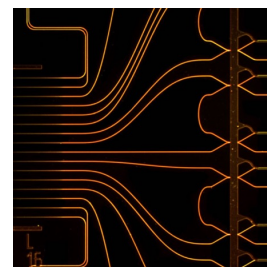
France - 2017



DV QC

Xanadu

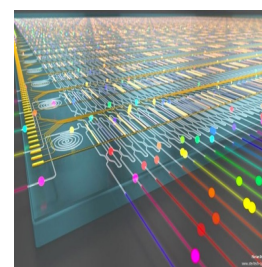
Canada - 2018



Continuous variable QC

QuiX

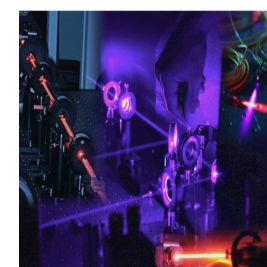
Netherlands - 2019



SiN4 based DV QC

ORCA

UK - 2020



Memory-based QC

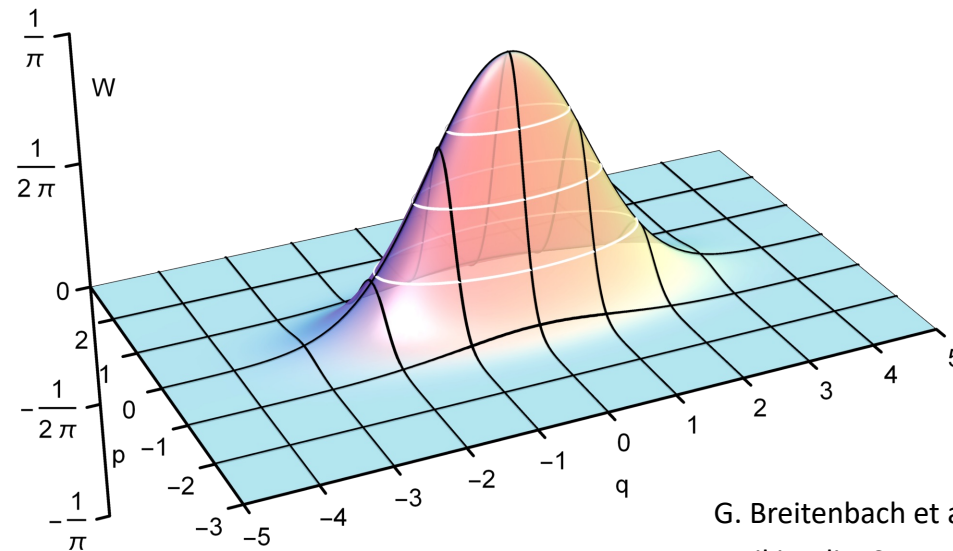
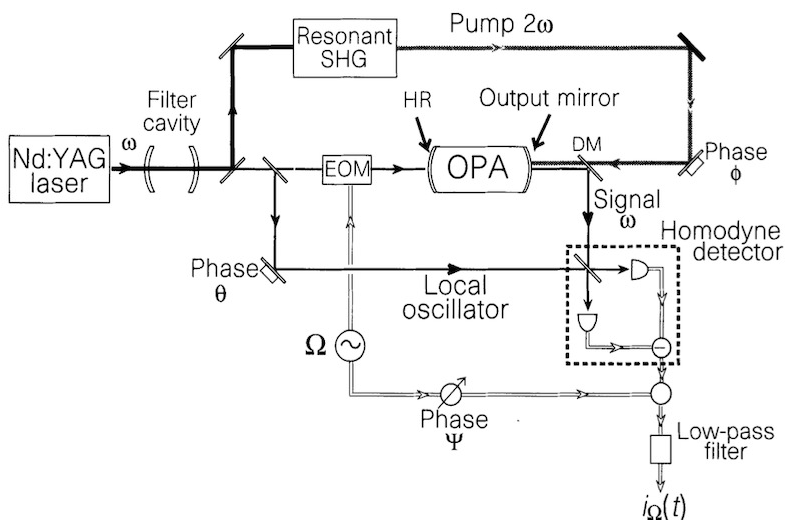
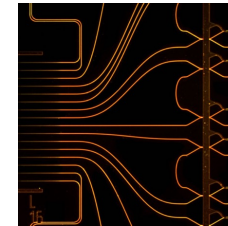
DV QC: discrete variable quantum computing

Information is encoded in single photons that can be in different modes (e.g. spatial or polarization)

Not covered: continuous variable photonics

Qubit $|\phi\rangle = \phi_0 |0\rangle + \phi_1 |1\rangle$

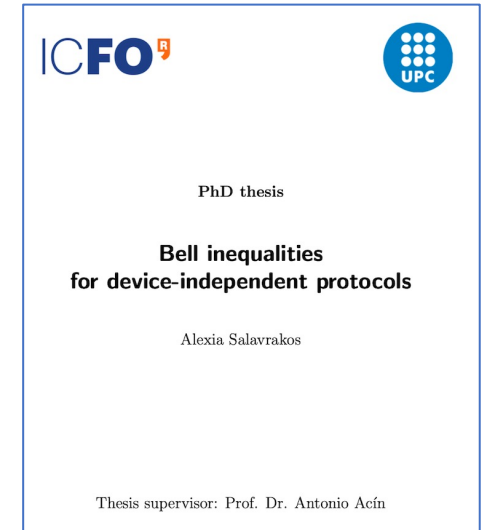
Qumode $|\psi\rangle = \int dx \psi(x) |x\rangle$



G. Breitenbach et al. Nature 387 (1997)
Wikipedia. Squeezed coherent states.

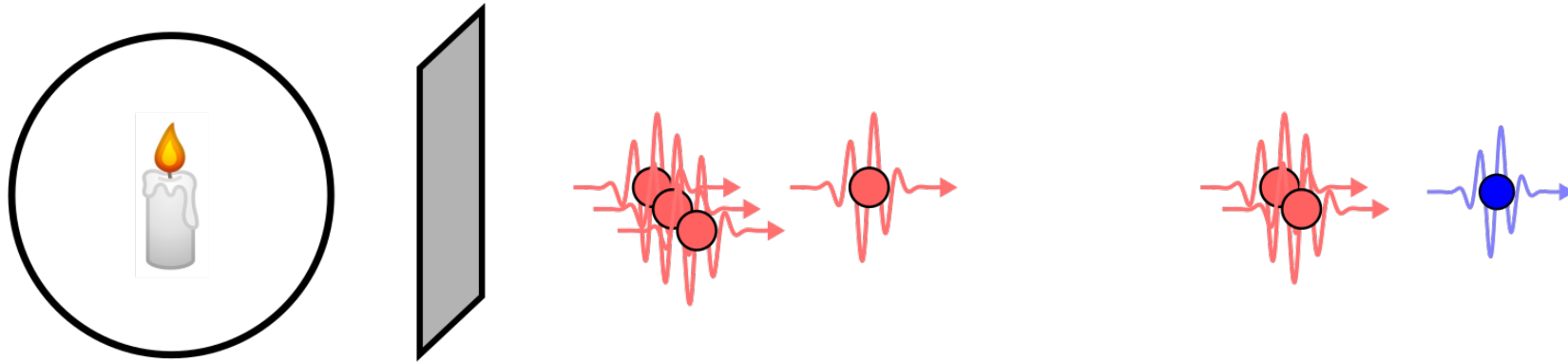
My academic and professional experience

- Studied physics at Universite Libre de Bruxelles
- PhD at ICFO in quantum correlations
- Worked for a couple of years in data science and machine learning
- Now working at Quandela
- Topics:
 - photonic quantum computing
 - quantum machine learning
 - machine learning for quantum



Experimental components in photonics

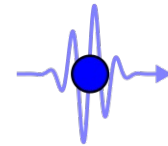
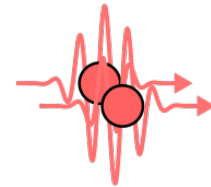
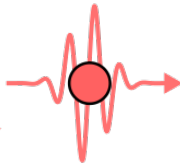
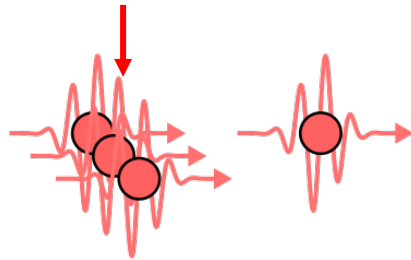
Desired properties of a single-photon source



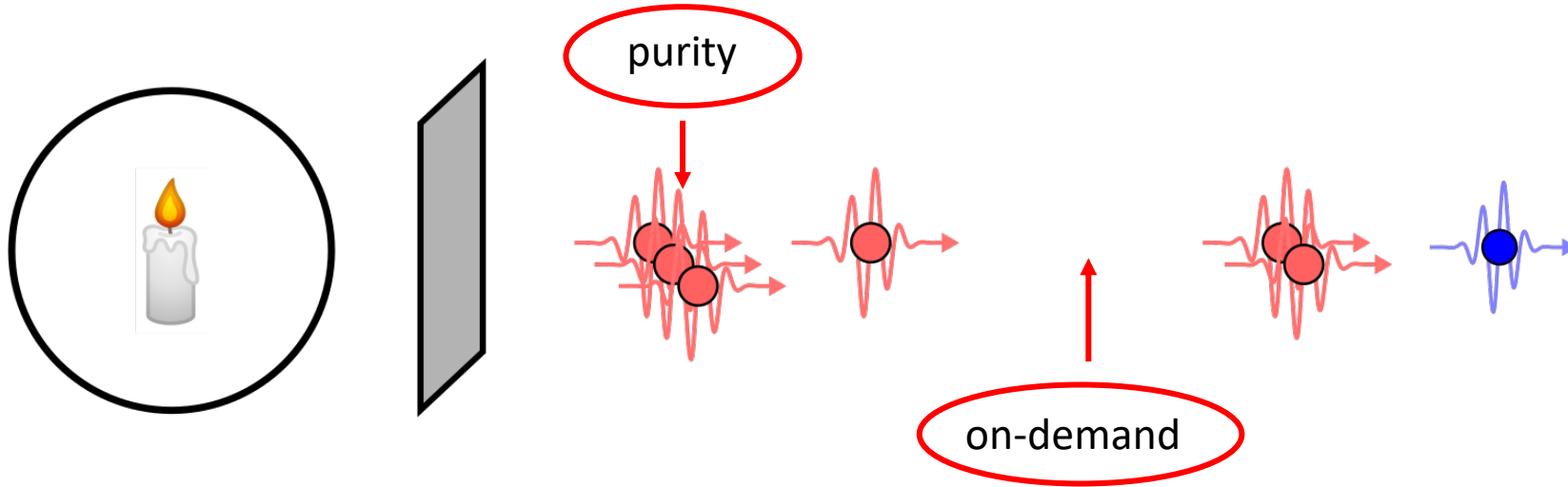
Desired properties of a single-photon source



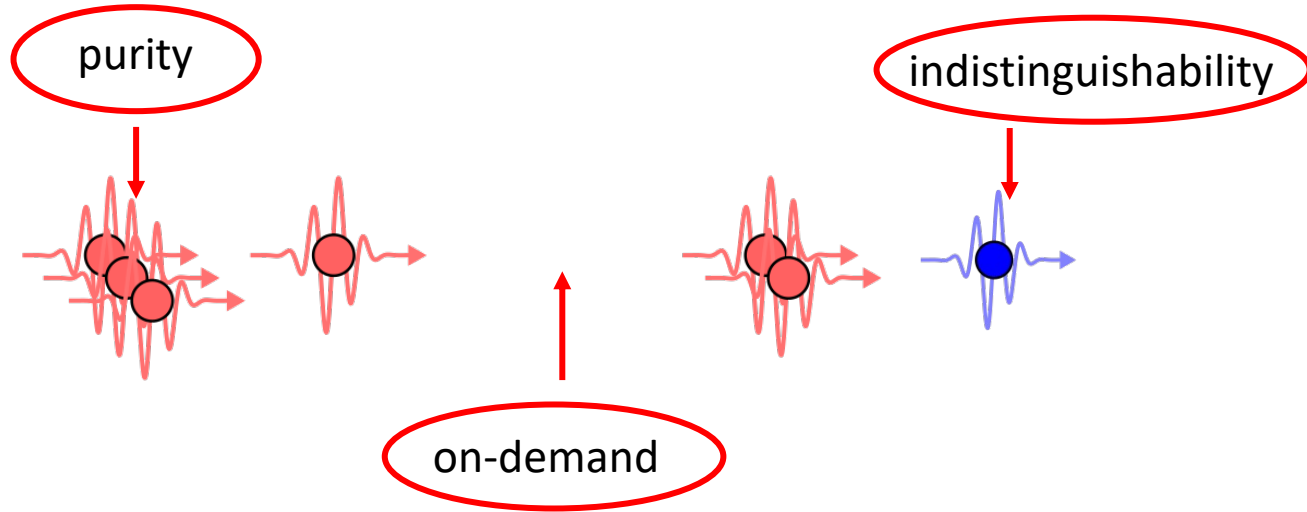
purity



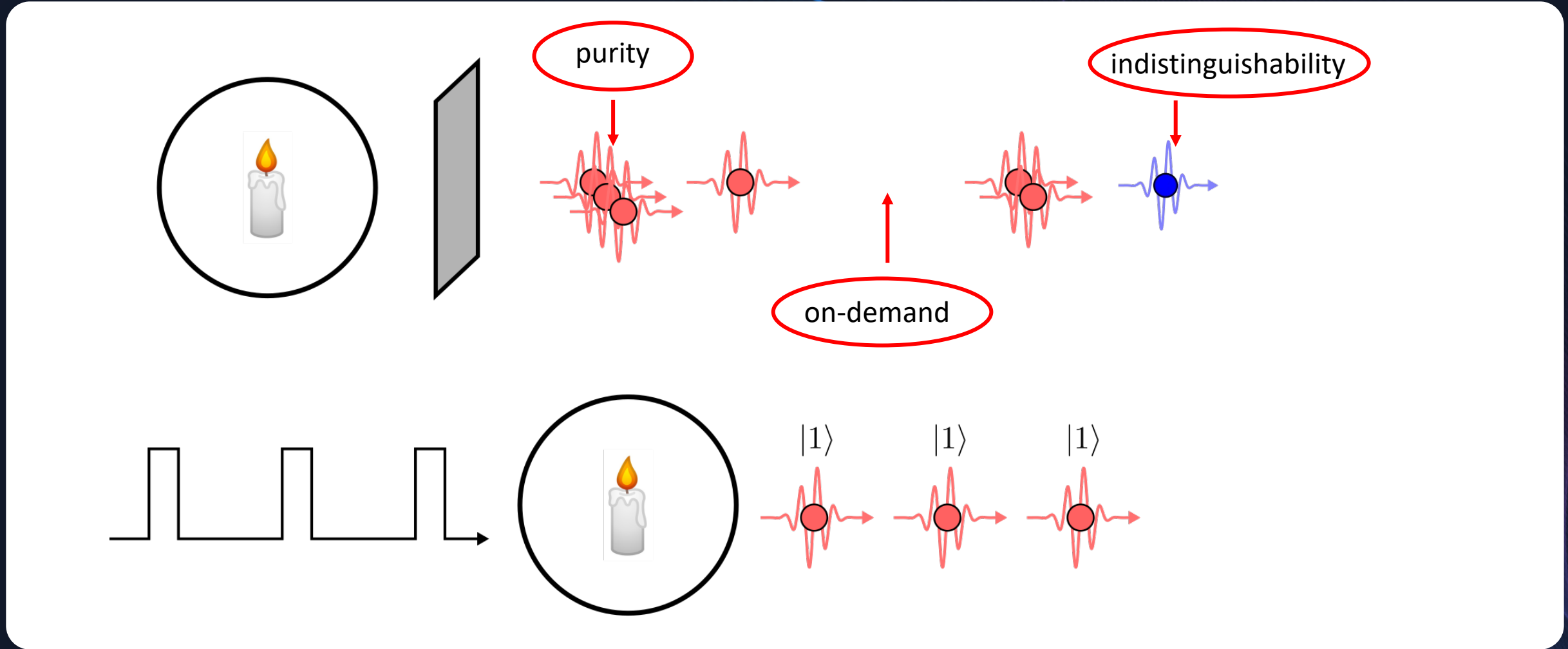
Desired properties of a single-photon source



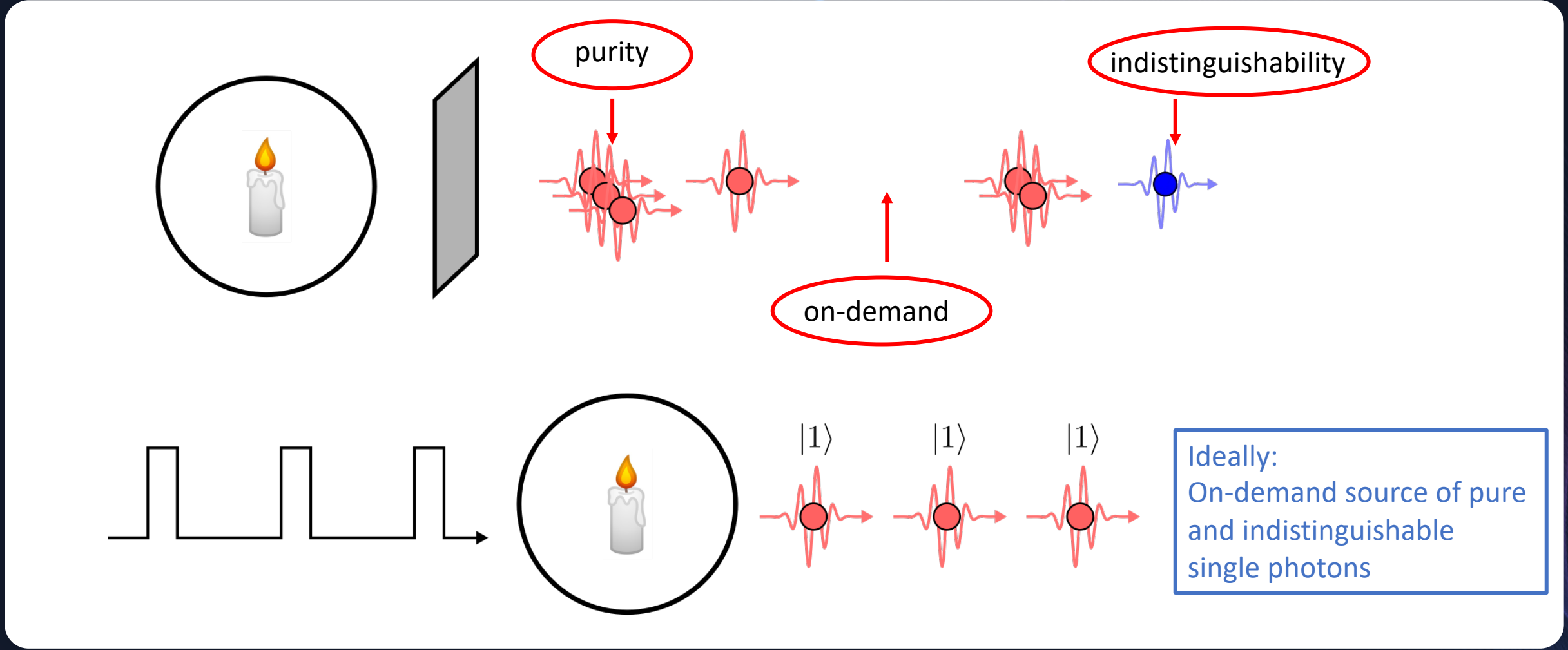
Desired properties of a single-photon source



Desired properties of a single-photon source

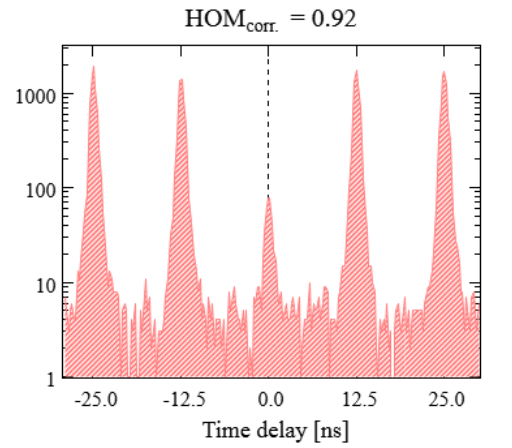
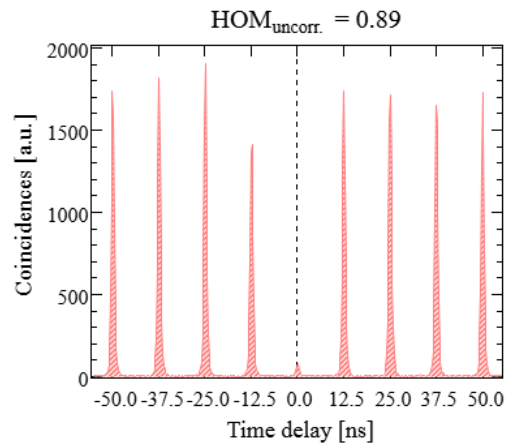
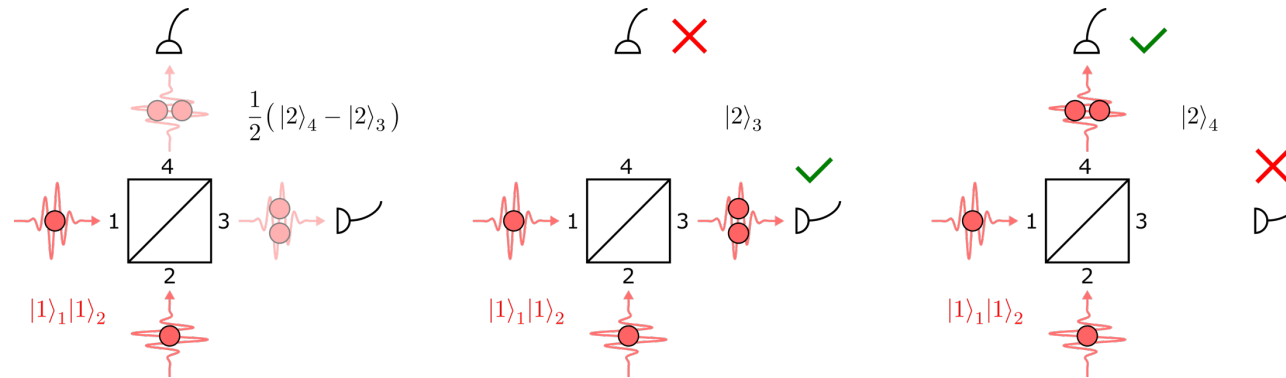


Desired properties of a single-photon source



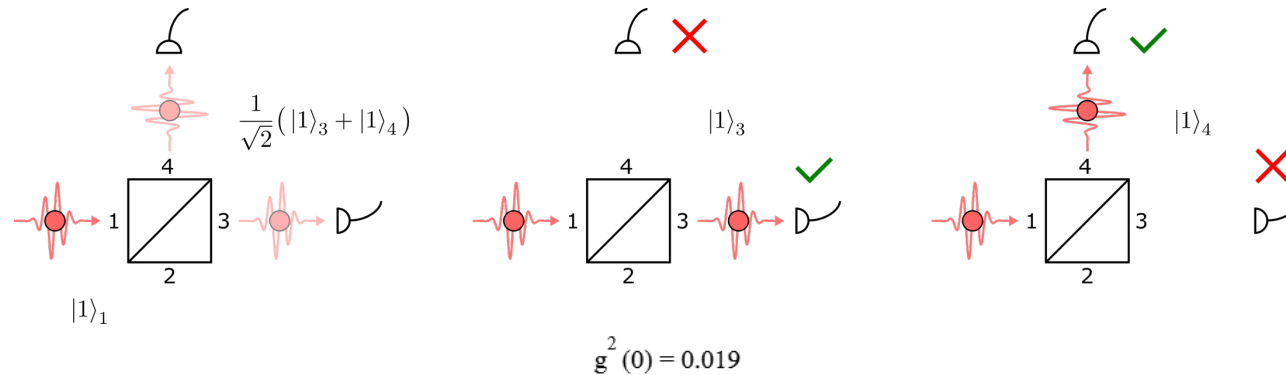
Metrics

Hong–Ou–Mandel (HOM) interference for measuring **indistinguishability**

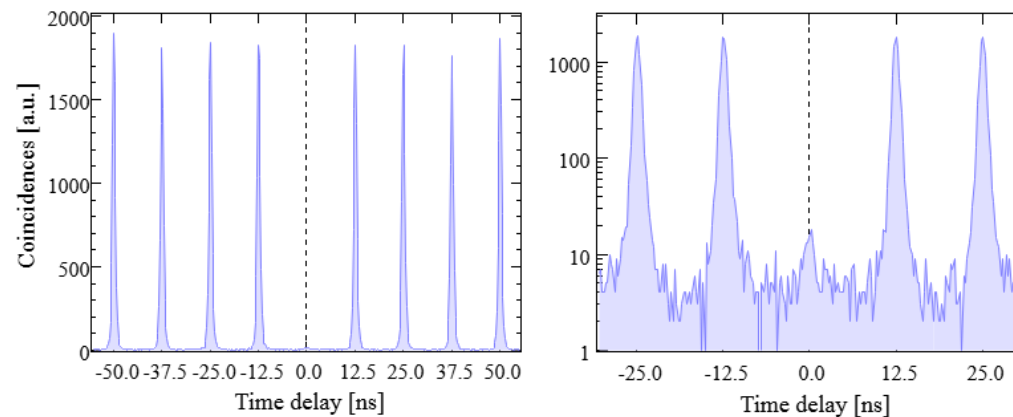


Metrics

Hanbury Brown and Twiss (HBT) effect for measuring **single photon purity**

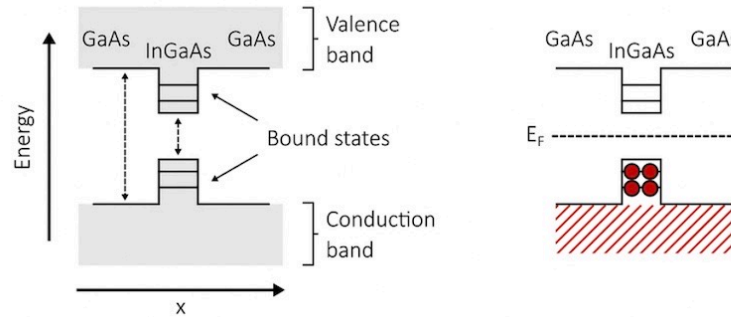


Second order correlation function $g^2(0)$

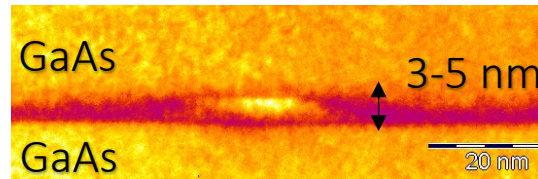


Quantum dots as single photon sources

Quantum dot

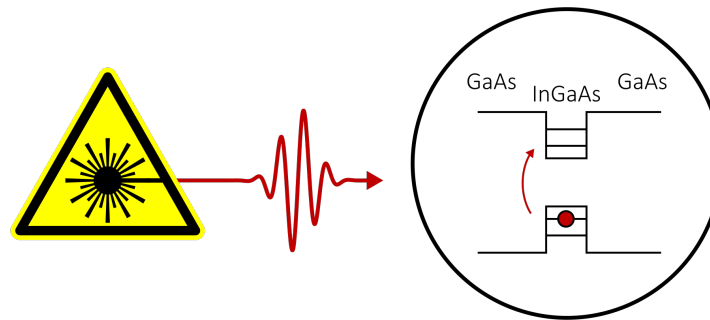


InGaAs

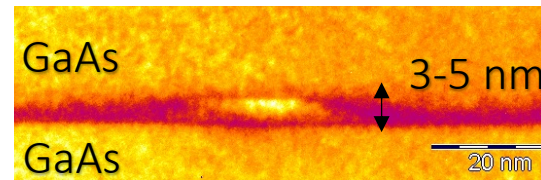


Quantum dots as single photon sources

Quantum dot

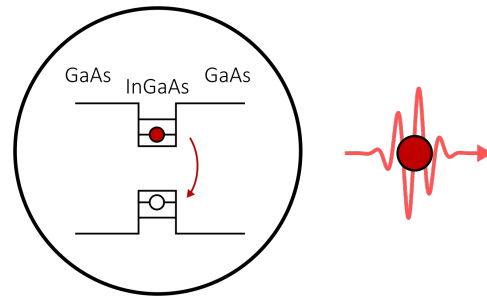


InGaAs

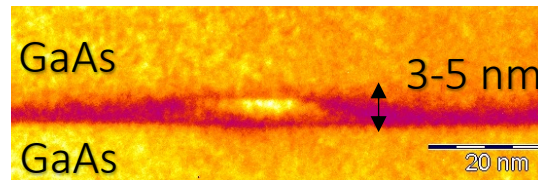


Quantum dots as single photon sources

Quantum dot

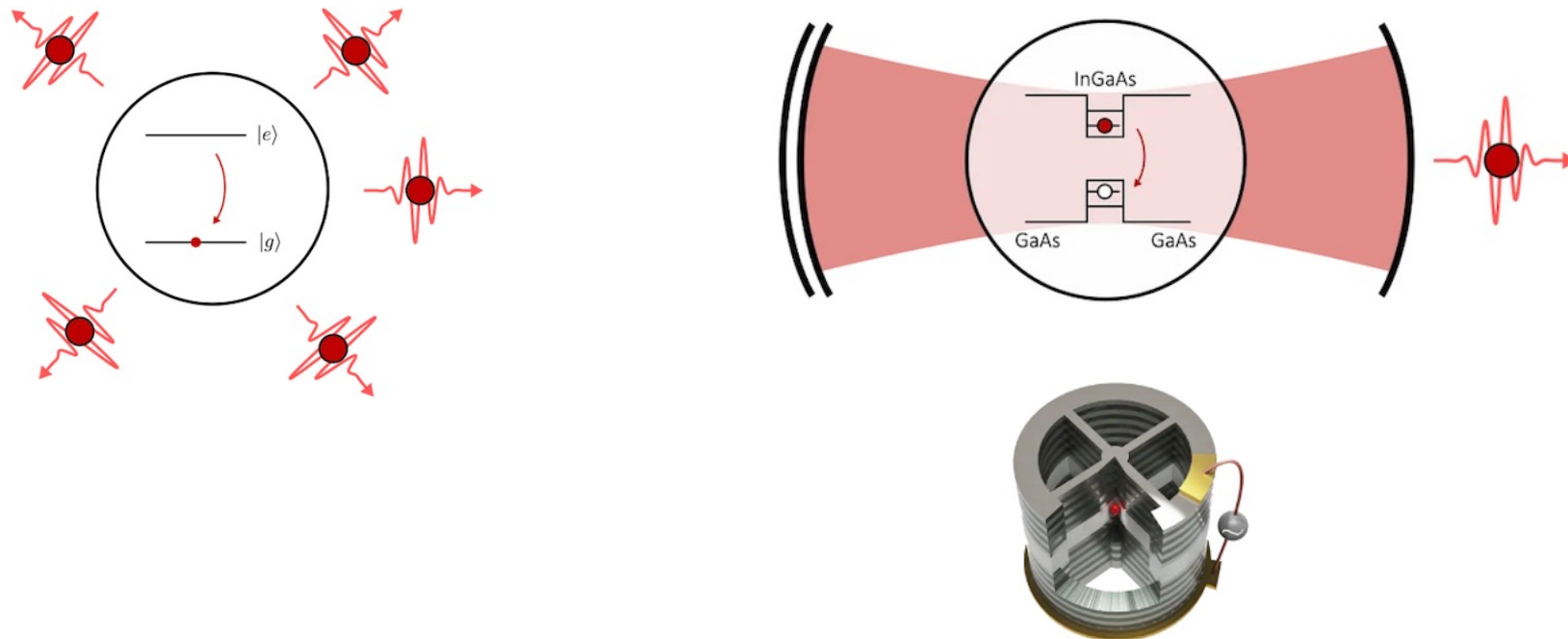


InGaAs



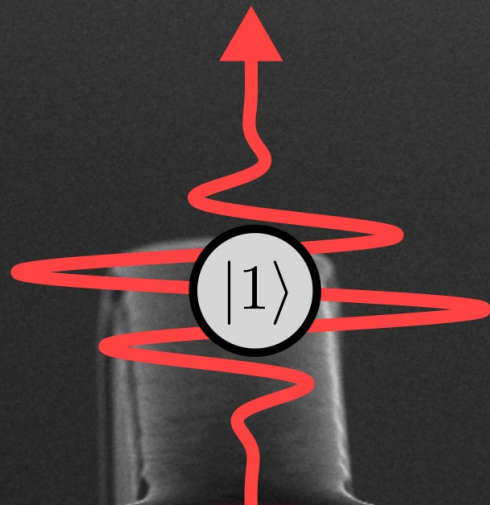
Quantum dots as single photon sources

Quantum dot in micropillar cavity

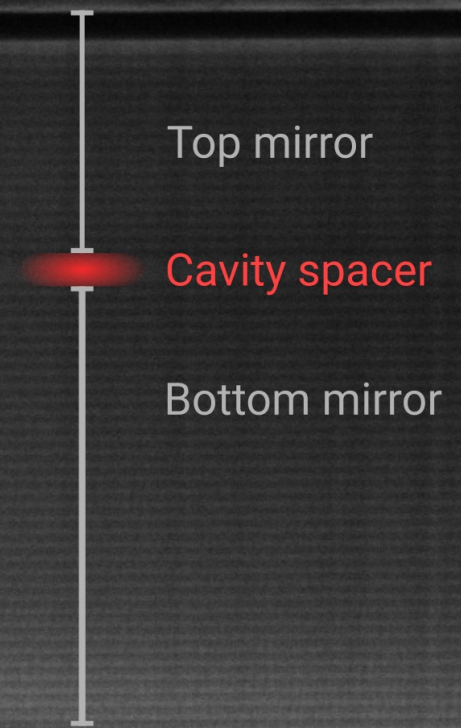
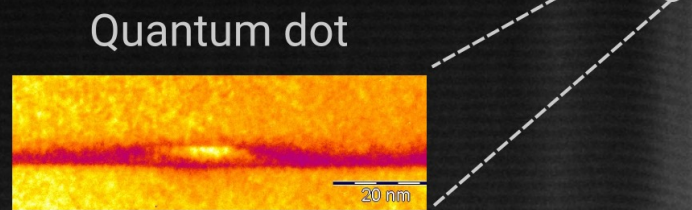


5 μm

QUANDELA

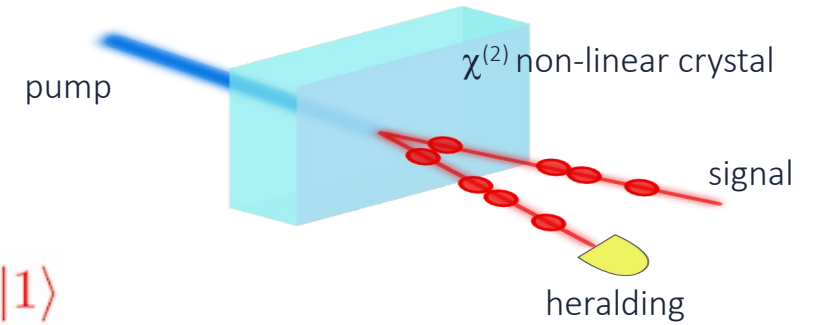
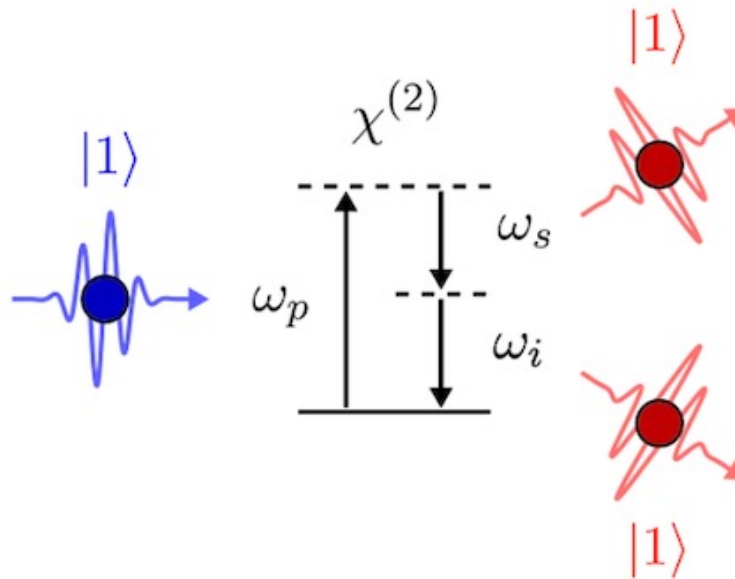
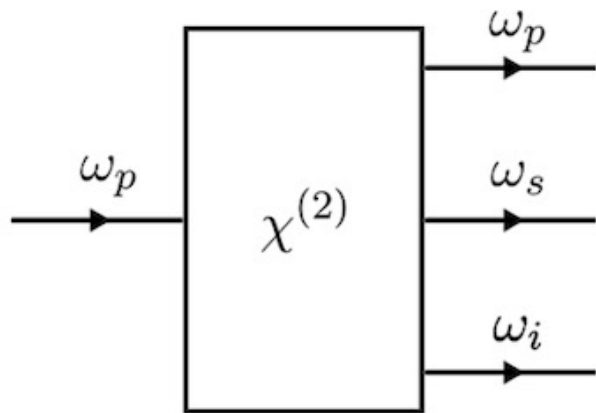


To voltage control
→



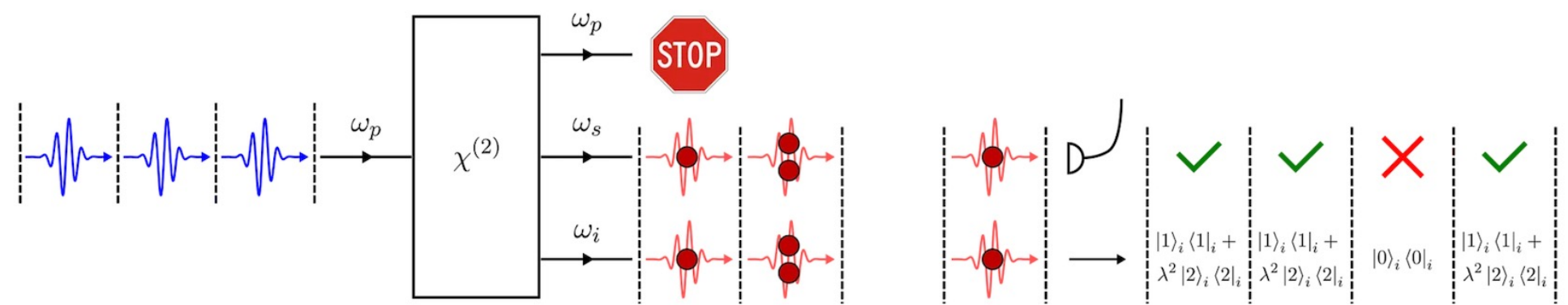
SPDC sources

SPDC: Spontaneous Parametric Down Conversion



Materials with large $\chi^{(2)}$
 LiNbO3
 KTiOPO4
 AlN

SPDC sources



Emitted state

$$|\Psi\rangle \approx |0\rangle_s |0\rangle_i + \lambda |1\rangle_s |1\rangle_i + \lambda^2 |2\rangle_s |2\rangle_i$$

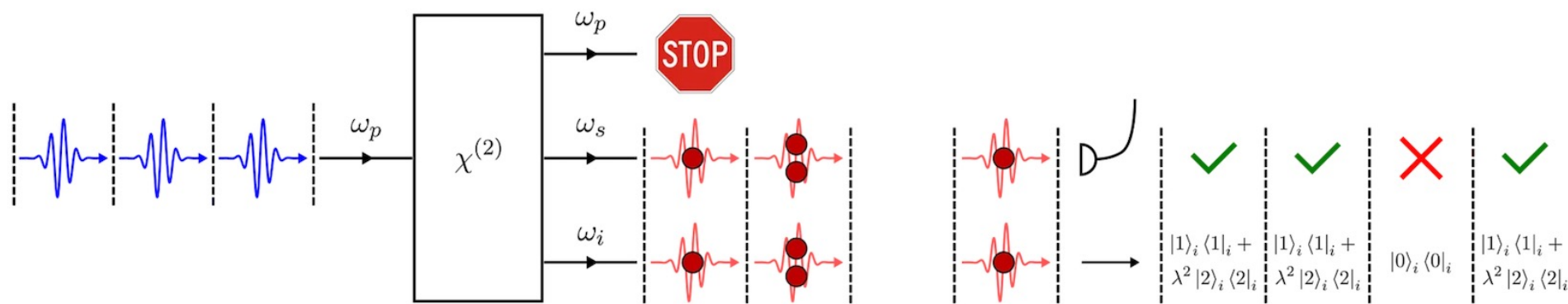
Depends on $\chi(2)$ and laser power

After detection of signal photon

$$\rho_i \approx |1\rangle_i \langle 1|_i + \lambda^2 |2\rangle_i \langle 2|_i$$

$$g^{(2)} \approx \frac{2P(2)}{P(1)^2} \approx \frac{2\lambda^2}{1} = 2\lambda^2$$

SPDC sources



Emitted state

$$|\Psi\rangle \approx |0\rangle_s |0\rangle_i + \lambda |1\rangle_s |1\rangle_i + \lambda^2 |2\rangle_s |2\rangle_i$$

Depends on $\chi(2)$ and laser power

After detection of signal photon

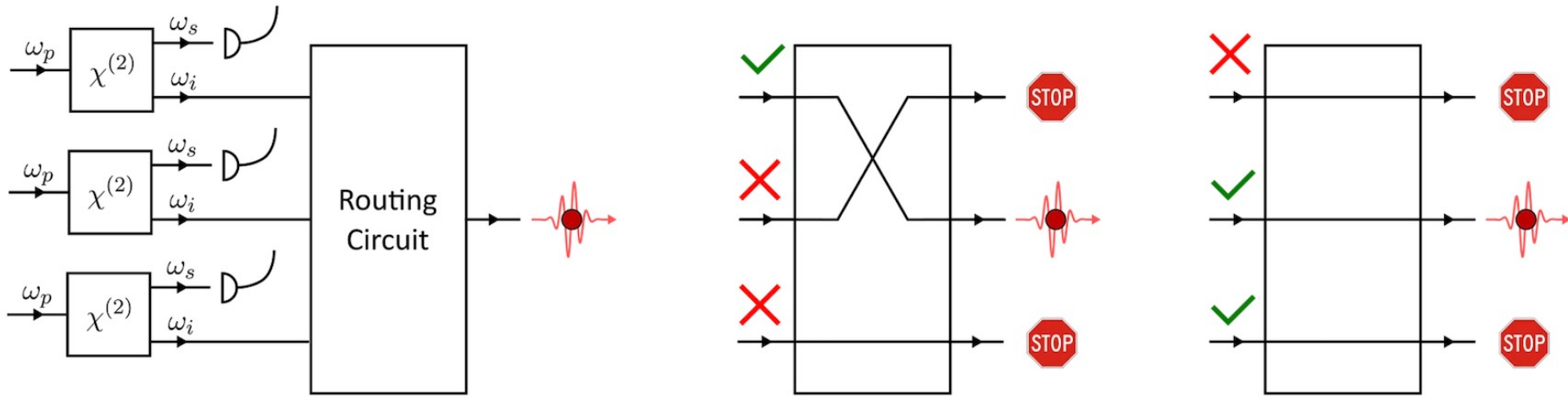
$$\rho_i \approx |1\rangle_i \langle 1|_i + \lambda^2 |2\rangle_i \langle 2|_i$$

$$g^{(2)} \approx \frac{2P(2)}{P(1)^2} \approx \frac{2\lambda^2}{1} = \mathbf{2\lambda^2}$$

Trade-off

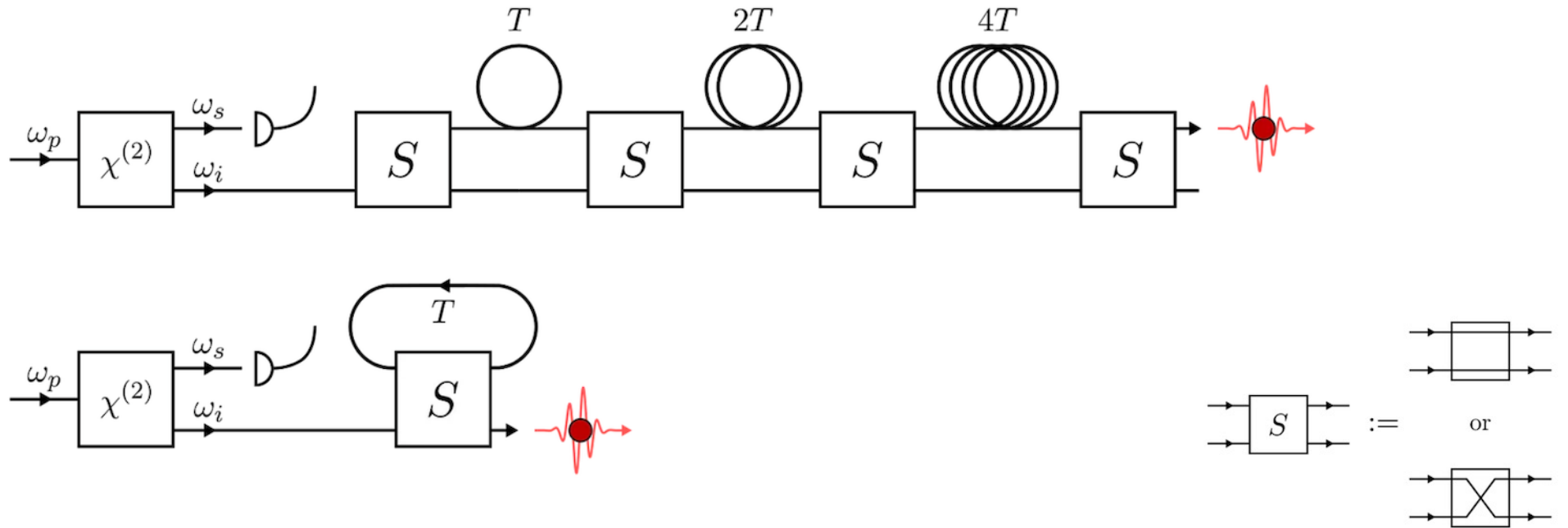
Multiplexing

Spatial multiplexing

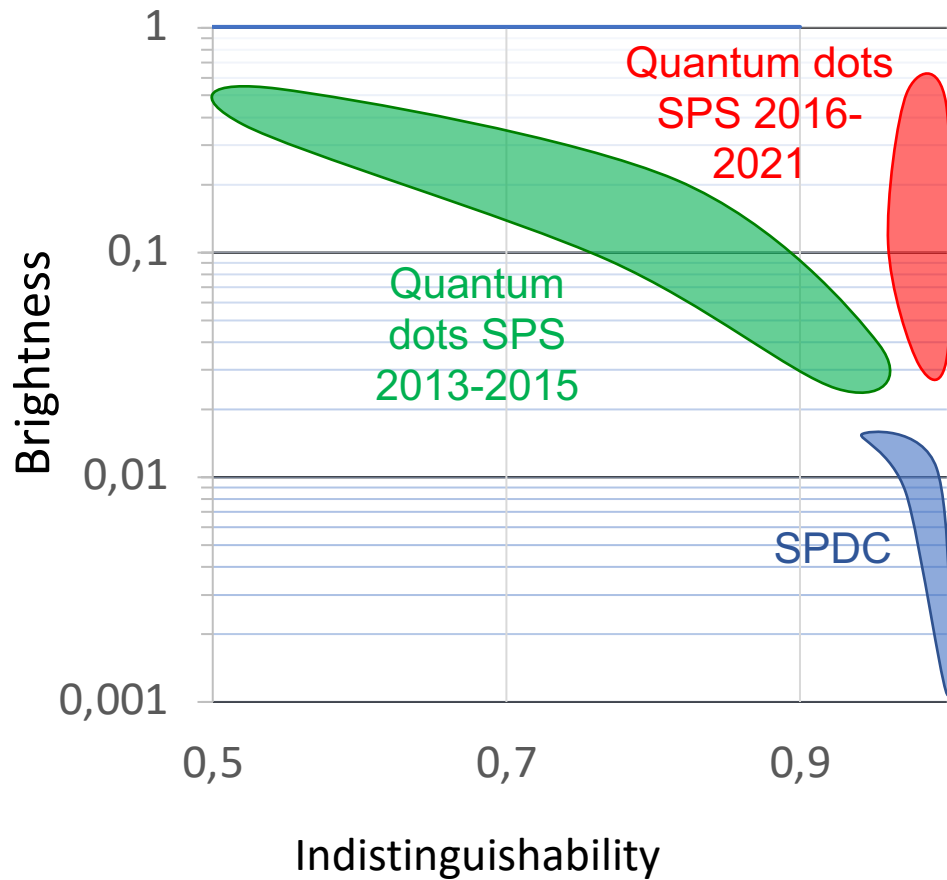


Multiplexing

Temporal multiplexing



Single photon sources



Brightness metric

Heralded

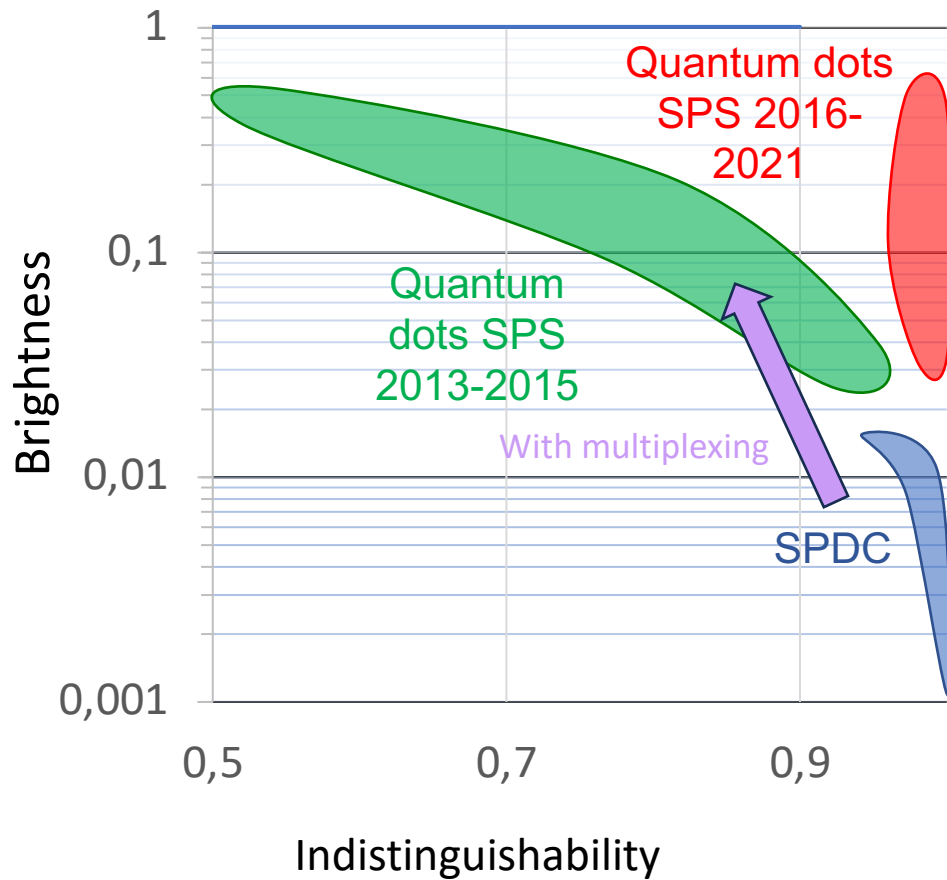
$$B = p_h p_{(1|h)} \eta_{coupl}$$

Deterministic

$$B = p_1 \eta_{coupl}$$

Coupling from source to single-mode fiber

Single photon sources



Brightness metric

Heralded

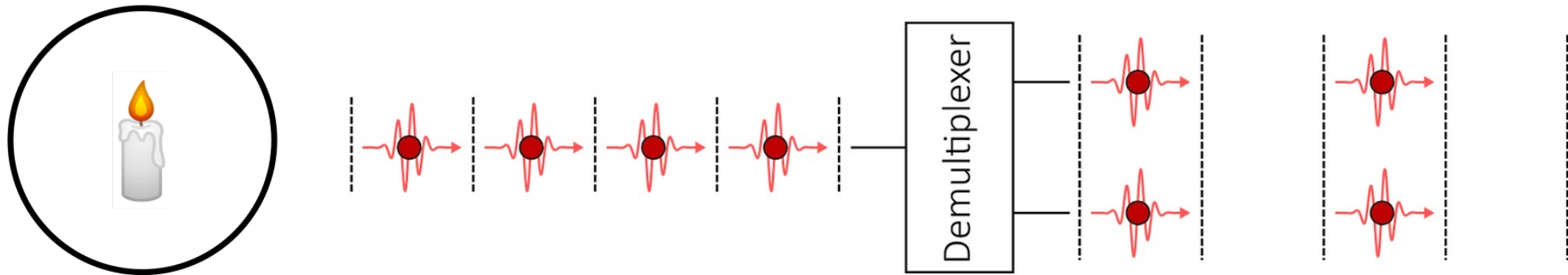
$$B = p_h p_{(1|h)} \eta_{coupl}$$

Deterministic

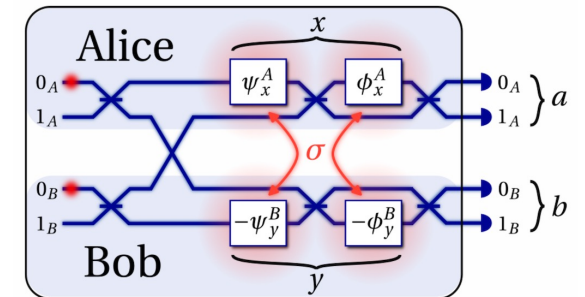
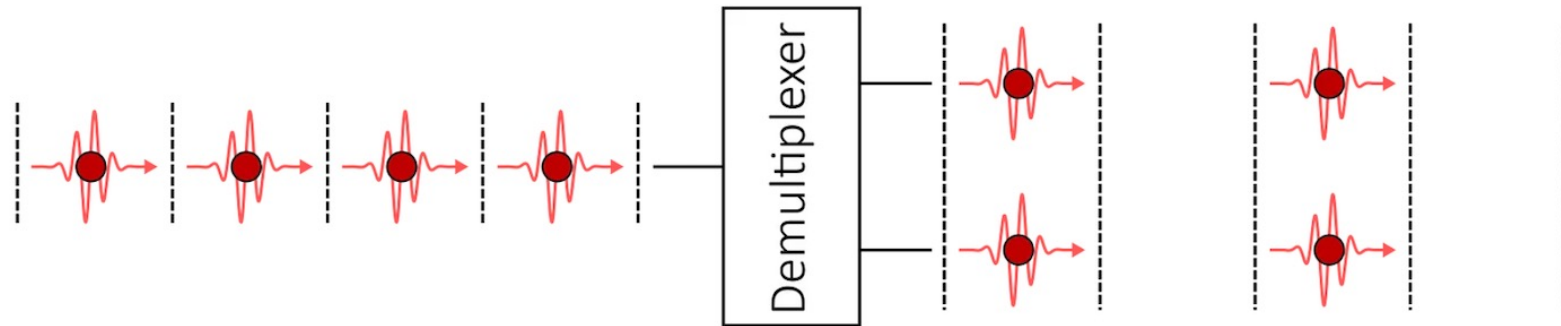
$$B = p_1 \eta_{coupl}$$

Coupling from source to single-mode fiber

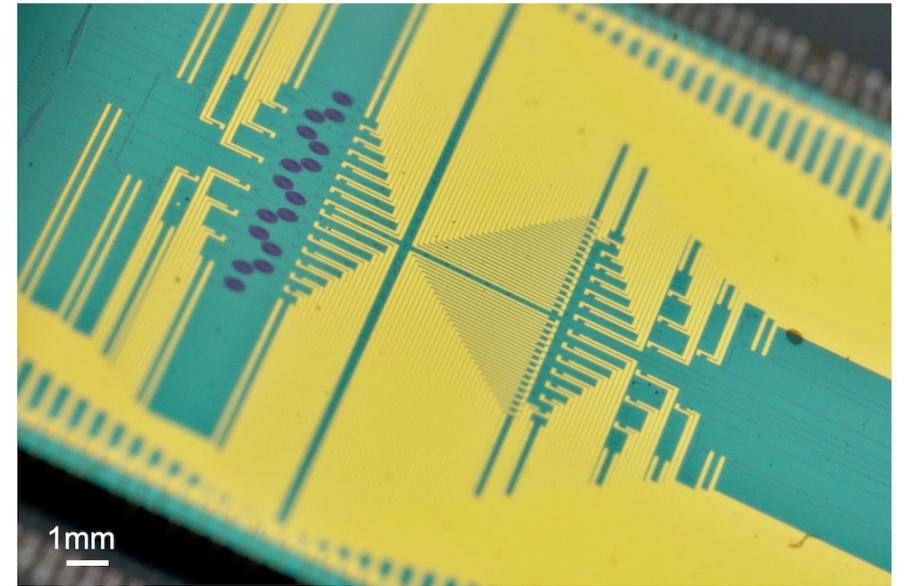
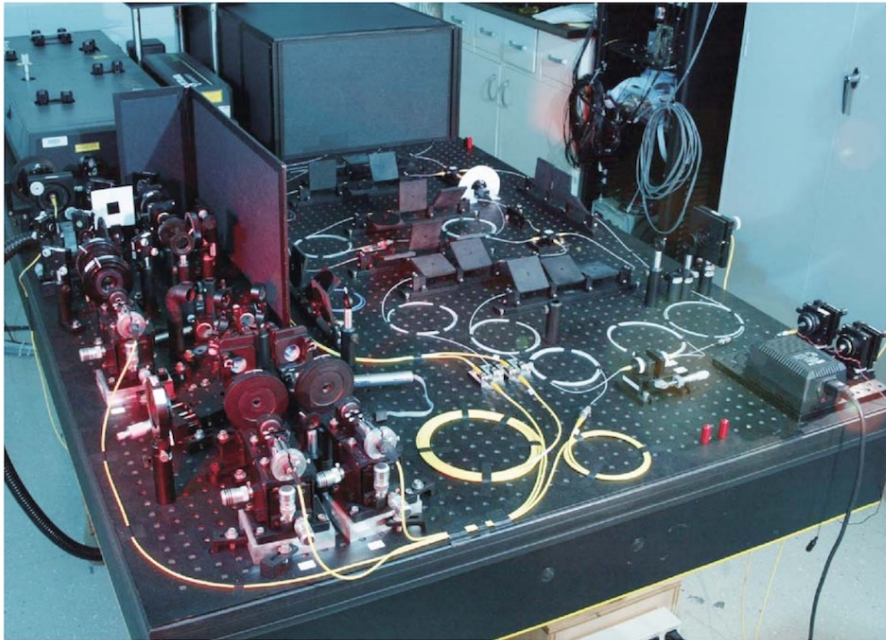
Demultiplexer for deterministic sources



Demultiplexer for deterministic sources



Photonic integrated chips

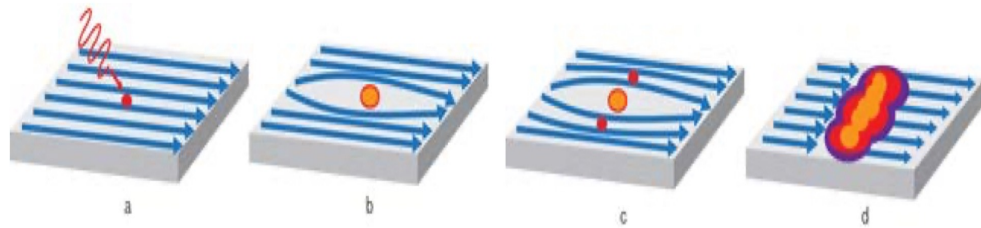


J. Wang et al. Science 360 (2018)

T. B. Pittman et al. Johns Hopkins APL Technical Digest 25 2 (2004)

Photon detectors

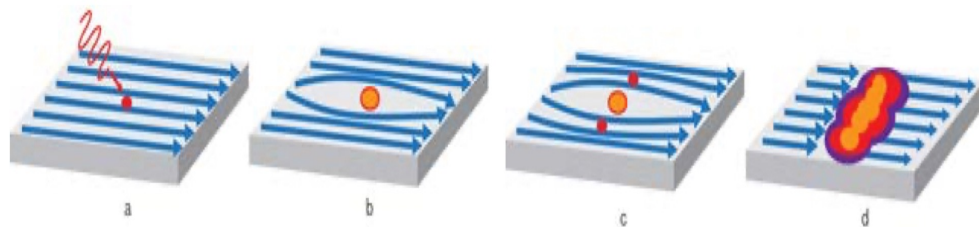
Superconducting Nanowire Single Photon Detector (SNSPD)



> 95% single photon detection

Photon detectors

Superconducting Nanowire Single Photon Detector (SNSPD)



> 95% single photon detection

Photon number resolution (PNR)

Ideally: **PNR detectors**

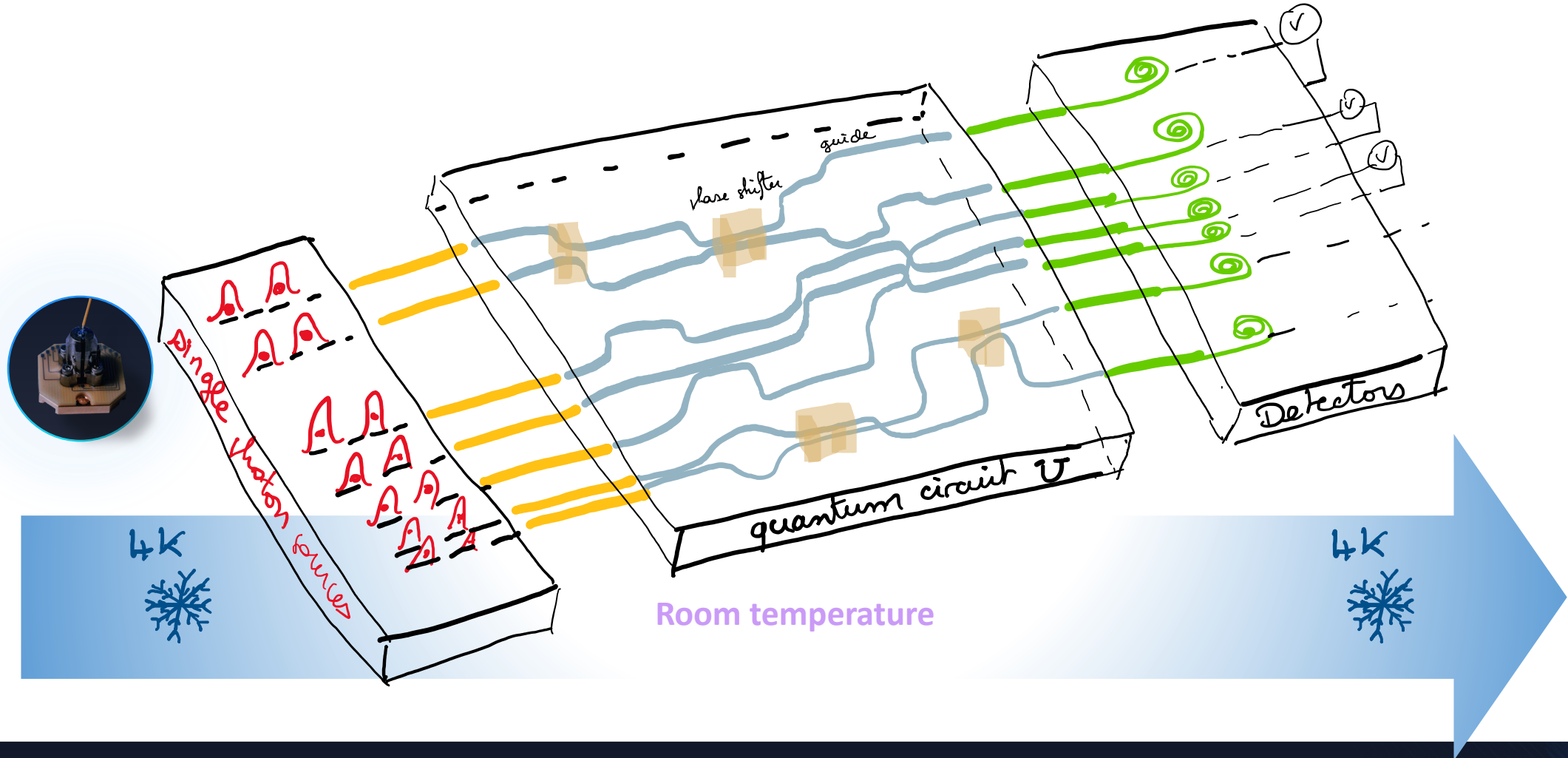
Output states such as $|0210301\rangle$

Current technology: **threshold detectors**

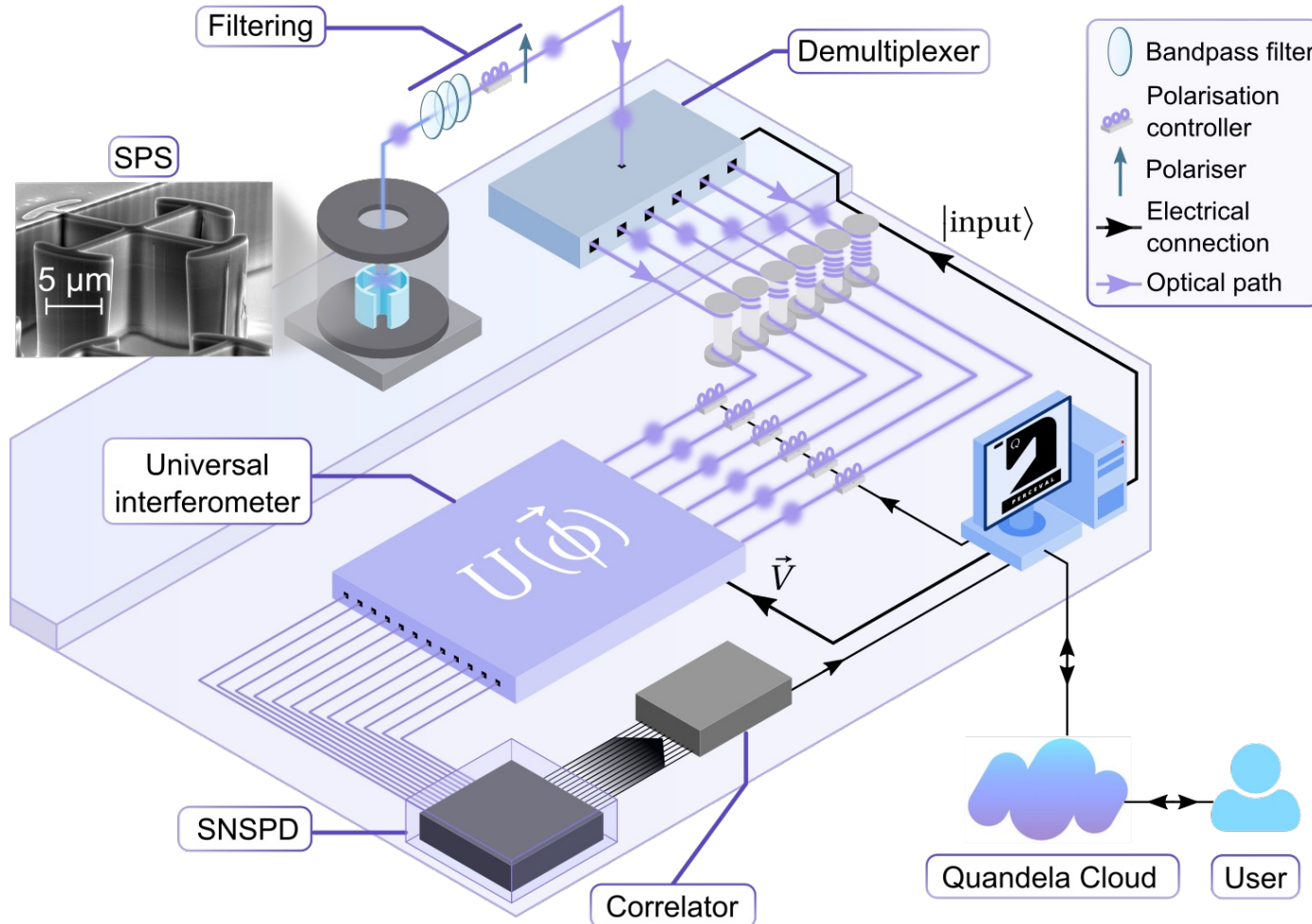
Indicates click or no click

Output states such as $|0110101\rangle$

Near-term processors

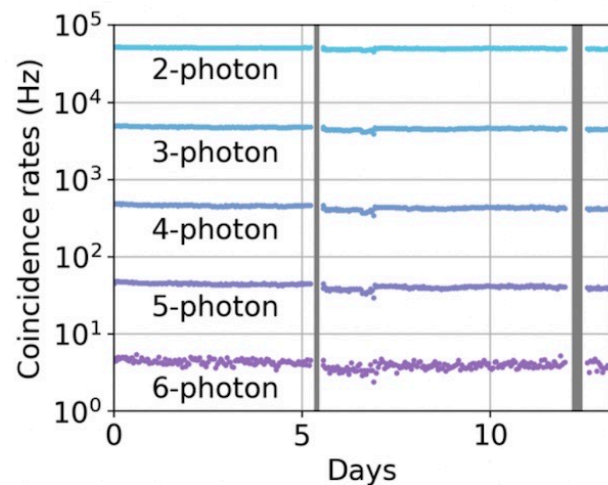


Ascella Quantum Computing Platform



Photon loss happens throughout the setup

- Main source of noise
- Affects the whole circuit
- Exponential scaling with number of photons in an experiment



Module	Transmission/Efficiency	Near-term targets
First lens brightness	55 %	80% [69]
Single-mode fiber coupling	70 %	85% [70]
Spectral Filtering module	75 %	>82%[*]
Demultiplexer	70 %	>80%[*]
PIC insertion and transmission	45 %	70% [71]
SNSPDs	92 %	>95%[**]
Total	8.4 ± 0.2 %	27%
Pump laser repetition rate	80 MHz	320 MHz [72]
6-photon countrate	4 Hz	~35 kHz (computed)
12-photon countrate	200 nHz (computed)	~10 Hz (computed)

QUIZZ

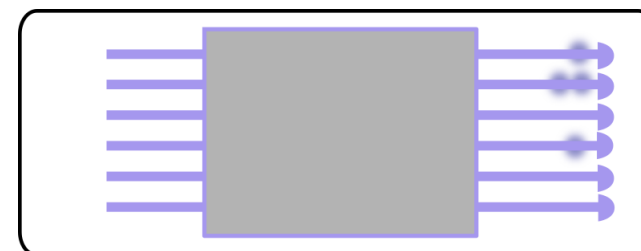
Linear optical quantum computing

What do we mean by linear optics?

- Discrete variable linear optical quantum computing (DVLOQC) uses beam splitters and phase shifters on an input of single photons to perform quantum computing.
- Fock state of n photons in a single mode : $|n\rangle$
- Fock state on m modes: $|n_1, \dots, n_m\rangle$

 $|1,0,1,0,1,1\rangle$

Input Fock state

 $|1,2,0,1,0,0\rangle$

Output Fock state

What do we mean by linear optics?

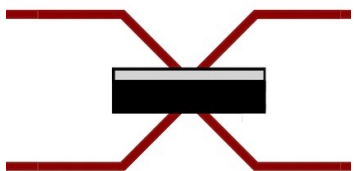
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- Fock state of n photons in a single mode : $|n\rangle$
- Fock state on m modes: $|n_1, \dots, n_m\rangle$



What do we mean by linear optics?

- Linear optical transformation on m modes $U \in U(m)$.
- Linear optical transformations are made of beam splitters (BS) which are $U(2)$ transformations (phases) and phase shifters (PS) which are $U(1)$ transformations.

Beamsplitter



$$\begin{bmatrix} e^{i(\phi_{tl} + \phi_{tr})} \cos\left(\frac{\theta}{2}\right) & ie^{i(\phi_{bl} + \phi_{tr})} \sin\left(\frac{\theta}{2}\right) \\ ie^{i(\phi_{tl} + \phi_{br})} \sin\left(\frac{\theta}{2}\right) & e^{i(\phi_{bl} + \phi_{br})} \cos\left(\frac{\theta}{2}\right) \end{bmatrix}$$

Phase shifter

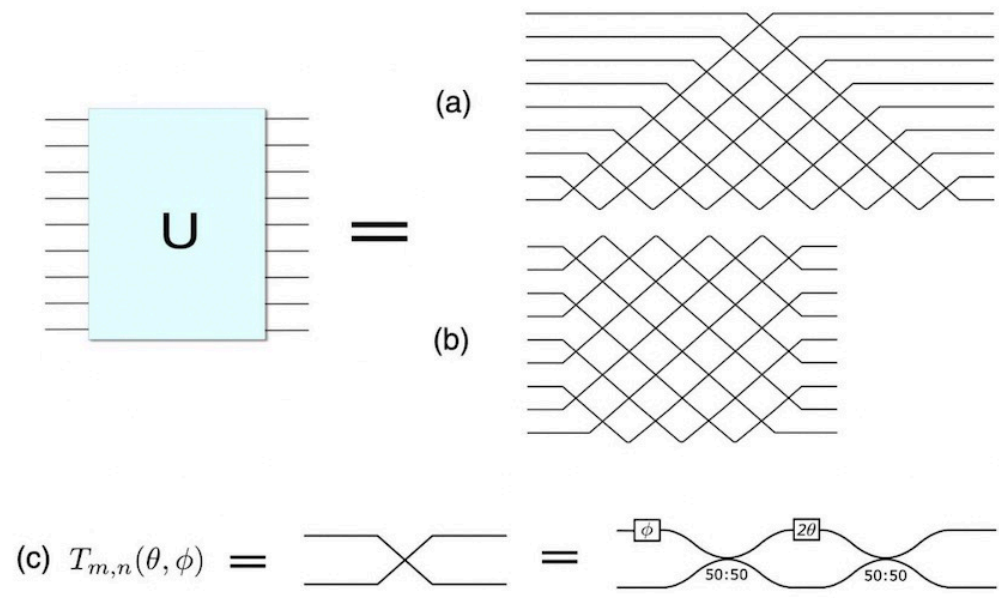


$$\left[e^{i\phi} \right]$$

Implementing unitary transformations

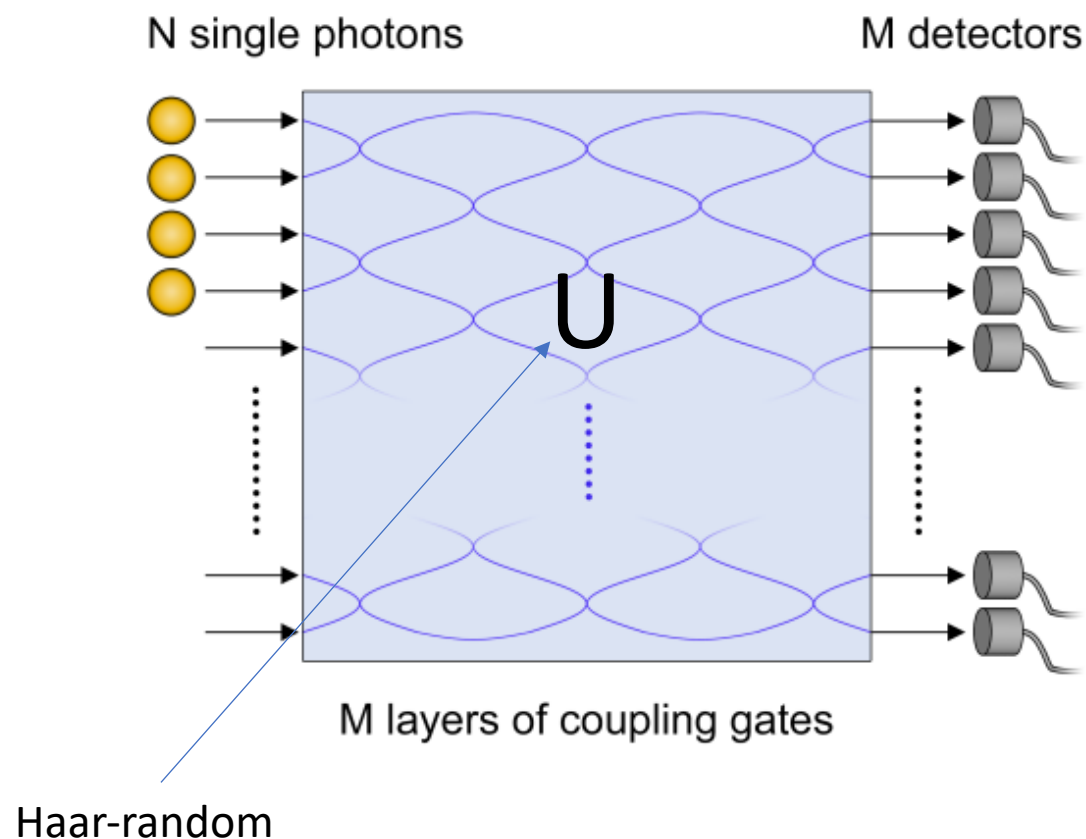
Theorem by Reck et al. : for any $U \in U(m)$, there exists an m -mode linear optical circuit implementing it

Scattering $m \times m$ unitary matrix implemented with $m(m-1)/2$ beam splitters



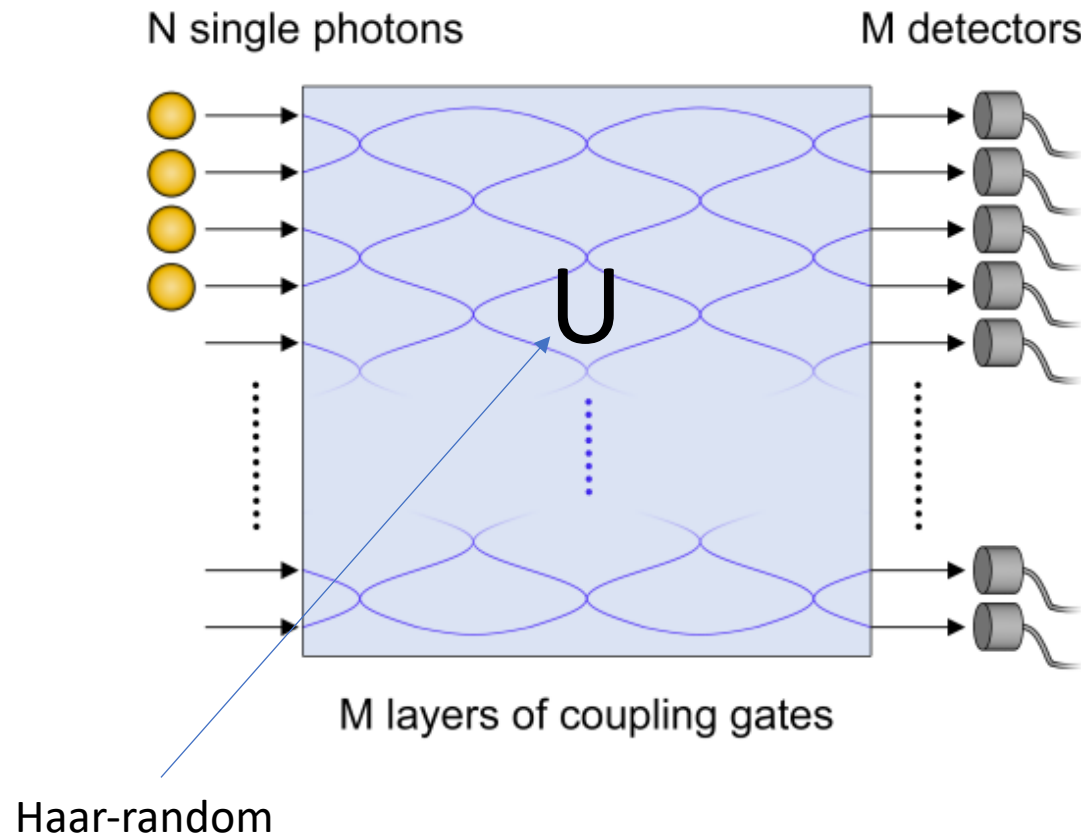
M. Reck et al. *Physical Review Letters* 73, 58 (1994)
 W. R. Clements et al. *Optica* 3, 12 (2016)

Boson Sampling



- The probability to measure an output state $|s_1, \dots, s_m\rangle$ is given by $|\alpha_s|^2 / s_1! \dots s_m! n_1! \dots n_m!$
- It can be shown that $|\alpha_s|^2 = |\text{Per}(U_{S,N})|^2$, $U_{S,N}$ submatrix of U determined by $S = (s_1, \dots, s_m)$ rows and $N = (n_1, \dots, n_m)$ column
- If A is an $n \times n$ matrix, $\text{Per}(A) = \sum_{\sigma \in S_n} \prod_{i=1}^n A_{i\sigma(i)}$
- Easy rule: like the determinant but with + signs everywhere
- The permanent, unlike the determinant, is hard to compute (best classical algorithms scale as $O(n2^n)$)

Boson Sampling



- Boson sampling task: sample from the output probability distribution of a DVLOQC circuit
 - More specifically, **sample outputs S from $P(S)$**
 - With $P(S) \propto |Perm(U_{T,S})|^2$
 - Hard to do classically, conditioned on some widely believed complexity theory conjectures
- Near term demonstration of quantum advantage
- Task may not be useful

Boson Sampling

Gaussian Boson Sampling defined in continuous variable framework

RESEARCH

QUANTUM COMPUTING

Quantum computational advantage using photons

Han-Sen Zhong^{1,2*}, Hui Wang^{1,2*}, Yu-Hao Deng^{1,2*}, Ming-Cheng Chen^{1,2*}, Li-Chao Peng^{1,2}, Yi-Han Luo^{1,2}, Jian Qin^{1,2}, Dian Wu^{1,2}, Xing Ding^{1,2}, Yi Hu^{1,2}, Peng Hu³, Xiao-Yan Yang³, Wei-Jun Zhang³, Hao Li³, Yuxuan Li⁴, Xiao Jiang^{1,2}, Lin Gan⁴, Guangwen Yang⁴, Lixing You³, Zhen Wang³, Li Li^{1,2}, Nai-Le Liu^{1,2}, Chao-Yang Lu^{1,2†}, Jian-Wei Pan^{1,2†}

Article

Quantum computational advantage with a programmable photonic processor

<https://doi.org/10.1038/s41586-022-04725-x>

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Published online: 1 June 2022

Lars S. Madsen^{1,3}, Fabian Laudenbach^{1,3}, Mohsen Falamarzi. Askarani^{1,3}, Fabien Rortais¹, Trevor Vincent¹, Jacob F. F. Bulmer¹, Filippo M. Miatto¹, Leonhard Neuhaus¹, Lukas G. Helt¹, Matthew J. Collins¹, Adriana E. Lita², Thomas Gerrits², Sae Woo Nam², Varun D. Vaidya¹, Matteo Menotti¹, Ish Dhand¹, Zachary Vernon¹, Nicolás Quesada^{1,2,3} & Jonathan Lavoie^{1,2,3}

Original Boson Sampling article

The Computational Complexity of Linear Optics

Scott Aaronson*

Alex Arkhipov†

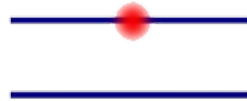
Qubits and logical gates with linear optics

Choose an encoding

$$|0\rangle_{qubit} := |1, 0\rangle$$

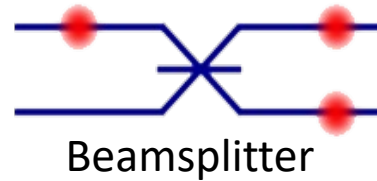
$$|1\rangle_{qubit} := |0, 1\rangle$$

Dual rail



One qubit gates

$$|0\rangle \rightarrow |0\rangle + |1\rangle$$



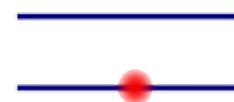
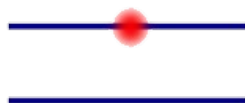
Qubits and logical gates with linear optics

Choose an encoding

$$|0\rangle_{qubit} := |1, 0\rangle$$

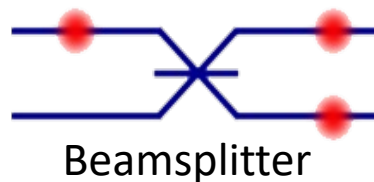
$$|1\rangle_{qubit} := |0, 1\rangle$$

Dual rail



One qubit gates

$$|0\rangle \rightarrow |0\rangle + |1\rangle$$



Other encodings are possible, like polarization

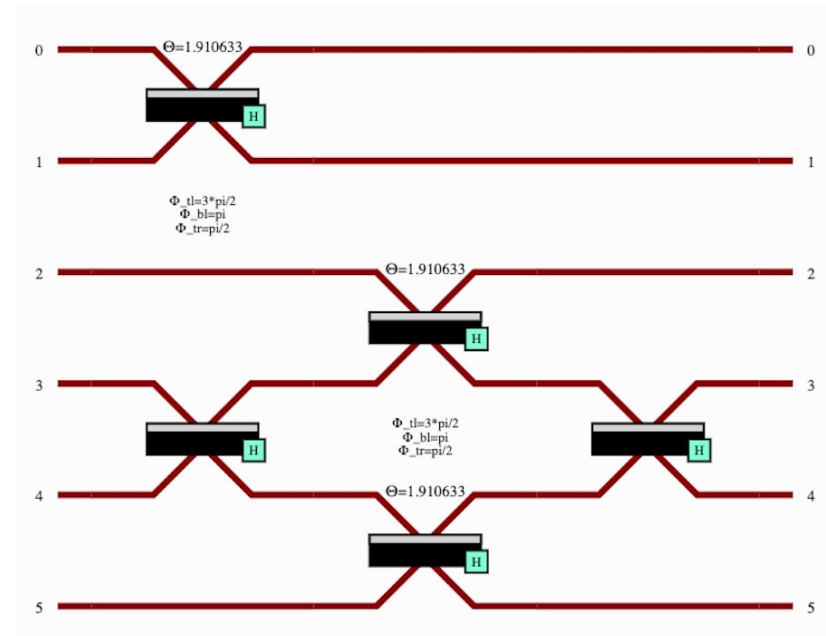
Qubits and logical gates with linear optics

However, some two-qubit gates cannot be achieved deterministically with passive linear optics

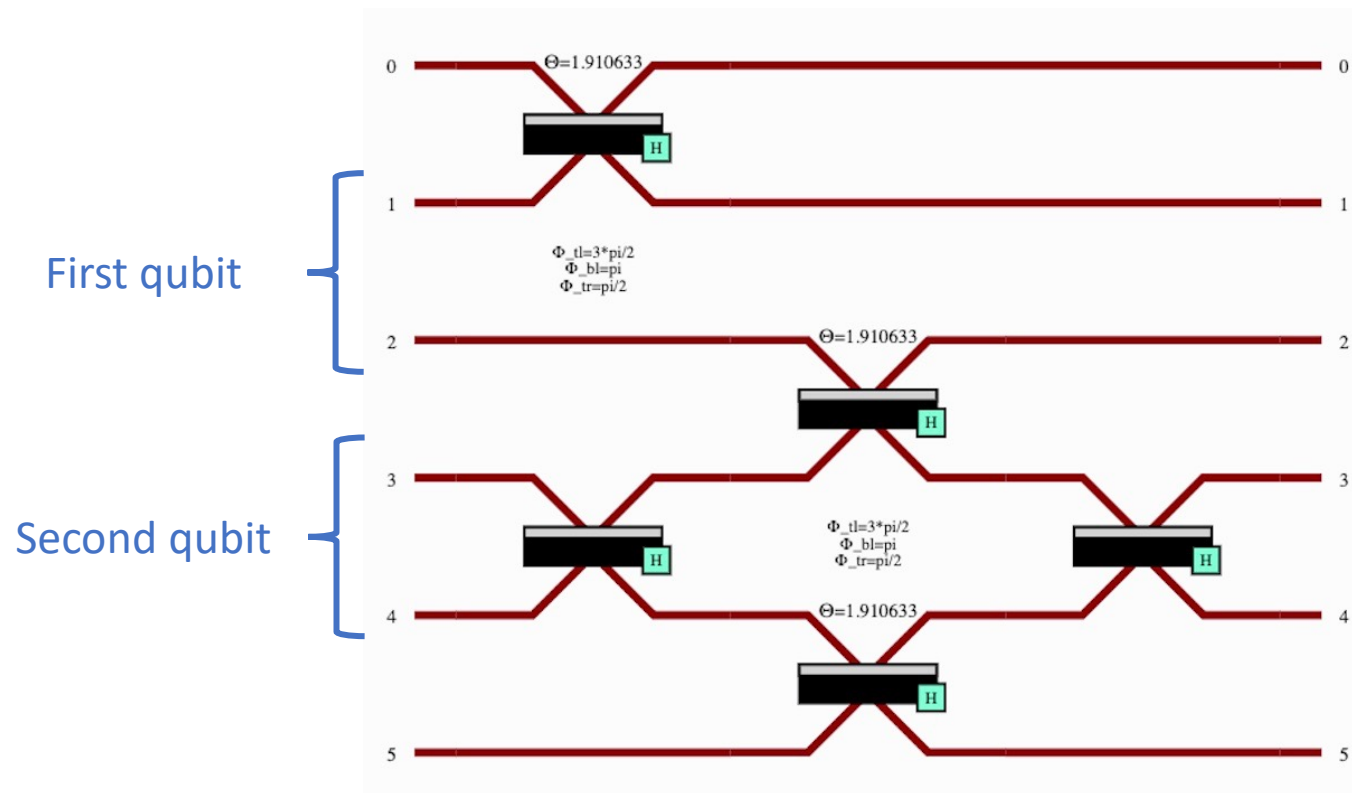
Options:

- Nonlinearities (materials unavailable)
- Post-selection (probabilistic)
- Heralding (probabilistic)
- Feedforward

Example: post-selected CNOT gate



CNOT gate: exercise



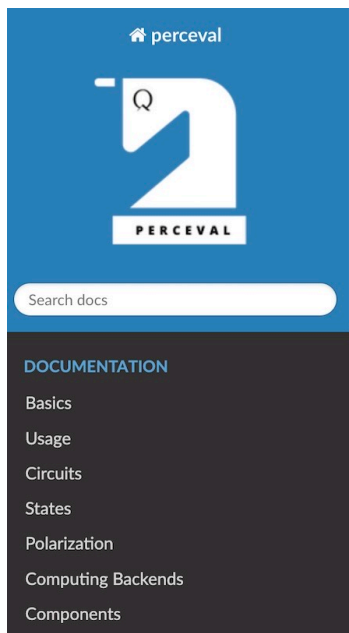
Can you convince yourself that

- $|00\rangle \rightarrow |00\rangle$
- $|01\rangle \rightarrow |01\rangle$
- $|10\rangle \rightarrow |11\rangle$
- $|11\rangle \rightarrow |10\rangle$

?

What is the probability of success?

Simulation of LOQC – tutorial Thursday afternoon



🏠 / Welcome to the Perceval documentation!

[Edit on GitHub](#)

Welcome to the Perceval documentation!

Through a simple object-oriented Python API, Perceval provides tools for composing photonic circuits from linear optical components like beamsplitters and phase shifters, defining single-photon sources, manipulating Fock states, and running simulations.

Perceval can be used to reproduce published experimental works or to experiment directly with a new generation of quantum algorithms.

It aims to be a companion tool for developing photonic circuits – for simulating and optimising the ideal and realistic behaviours, and proposing a normalised interface to control them through

Perceval is conceived as an object-oriented modular Python framework organised around the

- Tools to **build linear optical circuits** from a collection of pre-defined **components**
- Powerful **computing backends** implemented in C++
- A **variety of technical utilities to manipulate:**

Une si granz clartez i vint
 Qu'ausi perdirent les chandoiles
 Lor clarté come les estoiles
 Quant li solauz lieve ou la lune.
*Perceval, the Story of the Grail –
 Chrétien de Troyes (circa 1180)*



Perceval: A Software Platform for Discrete Variable Photonic Quantum Computing

Nicolas Heurtel^{1,2}, Andreas Fyrrillas^{1,3}, Grégoire de Gliniasty¹, Raphaël Le Bihan¹, Sébastien Malherbe⁴, Marceau Pailhas¹, Eric Bertasi¹, Boris Bourdoncle¹, Pierre-Emmanuel Emeriau¹, Rawad Mezher¹, Luka Music¹, Nadia Belabas³, Benoît Valiron², Pascale Senellart³, Shane Mansfield¹, and Jean Senellart¹

¹Quandela, 7 Rue Léonard de Vinci, 91300 Massy, France

²Université Paris-Saclay, Inria, CNRS, ENS Paris-Saclay, CentraleSupélec, LMF, 91190, 15 Gif-sur-Yvette, France

³Centre for Nanosciences and Nanotechnology, CNRS, Université Paris-Saclay, UMR 9001, 10 Boulevard Thomas Gobert, 91120, Palaiseau, France

⁴Département de Physique de l'Ecole Normale Supérieure - PSL, 45 rue d'Ulm, 75230, Paris Cedex 05, France

```
pip install perceval-quandela
```

```
import perceval as pcvl
```

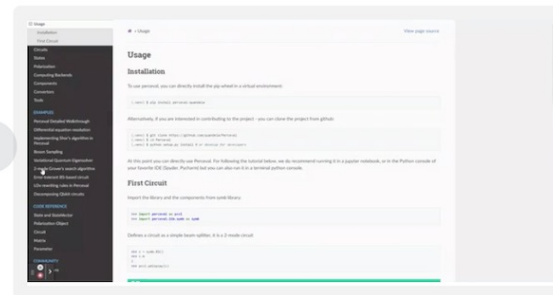
Simulation of LOQC – tutorial Thursday afternoon

Make an account on cloud.quandela.com



QUANDELA Cloud

Making the future of computing brighter



Quandela's cloud-based platform gives you access to photonic quantum computing, enabling you to develop and deploy algorithms that optimise solutions.

[Get Started for Free](#)

QUIZZ

Let's sum up

DiVincenzo's criteria for a quantum computer

1. A **scalable** physical system with **well characterized qubits**
2. The ability to **initialize** the state of the qubits
3. **Long decoherence** times
4. A "**universal**" set of quantum gates
5. A qubit-specific **measurement capability**

The Physical Implementation of Quantum Computation

David P. DiVincenzo

IBM T.J. Watson Research Center, Yorktown Heights, NY 10598 USA

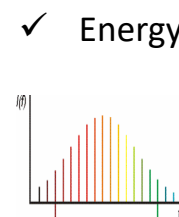
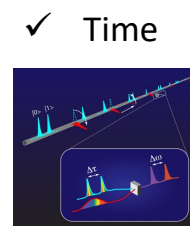
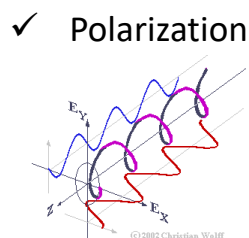
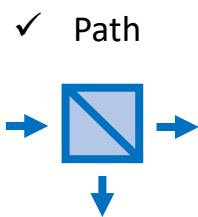
(February 1, 2008)

After a brief introduction to the principles and promise of quantum information processing, the requirements for the physical implementation of quantum computation are discussed. These five requirements, plus two relating to the communication of quantum information, are extensively explored and related to the many schemes in atomic physics, quantum optics, nuclear and electron magnetic resonance spectroscopy, superconducting electronics, and quantum-dot physics, for achieving quantum computing.



DiVincenzo's criteria for a quantum computer

- A scalable physical system with well characterized qubits :
 - A qubit = a single photon
 - Many degrees of freedom to encode
- The ability to initialize the state of the qubits :
 - Many degrees of freedom to encode



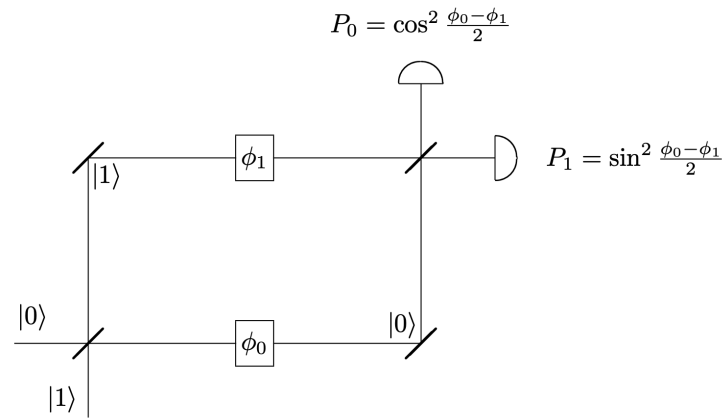
✓ Photon number

$$\sqrt{p_0}|0_a\rangle + \sqrt{p_1}e^{i\alpha_1}|1_a\rangle$$

- Long decoherence times
 - No decoherence in *transparent media*

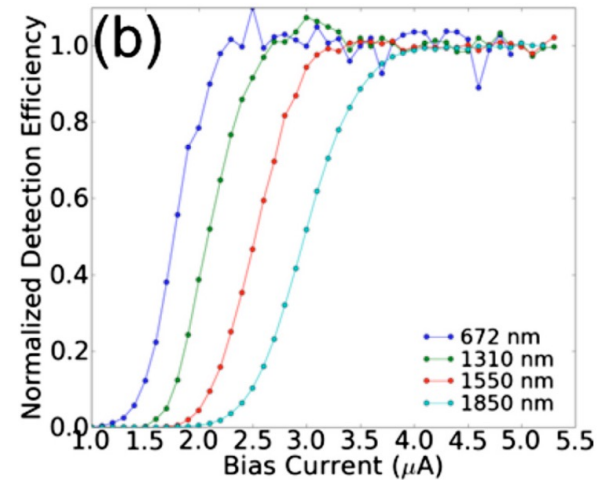
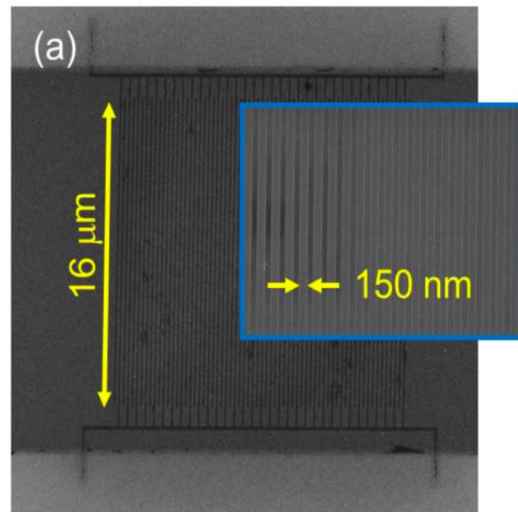
DiVincenzo's criteria for a quantum computer

- A "universal" set of quantum gates
 - Single qubit gates very easy to implement



DiVincenzo's criteria for a quantum computer

- A qubit-specific measurement capability
 - Superconducting single photon detectors



Commercially available – System efficiency > 90%

DiVincenzo's criteria for a quantum computer

- A "universal" set of quantum gates
 - Two qubit gates are trickier
 - Photon entanglement with interaction through non-linear materials (e.g. AC Kerr effect) is extremely challenging
 - Knill, Laflamme and Milburn removed the need of strong non-linearities by showing that photon interference + photon measurement can induce photon entangling interactions
 - Browne and Rudolph showed that this could be done with HOM-type interference (see later) instead of Mach-Zehnder-type interference, removing the need for phase stability -> fusion gates
 - Further developments integrate these ideas in the MBQC framework



Knill Laflamme Milburn (KLM) scheme

Scheme for a universal quantum computer with LO elements, single-photon sources and photon detectors:

- Qubit encoding, state measurement, single qubit gates
- Post-selected CNOT / CZ gates
- Gate teleportation for near-deterministic gates
 - Prepare entangled state with gate already applied offline
 - Teleport into circuit
 - Prepare many probabilistic gates with n-photon state
 - Success rate $\frac{n^2}{(n+1)^2}$

Article | Published: 04 January 2001

A scheme for efficient quantum computation with linear optics

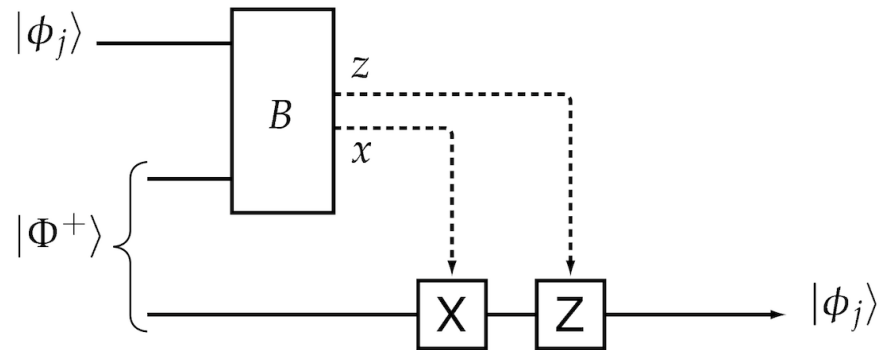
[E. Knill](#) , [R. Laflamme](#) & [G. J. Milburn](#)

[Nature](#) **409**, 46–52 (2001) | [Cite this article](#)

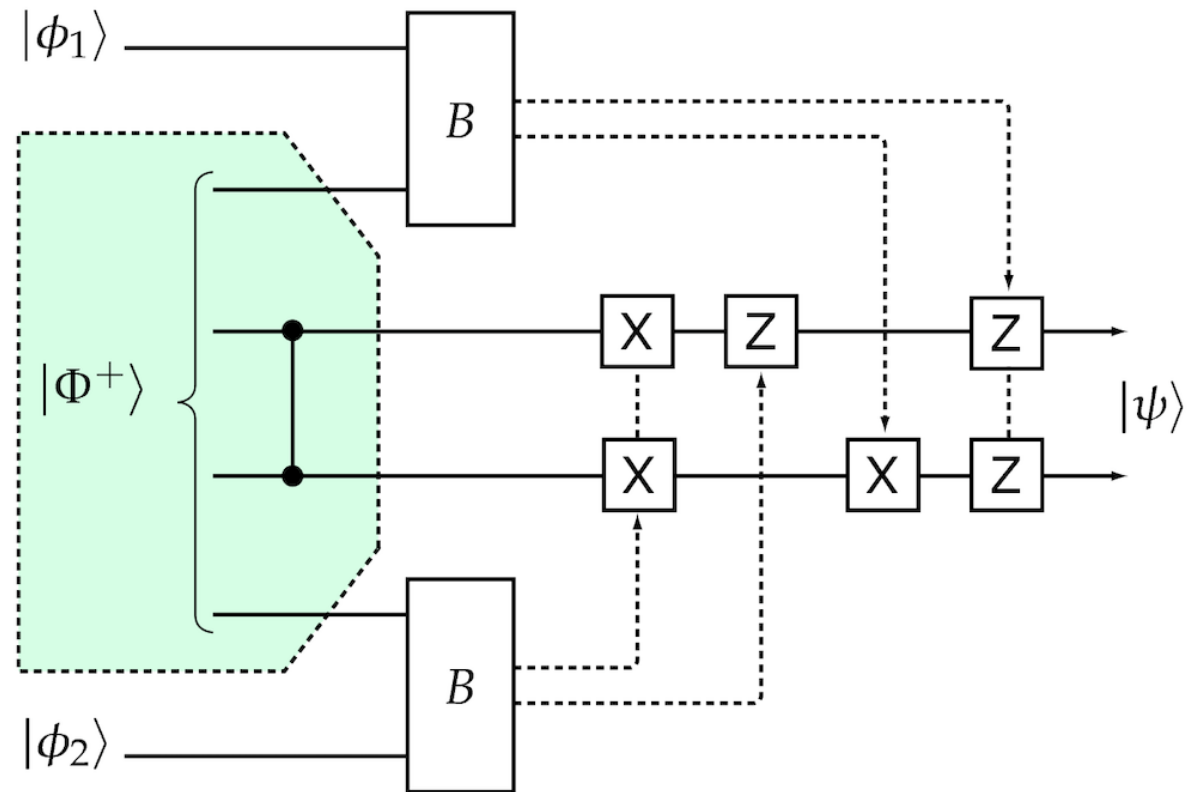
Linear optical quantum computing with photonic qubits

Pieter Kok, W. J. Munro, Kae Nemoto, T. C. Ralph, Jonathan P. Dowling, and G. J. Milburn
Rev. Mod. Phys. **79**, 135 – Published 24 January 2007

Knill Laflamme Milburn (KLM) scheme



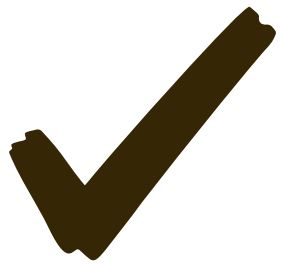
Teleportation circuit



Teleport CZ gate

$$|\psi\rangle = U_{CZ}|\phi_1\rangle|\phi_2\rangle$$

Advantages / inconvenients summary



- Long coherence
- Connectivity
- 4K to room temperature
- Connection with network
- Single-qubit gates



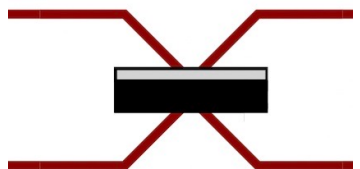
- Photon loss
- Source efficiency
- Two-qubit gates

Designing algorithms with linear optics

Let's go back to a simple linear optical setup

$|n_1, n_2, \dots, n_i, \dots, n_m\rangle$ Fock state with n_i photons in mode i

Beamsplitter



$$\begin{bmatrix} e^{i(\phi_{tl} + \phi_{tr})} \cos\left(\frac{\theta}{2}\right) & ie^{i(\phi_{bl} + \phi_{tr})} \sin\left(\frac{\theta}{2}\right) \\ ie^{i(\phi_{tl} + \phi_{br})} \sin\left(\frac{\theta}{2}\right) & e^{i(\phi_{bl} + \phi_{br})} \cos\left(\frac{\theta}{2}\right) \end{bmatrix}$$

Phase shifter



$$\begin{bmatrix} e^{i\phi} \end{bmatrix}$$

+ source and detectors

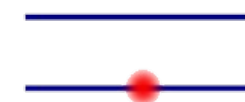
Qubit encoding

Dual rail

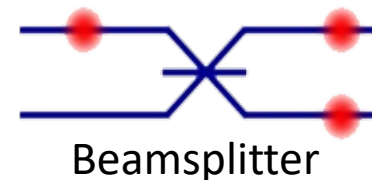
$$|0\rangle_{qubit} := |1, 0\rangle$$



$$|1\rangle_{qubit} := |0, 1\rangle$$

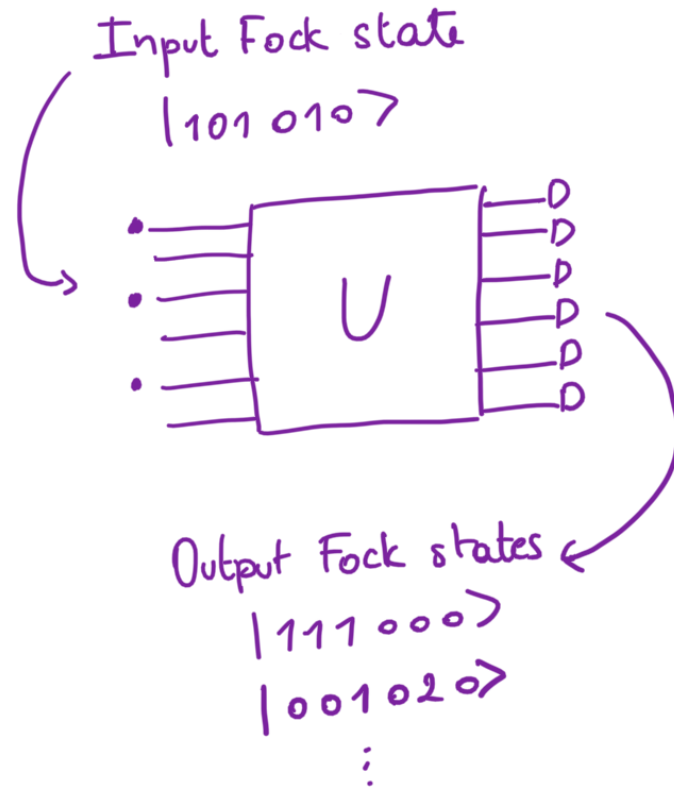


$$|0\rangle \rightarrow |0\rangle + |1\rangle$$

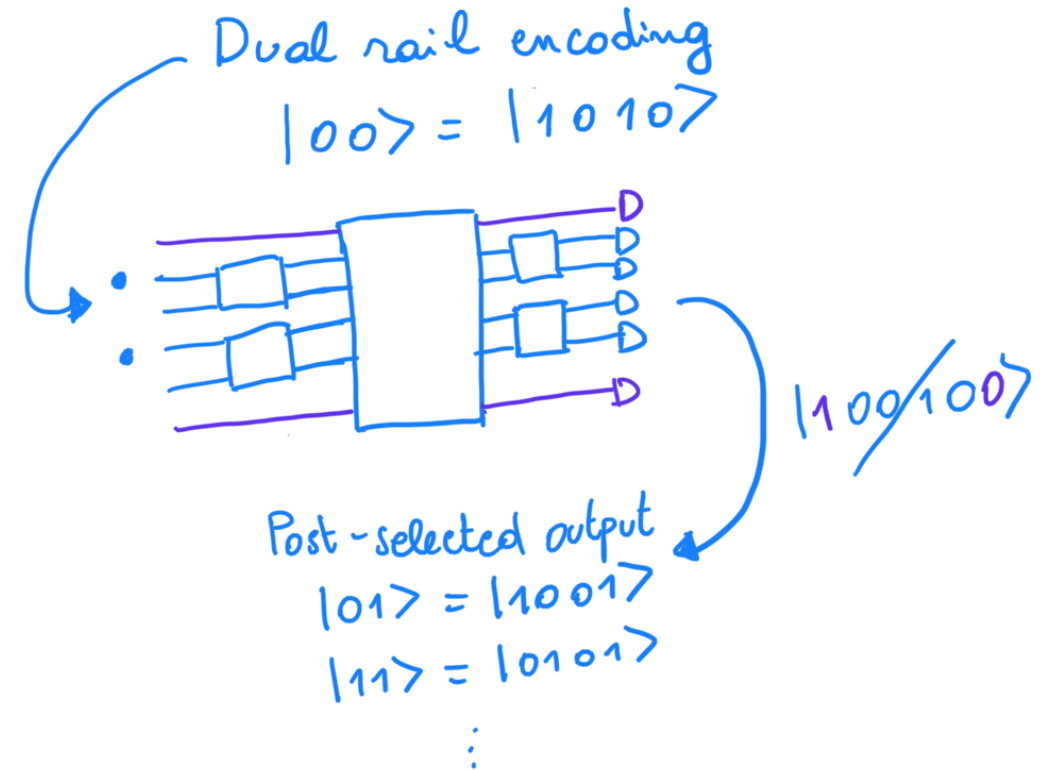


Near term algorithm design: two approaches

Photonic native

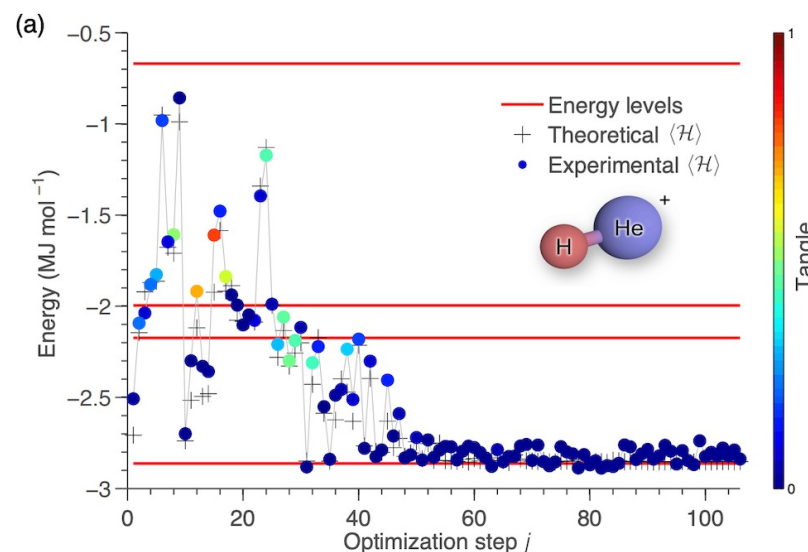


Qubit circuit based



Algorithm example: Variational Quantum Eigensolver (VQE)

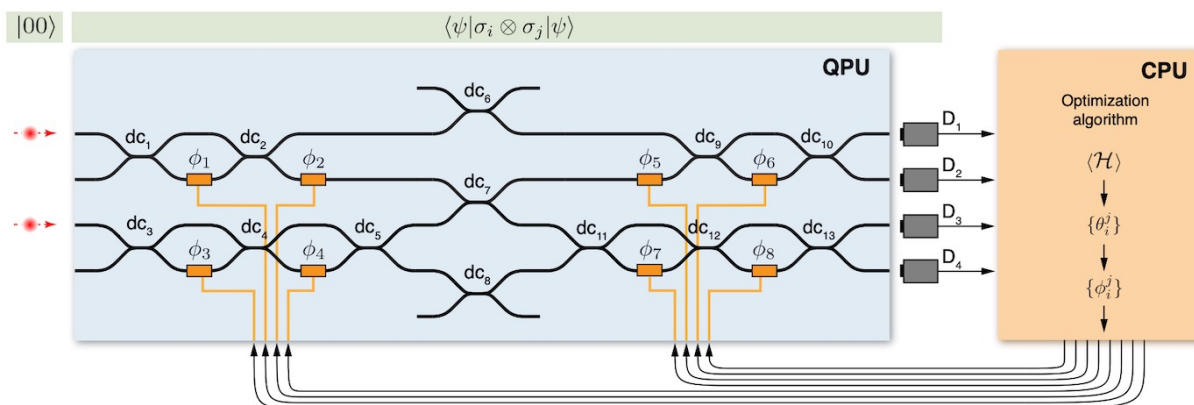
- Variational quantum algorithms are a type of hybrid quantum-classical algorithm
- A computation is usually run on a quantum circuit (*ansatz*) with parameters that can be optimised
- The optimisation procedure is done on a classical computer



Algorithm example: Variational Quantum Eigensolver (VQE)

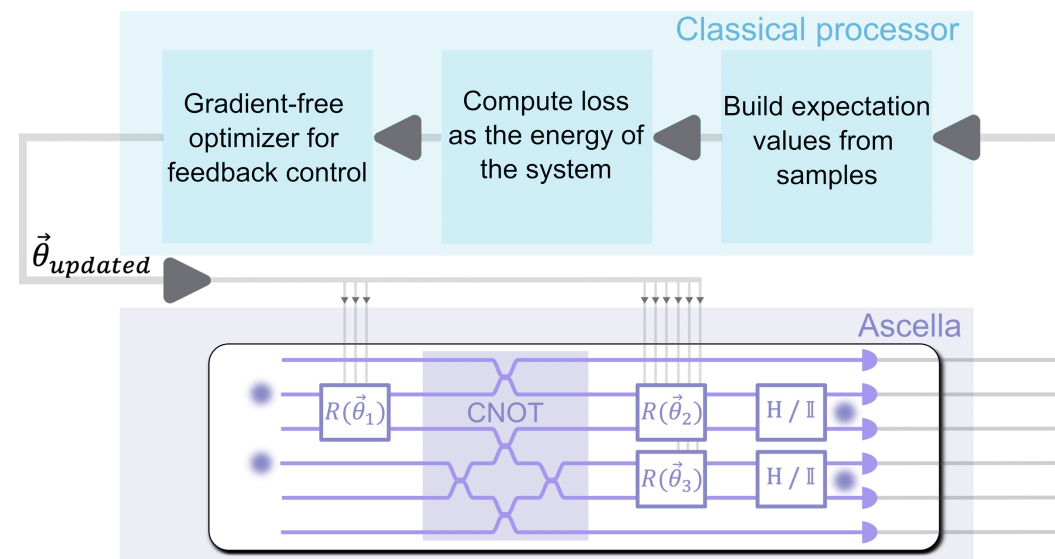
A variational eigenvalue solver on a photonic quantum processor

[Alberto Peruzzo](#) ✉, [Jarrod McClean](#), [Peter Shadbolt](#), [Man-Hong Yung](#), [Xiao-Qi Zhou](#), [Peter J. Love](#), [Alán Aspuru-Guzik](#) ✉ & [Jeremy L. O'Brien](#) ✉

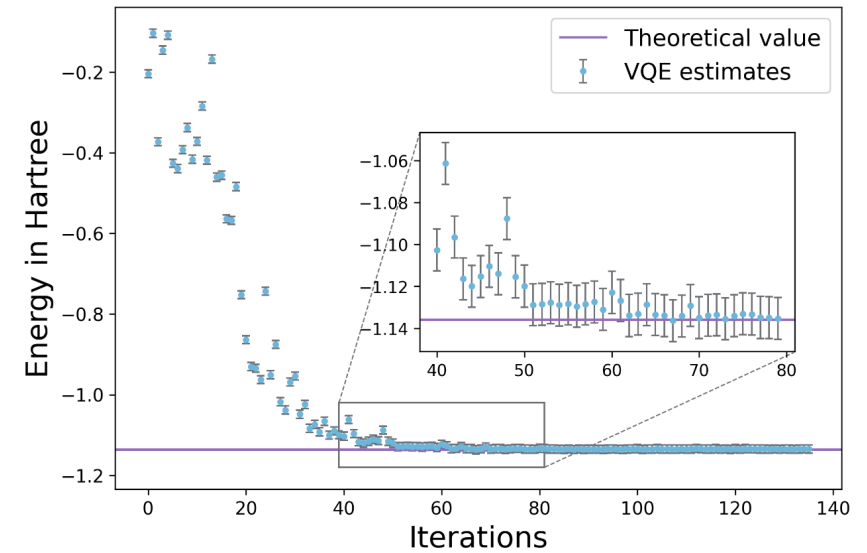
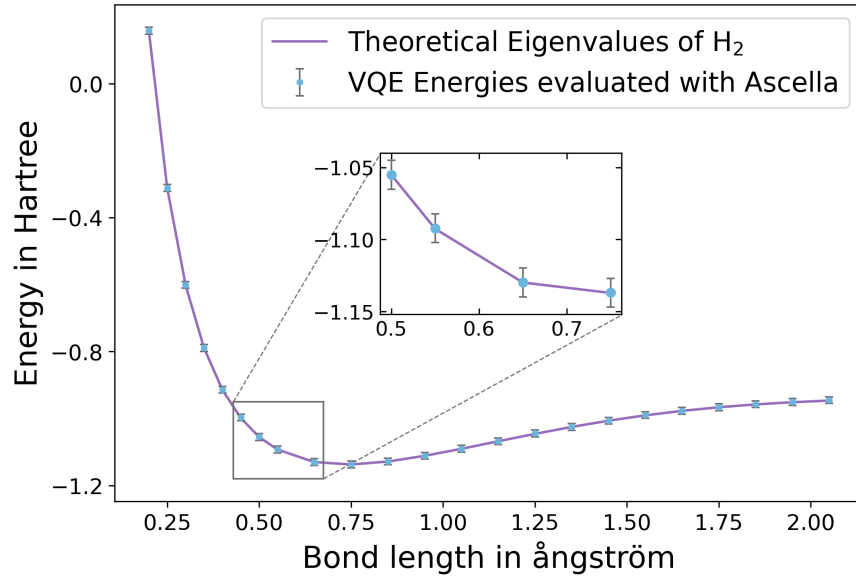
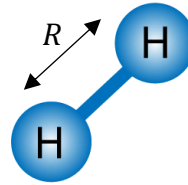


A versatile single-photon-based quantum computing platform

[Nicolas Maring](#), [Andreas Fyrrillas](#), [Mathias Pont](#), [Edouard Ivanov](#), [Petr Stepanov](#), [Nico Margaria](#), [William Hease](#), [Anton Pishchagin](#), [Aristide Lemaître](#), [Isabelle Sagnes](#), [Thi Huong Au](#), [Sébastien Boissier](#), [Eric Bertasi](#), [Aurélien Baert](#), [Mario Valdivia](#), [Marie Billard](#), [Ozan Acar](#), [Alexandre Brioussel](#), [Rawad Mezher](#), [Stephen C. Wein](#), [Alexia Salavrakos](#), [Patrick Sinnott](#), [Dario A. Fioretto](#), [Pierre-Emmanuel Emeriau](#), [Nadia Belabas](#), [Shane Mansfield](#), [Pascale Senellart](#), [Jean Senellart](#) ✉ & [Niccolo Somaschi](#) ✉



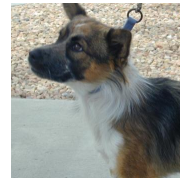
Algorithm example: Variational Quantum Eigensolver (VQE)



Algorithm example: variational quantum classifier

- Variational framework is the same as VQE
- Here, the ansatz computes the model, which is a function of the variational parameters θ
- For a dataset (\vec{x}_i, y_i) where \vec{x}_i are the data points and y_i the labels, the loss function is of the form

$$L = \sum_i d(f_\theta(x_i), y_i)$$

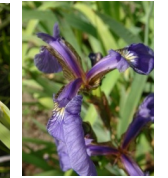
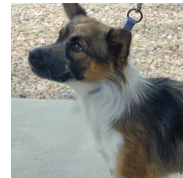


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$$L = \sum_i d(f_\theta(x_i), y_i)$$

↓ ↓
model output label

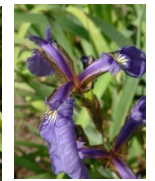
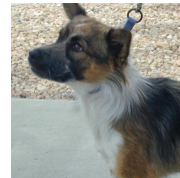
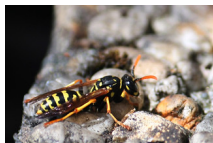


Algorithm example: variational quantum classifier

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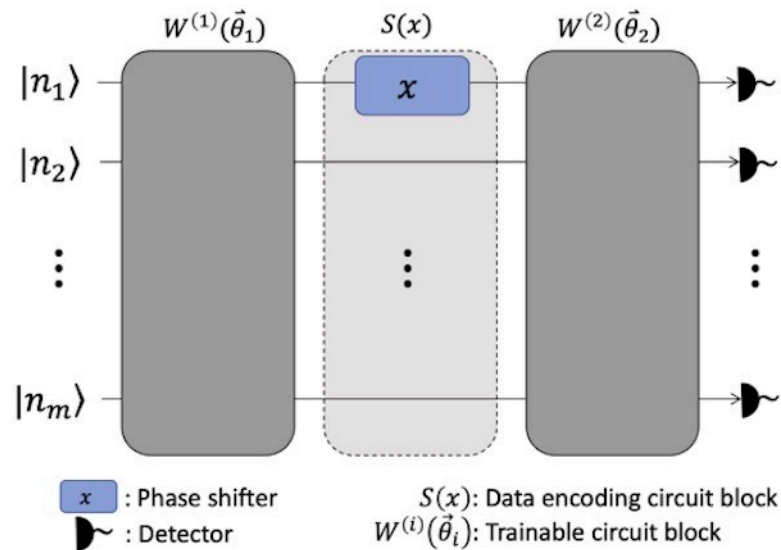
$$L = \sum_i d(f_\theta(x_i), y_i) \quad \longrightarrow \quad \text{minimise}$$

↓ ↓
model output label



Algorithm example: variational quantum classifier

Fock-space based quantum neural network (QNN)



Resulting model:

$$f^{(n)}(x, \Theta, \lambda) = \langle \mathbf{n}^{(i)} | \mathcal{U}^\dagger(x, \Theta) \mathcal{M}(\lambda) \mathcal{U}(x, \Theta) | \mathbf{n}^{(i)} \rangle$$

Unitary from the circuit
Observable

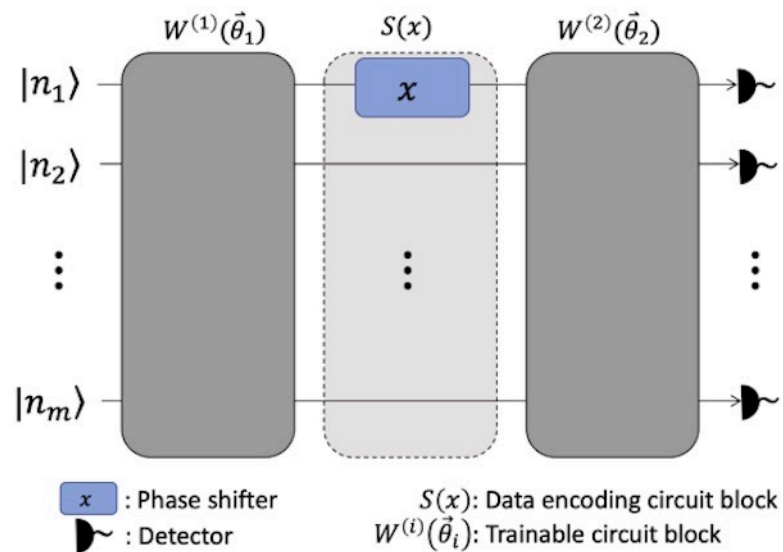
Defined in Fock space:

$$|\mathbf{n}^{(i)}\rangle = |n_1^{(i)}, n_2^{(i)}, \dots, n_m^{(i)}\rangle$$

[1] B. Y. Gan, D. Leykam, and D. G. Angelakis. *EPJ Quantum Technol.* 9, 16 (2022)

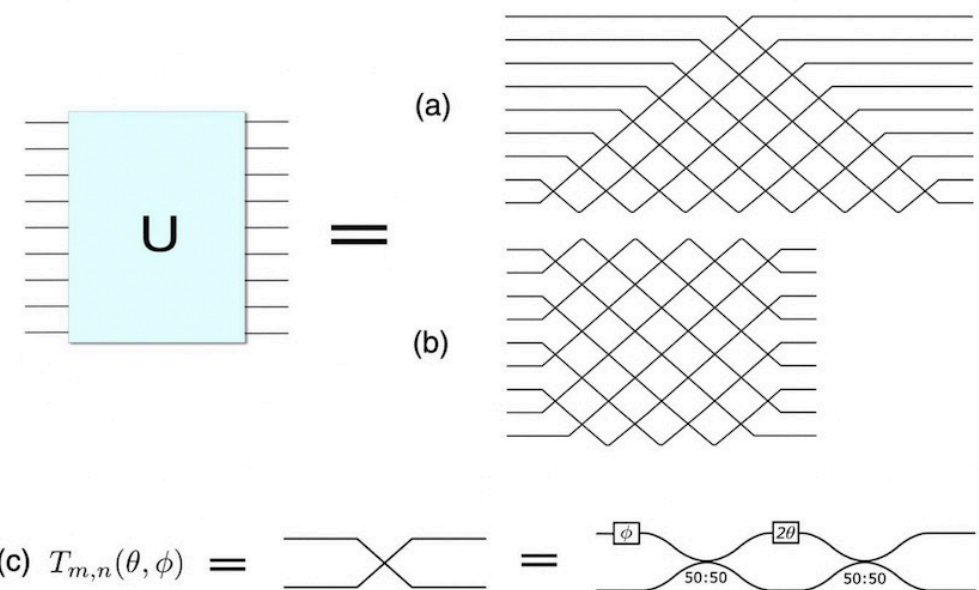
Algorithm example: variational quantum classifier

Fock-space based quantum neural network (QNN)



[1] B. Y. Gan, D. Leykam, and D. G. Angelakis. *EPJ Quantum Technol.* 9, 16 (2022)

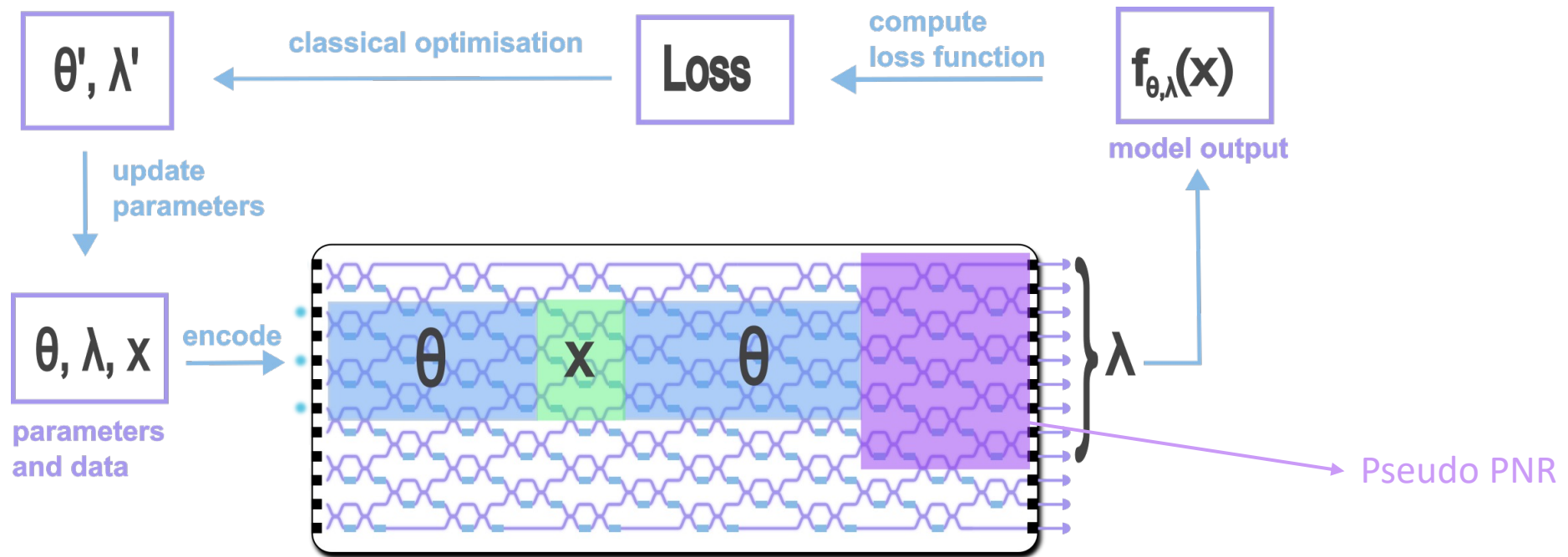
Recall Clements / Reck decompositions:



M. Reck et al. *Physical Review Letters* 73, 58 (1994)

W. R. Clements et al. *Optica* 3, 12 (2016)

Algorithm example: variational quantum classifier



Input Fock state $|\psi_{in}\rangle = |0010101000000\rangle$

Variational quantum classifier: results



Classifying Fisher's iris dataset:

- 150 data points
- 4 dimensions
- 3 classes

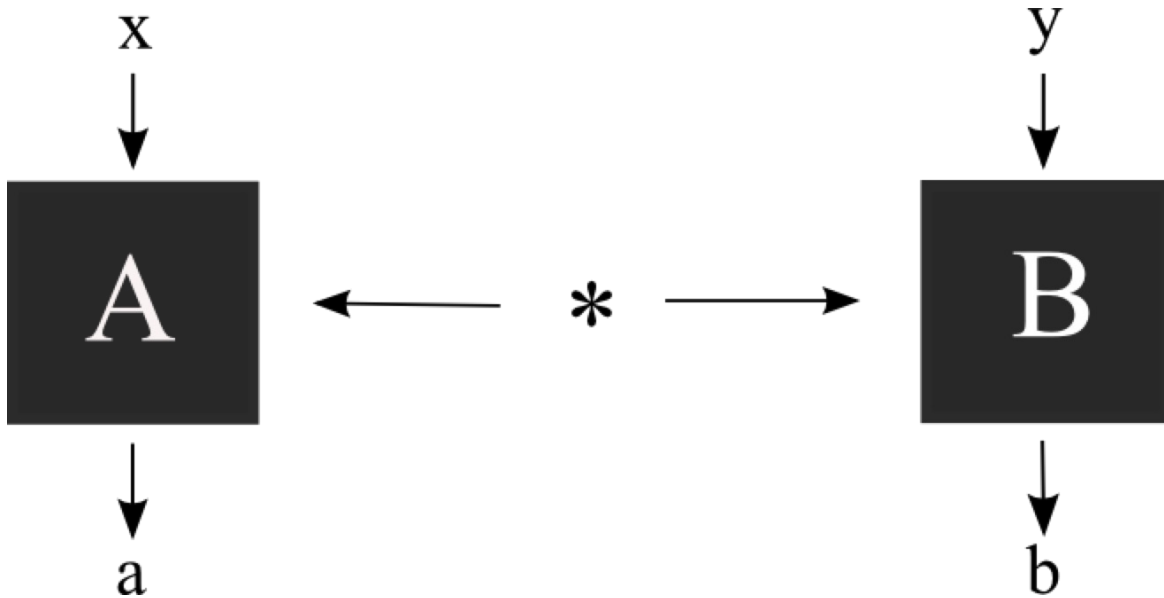
Train

True label	0	1	2
0	35	0	0
1	0	34	5
2	0	4	34
	0	1	2
	Predicted label		

Test

True label	0	1	2
0	15	0	0
1	0	10	1
2	0	1	11
	0	1	2
	Predicted label		

Algorithm example: Bell test

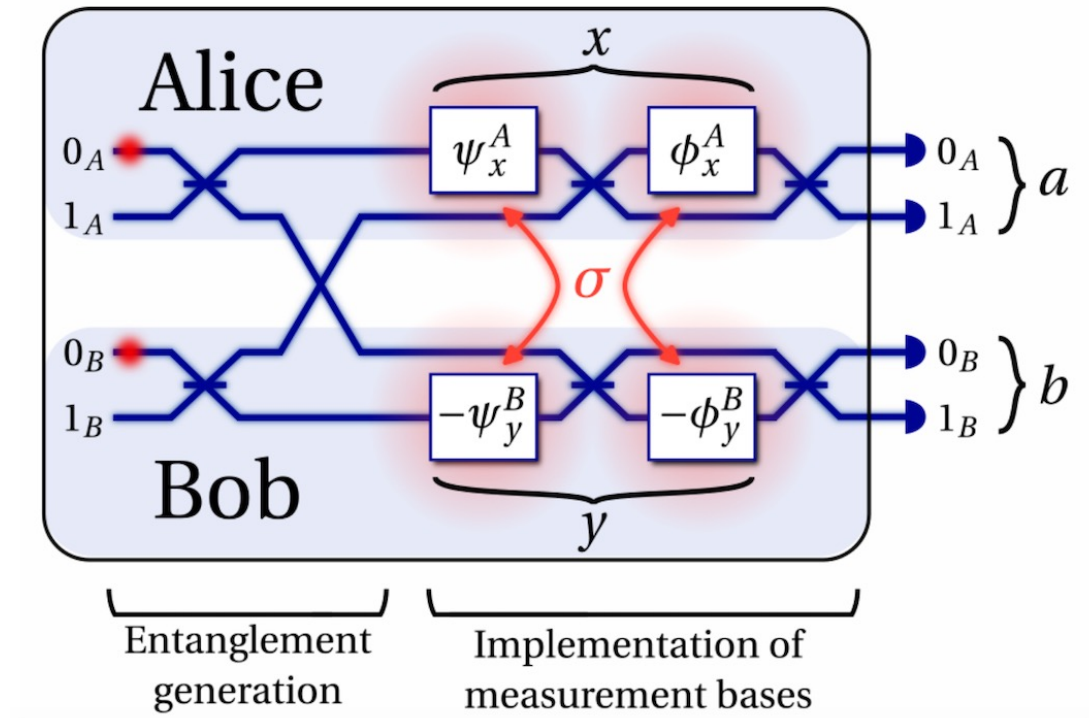


With classical resources, the CHSH inequality is bounded by 2

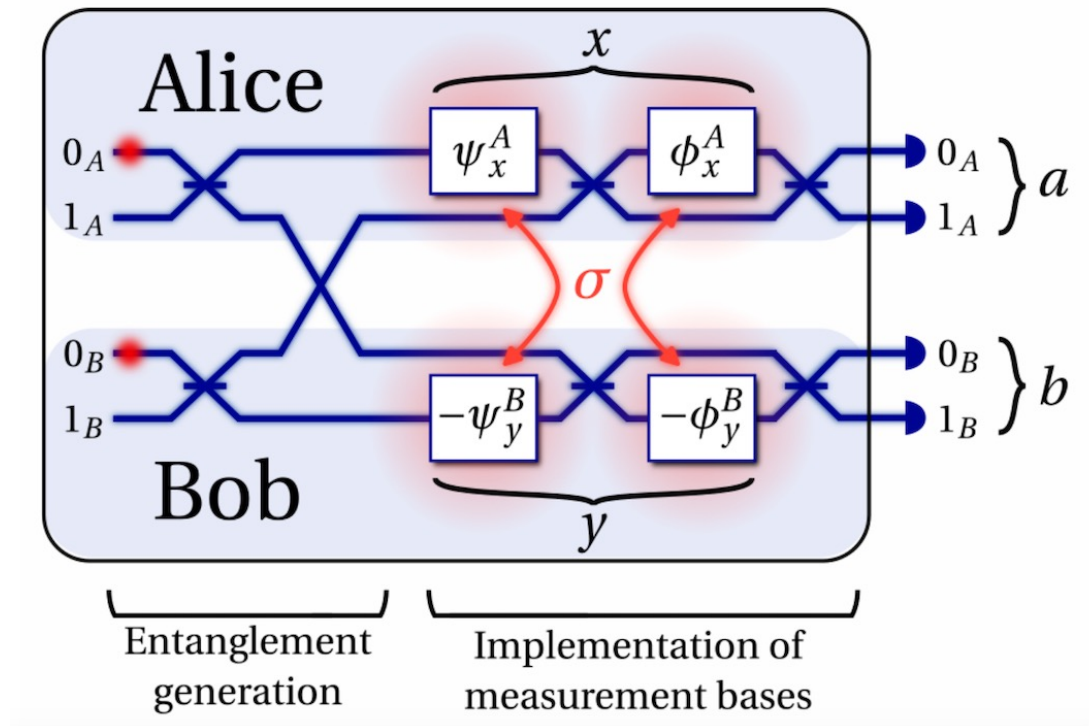
With quantum resources, it can reach up to $2\sqrt{2}$

$$\mathcal{B}_{\text{CHSH}} = \langle A_1 B_1 \rangle + \langle A_1 B_2 \rangle + \langle A_2 B_1 \rangle - \langle A_2 B_2 \rangle \leq 2$$

Algorithm example: Bell test



Algorithm example: Bell test



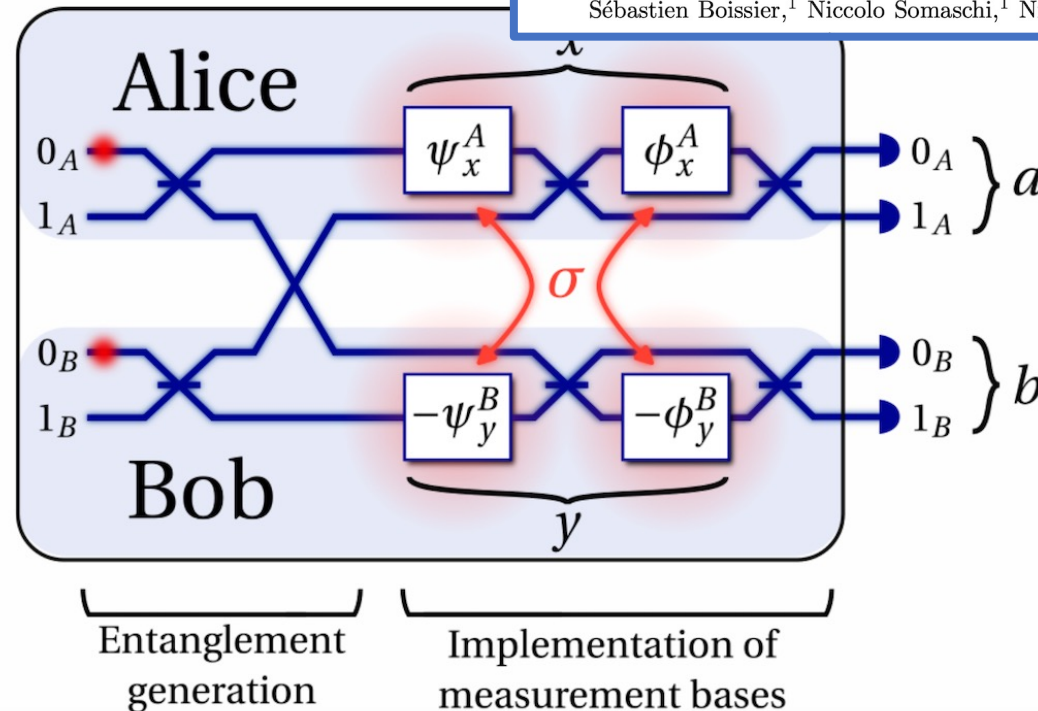
$$\frac{|01\rangle + |10\rangle}{\sqrt{2}}$$

Phases are functions of input x and y

Algorithm example: Bell test

Certified randomness in tight space

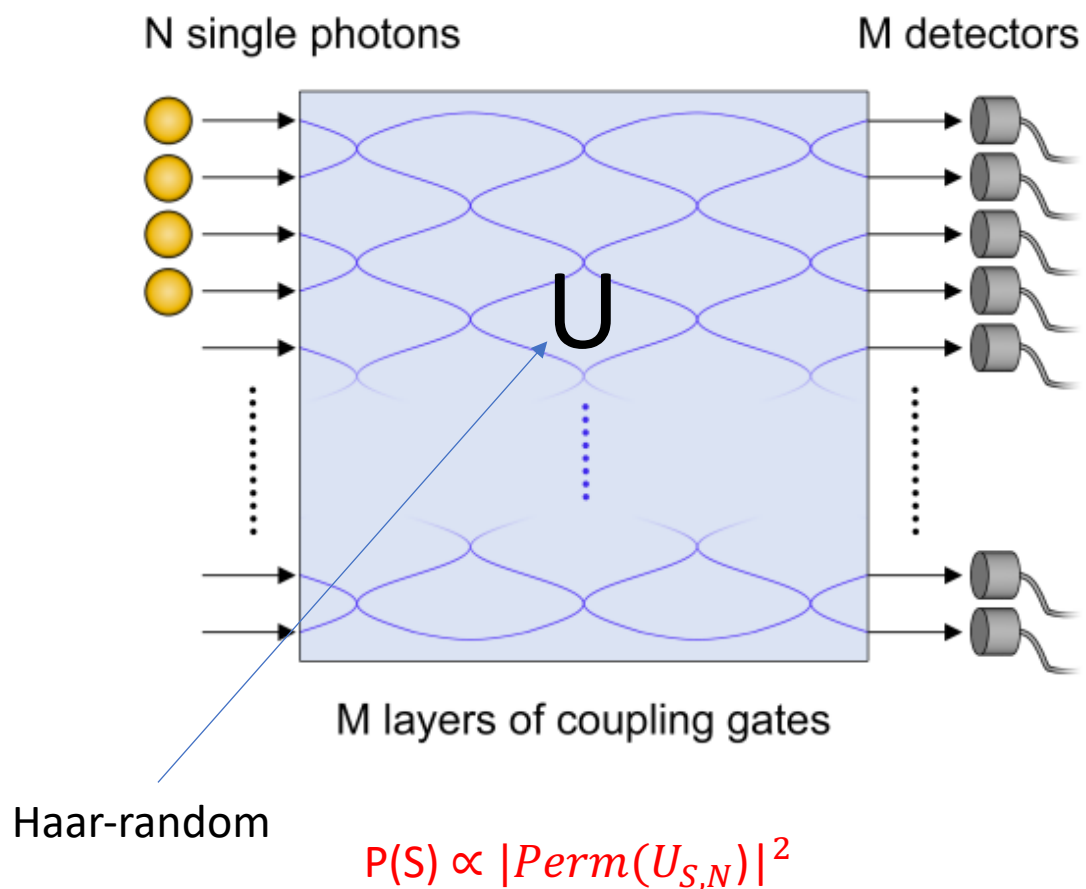
Andreas Fyrillas,^{1,*} Boris Bourdoncle,^{1,*} Alexandre Maïnos,^{1,2} Pierre-Emmanuel Emeriau,¹ Kayleigh Start,¹ Nico Margaria,¹ Martina Morassi,³ Aristide Lemaître,³ Isabelle Sagnes,³ Petr Stepanov,¹ Thi Huong Au,¹ Sébastien Boissier,¹ Niccolo Somaschi,¹ Nicolas Maring,¹ Nadia Belabas,^{3,†} and Shane Mansfield^{1,†}



$$\frac{|01\rangle + |10\rangle}{\sqrt{2}}$$

Phases are functions of input x and y

Algorithm example: solving graph problems



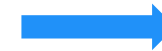
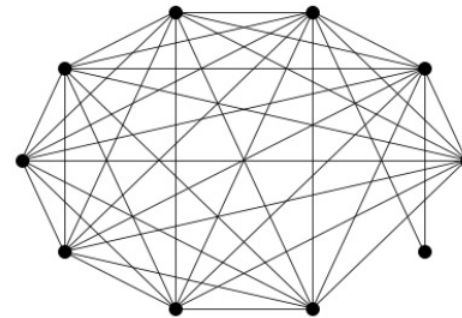
- The probability to measure an output state $|s_1, \dots, s_m\rangle$ is given by $|\alpha_s|^2 / s_1! \dots s_m! n_1! \dots n_m!$
- It can be shown that $|\alpha_s|^2 = |\text{Per}(U_{S,N})|^2$, $U_{S,N}$ submatrix of U determined by $S = (s_1, \dots, s_m)$ rows and $N = (n_1, \dots, n_m)$ column
- If A is an $n \times n$ matrix, $\text{Per}(A) = \sum_{\sigma \in S_n} \prod_{i=1}^n A_{i\sigma(i)}$
- Easy rule: like the determinant but with + signs everywhere
- The permanent, unlike the determinant, is hard to compute (best classical algorithms scale as $O(n2^n)$)

Algorithm example: solving graph problems

Adjacency matrix of a graph

If two vertices are connected in the graph you get a 1 in the adjacency matrix, otherwise a 0

Several graph problems can be related to the properties of the adjacency matrix



$$A = \begin{pmatrix} 0 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 0 \\ 1 & 0 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \\ 1 & 1 & 0 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \\ 1 & 1 & 1 & 0 & 1 & 1 & 1 & 1 & 1 & 0 \\ 1 & 1 & 1 & 1 & 0 & 1 & 1 & 1 & 1 & 0 \\ 1 & 1 & 1 & 1 & 1 & 0 & 1 & 1 & 1 & 0 \\ 1 & 1 & 1 & 1 & 1 & 1 & 0 & 1 & 1 & 0 \\ 1 & 1 & 1 & 1 & 1 & 1 & 1 & 0 & 1 & 0 \\ 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{pmatrix}$$

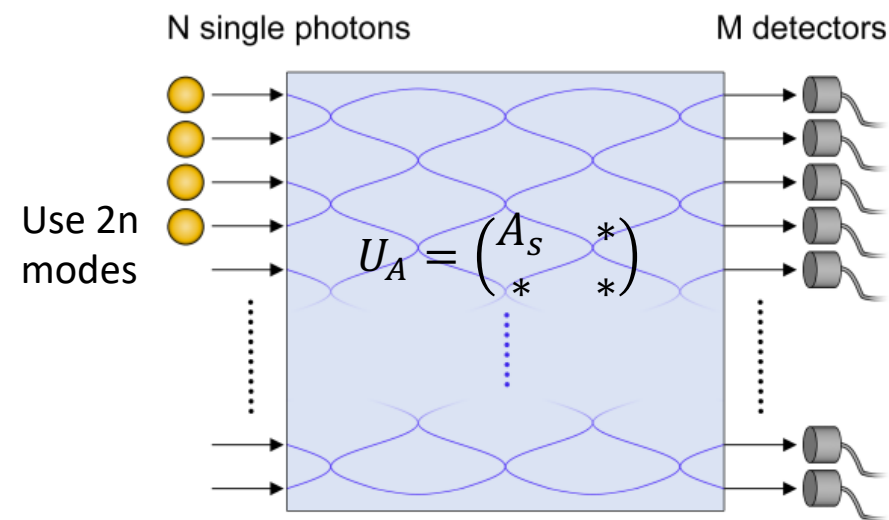
Algorithm example: solving graph problems

Step 1: We scale down the adjacency matrix using singular value decomposition

$$A_s := \frac{1}{s} A$$

Step 2: Use the *unitary dilation theorem* to embed A_s onto a larger unitary matrix U_A . If A is an $n \times n$ matrix, U_A is a $2n \times 2n$ matrix

$$U_A := \begin{pmatrix} A_s & * \\ * & * \end{pmatrix}$$



$$p(\mathbf{n}_{out} | \mathbf{n}_{in}) \propto |\text{Per}(A_s)|^2$$

$$\propto \frac{1}{s^{2n}} |\text{Per}(A)|^2$$

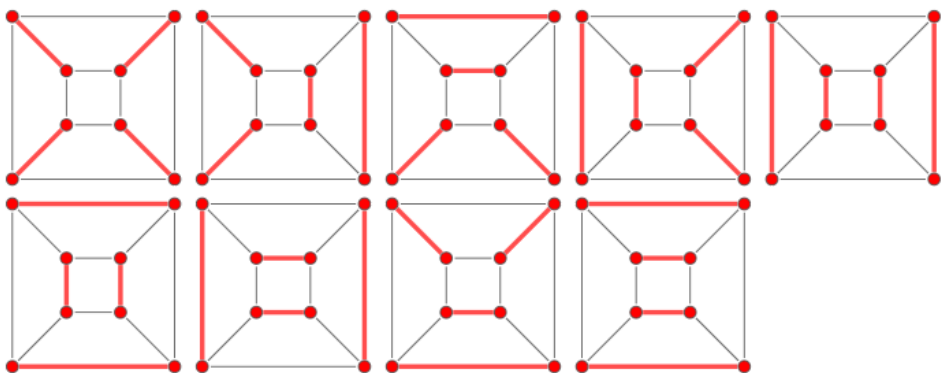
Algorithm example: solving graph problems

Solving graph problems with single photons and linear optics

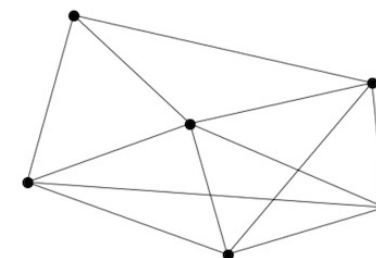
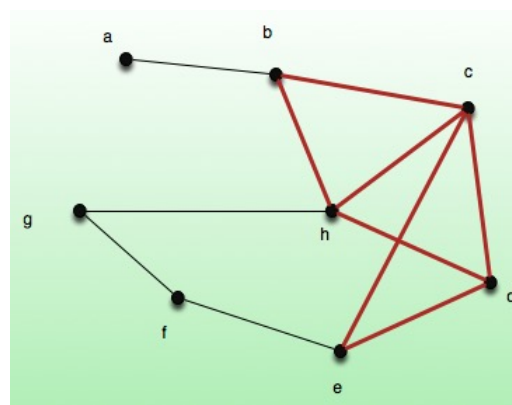
Rawad Mezher, Ana Filipa Carvalho, and Shane Mansfield
 Phys. Rev. A **108**, 032405 – Published 6 September 2023

Graph isomorphism: compare permanents of adjacency matrices

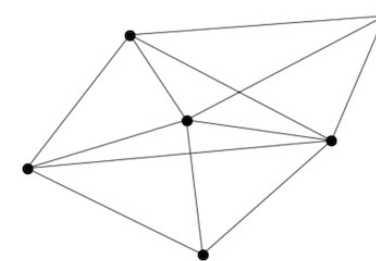
Number of perfect matchings: $\sqrt{\text{Per}(A)}$



Densest subgraph identification



(a)



(b)

References: reinforcement learning on photonic circuits

Experimental quantum speed-up in reinforcement learning agents

[V. Saggio](#) ✉, [B. E. Asenbeck](#), [A. Hamann](#), [T. Strömberg](#), [P. Schiansky](#), [V. Dunjko](#), [N. Friis](#), [N. C. Harris](#), [M. Hochberg](#), [D. Englund](#), [S. Wölk](#), [H. J. Briegel](#) & [P. Walther](#) ✉

Towards interpretable quantum machine learning via single-photon quantum walks

Fulvio Flamini,^{1,*} Marius Krumm,^{1,*} Lukas J. Fiderer,¹ Thomas Müller,² and Hans J. Briegel¹

¹Universität Innsbruck, Institut für Theoretische Physik, Technikerstraße 21a, A-6020 Innsbruck, Austria

²Department of Philosophy, University of Konstanz, Universitätsstraße 10, 78464 Konstanz, Germany

2021 IEEE International Conference on Quantum Computing and Engineering (QCE)

Photonic Quantum Policy Learning in OpenAI Gym

Year: 2021, Pages: 123-129

DOI Bookmark: [10.1109/QCE52317.2021.00028](https://doi.org/10.1109/QCE52317.2021.00028)

Authors

[Dániel Nagy](#), Wigner Research Centre for Physics and Ericsson Research, Budapest, Hungary

[Zsolt Tabi](#), Ericsson Hungary and Eötvös Loránd University, Budapest, Hungary

[Péter Hágá](#), Ericsson Research, Budapest, Hungary

[Zsófia Kallus](#), Ericsson Research, Budapest, Hungary

[Zoltán Zimborás](#), Wigner Research Centre for Physics and MTA-BME Lendület QIT Research Group, Budapest, Hungary

References: reinforcement learning on photonic circuits

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Towards interpretable quantum machine learning via single-photon quantum walks

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¹Universität Innsbruck, Institut für Theoretische Physik, Technikerstraße 21a, A-6020 Innsbruck, Austria

²Department of Philosophy, University of Konstanz, Universitätsstraße 10, 78464 Konstanz, Germany

Demonstration of quantum projective simulation on a single-photon-based quantum computer

Giacomo Franceschetto^{1,2,*} and Arno Ricou¹

¹Quandela, 7 Rue Léonard de Vinci, 91300 Massy, France

²ICFO-Institut de Ciències Fotoniques, The Barcelona Institute of Science and Technology, Av. Carl Friedrich Gauss 3, 08860 Castelldefels (Barcelona), Spain

(Dated: April 22, 2024)

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Authors

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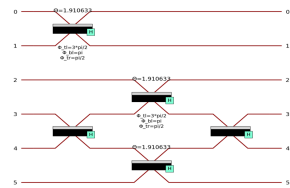
Zsolt Tabi, Ericsson Hungary and Eötvös Loránd University, Budapest, Hungary

Péter Hágá, Ericsson Research, Budapest, Hungary

Zsófia Kallus, Ericsson Research, Budapest, Hungary

Zoltán Zimborás, Wigner Research Centre for Physics and MTA-BME Lendület QIT Research Group, Budapest, Hungary

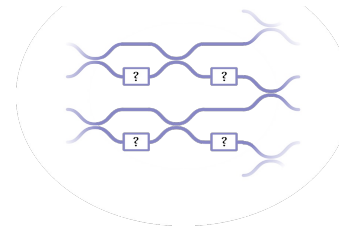
Compilation and transpilation



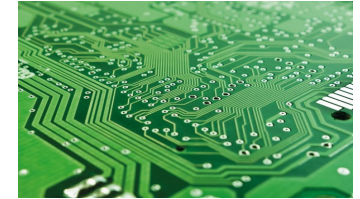
Circuit



Unitary matrix



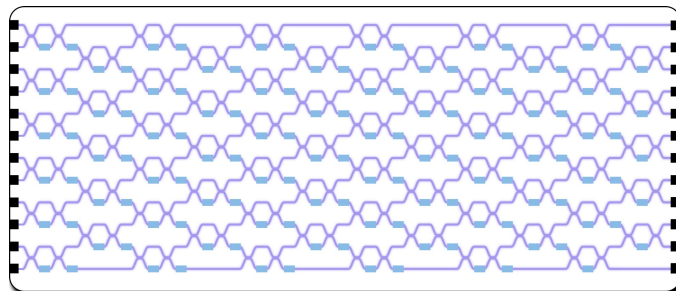
Phases



Voltages

Compilation

Transpilation



Scalable machine learning-assisted clear-box characterization for optimally controlled photonic circuits

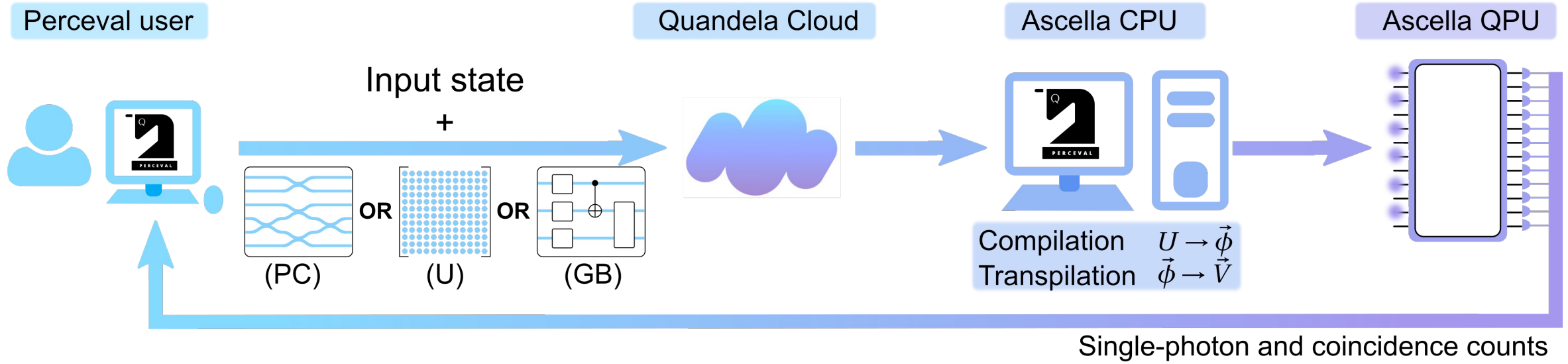
Andreas Fyrrillas,^{1,2} Olivier Faure,¹ Nicolas Maring,¹ Jean Senellart,¹ and Nadia Belabas²

¹Quandela, 7 Rue Léonard de Vinci, 91300 Massy, France

²Centre for Nanosciences and Nanotechnologies, CNRS, Université Paris-Saclay, UMR 9001, 10 Boulevard Thomas Gobert, 91120, Palaiseau, France

arXiv:2310.15349

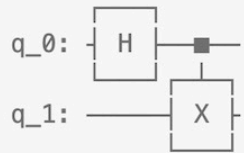
Cloud computing



Qiskit to Perceval converter

A Qiskit QuantumCircuit can be converted to an equivalent Perceval Processor using QiskitConverter

```
>>> import qiskit
>>> from perceval.converters import QiskitConverter
>>> from perceval.components import catalog
>>> # Create a Quantum Circuit (the following is pure Qiskit syntax):
>>> qc = qiskit.QuantumCircuit(2)
>>> qc.h(0)
>>> qc.cx(0, 1)
>>> print(qc.draw())
```



```
>>> # Then convert the Quantum Circuit with Perceval QiskitConvertor
>>> qiskit_converter = QiskitConverter(catalog)
>>> perceval_processor = qiskit_converter.convert(qc)
```


VQE error mitigation scheme

Error mitigation scheme inspired from [1]

State preparation and measurement (SPAM) errors

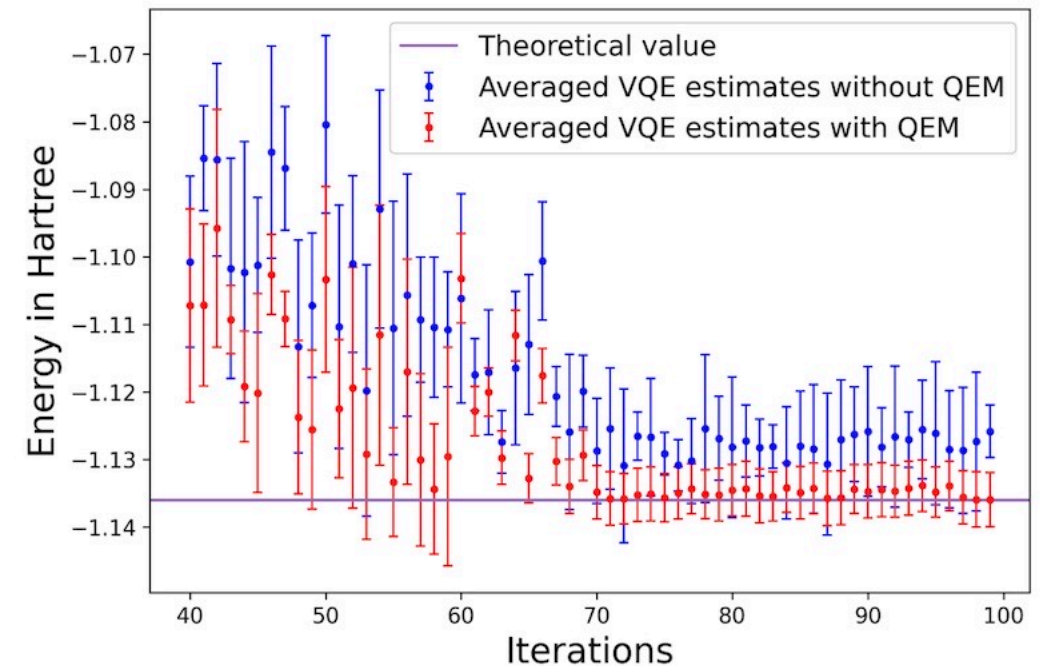
Correct probability distribution $q = \Gamma_b p$

Evaluate right before experiment $(\Gamma_b)_{ij} = |\langle \psi |_i^b b | \psi \rangle_j^b|^2$

$$\Gamma_{ZZ} = \begin{bmatrix} 9.99999952e-01 & 3.09568451e-02 & 3.09568451e-02 & 1.54929555e-09 \\ 2.34741773e-08 & 9.38086308e-01 & 1.45337301e-09 & 2.34741773e-08 \\ 2.34741773e-08 & 1.45337301e-09 & 9.38086308e-01 & 2.34741773e-08 \\ 1.54929555e-09 & 3.09568451e-02 & 3.09568451e-02 & 9.99999952e-01 \end{bmatrix}$$

$$\Gamma_{XX} = \begin{bmatrix} 9.99999951e-01 & 2.47148265e-02 & 2.47148265e-02 & 1.24580719e-09 \\ 2.39578331e-08 & 9.50570344e-01 & 1.18422748e-09 & 2.39578331e-08 \\ 2.39578331e-08 & 1.18422748e-09 & 9.50570344e-01 & 2.39578331e-08 \\ 1.24580731e-09 & 2.47148287e-02 & 2.47148287e-02 & 9.99999951e-01 \end{bmatrix}$$

[1] D. Lee et al. *Optica* 9, 88-95 (2022)



VQE error mitigation scheme

Error mitigation scheme inspired from [1]

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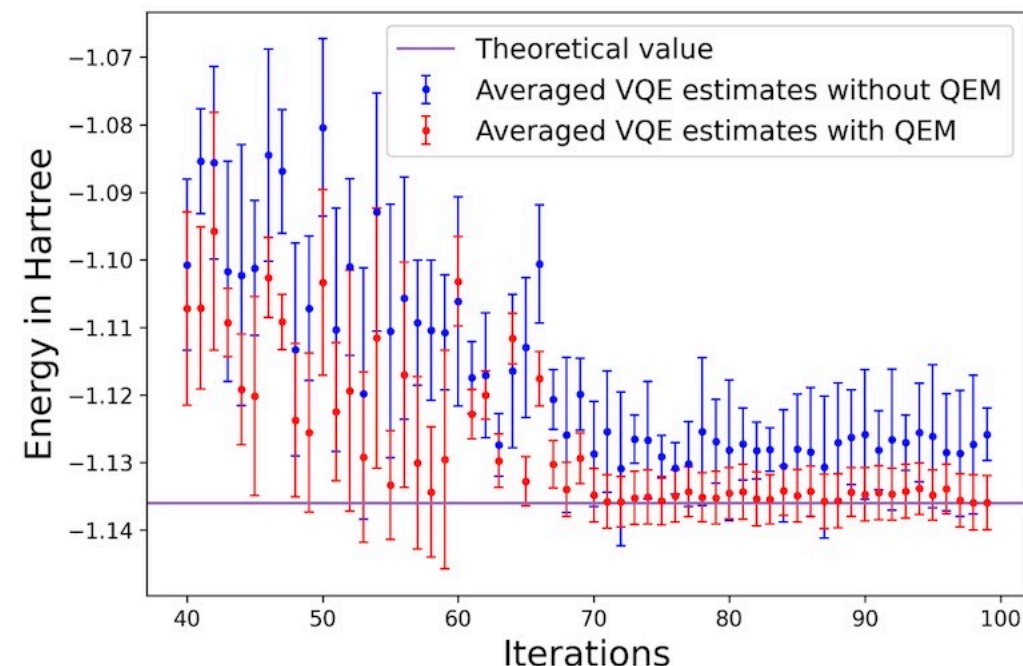
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[1] D. Lee et al. *Optica* 9, 88-95 (2022)



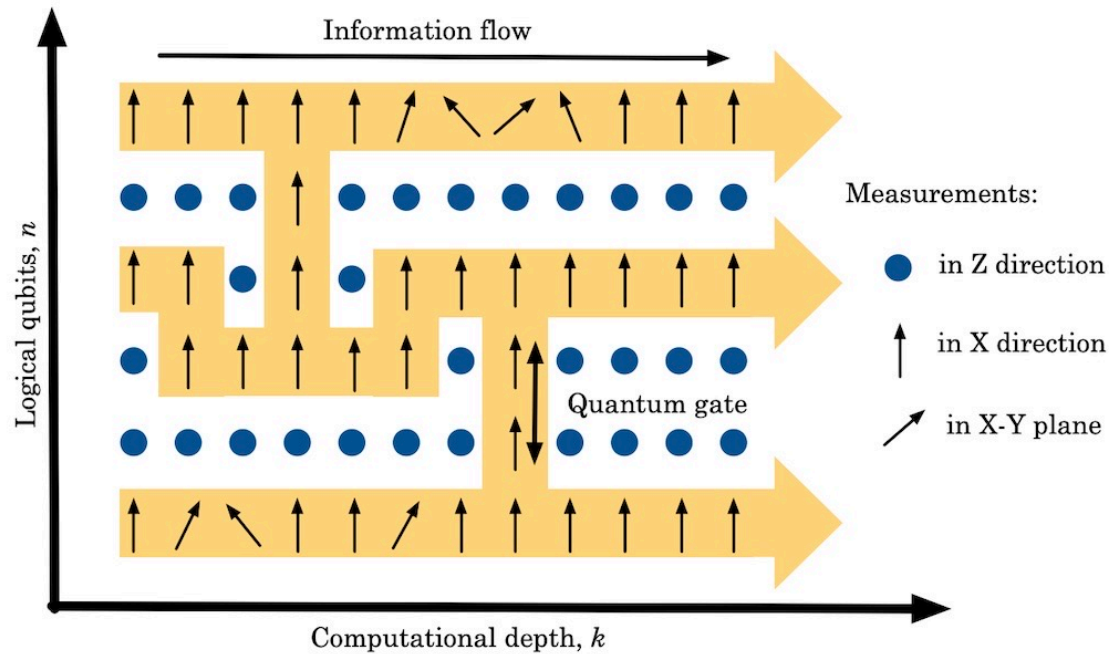
New results on QEM for photon loss coming out in May (J. Mills and R. Mezher, in preparation)

QUIZZ

Measurement-based quantum computing and photonics

Photonic platforms – scaling proposals

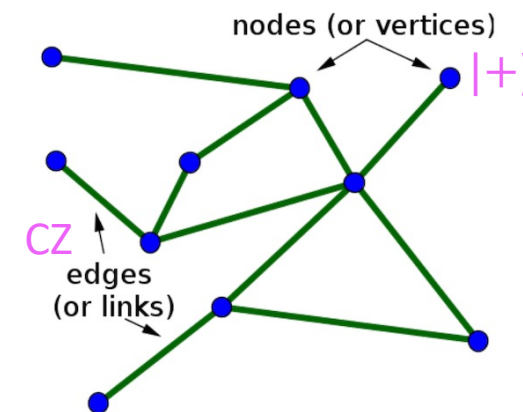
Measurement based quantum computing (MBQC)



Proposed by R. Raussendorf and H. J. Briegel in *A One-Way Quantum Computer* (2001)

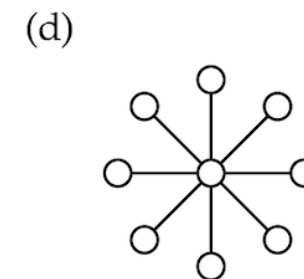
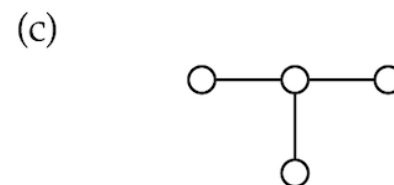
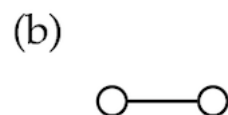
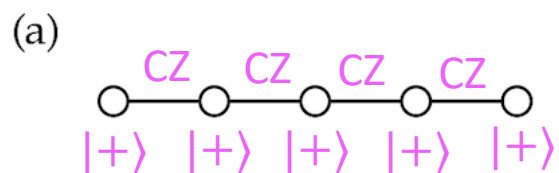
MBQC is based on graph states

- **Circuit model:**
 - Evolve unitarily qubits through a circuit by applying on the qubits the gates one-by-one
 - Measure (read-out) at the end to convert quantum information to classical
- **MBQC model:**
 - Start with a large entangled state consisting of multiple qubits (also called resource state, cluster state)
 - Make single-qubit measurements in suitably chosen bases
 - Apply corrections to make it deterministic



MBQC is based on graph states

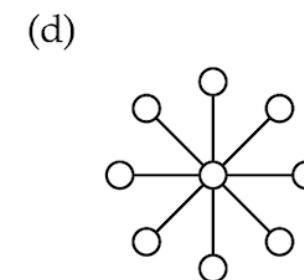
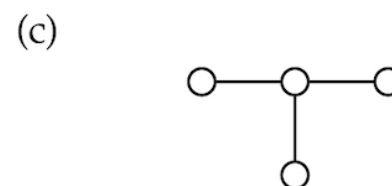
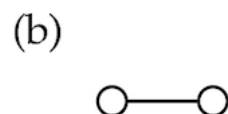
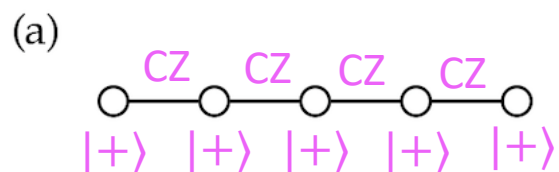
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MBQC is based on graph states

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 - Apply corrections to make it deterministic

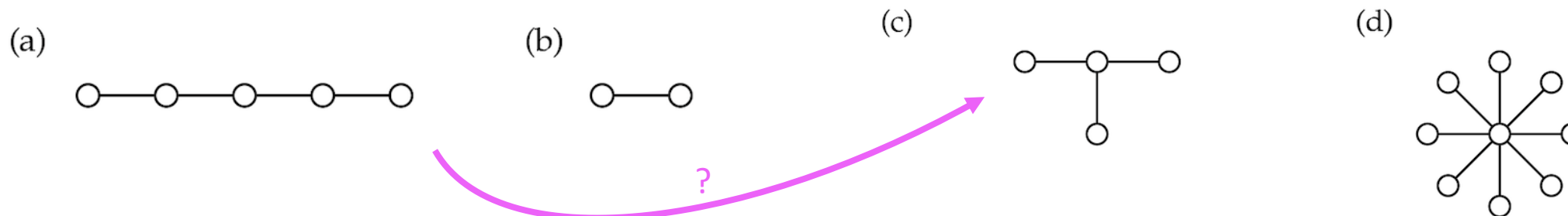
What are (b), (c) and (d) equivalent to?



MBQC is based on graph states

- **Circuit model:**
 - Evolve unitarily qubits through a circuit by applying on the qubits the gates one-by-one
 - Measure (read-out) at the end to convert quantum information to classical
- **MBQC model:**
 - Start with a large entangled state consisting of multiple qubits (also called resource state, cluster state)
 - Make single-qubit measurements in suitably chosen bases
 - Apply corrections to make it deterministic

Z meas: removes qubit and severs all bonds with cluster
 X meas: removes qubit and transfers all the bonds



MBQC is universal

MBQC is universal and equivalent to circuit model

Milestone

Measurement-based quantum computation on cluster states

Robert Raussendorf, Daniel E. Browne, and Hans J. Briegel
Phys. Rev. A **68**, 022312 – Published 25 August 2003

Based on set of $J(\theta) = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & e^{i\theta} \\ 1 & -e^{i\theta} \end{pmatrix}$ gates for all θ and CZ gates which is universal

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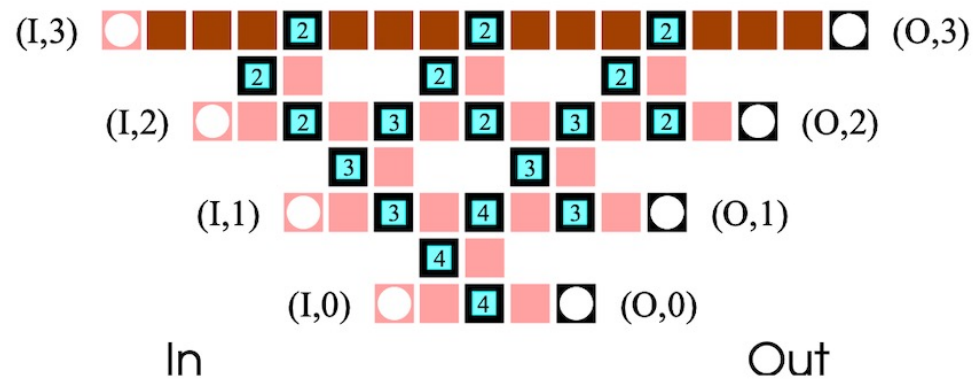
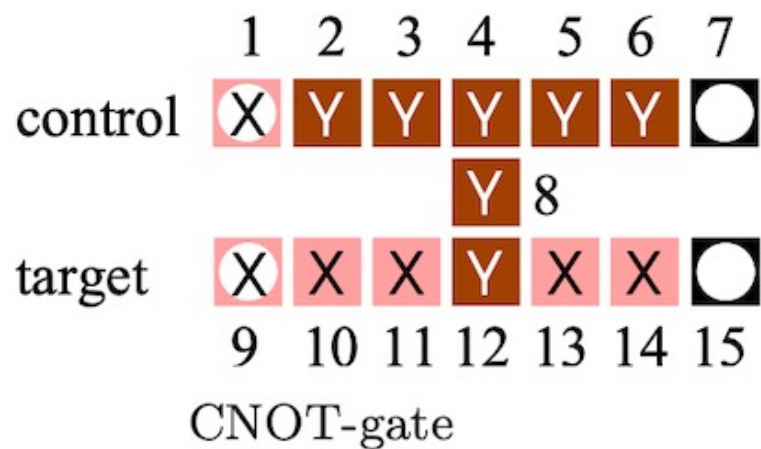
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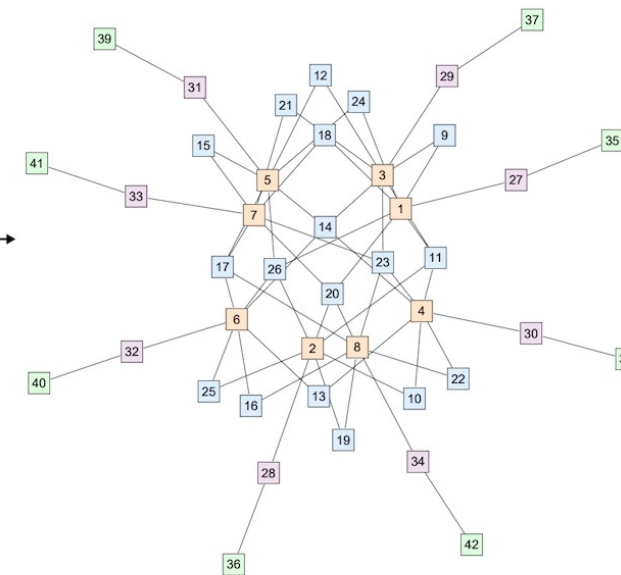
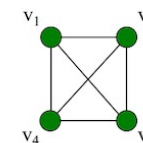
Nice examples in the paper like how to do the quantum Fourier transform in MBQC



MBQC examples for variational algorithms

Native measurement-based quantum approximate optimization algorithm applied to the Max K -Cut problem

Massimiliano Proietti, Filippo Cerocchi, and Massimiliano Dispenza
 Phys. Rev. A **106**, 022437 – Published 30 August 2022



Variational measurement-based quantum computation for generative modeling

Arunava Majumder¹, Marius Krumm¹, Tina Radkohl¹, Hendrik Poulsen Nautrup¹, Sofiene Jerbi², and Hans J. Briegel¹

¹Institute for Theoretical Physics, University of Innsbruck, Technikerstr. 21a, A-6020 Innsbruck, Austria

²Dahlem Center for Complex Quantum Systems, Freie Universität Berlin, Berlin, Germany

Measurement based proposal for photonics

Resource-Efficient Linear Optical Quantum Computation

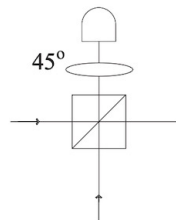
Daniel E. Browne and Terry Rudolph
 Phys. Rev. Lett. **95**, 010501 – Published 27 June 2005

Improvement on KLM proposal for a linear optical quantum computer

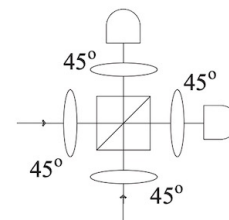
Using MBQC framework

Introducing **fusion** mechanisms that allow for the construction of cluster states

a) Type-I



b) Type-II



Measurement based proposal for photonics

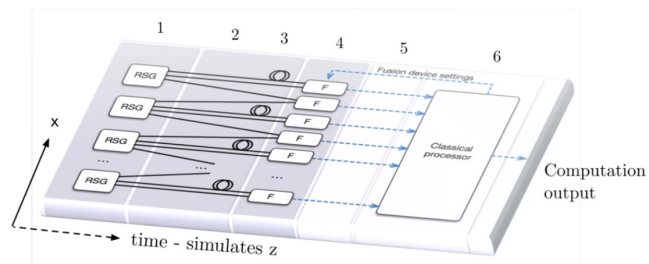
Fusion-based quantum computation

[Sara Bartolucci](#), [Patrick Birchall](#), [Hector Bombín](#), [Hugo Cable](#), [Chris Dawson](#), [Mercedes Gimeno-Segovia](#), [Eric Johnston](#), [Konrad Kieling](#), [Naomi Nickerson](#) ✉, [Mihir Pant](#) ✉, [Fernando Pastawski](#), [Terry Rudolph](#) & [Chris Sparrow](#)

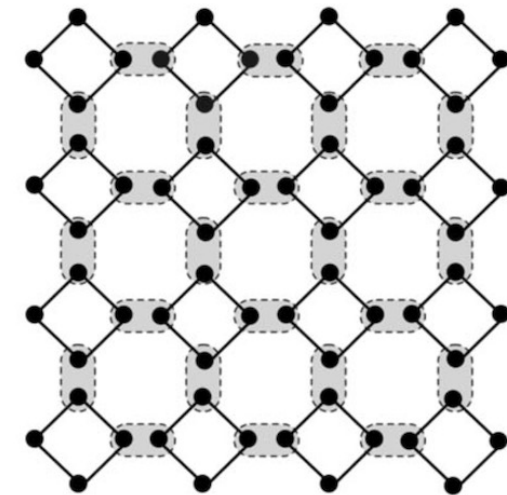
Proposal by PsiQuantum

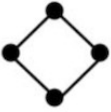

Compared to MBQC it already integrates fault tolerance

Proposal comes with photonic hardware as well

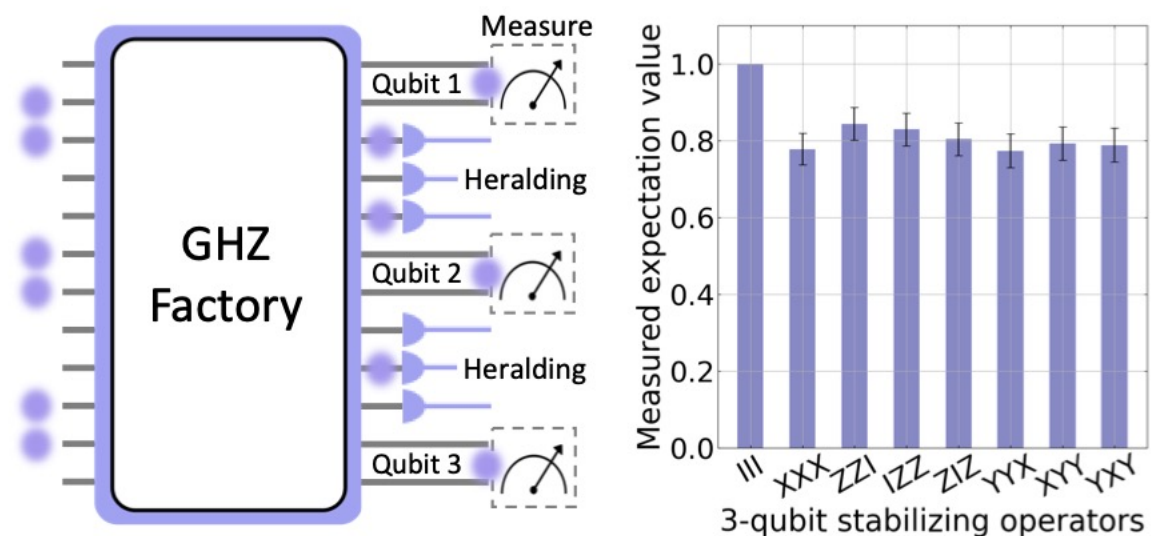


Fusion Network



- 1. Resource states 
- 2. Fusion measurements 

Paths for graph state generation: GHZ states



Generate small GHZ states
Add fusion operations

Heralded generation of 3-photon GHZ states. Measured expectation values of the stabilizing operators of the heralded 3-photon GHZ state $|\text{GHZ}_3^+\rangle$ yielding a fidelity of $F_{\text{GHZ}_3^+} = 0.82 \pm 0.04$.

Paths for graph state generation: from the source

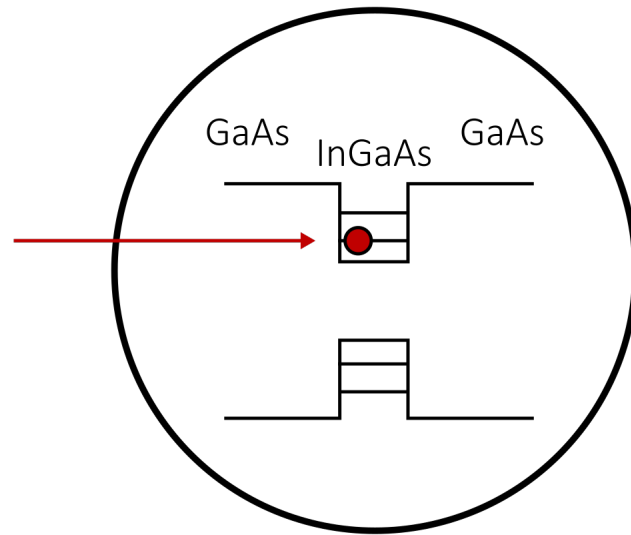
High-rate entanglement between a semiconductor spin and indistinguishable photons

[N. Coste](#) , [D. A. Fioretto](#), [N. Belabas](#), [S. C. Wein](#), [P. Hilaire](#), [R. Frantzeskakis](#), [M. Gundin](#), [B. Goes](#), [N. Somaschi](#), [M. Morassi](#), [A. Lemaître](#), [I. Sagnes](#), [A. Harouri](#), [S. E. Economou](#), [A. Auffeves](#), [O. Krebs](#), [L. Lanco](#) & [P. Senellart](#) 

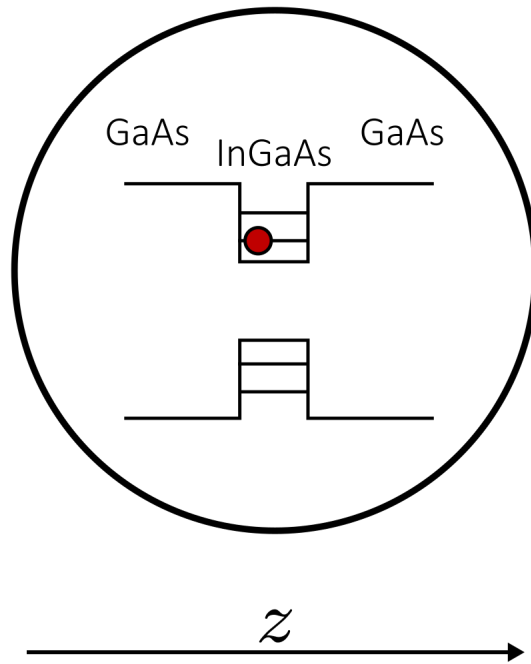
Proposal for Pulsed On-Demand Sources of Photonic Cluster State Strings

Netanel H. Lindner and Terry Rudolph
Phys. Rev. Lett. **103**, 113602 – Published 8 September 2009

Paths for graph state generation: from the source

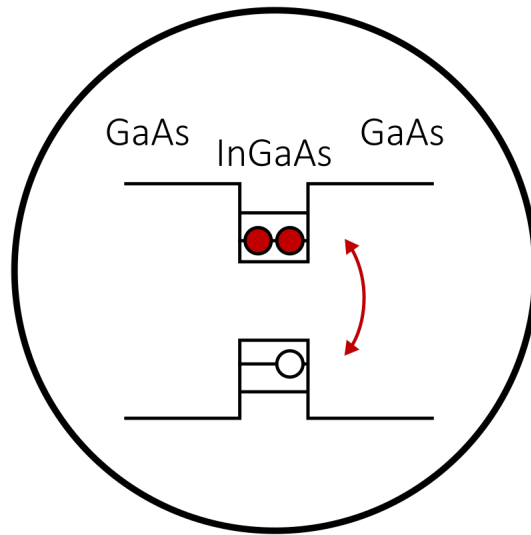
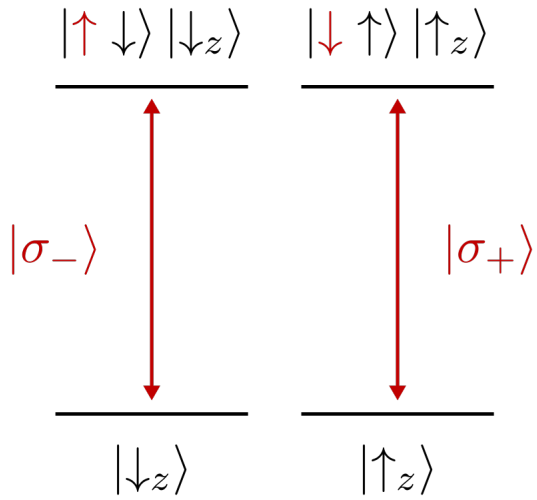


Paths for graph state generation: from the source

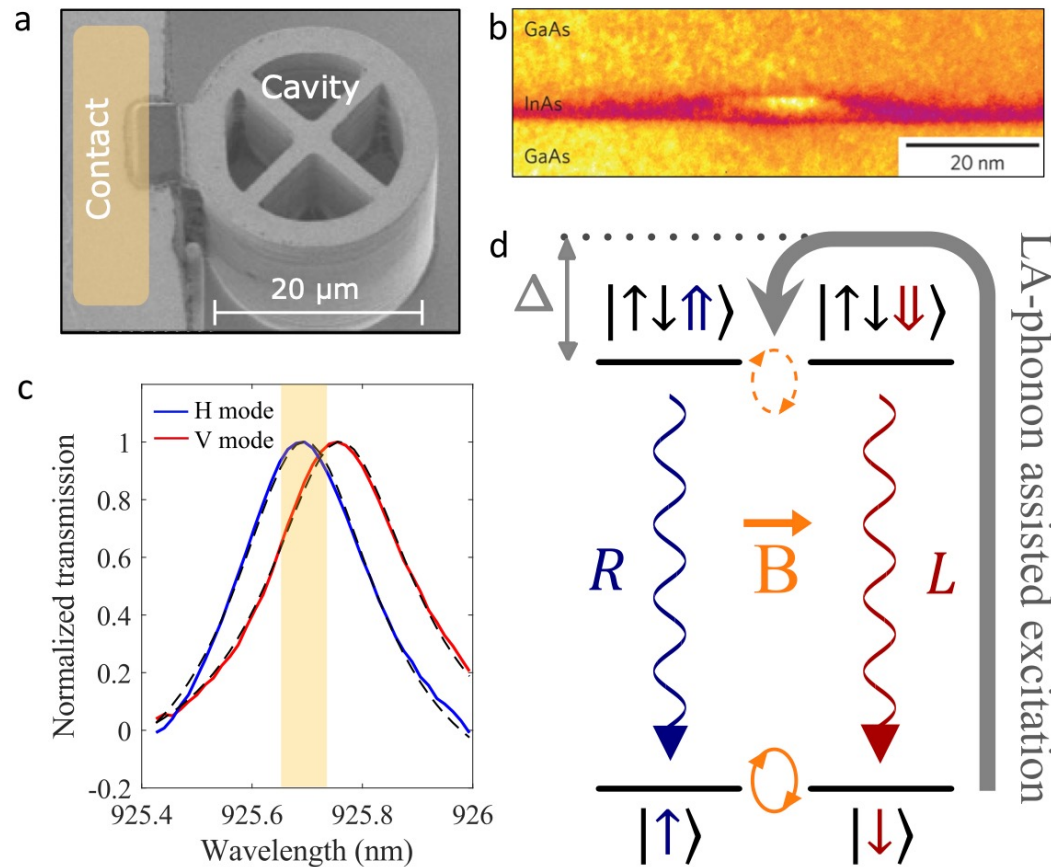


spin basis: $|\downarrow_z\rangle, |\uparrow_z\rangle$

Paths for graph state generation: from the source



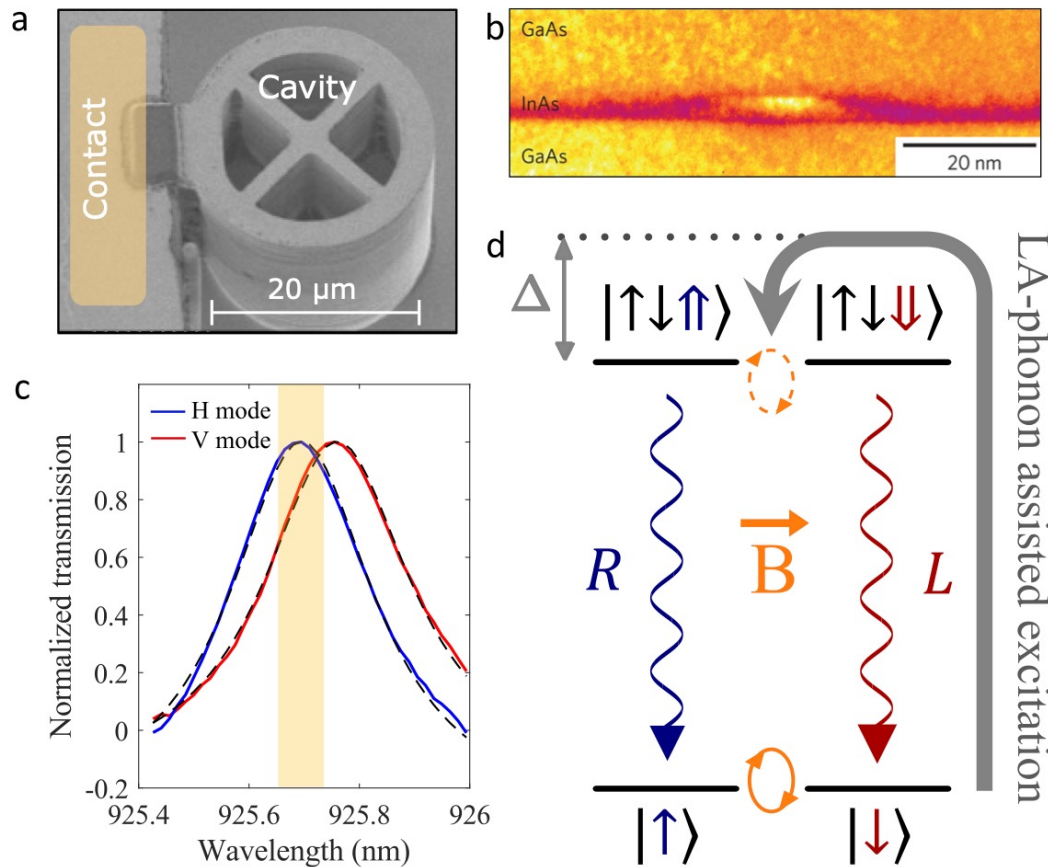
Paths for graph state generation: from the source



$$|\uparrow\rangle|R\rangle + |\downarrow\rangle|L\rangle$$

Spin-photon entanglement

Paths for graph state generation: from the source



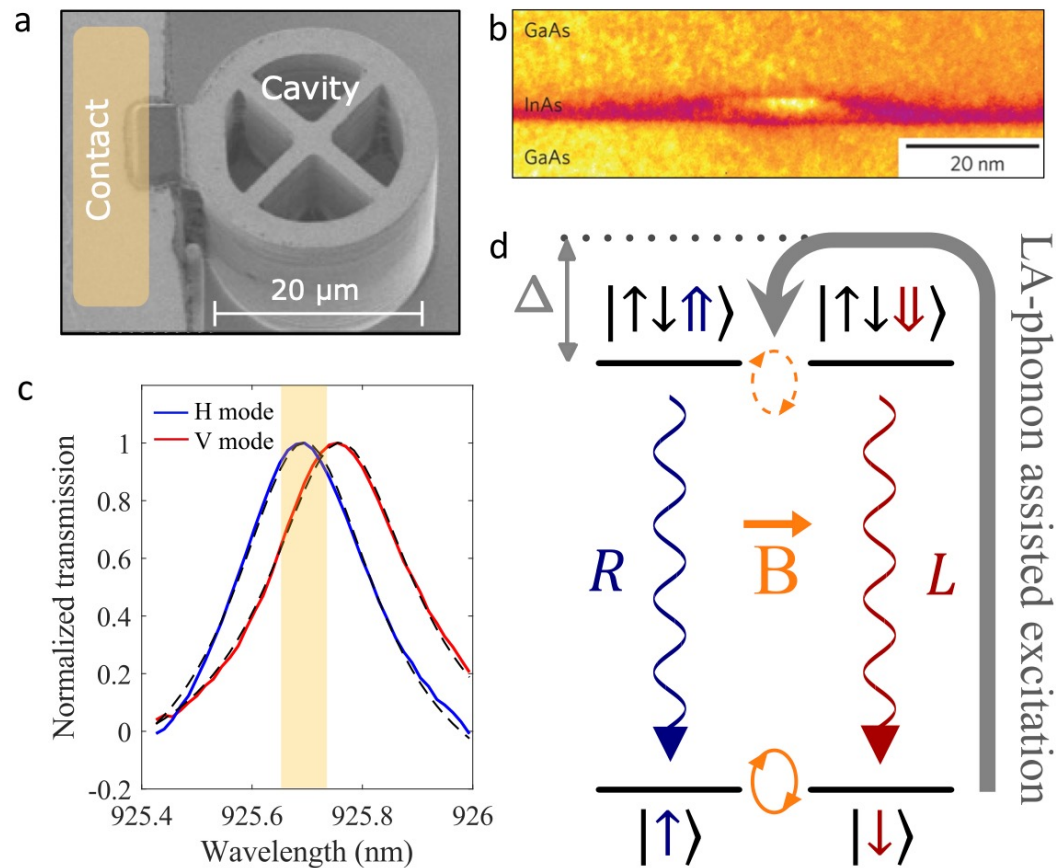
N. Coste et al., Nat. Photon. 17, 582 (2023)

$$|\uparrow\rangle|R\rangle + |\downarrow\rangle|L\rangle$$

$\xrightarrow{\pi/2 \text{ spin-gate}}$

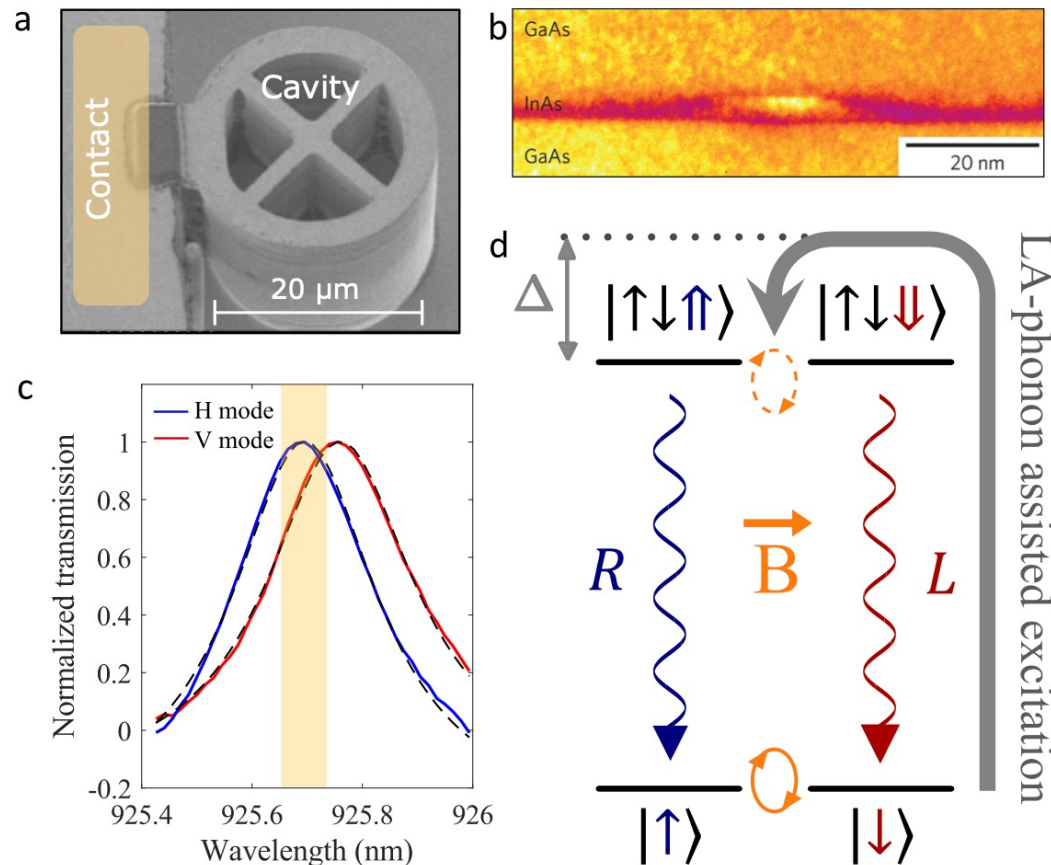
$$\frac{|\uparrow\rangle + |\downarrow\rangle}{\sqrt{2}}|R\rangle + \frac{|\uparrow\rangle - |\downarrow\rangle}{\sqrt{2}}|L\rangle$$

Paths for graph state generation: from the source



$$\begin{aligned}
 &|\uparrow\rangle|R\rangle + |\downarrow\rangle|L\rangle \\
 &\xrightarrow{\pi/2 \text{ spin-gate}} \\
 &-i|\uparrow\rangle|V\rangle + |\downarrow\rangle|H\rangle
 \end{aligned}$$

Paths for graph state generation: from the source



N. Coste et al., Nat. Photon. 17, 582 (2023)

$$\begin{aligned}
 & |\uparrow\rangle|R\rangle + |\downarrow\rangle|L\rangle \\
 & \xrightarrow{\pi/2 \text{ spin-gate}} -i|\uparrow\rangle|V\rangle + |\downarrow\rangle|H\rangle \\
 & \xrightarrow{\text{Excitation H}} -i|\uparrow\rangle|V\rangle|R\rangle + |\downarrow\rangle|H\rangle|L\rangle \\
 & \dots
 \end{aligned}$$

Fault tolerant architecture proposal: SPOQC

A Spin-Optical Quantum Computing Architecture

Grégoire de Gliniasty,^{1,2,*} Paul Hilaire,^{1,*} Pierre-Emmanuel Emeriau,¹
Stephen C. Wein,¹ Alexia Salavrakos,¹ and Shane Mansfield¹

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General intuition:

- Strategies like FBQC can be achieved with many quantum dots
- Why not leverage those dots as carriers of quantum information?
- Trade-off between all-photonic and all-matter based approaches

- Using spins of quantum dots as qubits
- Using spin-entangled photon to perform 2-qubit gates

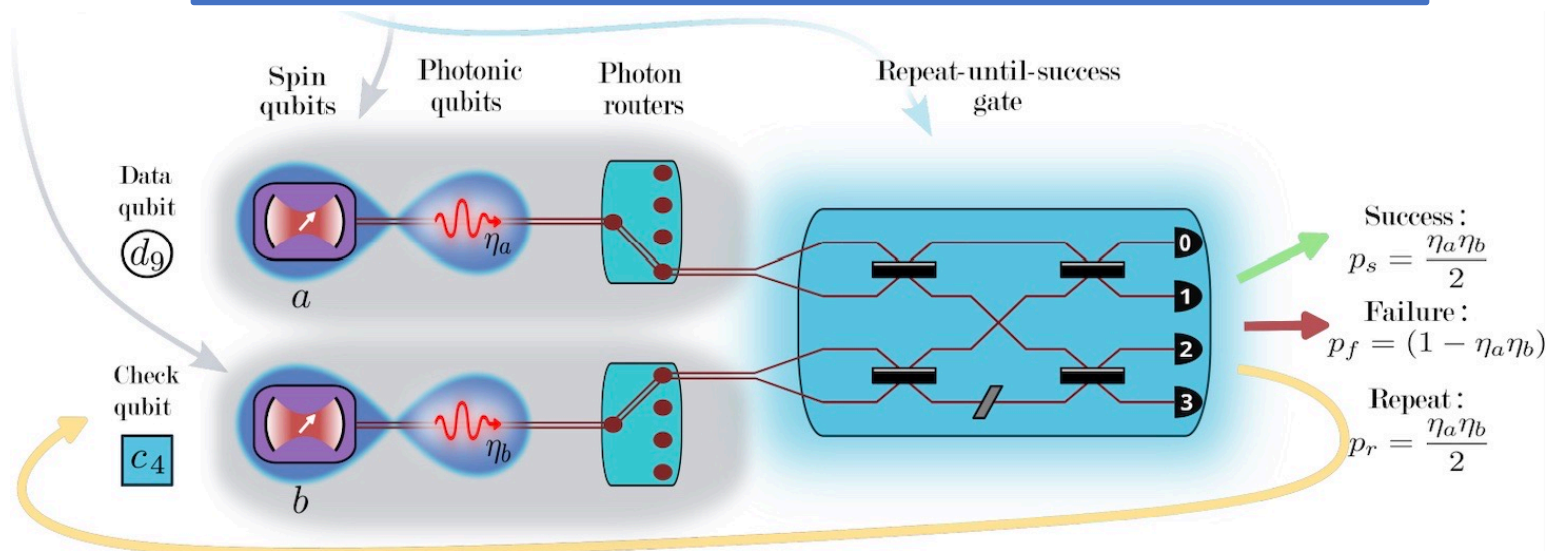
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QUIZZ

Conclusions

- Near term photonic quantum computing:
 - LOQC (linear optics)
 - Boson Sampling
 - Variational and boson-sampling-based algorithms
- Medium term photonic quantum computing:
 - MBQC and other schemes
- Really cool resource to know more: Mercedes Gimeno-Segovia's PhD thesis