

Finding templates for template-free modelling

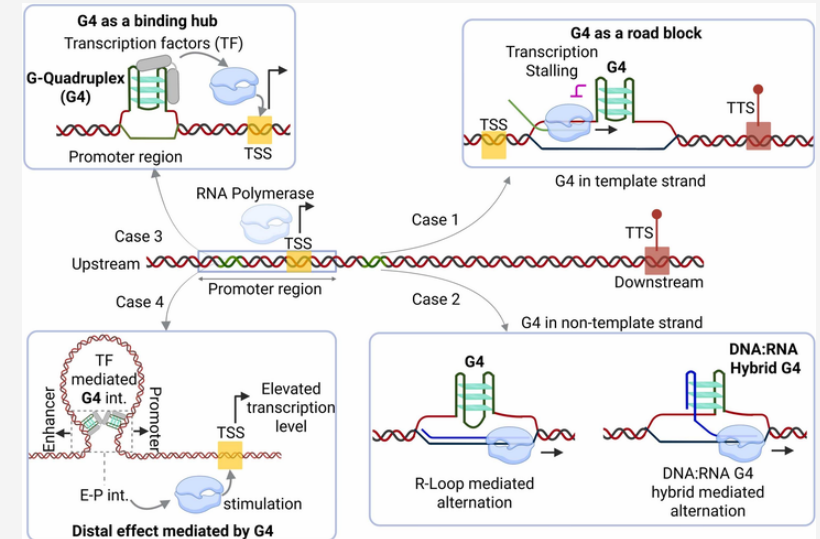
A quest to predict quadruplexes from sequence

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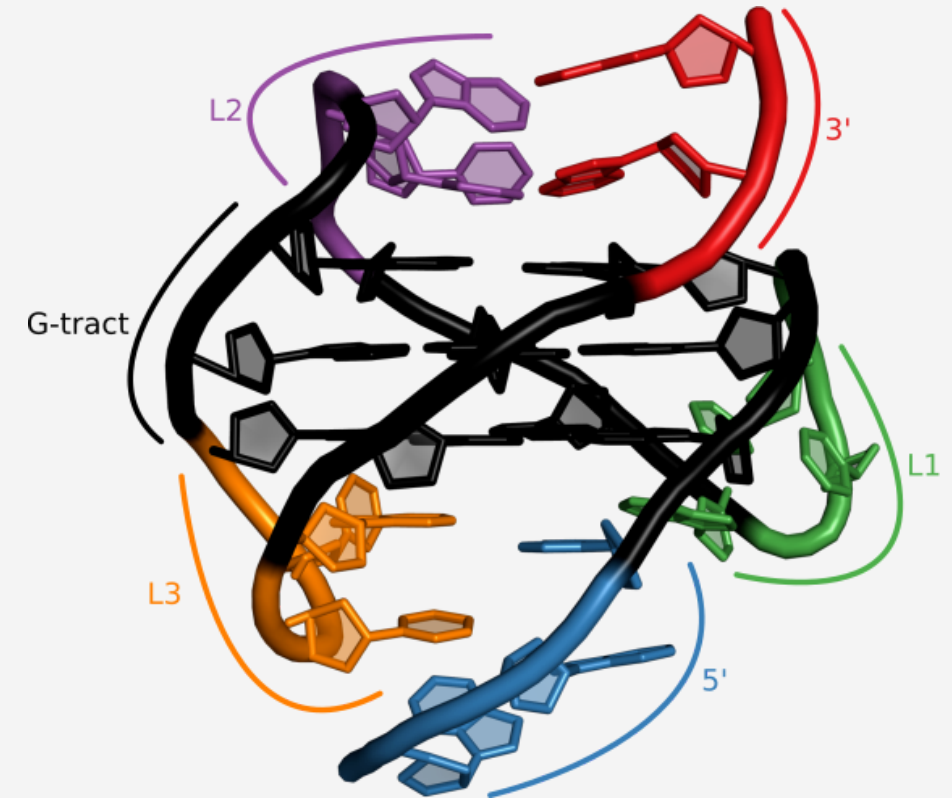
Quadruplexes

- Quadruplexes form in **G-rich regions** of genomes, including human **telomeres** and **promoters**
- Involved in **regulation of gene expression**, replication, genome stability
- Their presence or absence is linked to **cancers** and **neurodegenerative diseases**
- Potential **therapeutic targets** — and stabilized by small-molecule ligands



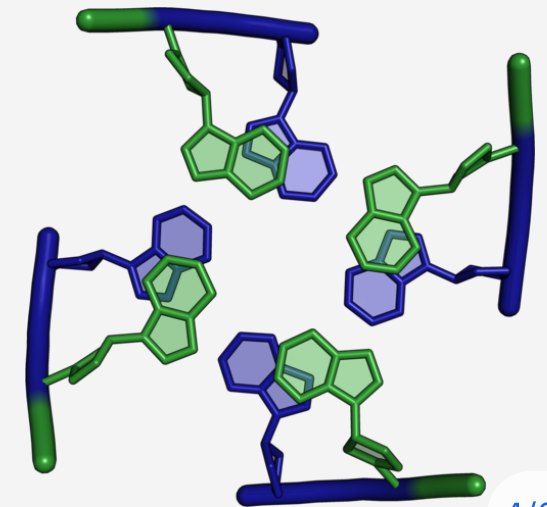
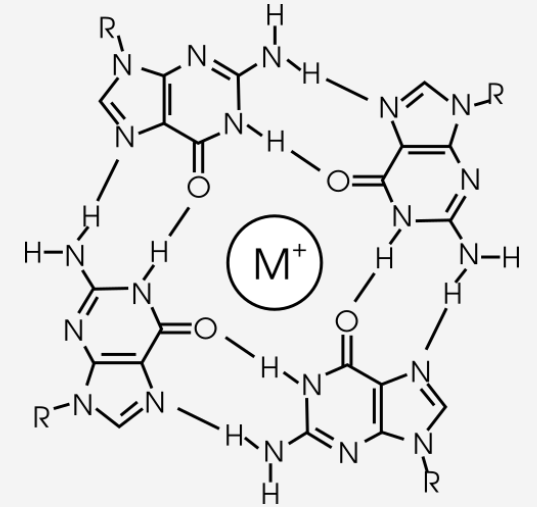
What is a quadruplex?

- A **four-stranded** structural motif of DNA, RNA, and analogs
- Built from four **G-tracts** connected by three **loops**
At least the canonical ones...
- Found across many species, including humans



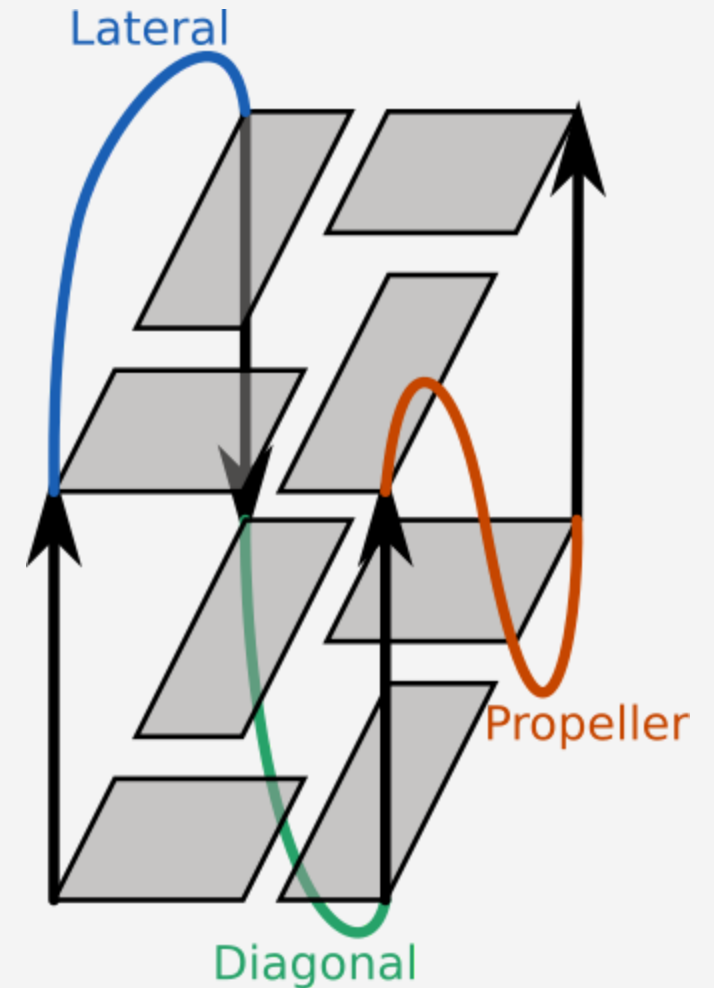
Tetrads

- A **tetrad** = **4 nucleotides** whose bases interact pairwise
 - Usually **guanines** via **cis Watson-Crick / Hoogsteen** edges
 - The tetrad is (approximately) **planar** and often stabilized by a **central ion**
 - Neighbouring tetrads **stack** on top of each other
- A **quadruplex** = **2+ stacked tetrads**



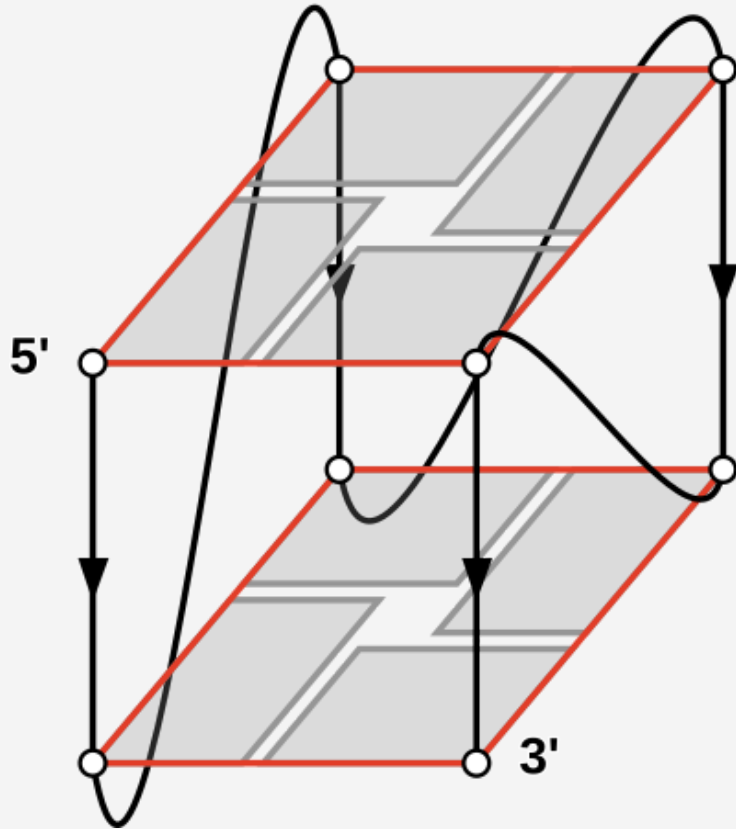
Loops

- The linker sequences connecting G-tracts are **loops**
- Three loop types by geometry:
 - **lateral** — connects adjacent strands on one side
 - **diagonal** — crosses the structure
 - **propeller** — connects strands on opposite sides (loop strands run parallel)
- Loop arrangement is one basis for classification

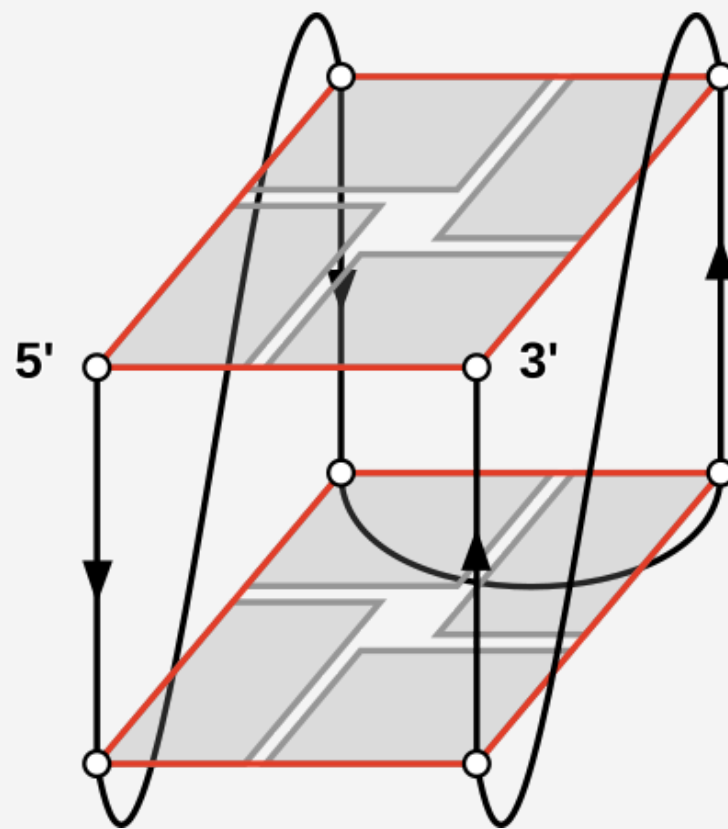


Strand directionality

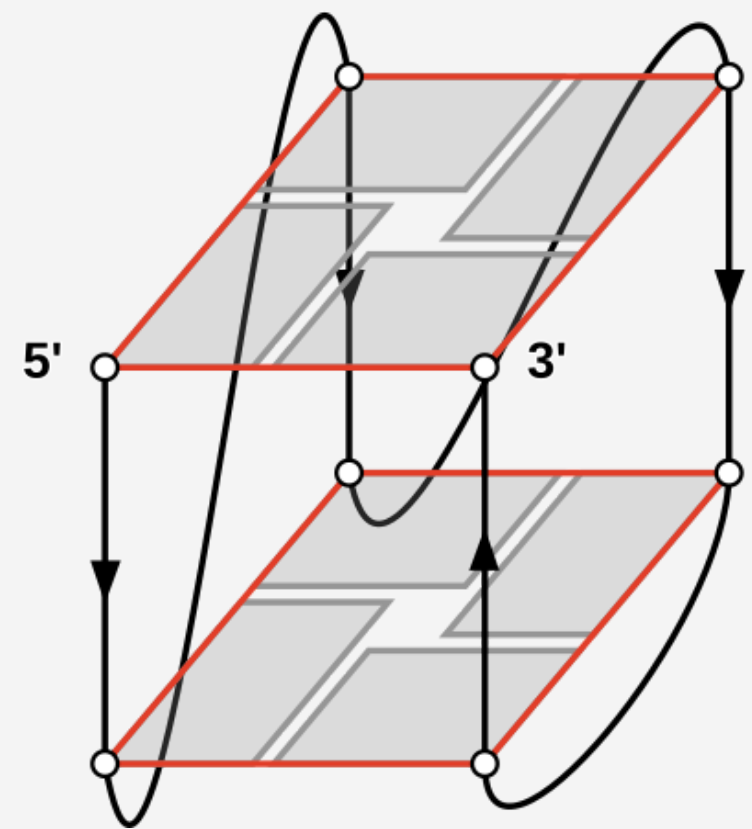
parallel (4 ↓)



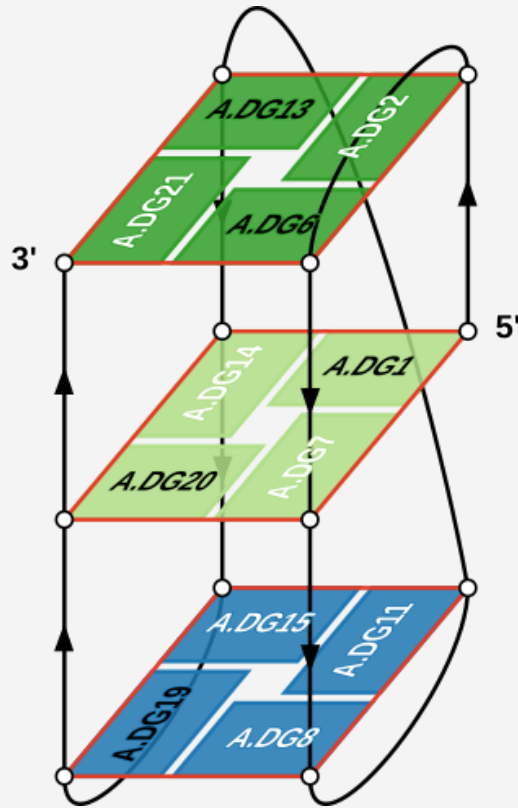
antiparallel (2 ↓, 2 ↑)



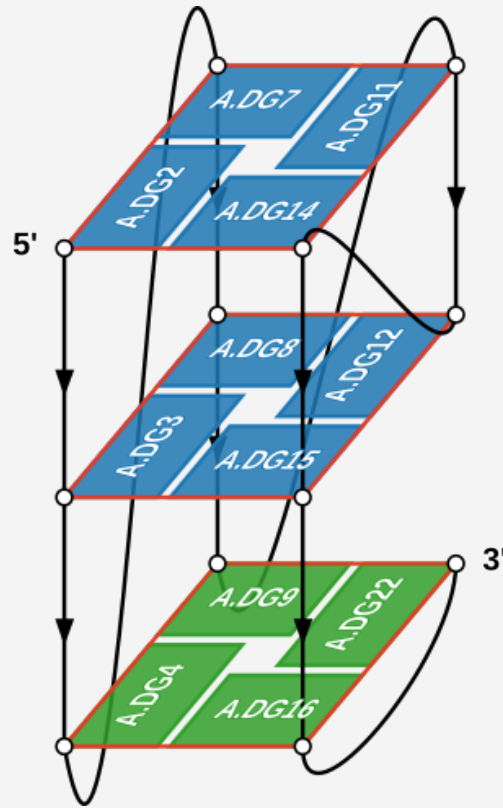
hybrid (3 ↓ 1 ↑)



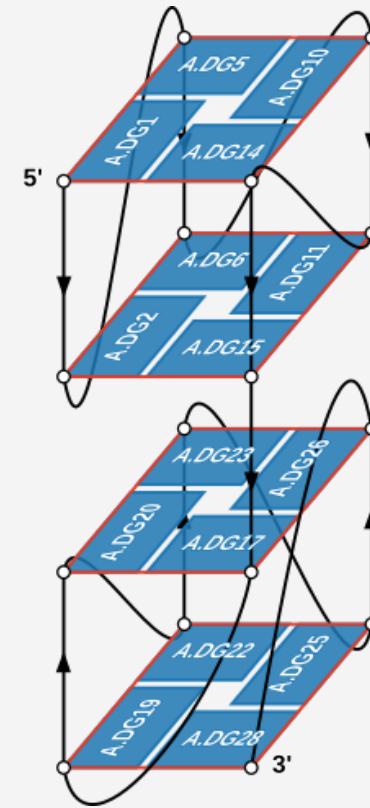
Cases that break the schemes



V-Loop: First tetrad is *sandwiched* between two others



Snapback: a terminal nucleotide is not part of a tract

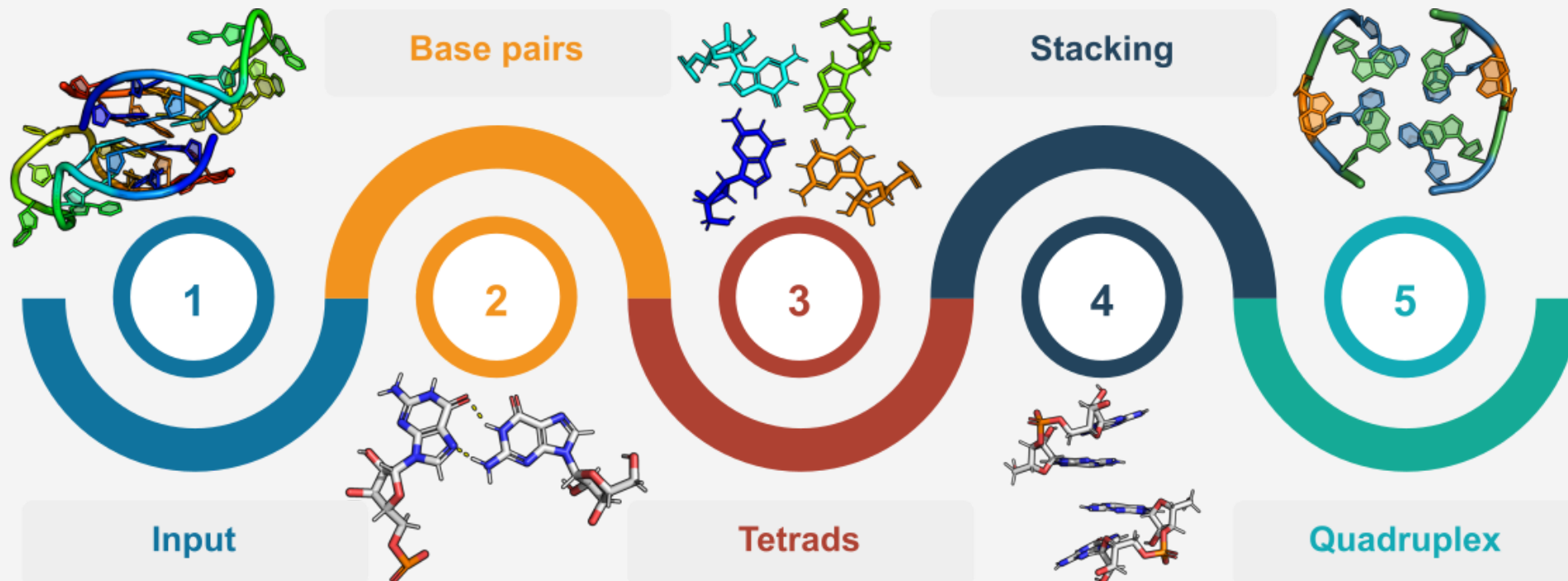


Two-block: simultaneous right-handed and left-handed components

The challenge: finding quadruplexes in PDB

- The PDB holds **~14k** experimentally solved nucleic acid 3D structures
- **Nothing** in the metadata indicates whether a structure contains a quadruplex

ATOM	1	OP3	G	A	1	50.193	51.190	50.534	1.00	99.85	O
ATOM	2	P	G	A	1	50.626	49.730	50.573	1.00	100.19	P
ATOM	3	OP1	G	A	1	49.854	48.893	49.562	1.00	100.19	O
ATOM	4	OP2	G	A	1	52.137	49.542	50.511	1.00	99.21	O
ATOM	5	O5'	G	A	1	50.161	49.136	52.023	1.00	99.82	O
ATOM	6	C5'	G	A	1	50.216	49.948	53.210	1.00	98.63	C
ATOM	7	C4'	G	A	1	50.968	49.231	54.309	1.00	97.84	C
ATOM	8	O4'	G	A	1	50.450	47.888	54.472	1.00	97.10	O
ATOM	9	C3'	G	A	1	52.454	49.030	54.074	1.00	98.07	C
ATOM	10	O3'	G	A	1	53.203	50.177	54.425	1.00	99.39	O



The complete suite so far

- **ElTetrado** — CLI: find & classify quadruplexes from 3D coordinates
<https://github.com/RNapolis/eltetrado/>
- **DrawTetrado** — CLI: automatic layer-diagram layouts
<https://github.com/RNapolis/drawtetrado/>
- **ONQUADRO** — database of all known 3D quadruplex structures
<https://onquadro.cs.put.poznan.pl/>
- **WebTetrado** — web app to analyze your own structures
<https://webtetrado.cs.put.poznan.pl/>

The inverse problem

- So far we have **3D** → **analysis**: given coordinates, find quadruplexes
- The natural next question is the **inverse**:

Given a sequence, can it fold into a quadruplex we already know?

- This motivates a **template-based** approach

- We have a rich library of templates: **ONQUADRO**
- We want to **align** an input sequence against these templates *in quadruplex-native way*
- Useful for **sequence screening**, **annotation**, and as input to **3D modeling** (not necessarily template-based!)
- This is what **ONQUADRO-aligner** does

ONQUADRO-aligner: the idea

- **Input**: a nucleic acid sequence
- **Templates**: all unique single-chain G-only quadruplex patterns extracted from the ElTetrado corpus
- For each template, **enumerate** G-combinations, **generate** a candidate, and **score** it
- Report the **best** template and **fit** the input sequence into it

Three scored components per candidate:

1. **Tract distance** — are required tracts present where expected?
2. **Linker distance** — how different sequentially are the loops?
3. How **viable** are the loops according to the literature knowledge?

Quadruplex description model

1. **Nucleic acid type** — DNA / RNA / Other
2. **QRS** — a vector marking which G positions form tetrads e.g. $[0, 1, 1, 0, 0, 1, 1, 0]$
3. **Linker sequences** — the loop strings, e.g. $[\epsilon, \epsilon, TT, \epsilon, TGT, \epsilon, TT, \epsilon, \epsilon]$

```
1 [{"molecule": "DNA", "qrs": [1, 2, 3, 3, 2, 1, 1, 2, 3, 3, 2, 1], "description": ["A", "", "", "TTA", "", "", "TTA", "">
2 {"molecule": "DNA", "qrs": [1, 2, 2, 1, 1, 2, 2, 1], "description": ["", "", "TT", "", "TGT", "", "TT", "", "">
3 {"molecule": "DNA", "qrs": [1, 2, 3, 3, 2, 1, 1, 2, 3, 1, 2, 3], "description": ["TT", "", "", "GTTG", "", "", "TTG", "">
4 {"molecule": "DNA", "qrs": [1, 2, 2, 1, 1, 2, 2, 1], "description": ["", "", "TT", "", "TGT", "", "TT", "", "">
5 {"molecule": "DNA", "qrs": [1, 2, 2, 1, 2, 1, 1, 2], "description": ["", "", "TTTT", "", "CA", "", "GTTTT", "", "T"]>
6 {"molecule": "DNA", "qrs": [1, 2, 3, 1, 2, 3, 1, 2, 3, 1, 2, 3], "description": ["A", "", "", "TTA", "", "", "TTA", "", ">
7 {"molecule": "RNA", "qrs": [1, 2, 1, 2, 1, 2, 1, 2], "description": ["", "", "A", "", "UUUU", "", "A", "", "">
8 {"molecule": "DNA", "qrs": [2, 1, 2, 1, 2, 1, 2, 1], "description": ["", "", "A", "", "A", "", "A", "", "A"]>
9 {"molecule": "DNA", "qrs": [1, 2, 1, 2, 1, 2, 1, 2], "description": ["", "", "A", "", "A", "", "A", "", "A"]>
10 {"molecule": "DNA", "qrs": [1, 1, 1, 1, 2, 3, 2, 3, 2, 3, 2, 3], "description": ["", "GA", "GA", "GA", "GA", "", "A", "">
```

Example: 148D

GGTTGGTGTGGTTGG
qr...rq...qr...rq

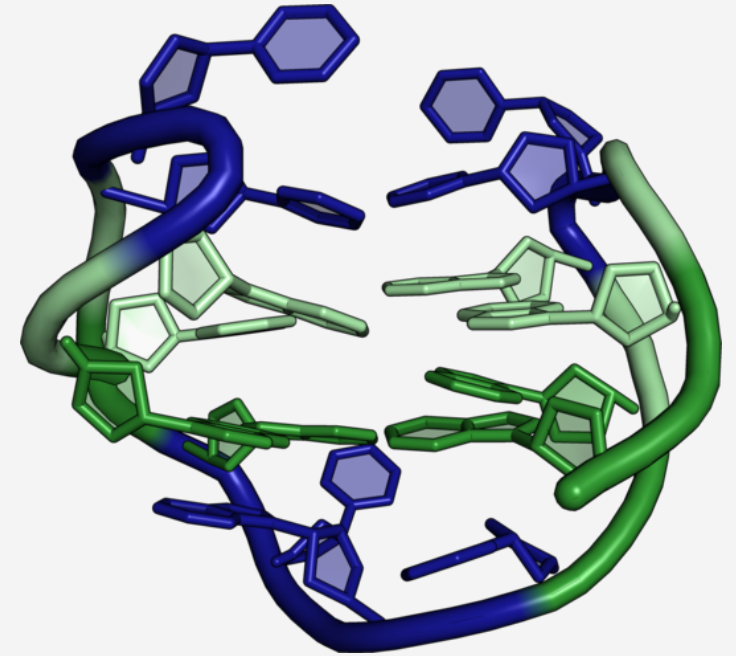
QRS: $[0, 1, 1, 0, 0, 1, 1, 0]$

Linkers: $[\varepsilon, \varepsilon, TT, \varepsilon, TGT, \varepsilon, TT, \varepsilon, \varepsilon]$

QRS length is always $4n_{tetrads}$

Linkers length is always $4n_{tetrads} + 1$

An ε in Linkers vector on positions other than the first and last represents **no bulge**. It is extremely important to preserve as it cannot be *easily* compensated.



Input processing

1. Input sequence: **AGGTGGTTTGGTTGGGA**
2. Indices of Gs: $[2, 3, 5, 6, 10, 11, 14, 15, 16]$
3. 9 Gs $\Rightarrow$ 2 tetrads $\Rightarrow$ need 8 Gs
4. Enumerate $\binom{9}{8} = 9$ combinations:

```
[(2, 3, 5, 6, 10, 11, 14, 15),  
(2, 3, 5, 6, 10, 11, 14, 16),  
(2, 3, 5, 6, 10, 11, 15, 16),  
(2, 3, 5, 6, 10, 14, 15, 16),  
(2, 3, 5, 6, 11, 14, 15, 16),  
(2, 3, 4, 10, 11, 14, 15, 16),  
(2, 3, 5, 10, 11, 14, 15, 16),  
(2, 5, 6, 10, 11, 14, 15, 16),  
(3, 5, 6, 10, 11, 14, 15, 16)]
```

Candidate generation from a template

1. Load template **148D**:

- QRS: $[0, 1, 1, 0, 0, 1, 1, 0]$
- Linkers:
 $[\varepsilon, \varepsilon, TT, \varepsilon, TGT, \varepsilon, TT, \varepsilon, \varepsilon]$

2. Generate candidate from combination

1: $(2, 3, 5, 6, 10, 11, 14, 15)$

- Description:

```
AGGTGGTTTGGTTGGGA  
.qr.rq...qr..rq..
```

- Linkers:

$[A, \varepsilon, T, \varepsilon, TTT, \varepsilon, TT, \varepsilon, GA]$

3. Generate candidate from combination 2:

$(2, 3, 5, 6, 10, 11, 14, 16)$

- Description:

```
AGGTGGTTTGGTTGGGA  
.qr.rq...qr..r.q.
```

- Linkers:

$[A, \varepsilon, T, \varepsilon, TTT, \varepsilon, TT, G, A]$

4. And so on...

Distance metric: tracts + linkers

Tract distance

- For each **interior** segment (not first/last) of the template:
 - if the template segment is ε , add the length of the candidate's segment there
- Counts inserted **bulges** where they do not belong!

Linker distance

- For each segment, compute the **edit distance** between template and candidate linker strings
- Counts **insertions / deletions / mutations** to mutate the template into query sequence

Distance metric: example

- **148D** linkers: $[\varepsilon, \varepsilon, TT, \varepsilon, TGT, \varepsilon, TT, \varepsilon, \varepsilon]$
-

- Combination 1: $[A, \varepsilon, T, \varepsilon, TTT, \varepsilon, TT, \varepsilon, GA]$

- Tract distance: 0

- Linker distance:

$$(\varepsilon \text{ vs } A) + (TT \text{ vs } T) + (TGT \text{ vs } TTT) + (\varepsilon \text{ vs } GA) = 1 + 1 + 1 + 2 = 5$$

- Combination 2: $[A, \varepsilon, T, \varepsilon, TTT, \varepsilon, TT, G, A]$

- Tract distance: $\varepsilon \text{ vs } G = 1$

- Linker distance:

$$(\varepsilon \text{ vs } A) + (TT \text{ vs } T) + (TGT \text{ vs } TTT) + (\varepsilon \text{ vs } G) + (\varepsilon \text{ vs } A) = 1 + 1 + 1 + 1 + 1 = 5$$

The brute-force cost

- For each template, enumerate **every** $\binom{m}{k}$ combination of G positions, where $m =$ query G count, $k = 4 \cdot n_{\text{tetrads}}$
- Each combination runs up to $k + 1$ pairwise alignments
- Real example: 35-nt query, 18 Gs, 3 tetrads $\Rightarrow k = 12$, $\binom{18}{12} = 18,564$ combinations **per template**, across **201** three-tetrad templates
- $\approx 3.7\text{M}$ combinations total;
~5.15s/template, ~110s on 12 cores
- Cost grows **combinatorially** with the query's G count
- A longer query, or one with more spurious (non-quadruplex) Gs, quickly becomes intractable
- Example: $m = 30, k = 16 \Rightarrow \binom{30}{16} \approx 145,000,000$ combinations
- We needed a **smarter search** — without changing the result

The dynamic-programming search

- Fortunately, we can decompose the problem and solve it with **dynamic programming**

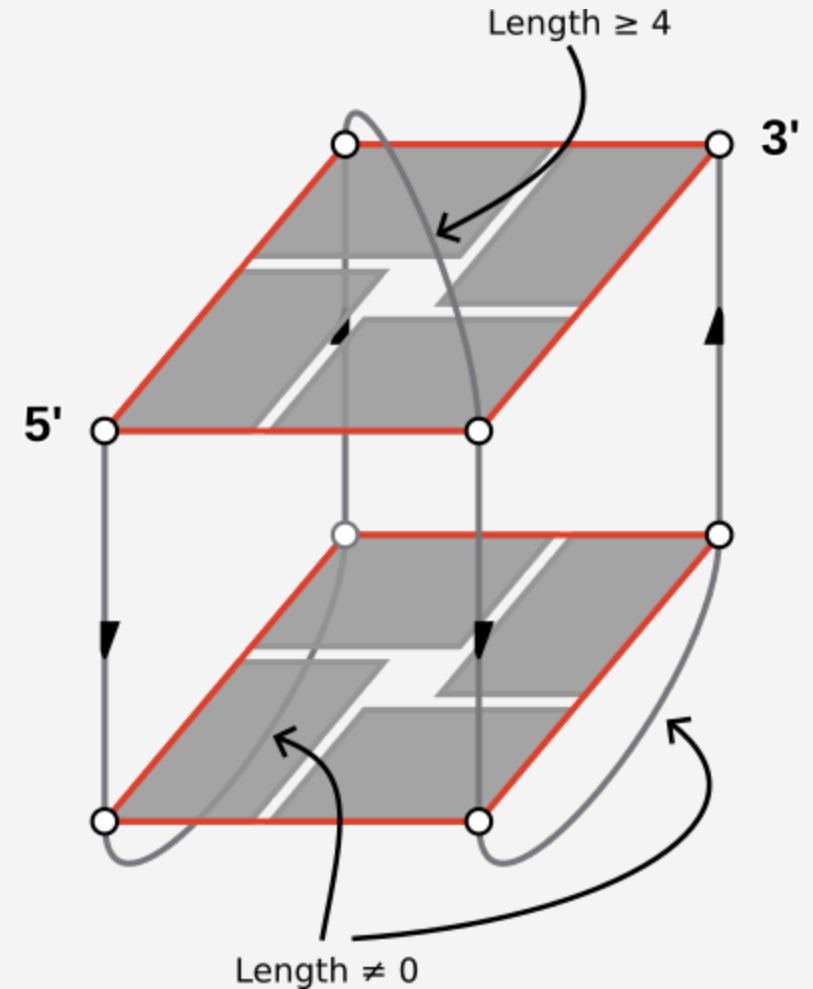
- States: $O(k \cdot m)$
- Transitions per state: $O(m)$
- Complexity: $O(k \cdot m^2)$

	-1	1	2	4	5	9	10	13	14	15	
0	0 0										
1		0 1	0 2	0 4	0 5	0 9	0 10	0 13	0 14	0 15	ϵ
2			0 1	1 3	0 4	3 8	0 9	2 12	0 13	0 14	ϵ
3				0 2	0 2	0 5	0 6	0 9	0 10	0 11	TT
4					0 2	3 5	0 5	2 8	0 9	0 10	ϵ
5						0 3	0 4	0 6	0 7	0 7	TGT
6							0 3	2 6	0 6	0 7	ϵ
7								0 3	0 4	0 5	TT
8									0 3	0 4	ϵ
9										0 5	ϵ

AGGTGGTTTGGTTGGGA

Viability

- A match with zero tract distance and small linker distance looks almost perfect by our metrics
- But the **loop lengths it implies** may be geometrically impossible:
 - a 0-nt loop (two tetrad Gs directly adjacent)
 - too short diagonal loops
 - some loop-length/topology combinations never observed

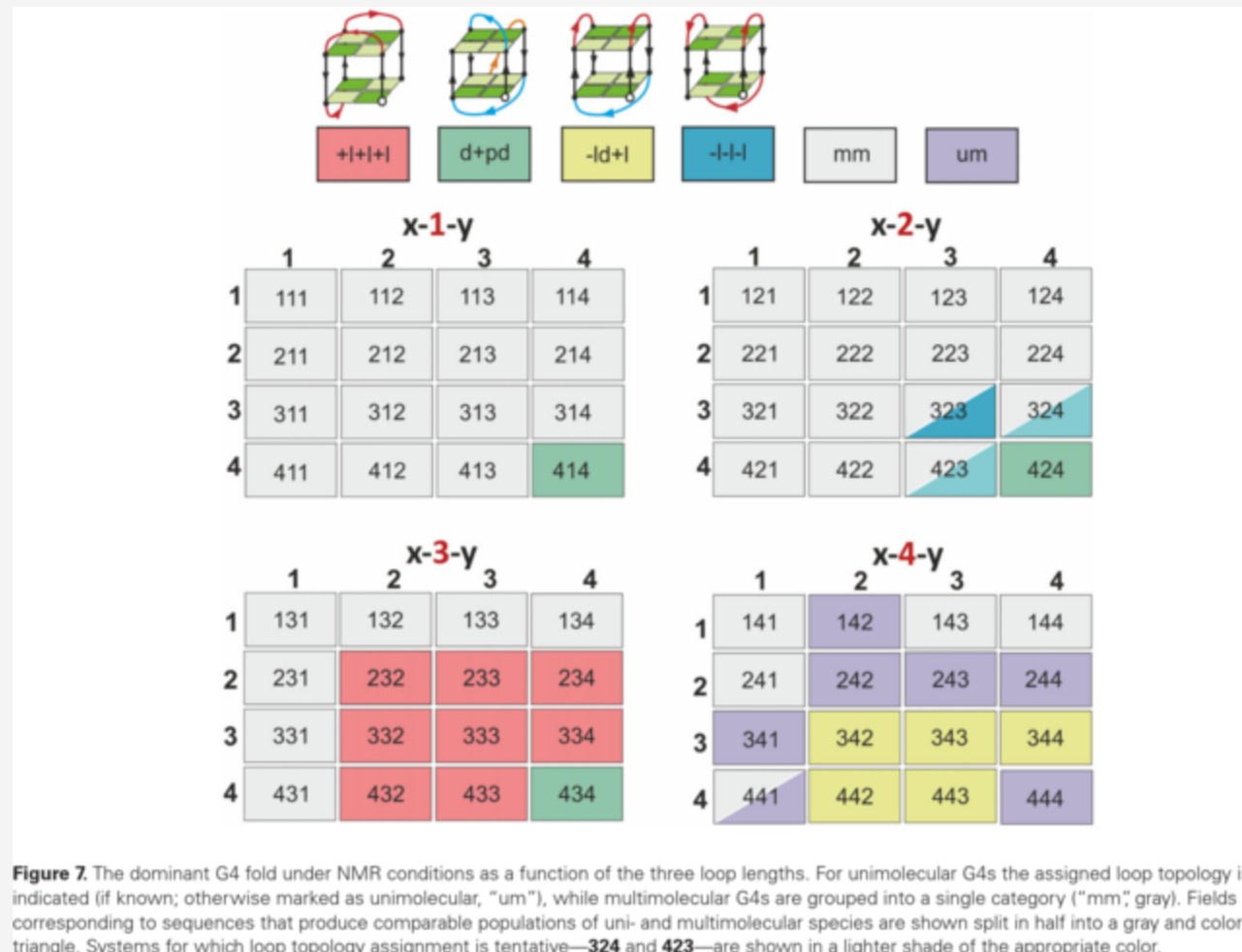


Viability: literature

Table 3. Loop lengths of the one-block G4s and the corresponding topologies, mostly when $L_1 = L_3$. The percentage for a given combination of loop lengths is calculated as the number of structures corresponding to the topology divided by all the structures with this combination of loop lengths. For instance, when $L_1 = L_2 = L_3 = 2$, 73% of the structures are parallel and 27% are chair. When there are several L_2 lengths, the percentages are given for each length in the same order. If only one structure exists with the given combination, its PDB ID is provided

L_1	L_2	L_3	Topology	Percentage of structures
0-nt between the strands 1 and 4 (11 structures)			hybrid4	100%
1	1 to 15	$L_1 = L_3 = 1$ nt (73 structures) 1	parallel	100%
2	1-2	$L_1 = L_3 = 2$ nts (59 structures) 2	parallel	100% - 73%
2	2-3 or 15	2	chair	27% - 100% or 100%
2	4-5	2	basket	100%
3	1	$L_1 = L_3 = 3$ nts (35 structures) 3	parallel	100%
3	2	3	hybrid3	100% (6AC7 [77])
3	3	3	hybrid1	50%
			hybrid3	27%
			chair	19%
			basket2	4% (2MBJ)
3	4-5	3	basket	75%
			basket2	25%
4	1 or 4	$L_1 = L_3 = 4$ nts (7 structures) 4	basket	14% (2MFT) - 43%
4	4	4	chair	14% (2KM3 [99])
4	10	4	hybrid2	29%
5	1	$L_1 = L_3 = 5$ nts (1 structure) 5	parallel	100% (8EDP [100])
7	4	$L_1 \geq 6; L_3 \geq 6$ nts (8 structures) 19	chair	100%

Viability: literature



onquadro-aligner

Search a sequence against known single-chain G-quadruplex structures

Sequence?

AGGTGGTTTGGTGGGA

Tetrad count?

0

-

+

☐ List all matching files?

Search

Results (26 matches)

		Perfect	Viability	Tract	Linker	Tetrads	Template	Loops	Topology	QRS
☒	0		viable	0	6	2	1my9-assembly1	1-3-1	-p-p-p	` .RS.rs...RS.rs.. `
☐	1		viable	0	7	2	2rqj-assembly1	1-3-1	+p+p+p	` .QR.qr...QR.qr.. `
☐	2		viable	0	12	2	8utg-assembly1	1-3-1	-p-p-p	` .QR.qr...QR.qr.. `
☐	3		viable	0	23	2	6e80-assembly1	1-3-1	+p+p+p	` .QR.qr...QR.qr.. `
☐	4		viable	0	24	2	5bjo-assembly1	1-3-1	-p-p-p	` .QR.qr...QR.qr.. `
☐	5		unknown	2	30	2	4wb2-assembly1	1-3-1		` .QR.qr...QR.qr.. `
☐	6		not_viable	0	20	2	6e8t-assembly1	1-3-1	-p-p-l	` .QR.qr...QR.rq.. `
☐	7		not_viable	0	21	2	6e8t-assembly2	1-3-1	-p-p-l	` .QR.qr...QR.rq.. `
☐	8		not_viable	0	22	2	6e8u-assembly1	1-3-1	-p-p-l	` .QR.qr...QR.rq.. `

Template-based template-free modelling

- The matches from ONQUADRO-aligner are used to extract folding parameters: **rise**, **twist**, **polarities**
- The folding itself does not use full homologous structures or even their fragments

```
name          6k3y-assembly1
sequence      aggtgggtttggtggga
structure     .^^.^^...^^.^^..
chi           .....
sugar         .....
orient        A-;B-
rise          3.2
twist         31.1
path          A1;B1;A4;B4;A3;B3;A2;B2
```

 **G4COMPOSER**

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 **G4COMPOSER**

G-QUADRUPLEX 3D STRUCTURE PREDICTION SERVER

G4Composer is a specialised web tool for modelling three-dimensional structures of G-quadruplex nucleic acids. The platform accepts sequence and dot-bracket structure annotations with the Silva (2020) loop-type classification to generate energy-minimised 3D models, serving as starting points for molecular docking, dynamic simulations, and other computational studies.

G4 SEQUENCE

e.g. GGGGAAGGGGAAGGGGAAGGGG (uppercase = RNA, lowercase = DNA)

Examples ▾

▶ Run Pipeline



Enter a nucleotide sequence and click **Run Pipeline** to predict the 3D G-quadruplex structure.

Uppercase = RNA · lowercase = DNA

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